#### Adopted Levels, Gammas

Туре	Author	History Citation	Literature Cutoff Date
Update	F. G. Kondev	ENSDF	14-Jun-2015

 $Q(\beta^{-})=644.0 \ 11; \ S(n)=3937.4 \ 13; \ S(p)=8153.9 \ 22; \ Q(\alpha)=2248 \ 4$ 2012Wa38

<sup>209</sup>Pb Levels

- Each of the seven single-particle neutron states predicted, on the basis of the shell-model, for  $126 < N \le 184$ , has been seen in single-particle stripping reactions on  $^{208}$ Pb. Except for the  $1_{115/2}$  state, these states have spectroscopic factors close to unity (see <sup>208</sup>Pb(d,p), (pol d,p), (t,d), and ( $\alpha$ ,<sup>3</sup>He)). The 1j<sub>15/2</sub> state is expected to mix with J=15/2<sup>-</sup> states resulting from the 2g<sub>9/2</sub> state coupled to negative-parity <sup>208</sup>Pb core excitations. From ( $\alpha$ ,<sup>3</sup>He), three L=7 states at 3052, 3558, and 3716 could account for  $\approx$ 12% of the  $1j_{15/2}$  strength, leaving  $\approx 30\%$  still unaccounted for (1975Ti02). However, based on (d,p) data, 1974Ko20 suggest that these L=7 states may, in fact, account for all the missing  $1j_{15/2}$  strength.
- 1976Ha56 show, on the basis of  $^{210}$ Bi(9<sup>-</sup>)(t, $\alpha$ )  $\sigma$  data, that the J=15/2<sup>-</sup> states at 1423 and 3052 exhaust nearly all of the configuration= $\nu(2g_{9/2})^{+1} \otimes 3^{-}$  strength in the ratio S(3052)/S(1423) $\approx 2.4$ .
- The 1423 E3-transition from the 1423 level is enhanced by 25 over the Weisskopf single-particle estimate. As pointed out by 1969El02, this enhancement can be explained on the basis of the particle-vibration calculation of 1969Ha13. The 644 M2 transition from the 1423 level is retarded by a factor 6.2. The introduction of particle-vibration coupling reduces this retardation to  $\approx 4$ (1969El02).

The reactions <sup>207</sup>Pb(t,p) and <sup>210</sup>Pb(p,d) preferentially excite two-particle one-hole states in <sup>209</sup>Pb with Configuration= $\nu(3p_{1/2})^{-1} \otimes (\nu(nlj)\nu(n'l'j'))^{+2}$  and configuration= $\nu(nlj)^{-1} \otimes \nu(2g_{9/2})^{+2}_{0+}$ , respectively (1971Ig01,1971Fl06). The neutrons nlj, n'l'j' in the first reaction are in the shell N>126, while in the second reaction the neutron hole is in the shell N $\leq$ 126. From the  $^{207}$ Pb(t,p) data, 1971Fl06 show that the levels for which L and  $\sigma$  values have been obtained contain all the two-particle strength observed for the lowest J=L=0,2,4,6, and 8 states in  $^{210}$ Pb. Also, the centroids of these  $^{209}$ Pb states, for a given L value, have nearly the same spacing as the states with corresponding L values in <sup>210</sup>Pb.

From the <sup>210</sup>Pb(p,d) data, 1971Ig01 show that, for the group of states with given L(n) and J containing the major fraction of the hole spectroscopic strength, the centroid spacing (relative to the 2152 level) and sum strength for each group agree closely with the energies and strengths for the neutron-hole excitations in <sup>207</sup>Pb. These authors assign configurations of the type configuration= $\nu(nlj)^{-1} \otimes \nu(2g_{9/2})_{0+}^{+2}$  to each state for which L(n) was determined. The evaluator presents here the configurations only for the strongest states.

#### Cross Reference (XREF) Flags

A	$^{209}$ Tl $\beta^-$ decay	к	$^{208}$ Pb $(^{7}$ Li $^{6}$ Liv)	п	$^{209}\text{Bi}(\pi^{-}\gamma)$
B	<sup>213</sup> Po $\alpha$ decay	L	$^{208}$ Pb( <sup>7</sup> Li, <sup>6</sup> Li)	v	$^{209}$ Bi(n,p)
С	<sup>207</sup> Pb(t,p),(pol t,p)	М	<sup>208</sup> Pb( <sup>9</sup> Be, <sup>8</sup> Be)	W	$^{210}$ Pb(p,d)
D	$^{208}$ Pb(n, $\gamma$ ): E=thermal	N	$^{208}$ Pb( $^{11}$ B, $^{10}$ B)	х	$^{210}$ Bi(t, $\alpha$ ): target=9 <sup>-</sup> isomer
E	$^{208}$ Pb(n, $\gamma$ ): E=0.8-20 MeV	0	$^{208}$ Pb( $^{12}$ C, $^{11}$ C)	Y	<sup>223</sup> Ra <sup>14</sup> C decay
F	$^{208}$ Pb(n,X): resonances	Р	<sup>208</sup> Pb( <sup>16</sup> O, <sup>15</sup> O)	Z	(HI,xnγ)
G	$^{208}$ Pb(d,p),(pol d,p)	Q	$^{208}$ Pb( $^{17}$ O, $^{16}$ O $\gamma$ )	Other	s:
Н	$^{208}$ Pb(d,p $\gamma$ )	R	<sup>208</sup> Pb( <sup>17</sup> O, <sup>16</sup> O)	AA	${}^{9}\text{Be}({}^{208}\text{Pb},{}^{8}\text{Be})$
I	$^{208}$ Pb(t,d)	S	<sup>208</sup> Pb( <sup>20</sup> Ne, <sup>19</sup> Ne)		
J	$^{208}$ Pb( $\alpha$ , <sup>3</sup> He)	Т	<sup>208</sup> Pb( <sup>58</sup> Ni, <sup>57</sup> Ni)		

Single-particle states

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Two-particle, one-hole neutron states

