## OVERVIEW OF PRECISION INTERNAL CONVERSIO MEASUREMENTS AS TESTS OF INTERNAL CONVERSION THEORY

#### *N. NICA TEXAS A&M UNIVERSITY*

# <u>ICC's</u>:

- Essential role in analysis of nuclear decay schemes, crucial in precision applications
- 1974RA14: HS theoretical ICC's systematically 2-3% larger than 19 experimental E3 and M4 measured ICC's
- 2002RA45: Survey of theoretical calculations and experimental ICC's:
  - <u>Theory</u>: detailed comparison of RHFS (HS, RFAP, BT) and RDF (BTNTR, RNIT1, RNIT2) calculations
    - Exchange interaction
      - The exact RDF better than the approximation of free electron gas used by RHF

### Hole treatment

- No hole:
  - Bound and continuum states SCF of neutral atom
- Hole-SCF:
  - **o Bound state SCF of neutral atom;**
  - Continuum state SCF of ion + hole (full relaxation of ion orbitals)
- Hole-FO:
  - **o Bound state SCF of neutral atom;**
  - Continuum state ion field constructed from bound wave functions of neutral atom
    - (insufficient time for relaxation of ion orbitals)
- Finite size of nucleus
  - SC model (BT, BTNTR, RNIT1,2) better than NP (HS, RFAP)

#### • Experiment:

- Selected & evaluated 100 measured ICC's
- E2, M3, E3, M4, E5
- 0.5%-6% precision
- very few <1% precision</p>
- 2002RA45 conclusions, Δ(exp:theory)%
  - RHFS calculations: ~ -3% higher than measured ICC's
  - **RDF** calculations:

• No hole (BTNTR): +0.19(26)% BEST! • Hole-SCF (RNIT1): -0.94(24)% ○ Hole-FO (RNIT2): -1.18(24)%

## **PHYSICAL ARGUMENT!**

K-shell filling time vs. time to leave atom  $\sim 10^{-15} - 10^{-17} s \gg \sim 10^{-18} s$ 

• Recommended measuring  $\alpha_{\rm K}$  of 80.2-keV, M4 transition in <sup>193</sup>Ir<sup>m</sup> for which hole - no hole calculations are 11% apart

## **TEXAS A&M PROGRAM TO MEASURE ICC's**

## • Continues 2002RA45 by:

 a<sub>K</sub> measurements of ≤ 1% precision
 in a number of cases relevant for theory vs. experiment comparison,
 especially for establishing if the physical argument for hole calculations is valid

• METHOD

$$\alpha_{K}\omega_{K} = \frac{N_{K}}{N_{\gamma}} \cdot \frac{\varepsilon_{\gamma}}{\varepsilon_{K}}$$

 $\circ N_K$ ,  $N_\gamma$  measured from only one K-shell converted transition

 $\circ \omega_K$  from 1999SCZX, or measured

 $\circ \varepsilon$  at 151 mm for ORTEC  $\gamma$ -X 280-cm<sup>3</sup> coaxial HPGe:

- 0.2%, 50-1400 keV (2002HA61, 2003HE28)
- 0.4%, 1.4-3.5 MeV (2004HE34)
- Not know precisely for 10-50 keV (some K x-rays)

#### DETECTOR EFFICIENCY 50 keV < $E_{\gamma}$ < 1.4 MeV

Coaxial 280-cc n-type Ge detector:

- Measured absolute efficiency (<sup>60</sup>Co source from PTB with activity known to + 0.1%)
- Measured relative efficiency (9 sources)
- •Calculated efficiencies with Monte Carlo (Integrated Tiger Series - CYLTRAN code)

0.2% uncertainty for the interval 50-1400 keV





## **MEASUREMENT** vs MONTE CARLO CALCULATIONS, $E_{\gamma}$ > 800 ke<sup>1</sup>



#### • METHOD

 $\odot$  Design and produce sources for  $n_{th}$  activation

- Small absorption (< 0.1%)</p>
- Dead time (< 5%)</p>
- Statistics (> 10<sup>6</sup> for γ or x-rays)
- High spectrum purity
- Minimize activation time (0.5 h)
- **o Impurity analysis essentially based on ENSDF** 
  - Trace and correct impurity to 0.01% level
  - Use decay-curve analysis
  - Especially important for the K X-rays region
- **Voigt-shape (Lorentzian) correction for X-rays** 
  - Done by simulation spectra, analyzed as the real spectra

**•** Coincidence summing correction

### **o** Scattering correction

### Monte-Carlo (Cyltran) simulation spectra and experiment



## The analysis is based on:

- skilled knowledge of the HPGe detector response,
- painstaking rigor,
- *realistic uncertainties* by varying the experimental conditions

### **RESULTS**

- 1.  $\frac{^{193}\text{Ir}^{\text{m}}}{80.236(7) \text{ keV}}$ , M4,  $\alpha_{\text{K}}$ 
  - values know by 2002RA45

     0104(3) (1987LI16) adopted by 2002RA45,
     092.6(9) (1988ZH11)

	α <sub>K</sub>	$\Delta(exp:th)(\%)$
<b>Exp (2004Ni14, 2006HA36)</b>	103.0(8)	
<b>Theory, hole – FO</b>	103.5	-0.5(8)
Theory, no hole	92.3	11.6(9)

- 2.  $\frac{^{191}}{1}$ Ir, 129.415(13) keV, M1+E2,  $\delta$ =-0.402(7),  $\omega_{K}$ 
  - ω<sub>K</sub>=0.954(9) (2005NI12)
  - ω<sub>K</sub>=0.958(4) (1999SCZX)

	$\alpha_{\rm K}({}^{193}{\rm Ir}^{\rm m})/\alpha_{\rm K}({}^{191}{\rm Ir})$	$\Delta(exp:th)(\%)$
Exp (2005NI12)	48.3(4)	
Theory, hole – FO	48.1(2)	0.4(8)
Theory, no hole	43.0(2)	12.3(9)

3. <sup>134</sup>Cs<sup>m</sup>, 127.502(3) keV, E3, <sup>137</sup>Ba, 661.657(3) keV,

## <u>M4, α<sub>K</sub> ratio</u>

	$\alpha_{\rm K}(^{134}{\rm Cs}^{\rm m})/\alpha_{\rm K}(^{137}{\rm Ba})$	$\Delta(exp:th)(\%)$
Exp (2007NI04)	30.01(15)	
Theory, hole – FO	29.96	0.2(5)
Theory, no hole	29.52	1.7(5)
Exp (2002RA45)	28.5(5)	

4. <sup>139</sup>La, 165.8575(11) keV, M1, ε(34.16 keV, LaKX) preliminary

- ε(34.16 keV, LaKX)= 0.988(7)%,
- 1.4% less than before,
- 0.7% precison, compare to ~2% before

	$^{134}Cs^m, \alpha_K$	$\Delta(exp:th)(\%)$	<sup>138</sup> Ba, $\alpha_{\rm K}$	$\Delta(exp:th)(\%)$
Exp (prelim.)	2.745(16)		0.0915(6)	
Theory, hole – FO	2.741	0.2(5)	0.09148	<0.1(6)
Theory, no hole	2.677	1.7(5)	0.09068	0.9(6)
<b>EXP</b> (2002RA45)	2.60(4)		0.0902(8)	

