

Developing a surrogate for the (n, γ) reaction on short-lived nuclei



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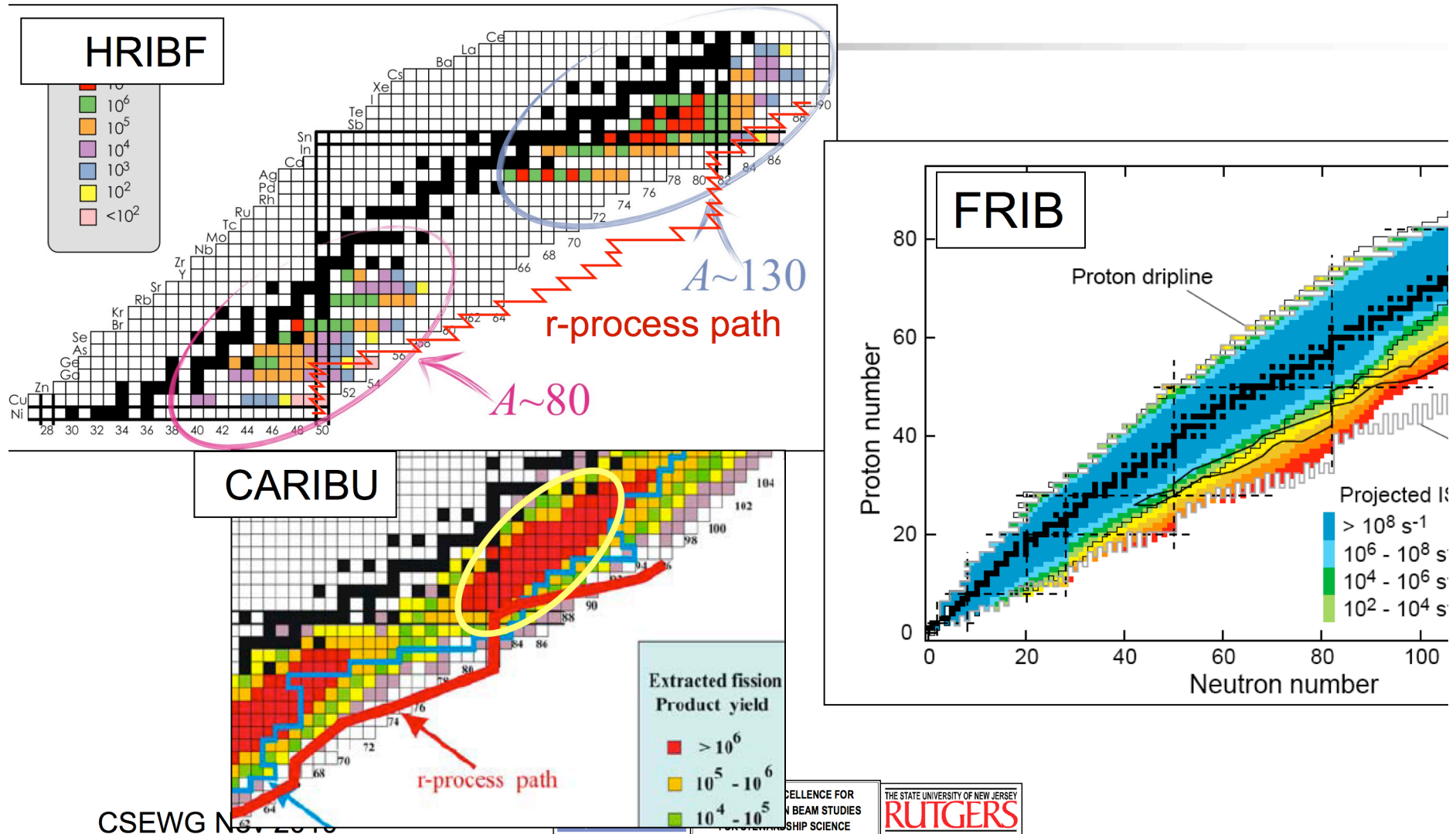


Neutron Capture $A(n,\gamma)A+1$ Reactions

- Important for basic and applied nuclear science
 - Nucleosynthesis processes
 - s and r process responsible for elements heavier than iron
 - Nuclear reactors
 - Cross sections on fission fragments
 - Nuclear forensics, including weapons modeling
- On stable isotopes: well studied
- On rare isotopes:
 - Direct measurements when $t_{1/2} > 100$ days
 - How measure when $t_{1/2} < 1$ minute?
- **Can a reliable surrogate for (n,γ) be developed?**

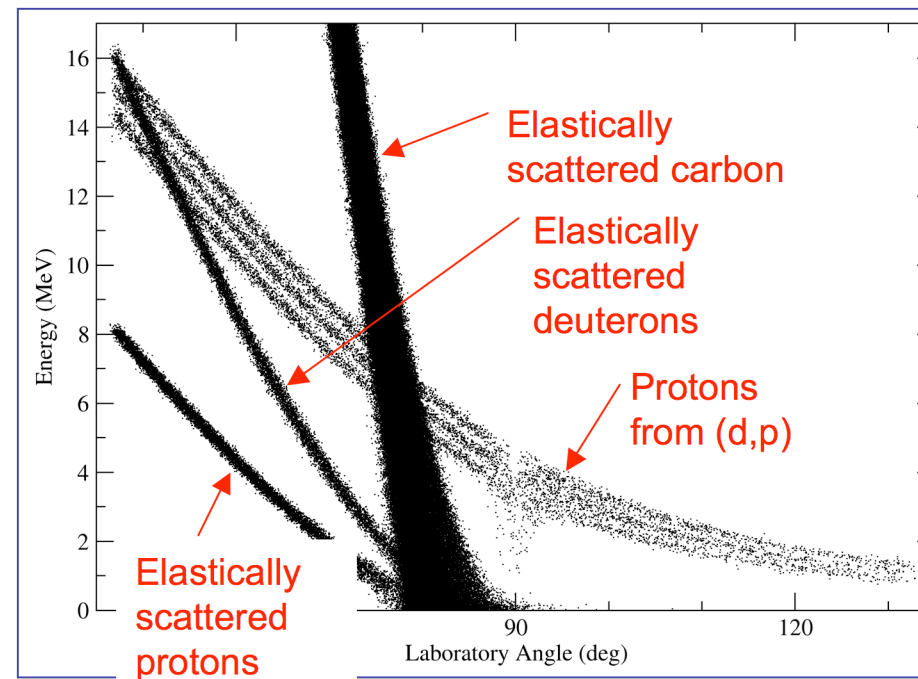
Surrogate reactions with beams

Only way to get $\sigma(n,\gamma)$ when $t_{1/2} \ll 100$ days



$(d,p\gamma)$ good candidate for (n,γ) surrogate with beams

- Relatively good match with spin distribution in (n,γ) which is dominated by $\ell=0$
- “Easy” to produce CD_2 targets
- “Lower” beam energies (than heavier targets) to get above neutron separation energy
- Kinematics favors cleaner reaction

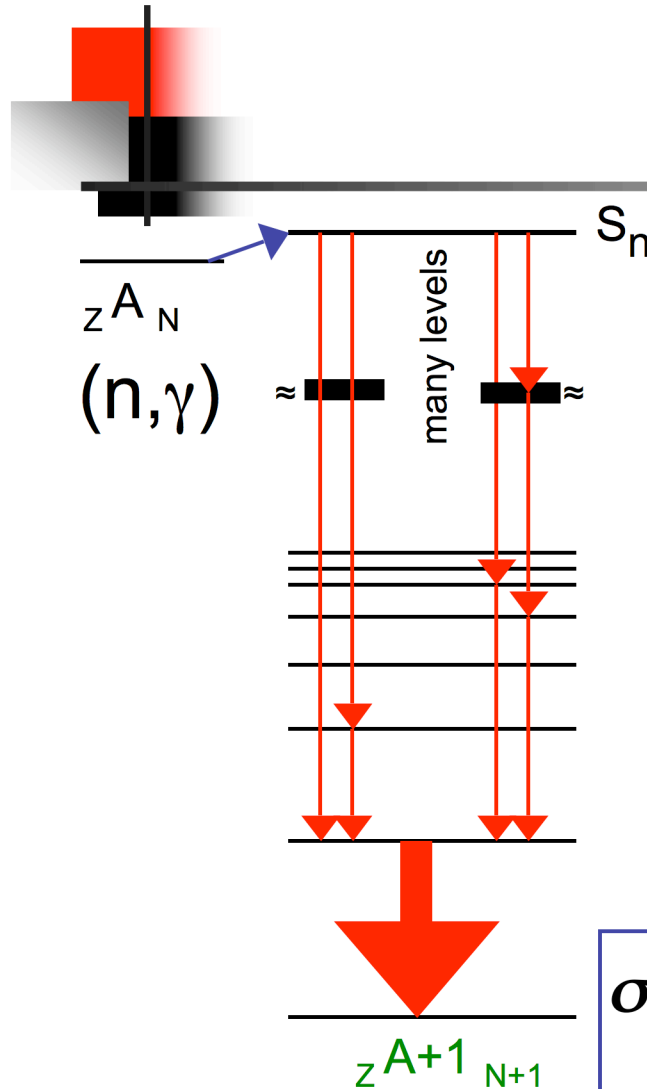




Outline

- Surrogate reaction and surrogate ratio methods
- What we have learned:
 - Is there a promising surrogate for (n,γ) ?
- Where we are going: Measuring spin distributions