## <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>	JπC	T <sub>1/2</sub>		XREF			Comments
0	9/2+	3.234 h 7	ABCDE	FGHIJKLMNOPQR	U WX	ΥZ	XREF: Others: AA
							$\%\beta^{-}=100$
							$\mu = -1.4735 \ 16 \ (1986 \text{An} 06, 2011 \text{St} \text{ZZ})$
							$Q = -0.27 \ 17 \ (1986An06,2011StZZ)$
							$J^{*}$ : L(pol d,p)=4 and L+1/2 transfer from analyzing
							power fits. Teach weighted average of 3 232 h 5 (2013Su13) and
							3253  h  14 (1972Re44)  Others:  275  h  5 (1940Kr08)
							3.3  h  I (1942Ma03), $3.32  h  3$ (1941Fa04), $3.31  h  3$
							(1959Po64), 3.31 h 3 (1971Pe03).
							Additional information 1.
							$\mu$ ,Q: from atomic beam with laser fluorescence
							spectroscopy in 1986An06 with $\mu/\mu(^{20}/\text{Pb}) = -2.4866$
							27 and $\mu({}^{207}\text{Pb})=+0.59258$ <i>1</i> Other: $\mu=-1.438$ 29
							assuming $\mu(^{207}\text{Pb})=+0.5783$ and Q=-0.16 <i>10</i> (1983Th03).
							$configuration = \nu (2g_{9/2})^{+1}$ .
							Optical isotope shifts and hyperfine structure measured
							by LASER resonance fluorescence from atomic beams (1983Th03).
							$\delta < r^2 >= 0.0915$ (1983Th03).
778.89 5	$11/2^{+}$	8.2 ps 9	BC	GHIJKLMNOPQR	WX	ΥZ	XREF: P(800).
							$J^{\pi}$ : L(pol d,p)=6 and L-1/2 transfer from analyzing power fits.
							$T_{1/2}$ : from recoil distance method in ( <sup>17</sup> O, <sup>16</sup> O $\gamma$ ) (1973Ha39)
							configuration= $\nu(1i_{11/2})^{+1}$ .
1422.64 <mark>8</mark> 9	$15/2^{-}$	1.36 ns 30	С	GHIJ MNOP r	WX	ΥZ	$J^{\pi}$ : L(pol d,p)=7 and L+1/2 transfer from analyzing
							power fits.
							$T_{1/2}$ : from p(644 $\gamma$ )(t) in (d,p $\gamma$ ) (1967El05).
							configuration= $\nu(1j_{15/2})^{+1}$ with $\nu(2g_{9/2})^{+1} \otimes 3^{-1}$
1567 096 20	5/0+	0.22 mg 0			м.	V7	admixtures.
1307.080 20	5/2	0.55 ps 9	A CD	GII KLIIN I	VV	12	$I^{\pi}$ . L (nol d n)-2 and $I \pm 1/2$ transfer from analyzing
							power fits, 1567.087 $\gamma$ E2 to 9/2 <sup>+</sup> .
							$T_{1/2}$ : from ( <sup>7</sup> Li, <sup>6</sup> Li $\gamma$ ) (1972Ha59) by DSAM.
							configuration= $\nu(3d_{5/2})^{+1}$ .
2032.21 4	$1/2^{+}$	160 ps 6	A CD	GHI M P R	W	Ζ	XREF: Others: AA
							XREF: P(2050).
							$J^{\pi}$ : L(pol d,p)=L(t,d)=0.
							$1_{1/2}$ : weighted average of 161 ps 8 from
							$(11/\gamma)(40/\gamma)(\Delta 1)$ (19658a08) in <sup>205</sup> 11 $\beta$ decay and 160 ns 6 from $p(465a)(t)$ (10781u02) in (d na)
							and 100 ps 0 from $p(403\gamma)(t)$ (1978) $u02$ ) in $(u,p\gamma)$ .
2149 43 6	$1/2^{-}$	3.96 ns 4		C T	747		$I^{\pi}$ : L(t n)=0 L(d n)=L(n d)=1 117 212v E1 to 1/2 <sup>+</sup>
2119.15 0	1/2	5.70 115 7	n co	<b>G 1</b>			$T_{1/2}$ : from $\beta(582\gamma)(t)$ in <sup>209</sup> Tl $\beta^-$ decay (1980Da15).
							configuration= $v(3p_{1/2})^{-1}$ .
2315 93 16	$3/2^{-d}$		A D	GH	W	7	$I^{\pi}$ : L (d p)=(p d)=1 748 3y to 5/2 <sup>+</sup> 2315 8y to 9/2 <sup>+</sup>
2424? 5	5/2		n D	G		2	J : E(u,p) - (p,u) - 1, 7 + 0.5 y to 5/2 , 2515.0 y to 5/2 .
2461.0 3	(5/2)-		A	GH	W		$J^{\pi}$ : L(p,d)=3, possible feeding in <sup>209</sup> Tl $\beta^{-}$ decay from $J^{\pi}=1/2^{+}$ .
2491.0 9	7/2+		С	GHI 1MNOP R	W		XREF: Others: AA
							$J^{\pi}$ : L(d,p)=L(t,d)=4, L(t,p)=3.
							dominant configuration= $\nu(2g_{7/2})^{+1}$ .

# <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>	JπC	T <sub>1/2</sub>			XREF		Comments
2524.93 <i>21</i> 2537.6 <i>5</i>	(1/2,3/2) 3/2 <sup>+</sup>	60 fs 17	A CD	GHI	lM	W	$J^{\pi}$ : direct feeding in <sup>209</sup> Tl $\beta^-$ decay from $J^{\pi}=1/2^+$ . XREF: Others: AA $J^{\pi}$ : L(d,p)=L(t,d)=2, L(t,p)=1.
							$T_{1/2}$ : From Doppler-shift Attenuation Method (1979No11). configuration= $y(3d_{2/2})^{+1}$
2563 <sup>a</sup> 5	$5/2^{-}.7/2^{-}$					W	$J^{\pi}$ : L(p,d)=3.
2588.0 20	$(11/2^{-})$		С	GHI		W	$J^{\pi}$ : L(d,p)=4,5. DWBA fit to $\sigma(\theta)$ suggests
2736 5	5/2-		С	GH		W	$J^{\pi}$ : L(p,d)=3, L(t,p)=2.
2860 5	5/2-		C	c		W	configuration=dominant $V(21_{5/2})^{-1}$ .
2009 5	5/2		C	G		W	E(level): weighted average of 2868 5 from (t,p), 2866 5 from (d,p), 2873 5 from (p,d).
2905.28 25	$3/2^{-}$		AC			W	$J^{\pi}$ : L(p,d)=1, L(t,p)=2.
2994 5	3/2-,5/2-		С	I			E(level): weighted average of 2992 5 from (t,p), 2996 5 from (t,d).
2027 5	0/2-		c	c			$J^{n}$ : L(t,p)=2.
3027 3	9/2		C	G	0		E(level): weighted average of 5020 5 from (d,p) and $3028.5$ from (t,p)
							$J^{\pi}$ : L(d,p)=4.5. L(t,p)=4.
3031 <sup>a</sup> 5	$1/2^{-}, 3/2^{-}$				ο	W	$J^{\pi}: L(p,d)=1.$
3046.6 <sup>g</sup> 10	(15/2)-			GHIJ	Р	ΧZ	$J^{\pi}$ : L(d,p)=7. No decay to $11/2^+$ . configuration: dominant $\nu(2g_{9/2})^{+1} \otimes 3^-$ with a possible
3060 07 18	$3/2^{-d}$		٨	c		W	Additional information 2
3009.97 18	5/2		A	G		vv	$J^{\pi}$ : L(d,p)=L(p,d)=1. S in (p,d).
							configuration=dominant $v(3p_{3/2})^{-1}$ .
3072 <sup>#</sup> 5	$11/2^{-}.13/2^{-}$		c				$J^{\pi}: L(t, p) = 6.$
3091.80 19	$(17/2^{-})$		C			Z	XREF: C(3100).
							$J^{\pi}$ : L(t,p)=(8); 1669.1 $\gamma$ to 15/2 <sup>-</sup> .
							configuration: $v(2g_{9/2}^{+2}, 3p_{1/2}^{-1})$ .
3205 5	7/2-		С	G			E(level): weighted average of 3206 5 from (t,p), 3203 5 from (d,p).
2202 5	11/2-		6	CUIT			$J^{\pi}$ : L(d,p)=2,3, L(t,p)=4.
3302 5	$\frac{11/2}{(5/2^{-})}$		C	GHI			$J^{*}: L(d,p)=4,3, L(l,p)=0.$
5501.5 15	(3/2)			GIII			$J^{\pi}$ : $\gamma$ transitions to $3/2^+, 7/2^+$ , no feedings to $1/2^+$ or $9/2^+$ levels. Note that $L(n)=4.5$ from (d.p.) with
							suggested configuration= $\nu (2h_{11/2})^{+1}$ , is not consistent with the $\nu$ -decay mode from (d px)
3361.5 <i>3</i>	(1/2,3/2)		A				$J^{\pi}$ : 1329.3 $\gamma$ to 1/2 <sup>+</sup> , direct feeding in <sup>209</sup> Tl $\beta^-$ decay from $J^{\pi} = (1/2^+)$ .
3389.10 <i>16</i>	(1/2,3/2)		A C	G			$J^{\pi}$ : direct feeding in <sup>209</sup> Tl $\beta^-$ decay from $J^{\pi}$ =(1/2 <sup>+</sup> ), 1239.66 $\gamma$ to 1/2 <sup>-</sup> .
3414 <sup>&amp;</sup> 5				G			
3423 5	15/2-,17/2-		С	GH			$J^{\pi}$ : L(t,p)=8.
3477 <sup>#</sup> 5			С				
3494 5	$(7/2)^{-d}$		-	G		W	E(level): weighted average of 3499 5 from (p,d) and 3490 5 from (d,p).
							$J^{\pi}$ : L(p,d)=3, L(d,p)=2,3, S from (p,d) and (d,p).
3524 <sup>a</sup> 5 3524.14 <i>18</i>	$(3/2^{-})^{d}$ (19/2 <sup>-</sup> )					W XZ	$J^{\pi}$ : L(p,d)=(1). XREF: X(3530).

