

${}^3\text{H}(\text{d},\text{X}), {}^4\text{He}(\text{n},\text{X})$  2002Ti10

Type	Author	History	Citation	Literature Cutoff Date
Full Evaluation	X. Hu, D. R. Tilley, J. H. Kelley		NP A708,3 (2002)	23-Aug-2001

 ${}^5\text{He}$  Levels

Levels are based on the complex poles and residues of the S-matrix (extended R-matrix). See 2002Ti10 for a discussion of the adopted (S-matrix) levels. The fits are based on data from all possible reactions for the two-body channels  $\text{d} + {}^3\text{H}$  and  $\text{n} + {}^4\text{He}$  at CM energies corresponding to  $E_x < 23$  MeV. In addition,  $\text{n} + {}^4\text{He}^*$  channels are included to approximate the effects of three-body breakup processes.

E(level)	$J^\pi$	$T_{1/2}$	Comments
0.0	$3/2^-$	0.648 MeV	$\%n=?$ $T=1/2$ $\Gamma_n=66.578$ MeV; $\Gamma_{n0}=0.578$ MeV $\text{Widthd}=8.80$ MeV. Note that the partial $\Gamma$ corresponding to excited ${}^4\text{He}$ in the final state is 66 MeV, and (large) partial widths in closed channels have meaning only as asymptotic normalization constants.
1270	$1/2^-$	5.57 MeV	$\%n=?$ $T=1/2$ $\Gamma_n=4.45$ MeV; $\Gamma_{n0}=3.18$ MeV $\text{Widthd}=38.0$ MeV. Note that the partial $\Gamma$ corresponding to excited ${}^4\text{He}$ in the final state is 1.27 MeV. (large) partial widths in closed channels have meaning only as asymptotic normalization constants.
16840	$3/2^+$	74.5 keV	$\%n=?; \%d=?; \%IT=?$ $T=1/2$ $\Gamma_n=40$ keV $\text{Widthd}=25$ keV.
19140	$5/2^+$	3.56 MeV	$\%n=?; \%d=?$ $T=1/2$ $\Gamma_n=3$ keV $\text{Widthd}=1.62$ MeV.
19260	$3/2^+$	3.96 MeV	$\%n=?; \%d=?$ $T=1/2$ $\Gamma_n=14$ keV $\text{Widthd}=1.83$ MeV.
19310	$7/2^+$	3.02 MeV	$\%n=?; \%d=?$ $T=1/2$ $\Gamma_n=45$ keV $\text{Widthd}=1.89$ MeV.
19960	$3/2^-$	1.92 MeV	$\%n=?; \%d=?; \%p=?$ $T=1/2$ $\Gamma_n=865$ keV; $\Gamma_{n0}=3$ keV $\text{Widthd}=325$ keV. Note that the partial $\Gamma$ corresponding to excited ${}^4\text{He}$ in the final state is 862 keV.
21250	$3/2^+$	4.61 MeV	$\%n=?; \%d=?$ $T=1/2$ $\Gamma_n=98$ keV $\text{Widthd}=2.38$ MeV.
21390	$5/2^+$	3.95 MeV	$\%n=?; \%d=?$ $T=1/2$ $\Gamma_n=91$ keV $\text{Widthd}=2.12$ MeV.
21640	$1/2^+$	4.03 MeV	$\%n=?; \%d=?; \%p=?$

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${}^3\text{H}(\text{d},\text{X}), {}^4\text{He}(\text{n},\text{X})$  2002Ti10 (continued) ${}^5\text{He}$  Levels (continued)

<u>E(level)</u>	<u><math>J^\pi</math></u>	<u><math>T_{1/2}</math></u>	<u>Comments</u>
23970	$7/2^+$	5.44 MeV	T=1/2 $\Gamma_n=776$ keV; $\Gamma_{n0}=50$ keV Widthd=878 keV. Note that the partial $\Gamma$ corresponding to excited ${}^4\text{He}$ in the final state is 726 keV. %n=?; %d=?
24060	$5/2^-$	5.23 MeV	T=1/2 $\Gamma_n=53$ keV Widthd=2.85 MeV. %n=?; %d=?
$35.7 \times 10^3 ? 4$		$\approx 2$ MeV	T=1/2 $\Gamma_n=13$ keV Widthd=2.18 MeV. %n=?; %d=?

 $\gamma({}^5\text{He})$ 

<u><math>E_\gamma</math></u>	<u><math>E_i(\text{level})</math></u>	<u><math>J_i^\pi</math></u>	<u><math>E_f</math></u>	<u><math>J_f^\pi</math></u>
15544	16840	$3/2^+$	1270	$1/2^-$
16810	16840	$3/2^+$	0.0	$3/2^-$

 ${}^3\text{H}(\text{d},\text{X}), {}^4\text{He}(\text{n},\text{X})$  2002Ti10Level Scheme