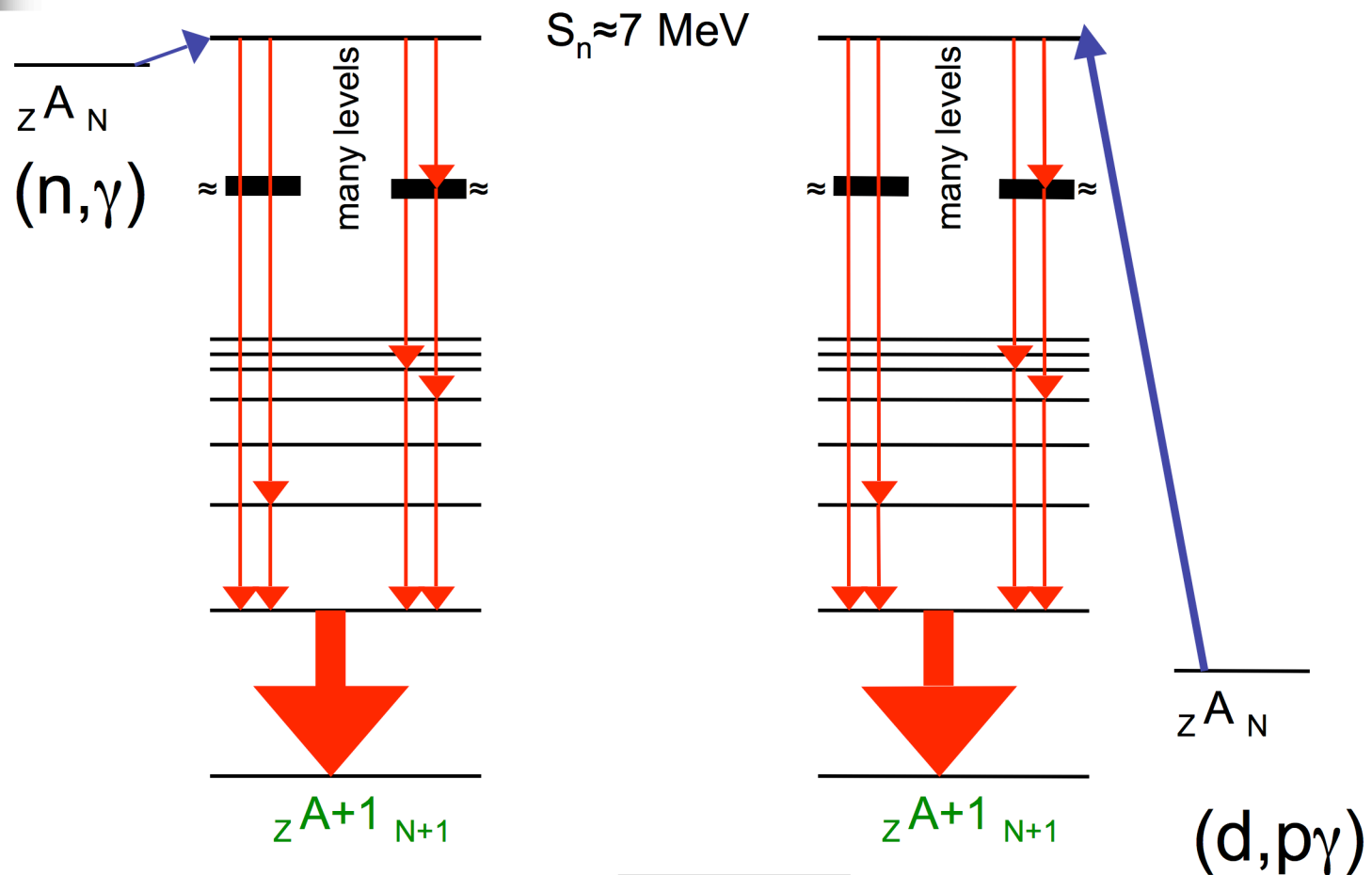
$A(n,\gamma)(A+1)$



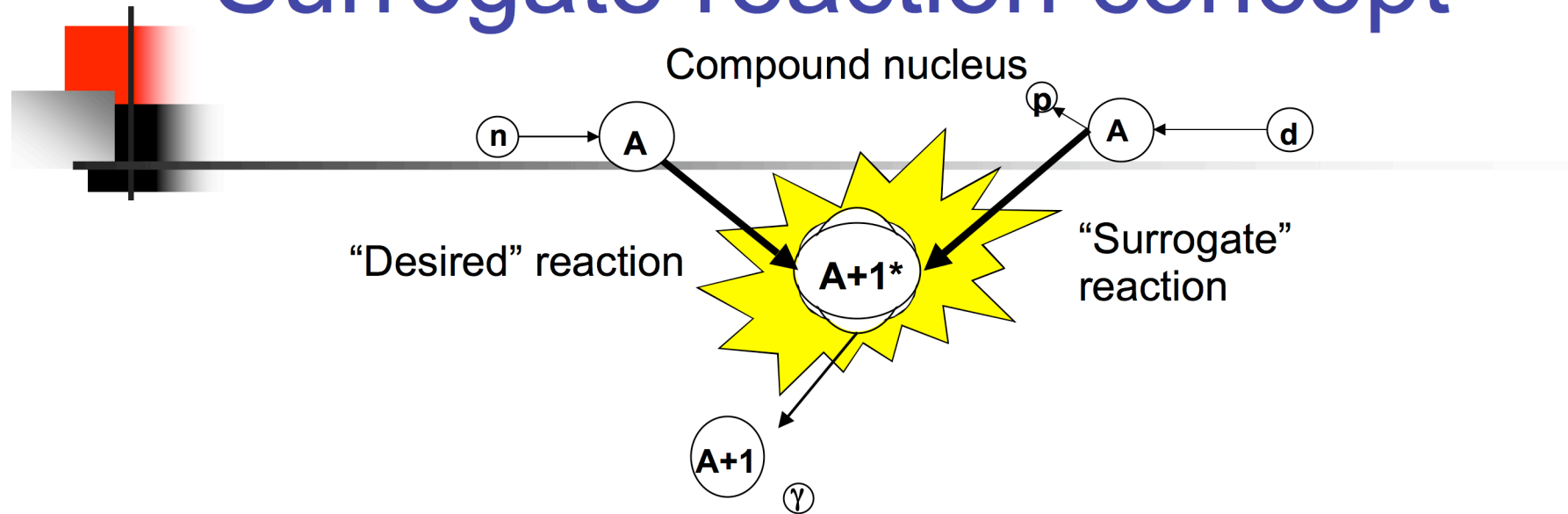
- Target of material A
- Beam of neutrons
- Cross section vs neutron energy depends upon product of cross section of formation of compound nucleus AND decay of the compound nucleus
 - In principle for each spin,parity
- Can calculate formation; difficult to calculate decay

$$\sigma_{n\gamma}(E_n) = \sum_{J,\pi} \sigma_n^{CN}(E_n, J, \pi) G_\gamma^{CN}(E_n, J, \pi)$$

$A(n,\gamma)(A+1) \leftrightarrow A(d,p)(A+1)$ Surrogate for (n,γ) ?



Surrogate reaction concept



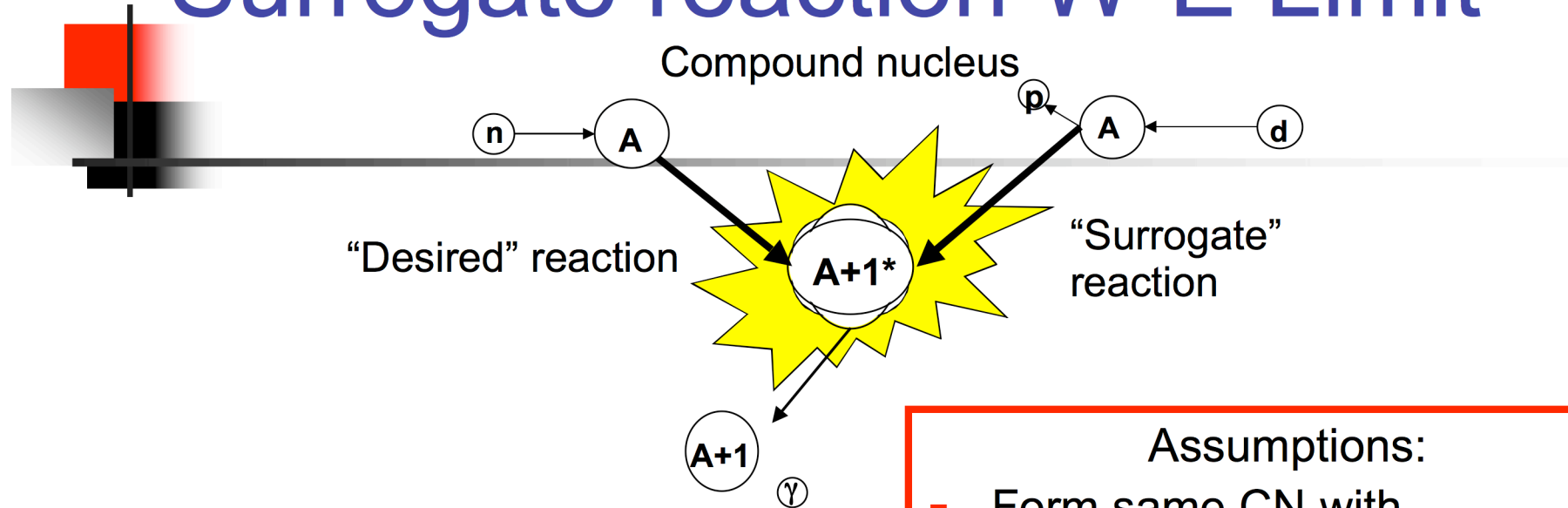
(n,γ) cross section can be written as product of compound nucleus formation and decay for every spin and parity:

$$\sigma_{n\gamma}(E_n) = \sum_{J,\pi} \sigma_n^{CN}(E_n, J, \pi) G_\gamma^{CN}(E_n, J, \pi)$$

Surrogate cross section can be written as product of compound nucleus formation and decay for every spin and parity:

$$P_{dp}(E_x) = \sum_{J,\pi} F_{dp}^{CN}(E_x, J, \pi) G_\gamma^{CN}(E_x, J, \pi)$$