# <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>	Jπ <i>C</i>		XI	REF		Comments
						$J^{\pi}$ : 432.2 $\gamma$ to (17/2 <sup>-</sup> ), 2101.4 $\gamma$ to 15/2 <sup>-</sup> .
3557 5	(15/2) <sup>-</sup>	С	GJ			configuration: $v(2g_{9/2}^{+1})\pi(1h_{9/2},3s_{1/2}^{-1})$ . E(level): weighted average of 3556 5 from (d,p) and 3559 5 from (t,p). 3550 14 from ( $\alpha$ , <sup>3</sup> He). J <sup><math>\pi</math></sup> : L(d,p)=7. L(t,p)=(8).
3562 5	$(3/2^{-})^{d}$				W	E(level): from (p,d). $J^{\pi}$ : L(p,d)=(1).
3615 <sup>&amp;</sup> 5			G			
3637 <sup>a</sup> 5	$(3/2^{-})^{d}$				W	$J^{\pi}$ : L(p,d)=(1).
3650 <sup>‡</sup> 7	(5/2 <sup>-</sup> )	С	GH			E(level): from E $\gamma$ . 3656 5 from (d,p) and 3659 5 from (t,p). J <sup><math>\pi</math></sup> : L(d,p)=2,3. L(t,p)=(2).
3657 <sup>‡</sup> <i>f</i> 5	(17/2 <sup>-</sup> )				X	$J^{\pi}$ : From shell model considerations. configuration: $v(2g_{0/2}^{+1})\pi(1h_{9/2},3s_{1/2}^{-1})$ .
3659 <sup>‡a</sup> 5	13/2+				W	configuration=dominant $v(1i_{13/2})^{-1}$ . J <sup><math>\pi</math></sup> : L(p,d)=6. S in (p,d).
3681 5	(1/2 <sup>-</sup> ,3/2 <sup>-</sup> )		GH			XREF: H(3676). E(level): from (d,p). $J^{\pi}$ : L(d,p)=(1). Possible 1644 $\gamma$ to 1/2 <sup>+</sup> .
3708 <sup>#</sup> 5	$(5/2^+, 7/2^+)$	С				$J^{\pi}$ : L(t,p)=(3).
3716 5	13/2 <sup>-</sup> ,15/2 <sup>-</sup>		GJ			E(level): from (d,p). 3715 <i>14</i> from ( $\alpha$ , <sup>3</sup> He). J <sup><math>\pi</math></sup> : L(d,p)=7.
3743 <sup>#</sup> 5 3751 <sup>a</sup> 5	(7/2 <sup>-</sup> ,9/2 <sup>-</sup> ) 9/2 <sup>-</sup> ,11/2,13/2 <sup>+</sup>	С			W	$J^{\pi}$ : L(t,p)=(4). $J^{\pi}$ : L(p,d)=5,6.
3800 <i>10</i> 3810.0 <i>3</i>	(21/2 <sup>-</sup> )		I	Р	ХZ	E(level): from (t,d). XREF: X(3802). $J^{\pi}$ : 285.8 $\gamma$ to (19/20), 718.2 $\gamma$ to (17/2 <sup>-</sup> ).
3813 5	9/2 <sup>-</sup> ,11/2,13/2 <sup>+</sup>	С			W	configuration: $v(2g_{9/2}, 1i_{11/2}, 3p_{1/2}^{-1})$ . E(level): weighted average of 3814 5 from (t,p), 3811 5 from (p,d).
2024 <b>/</b> -	a and					$J^{\pi}$ : L(p,d)=5,6.
3831 <sup>a</sup> 5 3841.93 <i>13</i>	$(3/2^{-})^{a}$ (21/2 <sup>+</sup> )				W XZ	$J^{\alpha}$ : L(p,d)=(1). XREF: X(3839). $J^{\pi}$ : 317.7 $\gamma$ to (19/2 <sup>-</sup> ), strong 2419.3 $\gamma$ to 15/2 <sup>-</sup> .
						configuration: dominant $\nu(1j_{15/2})^{+1} \otimes 3^{-}$ with
щ.						$\nu(2g_{9/2})^{+1} \otimes 3^{-} \otimes 3^{-}$ admixtures. T <sub>1/2</sub> =16 ps, if B(E3,2419.3 $\gamma$ )=50 W.u. (2000Re12).
3854 <sup>#</sup> 8	d	С				
3897 5	$(7/2)^{-u}$	С	GH		W	XREF: G(3904). $J^{\pi}$ : L(p,d)=3, 3897 $\gamma$ to 9/2 <sup>+</sup> .
3936.3 17	(1/2 <sup>-</sup> ,3/2 <sup>-</sup> )		gH			$J^{\pi}$ : proposed by 1975Du08 based on the argument that only the configuration= $d_{5/2}\otimes 3^-$ or $i_{11/2}\otimes 5^-$ are consistent with the observed $\gamma$ decay.
3940 4	13/2+ <i>e</i>		gH J		W	$J^{\pi}$ : L(p,d)=6. $\gamma$ transitions to 9/2 <sup>+</sup> , 15/2 <sup>-</sup> . L( $\alpha$ , <sup>3</sup> He)=6,7,8 for E=3934
3947 5		С	G			E(level): weighted average of 3946 8 from (t,p), 3947 5 from (d,p).
3958 <sup>bf</sup> 5					X	
3977 3	(11/2 <sup>-</sup> ,13/2 <sup>+</sup> )		GH			E(level): from (d,p $\gamma$ ), 3985 5 from (d,p). J <sup><math>\pi</math></sup> : suggested by 2554 $\gamma$ to 15/2 <sup>-</sup> , 3198 $\gamma$ to 11/2 <sup>+</sup> and 3977 $\gamma$ to 9/2 <sup>+</sup> , but in disagreement with L(d,p)=(2,3).
3984.4 <i>13</i>		С	F			E(level): from (n,X), 3989 8 from (t,p).
3991 <sup>J</sup> 5	$11/2^+, 13/2^+$	С	i	r	WX	$J^{\pi}: L(p,d)=6.$

