

$^2\text{H}(^{57}\text{Cu}, ^{58}\text{Zn}\gamma)$ 2014La16

(d,n) proton-transfer reaction in inverse kinematics.

2014La16: E(^{57}Cu)=75 MeV/nucleon produced in $^9\text{Be}(^{58}\text{Ni},\text{X})$ reaction at 160 MeV/nucleon using NSCL-MSU Coupled Cyclotron facility. The radioactive ^{57}Cu beam was separated using A1900 separator and $\Delta\text{E-B}\rho\text{-B}\rho$ technique. Secondary target=225 mg/cm² CD₂. ^{58}Zn fragments were identified by ΔE -position-TOF detectors placed in focal plane of S800 spectrograph. Measured E_γ , I_γ , (^{58}Zn ions) γ -coin, $\gamma\gamma$ -coin using GREINA array. Deduced levels, J, π , proton resonance energies. Comparison with shell-model and Coulomb-shift calculations, and with structure of mirror nucleus ^{58}Ni . Calculated astrophysical reaction rates for $^{57}\text{Cu}(p,\gamma)^{58}\text{Zn}$ reaction.

S(p)(^{58}Zn)=2280 50 (2012Wa38).

 ^{58}Zn Levels

E(level) [†]	J π [‡]	Comments
0.0	0 ⁺	
1356 3	(2 ⁺)	
2499 4	(4 ⁺)	E(p)(resonance)=219 50.
2609 6	(2 ⁺)	E(p)(resonance)=329 50.
2862 3	(2 ⁺)	E(p)(resonance)=581 50.
2902 3	(1 ⁺)	E(p)(resonance)=624 50.
3263 4	(2 ⁺)	E(p)(resonance)=985 50.
3378 6	(3 ⁺)	E(p)(resonance)=1098 50.

[†] From least-squares fit to E_γ data. All levels listed here above the first 2⁺ level at 1356 keV are proton unbound.

[‡] From systematics of even-even nuclei, shell-model predictions, and mirror analogy with ^{58}Ni nucleus.

 $\gamma(^{58}\text{Zn})$

E_γ	I_γ	$E_i(\text{level})$	J_i^π	E_f	J_f^π
879 4	4 1	3378	(3 ⁺)	2499	(4 ⁺)
1143 3	62 6	2499	(4 ⁺)	1356	(2 ⁺)
1253 5	7 2	2609	(2 ⁺)	1356	(2 ⁺)
1356 3	100 5	1356	(2 ⁺)	0.0	0 ⁺
1507 4	8 2	2862	(2 ⁺)	1356	(2 ⁺)
1545 3	13 2	2902	(1 ⁺)	1356	(2 ⁺)
1906 4	4 2	3263	(2 ⁺)	1356	(2 ⁺)
2861 4	7 2	2862	(2 ⁺)	0.0	0 ⁺
2904 5	3 1	2902	(1 ⁺)	0.0	0 ⁺
3265 6	7 2	3263	(2 ⁺)	0.0	0 ⁺

$^2\text{H}(^{57}\text{Cu}, ^{58}\text{Zn}\gamma)$ 2014La16

Level Scheme

Intensities: Relative I_γ

Legend

- \blackrightarrow $I_\gamma < 2\% \times I_\gamma^{\text{max}}$
- $\color{blue}\blackrightarrow$ $I_\gamma < 10\% \times I_\gamma^{\text{max}}$
- $\color{red}\blackrightarrow$ $I_\gamma > 10\% \times I_\gamma^{\text{max}}$