Surrogate reaction W-E Limit



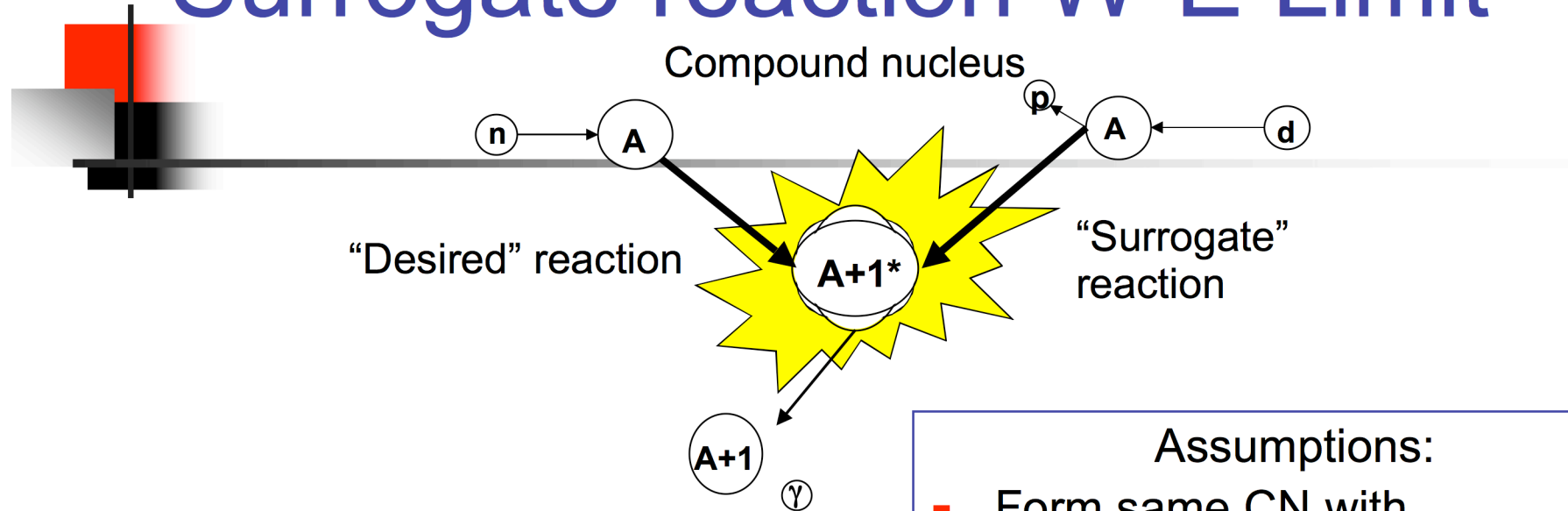
Assumptions:

- Form same CN with surrogate and F=1
- Weisskopf-Ewing limit: CN pop & decay indep of spin, parity

$$\sigma_{n\gamma}(E_n) = \sum_{J,\pi} \cancel{\sigma_n^{CN}}(E_n, \cancel{J}, \cancel{\pi}) G_\gamma^{CN}(E_n, \cancel{J}, \cancel{\pi})$$

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Surrogate reaction W-E Limit



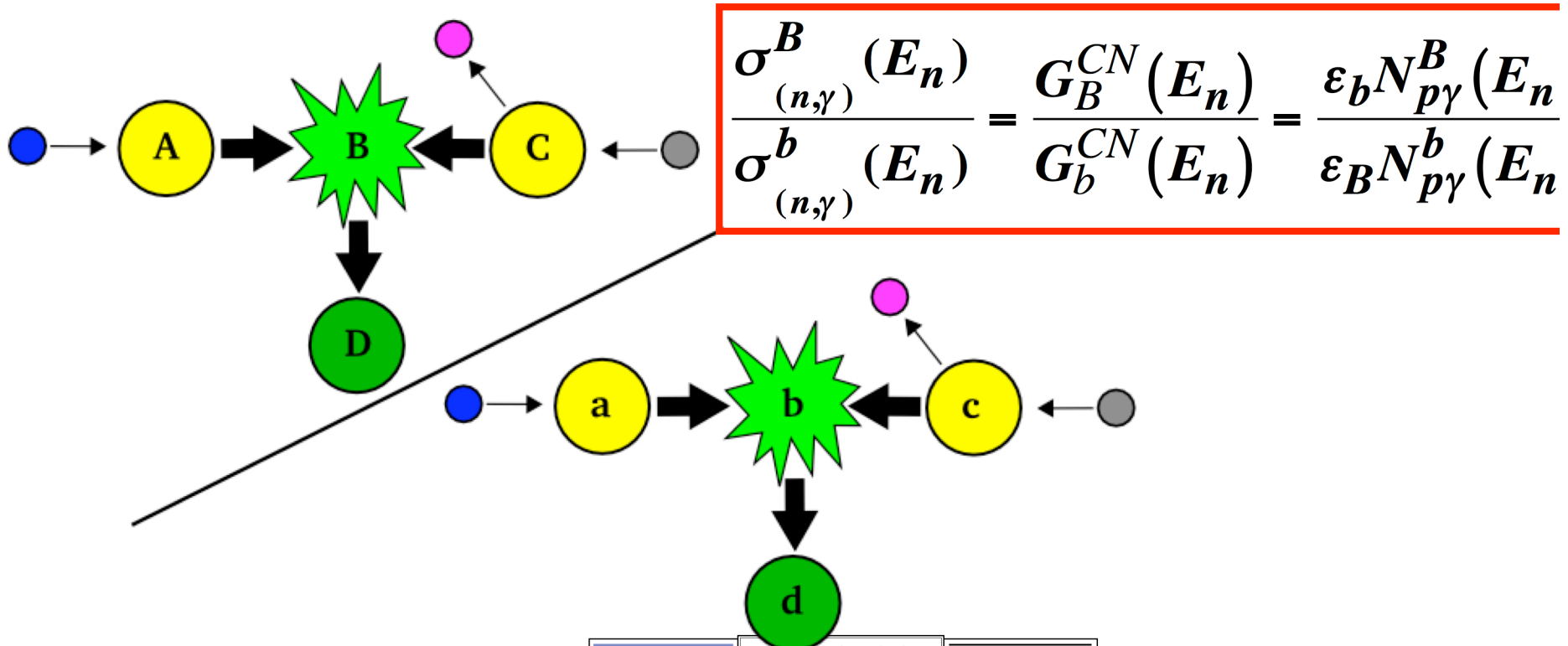
Assumptions:

- Form same CN with surrogate and F=1
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$$\sigma_{n\gamma}^{WE}(E_n) = \sigma_n^{CN}(E_n) G_\gamma^{CN}(E_n) = \sigma_n^{CN}(E_n) \frac{N(d, p\gamma)}{\epsilon N(d, p)}$$

Surrogate ratio technique

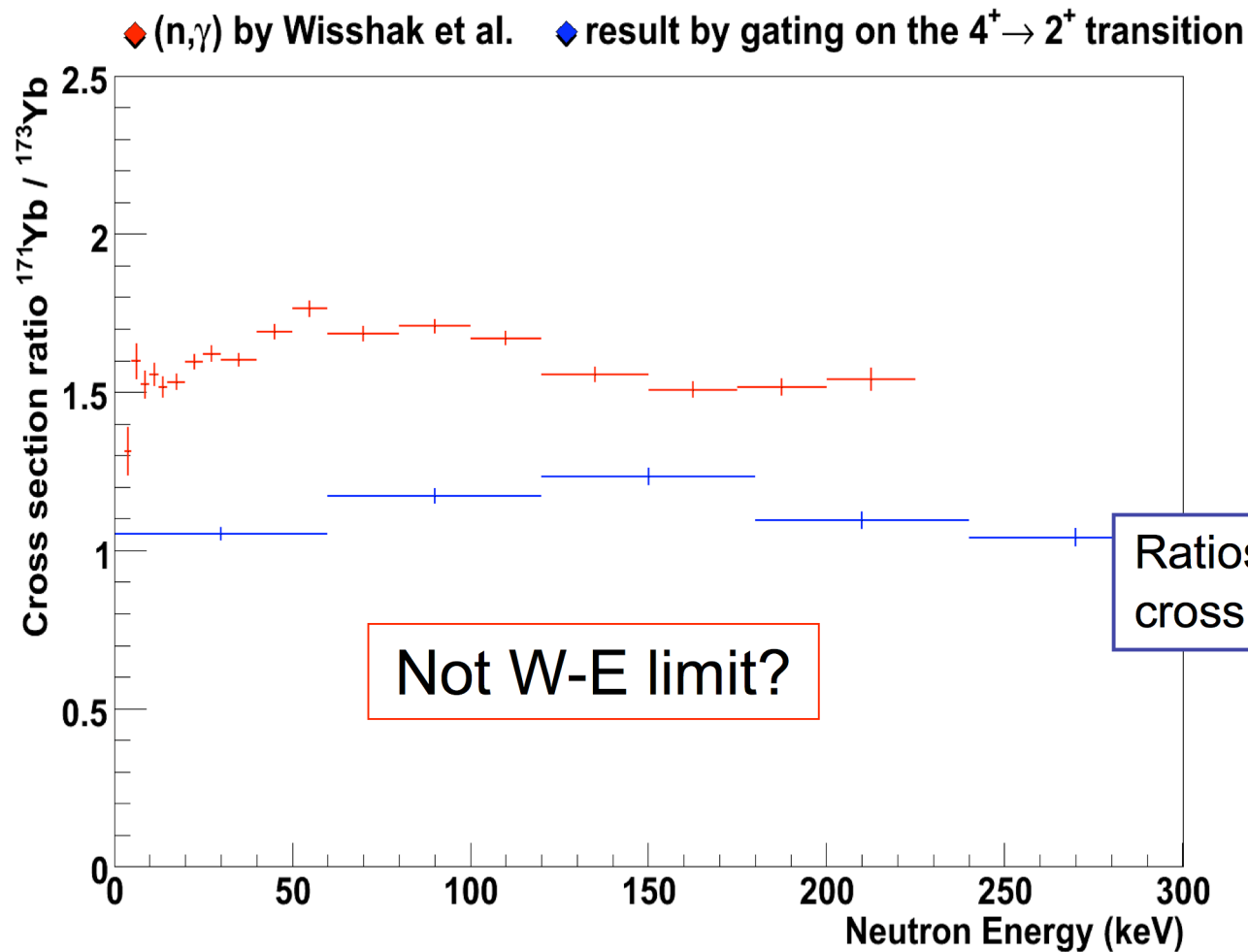
- Ratio of experimental yields can reduce systematic uncertainties
- Assume similar compound nuclear cross sections
- Know one cross section $\Rightarrow$ ratio gives the unknown



Can demonstrate that (d,p γ) is (n, γ) surrogate?