# <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>	Jπ <i>C</i>		X	REF		Comments
						E(level): weighted average of 3987 5 from (t,α), 3995 5 from (p,d), 3989 8 from (t,p), 3998 10 from (t,d).
4005 4			Hi	r		$J^{\pi}$ : $\gamma$ to $15/2^{-}$ suggests $J \ge 11/2$ .
4008.3 <sup><sup>w</sup></sup> 13	3/2-		FG			XREF: G(4008).
4015.3 <sup><sup>w</sup></sup> 13	3/2-	-	F			
4016 6	(1/2 <sup>-</sup> )	С	GH			$J^{n}$ : L(d,p)=(2,3), L(t,p)=(4), but in disagreement with L(d,p $\gamma$ )≥4.
4023.5 <sup>w</sup> 14	1/2-		F		W	XREF: W(4024). $J^{\pi}$ : Other: L(p,d)=(1).
4032 <sup>0</sup> 5					X	
4054.1 <sup><i>a</i></sup> 13	3/2-		F			
4066.9 <sup>@</sup> 13	3/2+,5/2+		F			$J^{\pi}$ : L(n)=2 from (n,X).
4075 5	(3/2+,5/2,7/2-)	С	GΙ			E(level): weighted average of 4074 8 from (t,p), 4075 5 from (d,p), 4075 10 from (t,d). J <sup>π</sup> : L(d,p)=(2,3).
4080 <sup>b</sup> 5					Х	
4089.3 13	1/2-,3/2-		F		W	XREF: W(4084).
4097 5	(5/2+)	С	GΙ			J <sup><i>n</i></sup> : L(n)=1 from (n,X); L(p,d)=(1). E(level): weighted average of 4099 8 from (t,p), 4096 5 from (d,p), 4094 <i>10</i> from (t,d).
4100 1@ 12	1/2-2/2-		F			J . $L(u,p) = (2,3), L(1,p) = (3).$
4100.1 13	1/2, $3/2$		r T			$J^{T} = L(1) = 1 \text{ from } (\Pi, \mathbf{X}).$
4104.6 13	3/2, 5/2		F			$J^{*}: L(n)=2$ from $(n,X)$ .
4105.1 13	3/2		F			
4106.0 13	3/2', 5/2'		F C T			$J^{n}$ : L(n)=2 from (n,X). $I^{\pi}$ : L(d p)=(2,3)
$4112^{-9}$ 5	(3/2, 3/2, 7/2) $1/2^{-} 3/2^{-}$		91		W	$I^{\pi}: L(n, d) = 1$
4138 5	$(5/2,7/2^{-})$	С	GHI		W	XREF: H(4129).
						E(level): weighted average of 4140 8 from (t,p), 4137 5 from (d,p), 4146 10 from (t,d), 4145 5 from (p,d), 4129 5 from (d,pγ). J <sup>π</sup> : L(d,p)=(2,3), 4138γ to 9/2 <sup>+</sup> , in disagreement with L (d px)>5
$4164^{bf}$ 5					x	
4168 5	(11/2 <sup>-</sup> )	С	G		W	E(level): weighted average of 4169 8 from (t,p), 4166 5 from (d,p), 4174 <i>10</i> from (p,d). J <sup>π</sup> : L(d,p)=(5), L(t,p)=(6).
4206.2 <sup>@</sup> 13	3/2+		F			
4211 14			J			E(level): from $(\alpha, {}^{3}\text{He})$ only. J <sup><math>\pi</math></sup> : L $(\alpha, {}^{3}\text{He})$ =6,7, or 8.
4212 5	$(7/2)^{-d}$		G		W	E(level): weighted average of 4211 7 from (d,p), 4212 5 from (p,d). J <sup>π</sup> : L(p,d)=3.
4214.1 <sup>@</sup> 13	$1/2^{-}$		F			
4222 5	$(7/2)^{-d}$		g		W	XREF: g(4239). E(level): from (p,d). $J^{\pi}$ : L(p,d)=3.
4248 5			g		X	XREF: g(4239). E(level): from (t, $\alpha$ ): Target=9 <sup>-</sup> Isomer.
4260.1 <sup>@</sup> 13	3/2-		F			
4265 <sup>b</sup> 10					X	

# <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>	Jπ <i>C</i>		XREF		Comments
4267 5	$(7/2)^{-d}$	С		W	E(level): weighted average of 4260 8 from (t,p), 4270 5 from (p,d). $I^{\pi}: I(p,d)=3$
4281 8		С	I		E(level): weighted average of 4277 8 from (t,p), 4283 10 from (t,d).
4289.7 <sup>@</sup> 13			F		
4289.8 <sup>@</sup> 13	$3/2^{+}$		F		
4295 <mark>&amp;</mark> 5	$(1/2.3/2^{-})$		G		$J^{\pi}$ : L(d,p)=(0,1).
4312 5	5/2-,7/2-	С	I	W	E(level): weighted average of 4315 8 from (t,p), 4322 10 from (t,d), 4309 5 from (p,d). $J^{\pi}$ : L(p,d)=3.
4328.83 17	$(23/2^+)$			Z	$J^{\pi}$ : 486.9 $\gamma$ to (21/2 <sup>+</sup> ).
۵					configuration: likely $v(2g_{9/2}, 1j_{15/2}, 3p_{1/2}^{-1})$ . The fully aligned, $J^{\pi}=25/2^+$ state is expected to be much higher in energy, because the $v(2g_{9/2})^{+1}\otimes 3^-$ admixture in the $v1j_{15/2}$ orbital is blocked by the Pauli principle.
4342.6 <sup><sup>w</sup></sup> 13	3/2-		F		
4347 5			G	WX	E(level): weighted average of 4348 5 from (d,p), 4345 8 from $(n,d)$ , 4345 10 from $(t,a)$
4353.8 13	3/2-	C	F	W	(p,d), $4345$ TO Holli (t,d). XREF: C(4363)W(4358).
100010 10	0/2	-			$J^{\pi}$ : L(t,p)=(2).
4373.6 <sup>@</sup> 13			F		
4385 <i>f</i> 5	$(13/2^{-})$	С	G	х	E(level): weighted average of 4384 8 from (t,p), 4380 5 from (d,p),
					4390 5 from $(t, \alpha)$ .
					J <sup><math>\pi</math></sup> : L(t,p)=(6). Excitation in (t, $\alpha$ ), if the same level as seen in
12050 5	5/2- 7/2-				(t,p), makes $13/2^-$ much more likely than $11/2^-$ .
4395 <sup>th</sup> 5	5/2 ,1/2	-		W	$J^{n}: L(p,d)=3.$
4413" 8		C			
4424.1 <sup>©</sup> <i>13</i>	1/2-		Fg		XREF: g(4430).
4440.7 <sup>•</sup> <i>13</i>	3/2-		Fg		XREF: g(4430).
4441.0 <sup><sup>w</sup></sup> 13	$1/2^{+}$		F		
4451# 8	$(11/2^{-}, 13/2^{-})$	С			$J^{\pi}$ : L(t,p)=(6).
4462.0 <sup>@</sup> 13	5/2+		F		
4466 <sup>b</sup> 5				Х	
4466 7	1/2-,3/2-		G	W	E(level): weighted average of 4464 7 from (d,p), 4472 <i>12</i> from (p,d). J <sup>π</sup> : L(p,d)=1.
4498.6 <sup>@</sup> 13	1/2-		F		
4502.3 <sup>@</sup> 13	5/2-,7/2-		F		$J^{\pi}$ : L(n)=3 from (n,X).
4505.5 <sup>@</sup> 13	3/2+,5/2+		F		$J^{\pi}$ : L(n)=2 from (n,X).
4506 8		C	G		E(level): weighted average of 4502 10 from (d,p), 4508 8 from (t,p).
4518.2 <sup>@</sup> 13			F		
4532.1 <sup>@</sup> 13	5/2-,7/2-		F		$J^{\pi}$ : L(n)=3 from (n,X).
4535 8		C	G	WX	E(level): weighted average of 4539 8 from (t,p), 4530 <i>10</i> from (d,p), 4529 <i>12</i> from (p,d), 4538 <i>10</i> from (t,α).
4543.6 <sup>@</sup> 13	5/2-,7/2-		F		$J^{\pi}$ : L(n)=3 from (n,X).
4547.5 <sup>@</sup> 13	5/2-,7/2-		F		$J^{\pi}$ : L(n)=3 from (n,X).
4550.4 <sup>@</sup> 13			F		
4560 5	5/2-,7/2-		G	W	E(level): weighted average of 4552 <i>10</i> from (d,p), 4562 <i>5</i> from (p,d). J <sup>π</sup> : L(p,d)=3.

# <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>	JπC		XREF		Comments
4566 <sup>b</sup> 10				x	
4569 3 <sup>@</sup> 13	5/2-		F		
$4570.5^{@}$ 13	3/2 7/2		F		
4581 5	$(7/2)^{-}$	с	G	W	E(level): weighted average of 4578 8 from (t.p), 4575 10 from
					(d,p), 4584 5 from (p,d).
					$J^{\pi}$ : L(p,d)=3, L(t,p)=(4).
4583.54 20				ΧZ	XREF: X(4598).
4617 10			G	W	E(level): weighted average of 4612 10 from (d,p), 4621 10 from
1620 8 12	5/2-		F		(p,d).
4020.8 13	5/2-7/2-		r F		$I\pi$ , $I(n) = 2$ from $(n \mathbf{V})$
4027.5 - 15	$\frac{3/2}{(11/2^{-} 13/2^{-})}$	c	r C		J <sup><math>-</math></sup> : L(II)=5 II0III (II,A). E(level): weighted average of 4629 8 from (t.p.) 4629 10 from
+027 0	(11/2 ,15/2 )	- C	U		(d.p).
					$J^{\pi}$ : L(t,p)=(6).
4631.5 5				Z	
4633.6 <sup>@</sup> 13	5/2+		F		
4655.0 <sup>@</sup> 13	5/2+		F		
4655.6 <sup>@</sup> 13	3/2-		F		
4656.9 <sup>@</sup> 13	5/27/2-		F		$J^{\pi}$ : L(n)=3 from (n,X).
4660 6	-1 ) 1	С	G		E(level): weighted average of 4560 8 from (t,p), 4661 10 from
					(d,p).
4673.0 <sup>@</sup> 13	5/2-		FG	W	XREF: G(4671)W(4676).
					J <sup><math>\pi</math></sup> : Other: L(p,d)=3.
4688 5	5/2-,7/2-	C		W	E(level): weighted average of 4686 8 from (t,p), 4690 5 from (p,d).
4600.00 10	2/2-		_		$J^{\prime\prime}: L(p, a) = 3.$
4698.0 13	3/2		F	7	
$4090.2 \ 3$	7/2-			2	
4698.6 - 13	1/2		F		
4/01° 10	5/0-	-		X	
4/19.7 13	5/2	C	FG	W	XREF: $C(4/15)G(4/06)W(4/15)$ .
4729.8		c	G		J. Outer. $L(p,u)=3$ . F(level): weighted average of 4731 8 from (t p) 4726 10 from
1729 0		C	u de la companya de la compa		(d,p).
4745 8		С	G		E(level): weighted average of 4743 8 from (t,p), 4747 10 from
					(d,p).
4747.6 <sup>@</sup> 13	7/2-		F		
4747.9 <sup>@</sup> 13	$1/2^{-}$		F		
4749.2 <sup>@</sup> 13	5/2+		F		
4755.7 4				Z	
4757.5 <sup>@</sup> 13	5/2-		F		
4758 8		С	G		E(level): weighted average of 4754 8 from (t,p), 4764 10 from
0					(d,p).
4765.5 <sup>@</sup> 13	5/2-,7/2-		F		$J^{\pi}$ : L(n)=3 from (n,X).
4767 <sup>bf</sup> 10				Х	
4780 8	5/2-,7/2-	С		W	E(level): weighted average of 4778 8 from (t,p), 4781 8 from (p,d).
					$J^{n}$ : L(p,d)=3.
4783.8 <sup>w</sup> 13	3/2+		F		$J^{n}$ : L(n)=3 from (n,X).
4794.3 <sup><sup>w</sup></sup> 13	5/2-		F		
4799 <sup>&amp;</sup> 10			G		
4811.0 <sup>@</sup> <i>13</i>	3/2-		F		

# <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>	Jπ <i>C</i>		Х	REF		Comments				
4816 7	1/2-,3/2-	С			W	E(level): weighted average of 4813 8 from (t,p), 4819 7 from (p,d). $J^{\pi}$ : L(p,d)=1.				
4818.0 <sup>@</sup> 13	1/2-		F							
$4821.4^{\textcircled{0}}$ 13	1/2+		F		v					
48375 10	(1/2 <sup>-</sup> ,3/2 <sup>-</sup> )	С			W	E(level): weighted average of 4843 8 from (t,p), 4837 5 from (p,d). $J^{\pi}$ : L(p,d)=(1).				
4843.6 <sup>@</sup> 13	1/2-		F							
4844.6 <sup>@</sup> 13	7/2-		F							
4852 <sup>b</sup> 10					X					
4853.5 <sup>@</sup> 13	5/2-		F							
4860.0 <sup>@</sup> 13	1/2-		F							
4869 8		С	G		W	E(level): weighted average of 4877 8 from (t,p), 4864 10 from (d,p), 4865 8 from (p,d).				
4877.3 <sup>@</sup> 13	3/2+		F							
4880.1 <sup>@</sup> 13	1/2-		F							
4880.8 <sup>@</sup> 13	3/2-		F							
4882.5 <sup>@</sup> 13 4897 9	5/2+	С	F G			E(level): weighted average of 4904 8 from (t,p) and 4885 10 from (d,p).				
4907.0 <sup>@</sup> 13	3/2-		F							
4916.9 <sup>@</sup> 13	3/2-		F							
4923 5			G		W	E(level): weighted average of 4920 10 from (d,p), 4924 5 from (p,d).				
4930.3 <sup>@</sup> 13	1/2+		F							
4937? <sup>b</sup> 10					Х					
4938 8	1/2 <sup>-</sup> ,3/2 <sup>-</sup>	С	G		W	E(level): weighted average of 4931 8 from (t,p), 4940 <i>10</i> from (d,p), 4944 9 from (p,d). J <sup>π</sup> : L(p,d)=1.				
4965 10		С	G		X	<ul> <li>XREF: X(4967).</li> <li>E(level): weighted average of 4966 10 from (t,p), 4962 10 from (d,p), 4967 10 from (t,α).</li> </ul>				
4985 <sup><i>f</i></sup> 10			G	0	X	XREF: o(4900). E(level): weighted average of 4986 10 from (d,p), 4984 10 from $(t,\alpha)$ .				
4997 10		С		ор		XREF: o(4900)p(5000). E(level): from (t,p).				
5026 10		С	G		X	E(level): weighted average of 5026 <i>10</i> from (t,p), 5028 <i>10</i> from (d,p), 5022 <i>15</i> from $(t,\alpha)$ .				
5059 7	(1/2= 2/2=)	C	G			E(level): weighted average of 5057 10 from (t,p), 5061 10 from (d,p).				
5081 10	(1/2 ,3/2 )	C	G		W	E(level): weighted average of 5083 10 from (t,p), 5085 10 from (d,p), 5074 10 from (p,d). $I^{\pi}$ : I (p,d)=(1)				
5100 10		С	G		W	E(level): weighted average of 5107 <i>10</i> from (t,p), 5102 <i>10</i> from (d,p), 5094 8 from (p,d).				
5115 <sup>b</sup> 10					х					
5135 10		С	I		W	E(level): weighted average of 5134 10 from (t,p), 5134 10 from (t,d), 5136 10 from (p,d).				
5159 10		С	GΙ		W	E(level): weighted average of 5161 10 from (t,p), 5153 10 from (d,p), 5160 10 from (t,d) and (p,d).				
5172 <sup><i>f</i></sup> 10			G		X	E(level): weighted average of 5170 10 from (d,p), 5174 10 from $(t,\alpha)$ .				
5202 <sup>bf</sup> 15					X					
5216 10	1/2-,3/2-	С			W	E(level): weighted average of 5211 10 from (t,p), 5222 12 from (p,d).				