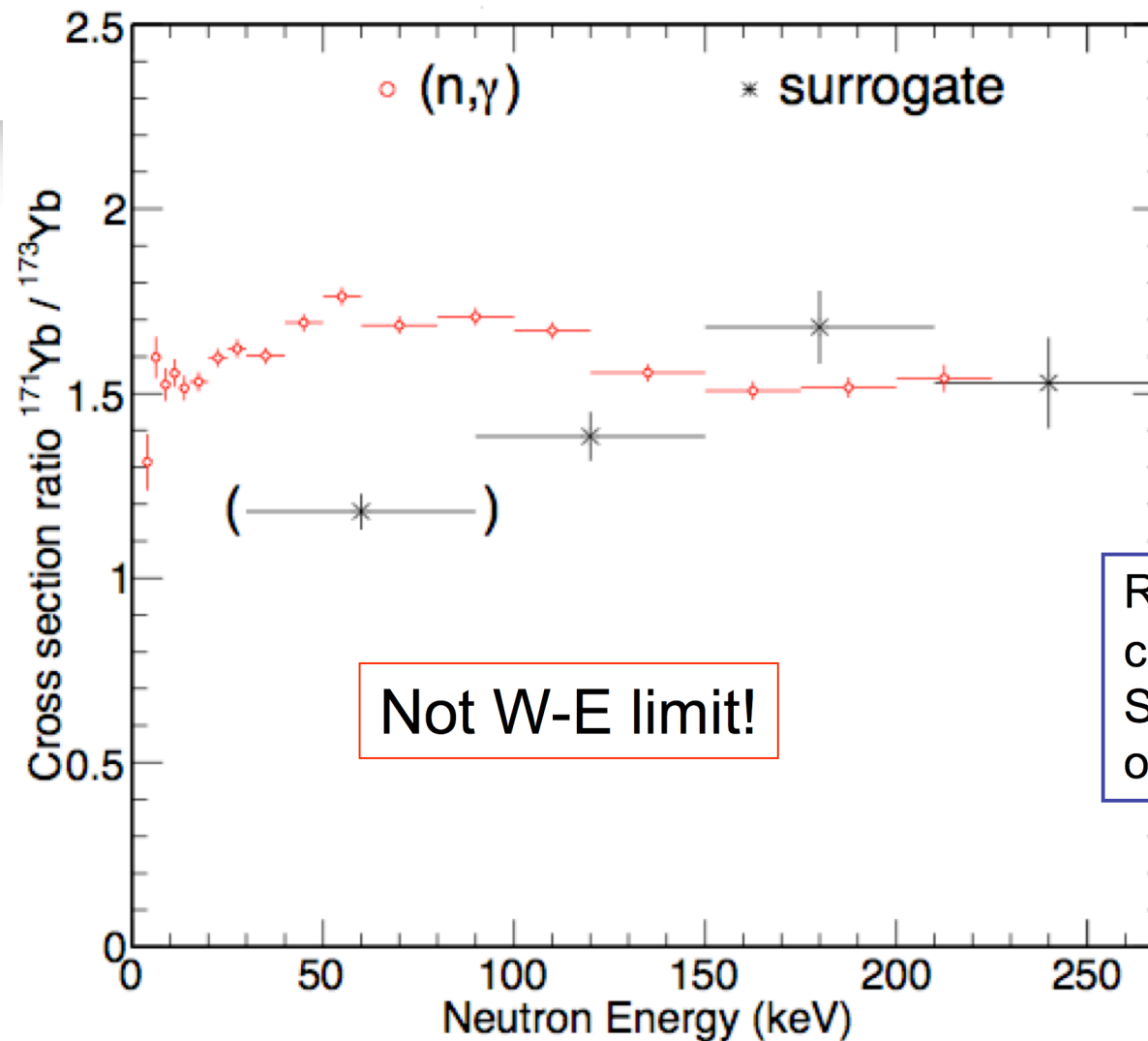
- Choose pair of nuclei where (n, γ) has been measured vs E(neutron)
 - $^{171,173}\text{Yb}(n,\gamma)^{172,174}\text{Yb}$ by Wisshak et al.
- Measure (d,p γ) reaction in normal kinematics with
 - ≈ 18 MeV beam of deuterons
 - Detect gamma rays in coincidence with reaction protons
 - Energy of protons $\Leftrightarrow$ excitation energy in nucleus (above neutron separation energy)
- Analysis: Surrogate Ratios: ratios of intensities of collecting gamma rays = ratio of reaction cross sections

Known $\sigma(n,\gamma)$ vs $\sigma(n,\gamma)$ from $^{171,173}\text{Yb}(d,p\gamma)$



R. Hatarik et al.
PRC **81**, 11602(R) (2010)

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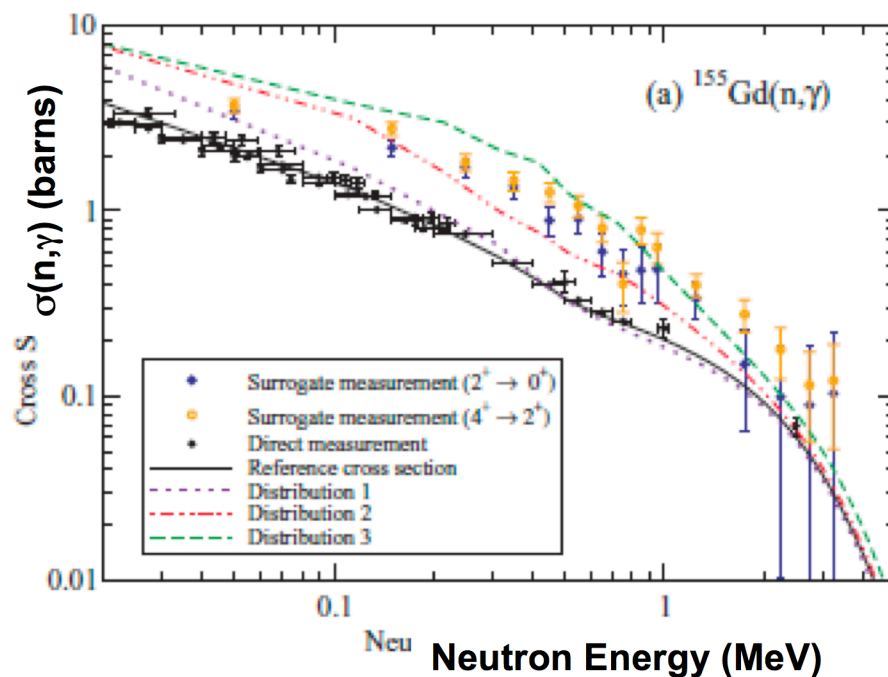
R. Hatarik et al.
PRC **81**, 11602(R) (2010)

Ratios of $(d,p\gamma)$ and (n,γ)
cross sections for $^{171,173}\text{Yb}$
Subtract direct feeding of $4+$;
only sidefeeding of $4+$

$(d,p\gamma)$ can be (n,γ) surrogate

Select $(d,p\gamma)$ spectra that most accurately reflect (n,γ) spin distribution

Surrogate-deduced $\sigma(n,\gamma)$ vs measured $\sigma(n,\gamma)$



$^{155}\text{Gd}(n,\gamma)$ vs $^{156}\text{Gd}(p,p'\gamma)$

N.Scielzo, J. Escher et al PRC **81** (2010)

Black: measured and calculated $\sigma(n,\gamma)$

Blue, yellow data

Surrogate-deduced $\sigma(n,\gamma)$ from
 $2 \rightarrow 0$ & $4 \rightarrow 2$ transitions

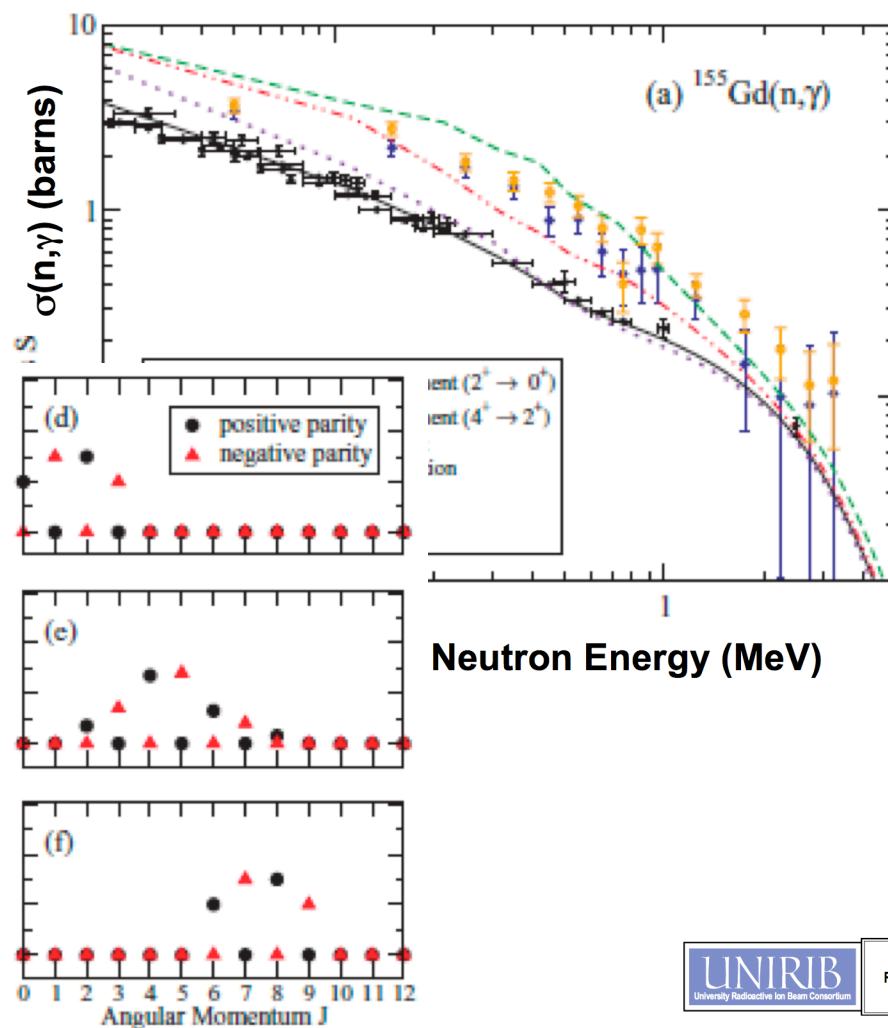
Curves:

Purple = (d) distribution; peak=1.5

Red = (e) distribution; peak=4.5

Green = (f) distribution; peak=7.5

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Purple = (d) distribution; peak=1.5

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Is there a valid surrogate for (n,γ) ?