#### <sup>209</sup>Pb Levels (continued)

E(level) <sup>†</sup>		XREF		Comments
				$\mathbf{J}^{\pi}: \mathbf{L}(\mathbf{p},\mathbf{d})=1.$
5241 <sup><b>#</b></sup> 10	С			
5290 <sup>bf</sup> 15			Х	
5326 10	С		Х	E(level): weighted average of 5326 10 from (t,p), 5328 15 from (t, $\alpha$ ).
5359 <sup>a</sup> 10			W	
5400 <sup>#</sup> 10	С			
5423 <sup>#</sup> 10	С			
5476 <sup>#</sup> 10	С			
5513 <sup>#</sup> 10	С			
5577 <sup>#</sup> 10	С			
5600 <sup>#</sup> 10	С			
5637 10	C	0		XREF: O(5620). E(level): from (t,p).
5684 <sup>#</sup> 10	С			
5759 <sup>#</sup> 10	С			
5834 <sup>#</sup> 10	С			
5861 <sup>#</sup> 10	С			
5873.8 4			Z	
5931 <sup>#</sup> 10	С			
5985 <sup>#</sup> 10	С			
6050 <sup>#</sup> 10	С			
6082 <sup>#</sup> 10	С			
6099.3 5			Z	
6138 <sup>#</sup> 10	С			
6198 <sup>#</sup> 10	С			
6248 <sup>#</sup> 10	С			
6390 <sup>#</sup> 10	С			
6437 10	С	0		XREF: O(6470).
7.0.103.4				E(level): from $(t,p)$ .
7.9×10 <sup>3</sup> 4			UV	E(level): from $(\pi, \gamma)$ (19/4Ba44). $\Gamma=2$ MeV from <sup>209</sup> Bi(n,p) (1984Br03).
				analog of possible giant quadrupole resonance expected at $\approx 26.5$ MeV in <sup>209</sup> Bi (1984Br03).
13.7×10 <sup>3</sup> 5	Е		UV	XREF: U(13000)V(15000).
				E(level): from $(n,\gamma)$ : E=0.8-20 MeV (1972Be46).
				Giant dipole resonance, $\Gamma$ =2-4 MeV from <sup>209</sup> Bi(n,p) (1984Br03).

<sup>†</sup> From a least-squares fit to  $\gamma$ -ray energies, unless otherwise noted. <sup>‡</sup> 1977Ha07 report a level at 3657 5 from <sup>210</sup>Bi(9<sup>-</sup>)(t, $\alpha$ ), which based just on energy could correspond to either (or both) the (5/2<sup>-</sup>) 3656 or 13/2<sup>+</sup> 3659. As pointed out by the authors, the 5/2<sup>-</sup> level could only be reached through 1i<sub>13/2</sub> proton pickup whose component in the  ${}^{210}\text{Bi}(9^-)$  target is very small. The  $13/2^+$  level could be reached by  $1h_{11/2}$  proton pickup.

<sup>@</sup> From (n,X): Resonances.

<sup>&</sup> From (d,p), (pol d,p).

<sup>*a*</sup> From (p,d).

<sup>b</sup> From  $(t,\alpha)$ : Target=9<sup>-</sup> Isomer.

<sup>&</sup>lt;sup>#</sup> From (t,p), (pol t,p).

#### <sup>209</sup>Pb Levels (continued)

- <sup>c</sup> Assignments given without arguments are from 1986Ho19 in (n,X), based on R-matrix fits to experimental differential cross section data, unless otherwise noted. See (n,X) for details.
- <sup>*d*</sup> From 1971Ig01, based on L(n) in (p,d) and the following assumptions: 1) for L(n)=1, the 2152 level exhausts all the 3p1/2 neutron strength, 2) for L(n)=3, the 2463, 2741 and 2873 levels exhaust all the 2f5/2 neutron strength.
- <sup>*e*</sup> A level at 3947 5 with L(n)=(2,3) is reported in (d,p). This L(n) value is not consistent with the J value for either member of the 3936, 3940 doublet seen in (d,p $\gamma$ ).
- <sup>*f*</sup> On the basis of  $\sigma$  in (t, $\alpha$ ), 1977Ha07 suggest that this level has a configuration containing a large component of <sup>210</sup>Bi(9<sup>-</sup>) coupled to a proton hole.
- <sup>*g*</sup> On the basis of  $\sigma$  in (t, $\alpha$ ), 1977Ha07 suggest that the configuration= $\nu(2g_{9/2})^{+1}\otimes 3^{-}$  (J=15/2<sup>-</sup>) strength is contained mainly in the 1423 and 3052 levels.

E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	$\mathrm{E}_{f}$	$J_f^{\pi}$	Mult. <sup>@</sup>	α <sup>&amp;</sup>	Comments
778.89	11/2+	778.87 5	100	0	9/2+	[M1]	0.0339	B(M1)(W.u.)=0.0055 6 $\alpha$ (K)=0.0278 4; $\alpha$ (L)=0.00462 7; $\alpha$ (M)=0.001079 16 $\alpha$ (N)=0.000274 4; $\alpha$ (O)=5.47×10 <sup>-5</sup> 8; $\alpha$ (P)=5.87×10 <sup>-6</sup> 9 E <sub><math>\gamma</math></sub> : from <sup>213</sup> Po $\alpha$ decay.
1422.64	15/2-	643.5 2	11 <i>I</i>	778.89	11/2+	[M2]	0.1491	Additional information 3. $\alpha(K)=0.1180 \ 17; \ \alpha(L)=0.0236 \ 4; \ \alpha(M)=0.00567 \ 8$ $\alpha(N)=0.001446 \ 21; \ \alpha(O)=0.000287 \ 4; \ \alpha(P)=2.99\times10^{-5} \ 5$ B(M2)(W.u.)=0.57 \ 14 E <sub><math>\gamma</math></sub> ,I <sub><math>\gamma</math></sub> : From (HI,XNG) (2014A107). Other: E $\gamma$ =644 2 and I $\gamma$ =11 2 in (D,PG).
		1422.7 <sup>#</sup> 1	100 <sup>#</sup> 7	0	9/2+	[E3]	0.00716	$\alpha(K)=0.00559 \ 8; \ \alpha(L)=0.001179 \ 17; \ \alpha(M)=0.000284 \ 4 \ \alpha(N)=7.20\times10^{-5} \ 10; \ \alpha(O)=1.409\times10^{-5} \ 20; \ \alpha(P)=1.375\times10^{-6} \ 20; \ \alpha(IPF)=1.763\times10^{-5} \ 25 \ B(E3)(W.u.)=26 \ 7 \ E_{\gamma},I_{\gamma}: \ Other: \ E_{\gamma}=1423 \ 1 \ and \ I_{\gamma}=100 \ 2 \ in$
1567.086	5/2+	1567.08 2	100	0	9/2+	E2	0.00294	(d, p $\gamma$ ). B(E2)(W.u.)=2.5 7 $\alpha$ (K)=0.00234 4; $\alpha$ (L)=0.000395 6; $\alpha$ (M)=9.25×10 <sup>-5</sup> 13 $\alpha$ (N)=2.35×10 <sup>-5</sup> 4; $\alpha$ (O)=4.64×10 <sup>-6</sup> 7; $\alpha$ (P)=4.77×10 <sup>-7</sup> 7; $\alpha$ (IPF)=8.56×10 <sup>-5</sup> 12 Mult.: $\alpha$ (K)exp=0.0024 9 (2000Gr35) from <sup>209</sup> Tl $\beta^-$ decay is consistent with E2 and possibly with E1, but T <sub>1/2</sub> ( $\gamma$ to 9/2 <sup>+</sup> ) consistent with E2 not E1
2032.21	1/2+	465.128 24	100	1567.086	5/2+	E2	0.0350	B(E2)(W.u.)=2.13 8 $\alpha(K)=0.0242 4; \alpha(L)=0.00815 12;$ $\alpha(M)=0.00204 3$ $\alpha(N)=0.000515 8; \alpha(O)=9.70\times10^{-5} 14;$ $\alpha(P)=7.34\times10^{-6} 11$ Additional information 4. Mult.: $\alpha(K)exp=0.027 4$ (2000Gr35) from $^{209}$ Tl $\beta^-$ decay.
2149.43	1/2-	117.21 5	100 3	2032.21	1/2+	E1	0.295	$B(E1)(W.u.)=2.32\times10^{-5}$ 11
				Continue	ed on ne	vt nage (for	otnotes at er	nd of table)

## $\gamma$ <sup>(209</sup>Pb)

# $\gamma$ <sup>(209</sup>Pb) (continued)</sup>

E <sub>i</sub> (level)	$\mathbf{J}_i^\pi$	$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	$E_f$	$\mathbf{J}_f^{\pi}$	Mult.@	α <b>&amp;</b>	Comments
2149.43	1/2-	582.4 2	0.39 5	1567.086	5/2+	[M2]	0.200	$\alpha(K)=0.235 4; \alpha(L)=0.0455 7; \alpha(M)=0.01073 15 \alpha(N)=0.00268 4; \alpha(O)=0.000507 8; \alpha(P)=4.03\times10^{-5} 6 Additional information 5. Mult.: \alpha(K)\exp=0.25 2 (2000Gr35) from 209Tl \beta^- decay. B(M2)(W.u.)=0.0100 14 \alpha(K)=0.1574 22; \alpha(L)=0.0322 5; \alpha(M)=0.00174 11 \alpha(N)=0.00198 3; \alpha(O)=0.000392 6; \alpha(D)=0.000392 6; \alpha(D)=0.00192 6; \alpha(D)=0.000392 6; \alpha(D)=0.0$
		đ	4					$\alpha(P)=4.07\times10^{-5} 6$ Additional information 6.
		2149.0 <sup><i>a</i></sup> 10	<8.4×10 <sup>-4</sup>	0	9/2+	[M4]	0.01529	$\alpha(K)=0.01218 \ 18; \ \alpha(L)=0.00237 \ 4; \\ \alpha(M)=0.000565 \ 8 \\ \alpha(N)=0.0001441 \ 21; \ \alpha(O)=2.86\times10^{-5} \\ 4; \ \alpha(P)=2.98\times10^{-6} \ 5 \\ B(M4)(W.u.)=4 \ 4 \\ Additional \\ information \ 7 \\ (M, M, M$
2315.93	3/2-	284.04 <i>23</i>	100 <i>50</i>	2032.21	1/2+	[E1]	0.0335	$\begin{array}{l} \alpha(\mathbf{K}) = 0.0275 \ 4; \ \alpha(\mathbf{L}) = 0.00467 \ 7; \\ \alpha(\mathbf{M}) = 0.001091 \ 16 \\ \alpha(\mathbf{N}) = 0.000275 \ 4; \ \alpha(\mathbf{O}) = 5.33 \times 10^{-5} \\ 8; \ \alpha(\mathbf{P}) = 4.91 \times 10^{-6} \ 7 \\ \mathbf{Additional} \\ \alpha(\mathbf{R}) = 0.000275 \ 9 \\ \alpha(\mathbf{R}) = 0.000275 \ 10^{-5} \ 10^{-5} \\ \alpha(\mathbf{R}) = 0.000275 \ 10^{-5} \ 10^{-5} \\ \alpha(\mathbf{R}) = 0.000275 \ 10^{-5} \ 10^{-5$
		748.3 3	57 21	1567.086	5/2+	[E1]	0.00428	$\begin{array}{l} \alpha(\mathrm{K}) = 0.00356 \ 5; \ \alpha(\mathrm{L}) = 0.000553 \ 8; \\ \alpha(\mathrm{M}) = 0.0001280 \ 18 \\ \alpha(\mathrm{N}) = 3.24 \times 10^{-5} \ 5; \ \alpha(\mathrm{O}) = 6.39 \times 10^{-6} \\ 9; \ \alpha(\mathrm{P}) = 6.48 \times 10^{-7} \ 9 \\ \mathbf{Additional} \\ \alpha(\mathrm{Additional}) = 0 \end{array}$
		2315.9 <i>3</i>	21 2	0	9/2+	[E3]	0.00292	$\begin{aligned} \alpha(K) = 0.00216 \ 3; \ \alpha(L) = 0.000380 \ 6; \\ \alpha(M) = 8.93 \times 10^{-5} \ 13 \\ \alpha(N) = 2.27 \times 10^{-5} \ 4; \ \alpha(O) = 4.49 \times 10^{-6} \\ 7; \ \alpha(P) = 4.65 \times 10^{-7} \ 7; \\ \alpha(IPF) = 0.000262 \ 4 \end{aligned}$
2461.0	(5/2) <sup>-</sup>	311.5 3		2149.43	1/2-	[E2]	0.1034	
		898 <sup>‡</sup> 6	25 <sup>‡</sup> 25	1567.086	5/2+	[E1]	0.00304 6	$\begin{aligned} &\alpha(\mathbf{K}) = 0.00254 \ 5; \ \alpha(\mathbf{L}) = 0.000389 \ 8; \\ &\alpha(\mathbf{M}) = 8.99 \times 10^{-5} \ 17 \\ &\alpha(\mathbf{N}) = 2.27 \times 10^{-5} \ 5; \ \alpha(\mathbf{O}) = 4.50 \times 10^{-6} \\ & 9; \ \alpha(\mathbf{P}) = 4.62 \times 10^{-7} \ 9 \\ & \mathbf{E}_{\gamma}: \ \text{not observed in } ^{209} \text{Tl } \beta^{-} \ \text{decay.} \\ & \text{Additional} \\ & \text{information 12.} \end{aligned}$