- 
- Important: want $\sigma(n,\gamma)$ for unstable species ($t_{1/2} < 100$ days)
 - Near stability surrogate “normal” kinematics: Light beam + heavy target
 - Far from stability surrogate “inverse” kinematics: Rare isotope beam + light target
 - WE limit is not valid: decay probabilities not indep of spin
 - (n,γ) cross sections dominate at low E_n , $\ell \approx 0$
 - Surrogate reactions (e.g., $(d,p\gamma)$) bring in finite angular momentum $\ell > 0$
 - To validate: Compare measured spin distributions in (n,γ) with $(d,p\gamma)$ surrogate measurements
 - Goal: develop prescription to take surrogate decay probabilities to inform (n,γ) decay probabilities to get $\sigma(n,\gamma)$

$^{95}\text{Mo}(n,\gamma)$ and $^{95}\text{Mo}(d,p\gamma)$ spin distributions



- What is known
 - $^{95}\text{Mo}(n,\gamma)$ cross sections $E_n \leq 200$ keV
 - FP12 neutron flux vs E_n (extrapolated)
- (n,γ) measured at FP12
 - Two HpGe detectors in close geometry
 - ^{96}Mo yrast intensities vs E_n to deduce spin distribution of CN in (n,γ)
- Surrogate measurements at LBNL and HRIBF
 - $^{95}\text{Mo}(d,p\gamma)$ in normal and inverse kinematics
 - ^{96}Mo yrast intensities vs $E_n(\text{effective})$ to deduce spin distribution of CN formed in (d,p)

$^{95}\text{Mo}(n,\gamma)$ at FP12 LANSCE



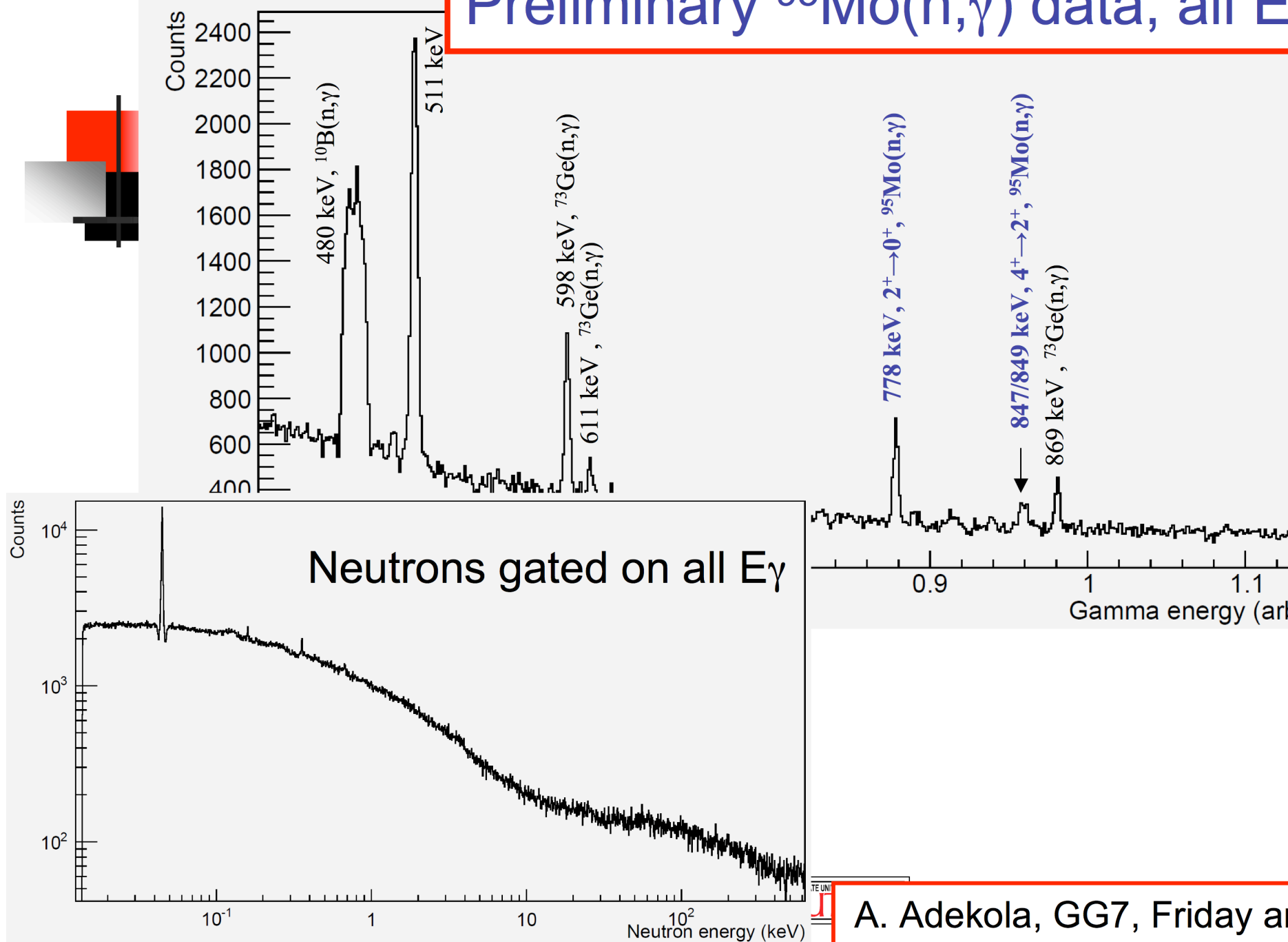
CSEWG Nov 2010

$^{95}\text{Mo}(n,\gamma)$ at FP12 LANSCE

Preliminary results: A. Adekola, GG7, Friday am



Preliminary $^{95}\text{Mo}(n,\gamma)$ data, all E



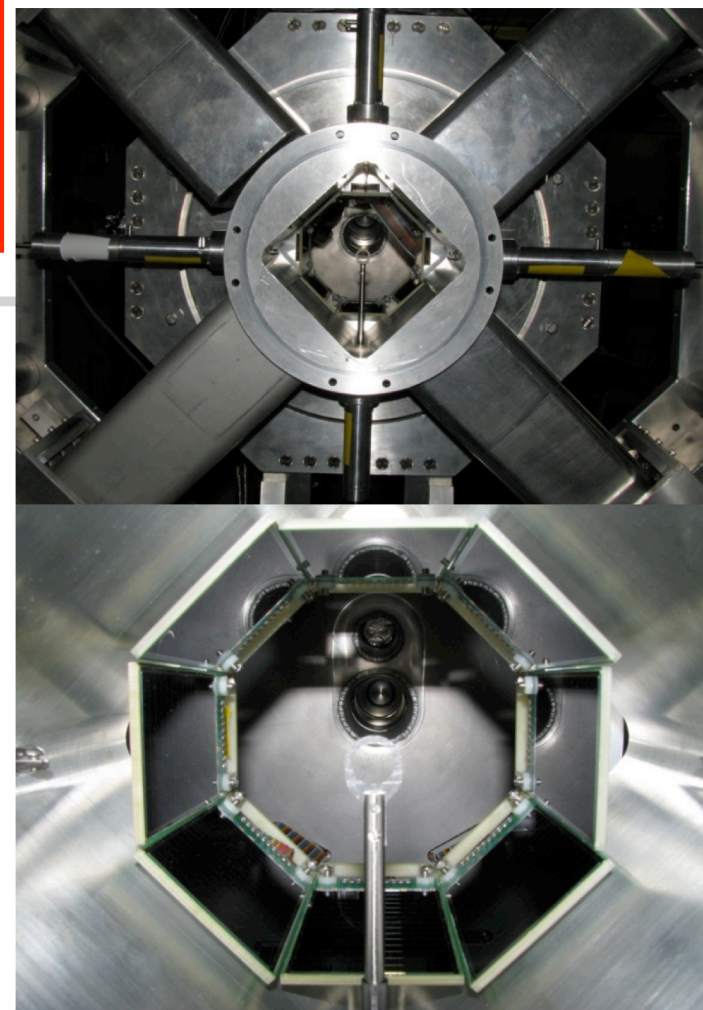
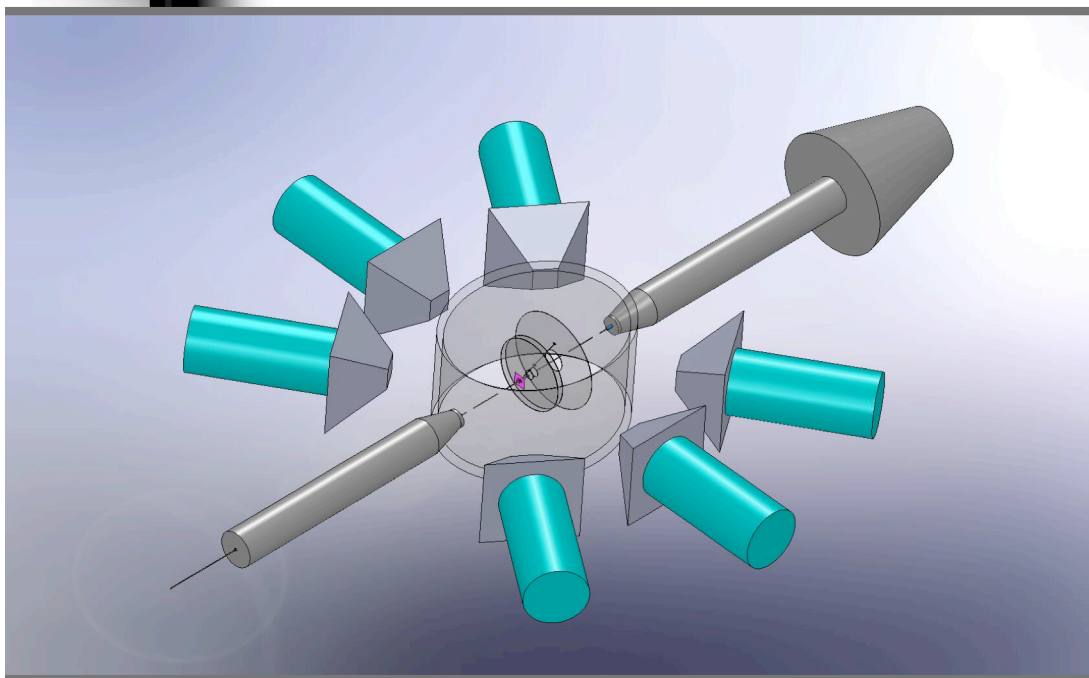
A. Adekola, GG7, Friday at

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- Next Surrogate measurements at LBNL and HRIBF
 - $^{95}\text{Mo}(d,p\gamma)$ in normal and inverse kinematics
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$^{95}\text{Mo}(\text{d}, \text{p}\gamma)$ Normal & Inverse Kinematics



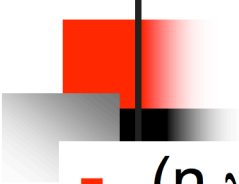
At LBNL

- LIBERACE: 6 Clover Ge γ -ray detectors STARS
- ΔE -E double-sided silicon strip detectors

At HRIBF

- 4 Clover Ge γ -ray detectors, close packed @ 90°
- 8 ORRUBA-type PSD Si strip detectors at $\theta > 90^\circ$

Summary: $(d,p\gamma)$ as (n,γ) surrogate?

- 
- (n,γ) cross sections on unstable nuclei important for basic and applied nuclear science
 - (n,γ) is not W-E limit and does surrogate populate same CN as (n,γ) ?
 - Differences in entry spin distributions
 - Have developed (one case) prescription for deducing $\sigma(n,\gamma)$ ratios
 - Path forward
 - Measure spin distributions (n,γ)
 - Measure spin distributions in $(d,p\gamma)$ surrogate, normal & inverse kinematics
 - Move forward techniques to measure surrogates in inverse kinematics
 - Develop robust prescription to deduce $\sigma(n,\gamma)$ from surrogates
 - Prospects are promising

Thank you and my Collaborators

(d,p γ) benchmarking

J.A.C., A. Adekola, A. M. Hatarik, **R. Hatarik**, M.E. Howard, P. D. O'Malley, T. Swan, **Rutgers University**
L. A. Bernstein, D. L. Bleuel, J. T. Burke, S. R. Lesher, N. Scielzo, J. E. Escher, **Lawrence Livermore National Laboratory**
J. Gibelin, L. W. Phair, **Lawrence Berkeley National Laboratory**
Milan Krticka, **Charles University, Prague**

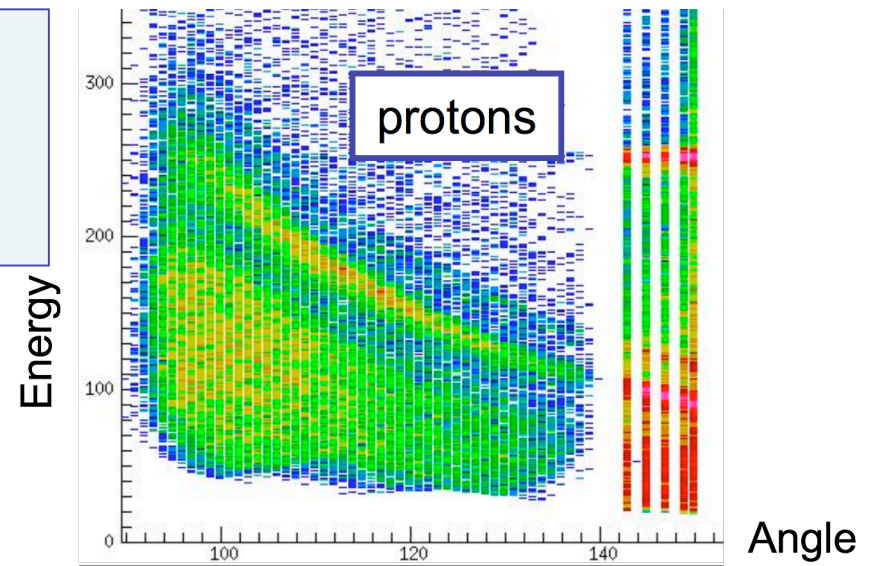
(n, γ) spin distributions

J.A.C., **A. Adekola**, M.E. Howard, B. Manning, **Rutgers University**
M. Devlin, M. Jandel, A. Couture, N. Fotiades, D. Vieira, S. Wender, **LANL**
W.A. Peters, **ORAU**
J. Burke, J.E. Escher, N. Scielzo, **LLNL**
R. Hatarik, **UCB**

(d,p γ) in inverse kinematics

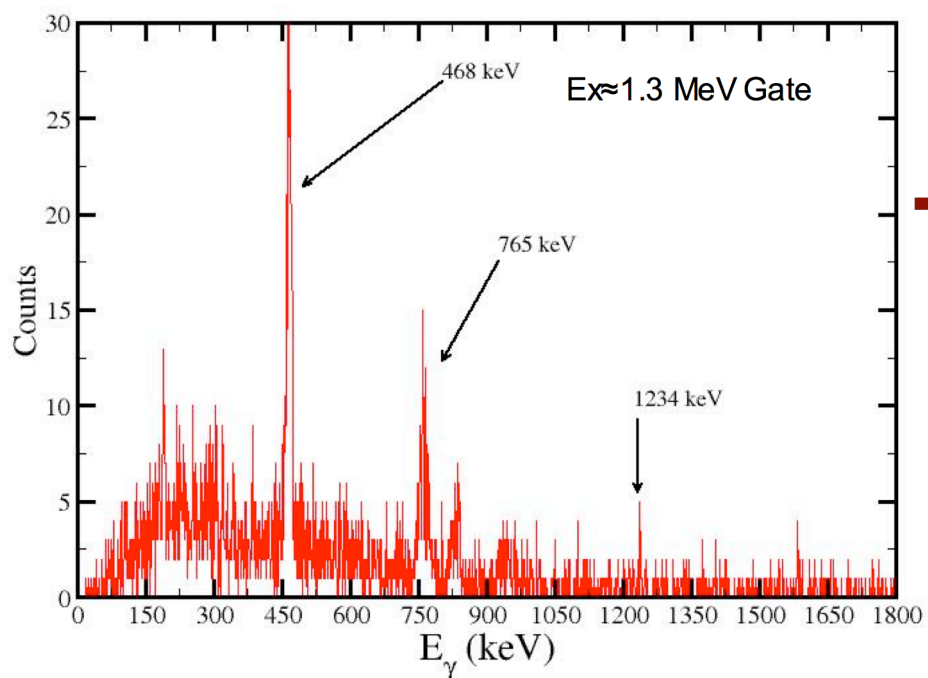
J.A.C., **W.A. Peters**, R. Hatarik, P.D. O'Malley, J.S. Thomas, **Rutgers University**
M.S. Johnson, C. Matei, **Oak Ridge Associated Universities**
D.W. Bardayan, S.D. Pain, M.S. Smith, **Oak Ridge National Laboratory**
R.L. Kozub, J. Shriner, **Tennessee Technological University**
D.J. Vieira, M. Jandel, J.B. Wilhelmy, **Los Alamos National Laboratory**
B.J. Moazen, K.Y. Chae, K.L. Jones, **University of Tennessee**
J.C. Blackmon, **Louisiana State University**

$^{80}\text{Se}(d,p\gamma)$
stable ^{80}Se beam test

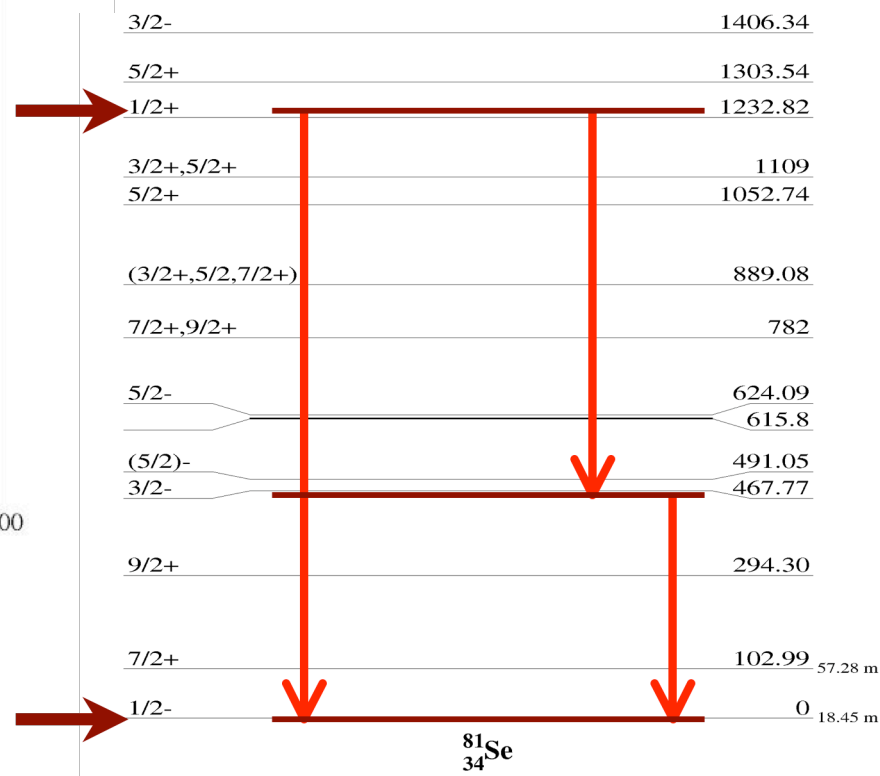
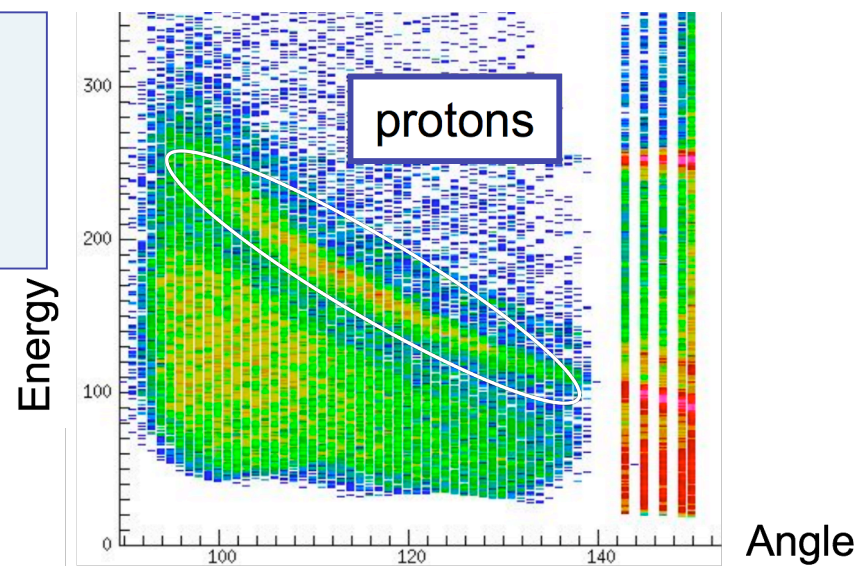


J.A.C., M.S. Johnson et al.
NIM **B261**, 938 (2007)

$^{80}\text{Se}(d,p\gamma)$ stable ^{80}Se beam test



J.A.C., M.S. Johnson et al.
NIM **B261**, 938 (2007)

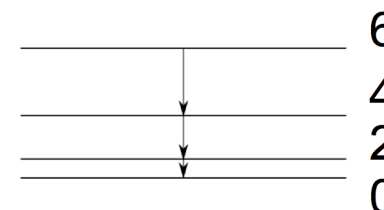
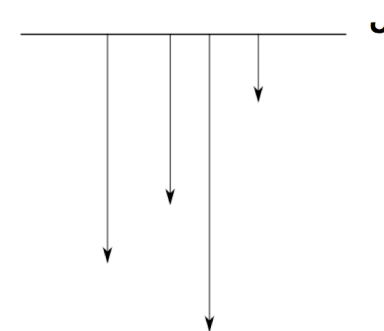


DICEBOX / experiment comparison

Intensity ratios of the $4^+ \Rightarrow 2^+$ and $6^+ \Rightarrow 4^+$
(ground state spins: ^{171}Yb $1/2^-$, ^{173}Yb $5/2^-$):

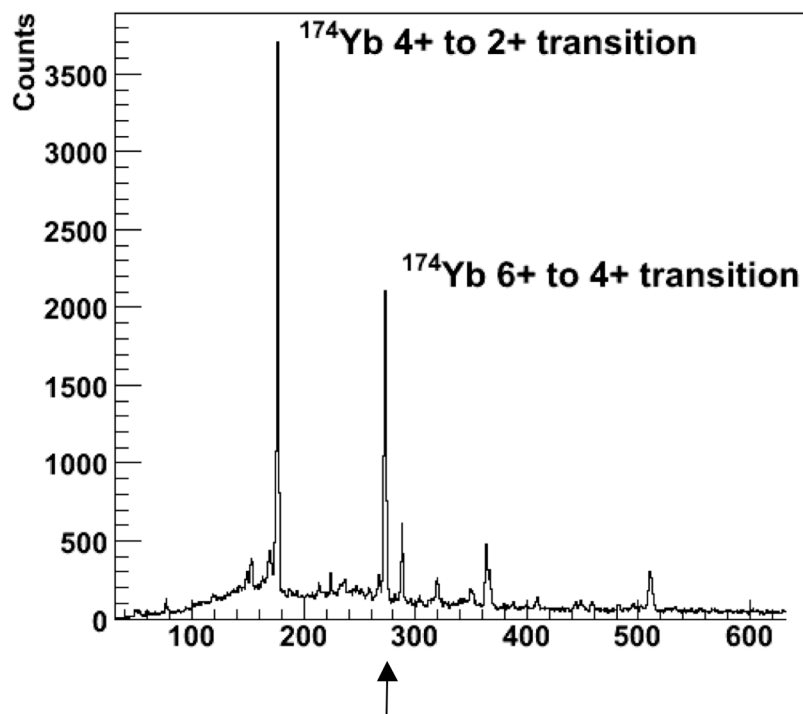
	Intensity ratio: $I(4^+ \text{ to } 2^+) / I(6^+ \text{ to } 4^+)$	
Target	(d,p γ) experiment	DICEBOX (n, γ)
^{171}Yb	3	$J^\pi = 0^- \text{ or } 1^-$, Ex = 8.2 MeV 6+ to 4+ insignificant
^{173}Yb	1.8	$J^\pi = 2^- \text{ or } 3^-$, Ex = 7.5 MeV 10

→ subtract 6^+ feeding of 4^+
to get spin distribution closer to (n, γ)

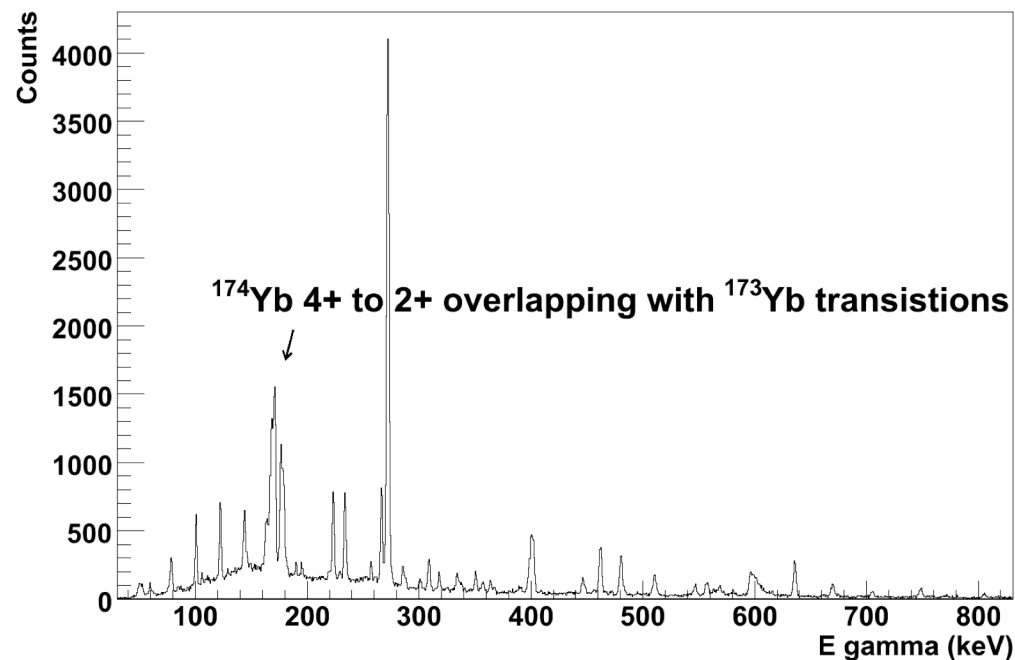


γ -ray spectrum

strength collected in “one” transition



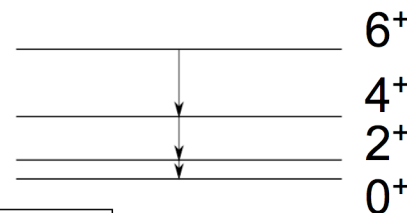
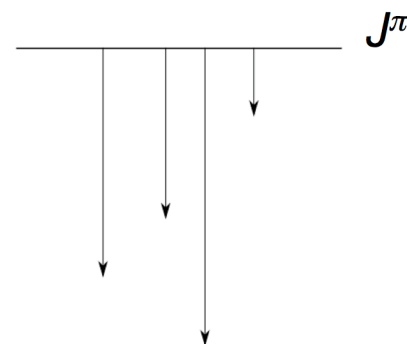
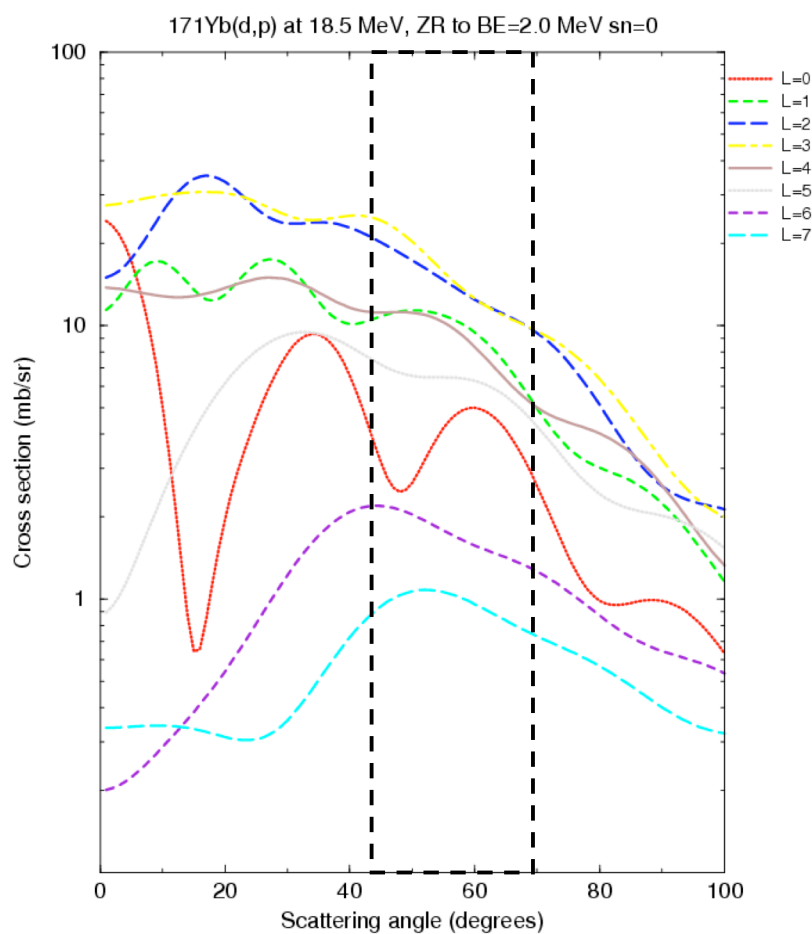
at 1 MeV equivalent neutron energy



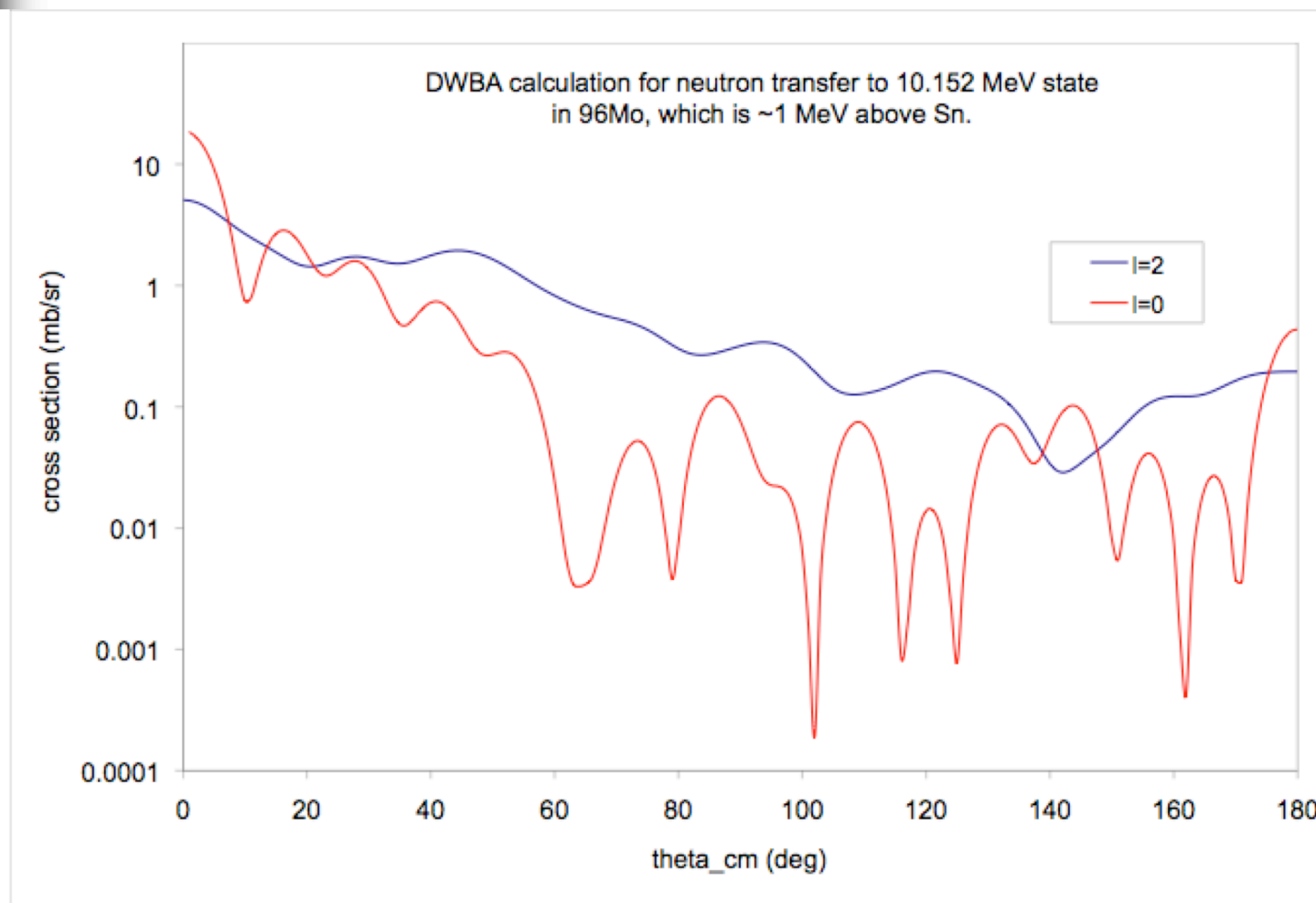
Spin distribution

angular dependence from proton

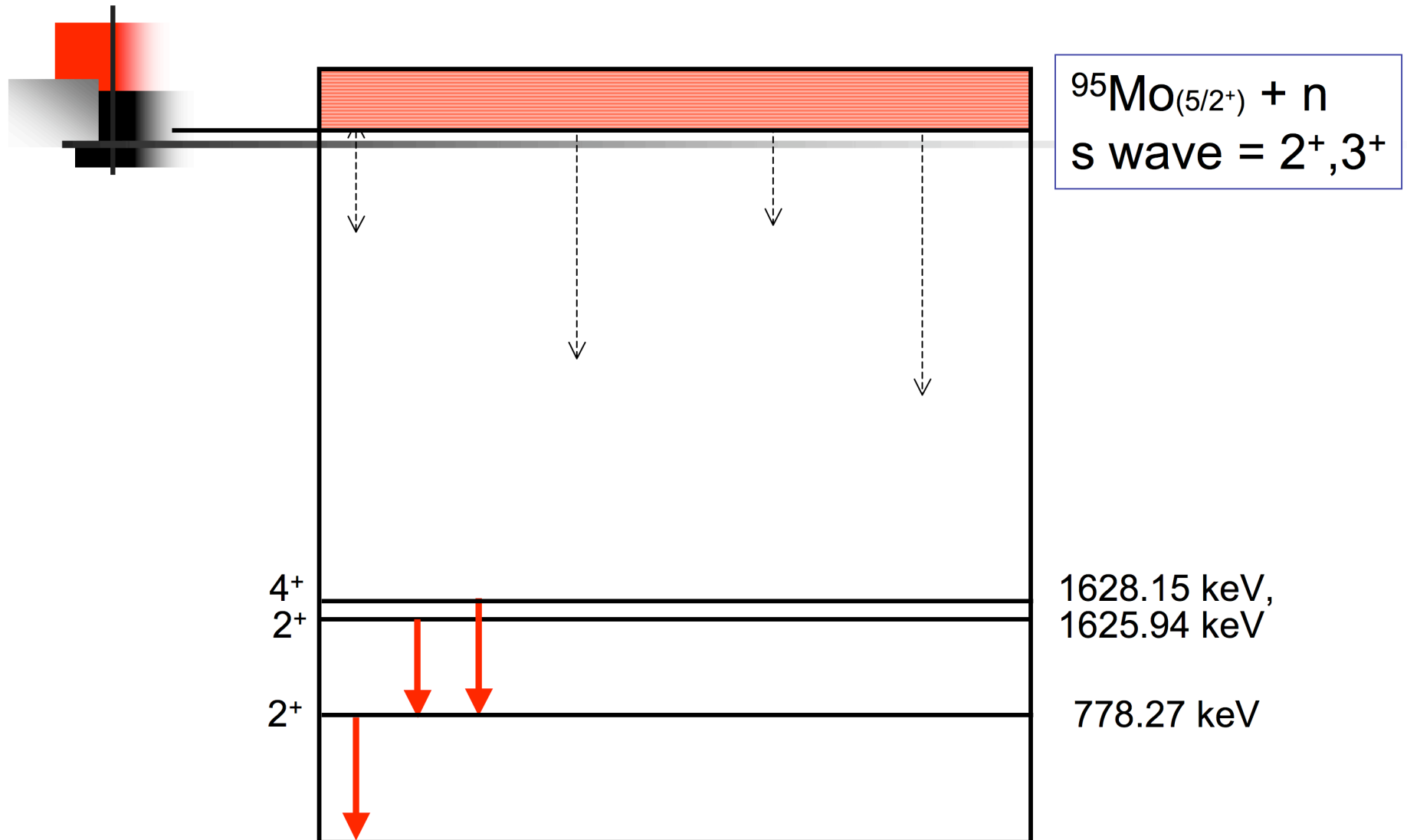
looking at the γ -rays $\rightarrow$ DICEBOX



DWBA for $^{95}\text{Mo}(d,p) \text{ Ex} > \text{Sn}$



Decay of ^{96}Mo CN



$^{96}\text{Mo}, J^\pi = 0^+$

Partial ^{96}Mo level scheme