# $\gamma$ <sup>(209</sup>Pb) (continued)</sup>

E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	$E_f$	$\mathbf{J}_f^{\pi}$	Mult.@	α <b>&amp;</b>	Comments
2461.0	(5/2)-	2465 <sup>‡</sup> 4	100 <sup>‡</sup> <i>50</i>	0	9/2+	[M2]	0.00473	$\alpha(K)=0.00355 \ 6; \ \alpha(L)=0.000592 \ 9; \\ \alpha(M)=0.0001384 \ 21 \\ \alpha(N)=3.52\times10^{-5} \ 6; \ \alpha(O)=7.02\times10^{-6} \ 11; \\ \alpha(P)=7.56\times10^{-7} \ 11; \ \alpha(IPF)=0.000408 \ 6$
								$E_{\gamma}$ : not observed in 209 Tl $\beta^{-}$ decay. Additional information 13.
2491.0	7/2+	1712 <sup>‡</sup> 2	3.1‡ 5	778.89	11/2+	[E2]	0.00256	$\alpha(K)=0.00199 \ 3; \ \alpha(L)=0.000331 \ 5; \\ \alpha(M)=7.73\times10^{-5} \ 11 \\ \alpha(N)=1.96\times10^{-5} \ 3; \ \alpha(O)=3.88\times10^{-6} \ 6; \\ \alpha(P)=4.02\times10^{-7} \ 6; \ \alpha(IPF)=0.0001398 \ 22 \\ Additional information \ 14.$
		2491 <sup>‡</sup> <i>1</i>	100 <sup>‡</sup> I	0	9/2+	[M1]	0.00252	$\alpha(K)=0.001441\ 21;\ \alpha(L)=0.000232\ 4;\alpha(M)=5.40\times10^{-5}\ 8\alpha(N)=1.370\times10^{-5}\ 20;\ \alpha(O)=2.74\times10^{-6}\ 4;\alpha(P)=2.96\times10^{-7}\ 5;\ \alpha(IPF)=0.000780\ 11$ Additional information 15. E <sub>y</sub> : 2489 keV 2 in 9BE(208PB,8BE) (2014A107).
2524.93	(1/2,3/2)	375.5 2	100	2149.43	1/2-	[E1]	0.01773	$\alpha(K)=0.01458\ 21;\ \alpha(L)=0.00241\ 4;\ \alpha(M)=0.000561\ 8$ $\alpha(N)=0.0001416\ 20;\ \alpha(O)=2.76\times10^{-5}\ 4;\ \alpha(P)=2.63\times10^{-6}\ 4$ Additional information 16
2537.6	3/2+	970.5 5	100	1567.086	5/2+	[M1]	0.0192	$\begin{aligned} &\alpha(\mathbf{K}) = 0.01580 \ 23; \ \alpha(\mathbf{L}) = 0.00261 \ 4; \\ &\alpha(\mathbf{M}) = 0.000608 \ 9 \\ &\alpha(\mathbf{N}) = 0.0001545 \ 22; \ \alpha(\mathbf{O}) = 3.08 \times 10^{-5} \ 5; \\ &\alpha(\mathbf{P}) = 3.32 \times 10^{-6} \ 5 \\ &\mathbf{B}(\mathbf{M}1)(\mathbf{W}.\mathbf{u}.) = 0.39 \ 12 \\ &\mathbf{E}_{\gamma}: \ \text{from } (\mathbf{n}, \gamma) \ \text{thermal; Others: } 969.4 \ 5 \\ &\text{from } 9BE(208PB,8BE) \ \text{and } 970 \ 1 \ \text{from} \\ &(\mathbf{d}, \mathbf{p}\gamma). \end{aligned}$
2588.0	$(11/2^{-})$	2588 <sup>‡</sup> 2	100 <sup>‡</sup>	0	9/2+			Additional information 17.
2736	5/2-	1169 <sup>‡</sup> 5	100 <sup>‡</sup>	1567.086	5/2+	[E1]	0.00190	$\alpha(K)=0.00158 \ 3; \ \alpha(L)=0.000239 \ 4; \\ \alpha(M)=5.51\times10^{-5} \ 9 \\ \alpha(N)=1.395\times10^{-5} \ 23; \ \alpha(O)=2.77\times10^{-6} \ 5; \\ \alpha(P)=2.88\times10^{-7} \ 5; \ \alpha(IPF)=7.7\times10^{-6} \ 11 \\ \text{Additional information 18} $
2905.28	3/2-	755.6 3	19 <i>3</i>	2149.43	1/2-	[M1]	0.0366	$\alpha(K)=0.0301 5; \alpha(L)=0.00500 7;$ $\alpha(M)=0.001168 17$ $\alpha(N)=0.000297 5; \alpha(O)=5.92 \times 10^{-5} 9;$ $\alpha(P)=6.36 \times 10^{-6} 9$ Additional information 19.
		873.5 4	100 14	2032.21	1/2+	[E1]	0.00320	$\alpha(K)=0.00267 \ 4; \ \alpha(L)=0.000410 \ 6; \\ \alpha(M)=9.47\times10^{-5} \ 14 \\ \alpha(N)=2.40\times10^{-5} \ 4; \ \alpha(O)=4.74\times10^{-6} \ 7; \\ \alpha(P)=4.86\times10^{-7} \ 7 \\ \text{Additional information 20}$
3046.6	(15/2)-	1624 <sup>#</sup> 1	100 <sup>#</sup>	1422.64	15/2-			$E_{\gamma}, I_{\gamma}$ : Other: 1624 keV 5 from (d,p $\gamma$ ).

## $\gamma$ (<sup>209</sup>Pb) (continued)

E <sub>i</sub> (level)	$\mathbf{J}^{\pi}_{i}$	$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	$E_f$	$\mathbf{J}_f^{\pi}$	Mult.@	α <b>&amp;</b>	Comments
3069.97	3/2-	920.53 17	100	2149.43	1/2-	[M1]	0.0220	$\alpha(K)=0.0181 \ 3; \ \alpha(L)=0.00299 \ 5; \\ \alpha(M)=0.000698 \ 10 \\ \alpha(N)=0.0001772 \ 25; \\ \alpha(O)=3.54\times10^{-5} \ 5; \\ \alpha(P)=3.80\times10^{-6} \ 6$
3091.80 3302	(17/2 <sup>-</sup> ) 11/2 <sup>-</sup>	1669.1 <sup>#</sup> 2 3302 <sup>‡</sup> 5	100 <sup>#</sup> 100 <sup>‡</sup>	1422.64 0	15/2 <sup>-</sup> 9/2 <sup>+</sup>			Additional
3361.3	(5/2 <sup>-</sup> )	824 <sup>‡</sup> 2	100 <sup>‡</sup> 18	2537.6	3/2+			Additional
		870 <sup>‡</sup> 2	55 <sup>‡</sup> 9	2491.0	7/2+			Additional
		1794 <sup>‡</sup> 5	27 <sup>‡</sup> 9	1567.086	5/2+			Additional information 24
3361.5	(1/2,3/2)	1329.3 <i>3</i>	100	2032.21	1/2+			Additional information 25.
3389.10	(1/2,3/2)	1239.66 15	100	2149.43	1/2-			Additional information 26.
3423	15/2-,17/2-	2000 <sup>‡</sup> 5	100 <sup>‡</sup>	1422.64	15/2-			Additional information 27.
3524.14	(19/2 <sup>-</sup> )	432.2 <sup>#</sup> 3 2101.4 <sup>#</sup> 3	100 <sup>#</sup> 32 55 <sup>#</sup> 7	3091.80 1422.64	(17/2 <sup>-</sup> ) 15/2 <sup>-</sup>			$E_{\gamma}, I_{\gamma}$ : Doublet.
3650	(5/2 <sup>-</sup> )	3650 <sup>‡</sup> 7	100 <sup>‡</sup>	0	9/2+			Additional information 28.
3810.0	(21/2 <sup>-</sup> )	285.8 <sup>#</sup> 3 718.2 <sup>#</sup> 3	90 <sup>#</sup> 20 100 <sup>#</sup> 10	3524.14 3091.80	$(19/2^{-})$ $(17/2^{-})$			
3841.93	$(21/2^+)$	317.7 <sup>#</sup> 2	18 <sup>#</sup> 2	3524.14	$(19/2^{-})$			
		2419.3 <sup>#</sup> 1	100 <sup>#</sup> 7	1422.64	15/2-			Note that B(E3)(W.u.)=50 is expected from shell-model calculations and systematics arguments (2000Re12).
3897	(7/2) <sup>-</sup>	3897 <sup>‡</sup> 5	100 <sup>‡</sup>	0	9/2+			Additional information 29.
3936.3	$(1/2^-, 3/2^-)$	1399 <sup>‡</sup> <i>3</i>	18 <sup>‡</sup> 12	2537.6	$3/2^{+}$			
		1904 <sup>‡</sup> 2	100 <sup>‡</sup> 12	2032.21	$1/2^{+}$			
3940	13/2+	2517 <sup>‡</sup> 4	67 <sup>‡</sup> 17	1422.64	15/2-			Additional information 30.
		3940‡ 5	100 <sup>‡</sup> 17	0	9/2+			Additional information 31.
3977	$(11/2^-, 13/2^+)$	2554 <sup>‡</sup> 4	55 <sup>‡</sup> 18	1422.64	$15/2^{-}$			
		3198 <sup>‡</sup> 5	27 <sup>‡</sup> 18	778.89	$11/2^+$			
		3977 <sup>‡</sup> 5	100 <sup>‡</sup> 18	0	9/2+			
4005		2582 <sup>‡</sup> 4	100‡	1422.64	15/2-			Additional information 32.
4016	(7/2 <sup>-</sup> )	4016 <sup>‡</sup> 6	100 <sup>‡</sup>	0	9/2+			Additional information 33.
4138	(5/2,7/2 <sup>-</sup> )	4138 5		0	9/2+			$E_{\gamma}$ : from level energy difference, 4129 5 from (d,pγ).
4328.83	$(23/2^+)$	486.9 <sup>#</sup> 1	100#	3841.93	$(21/2^+)$			
4583.54		254.7 <sup>#</sup> 1	100 <sup>#</sup>	4328.83	$(23/2^+)$			

 $\gamma(^{209}\text{Pb})$  (continued)

E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	$E_f$	${f J}_f^\pi$
4631.5		789.6 <sup>#</sup> 4	100 <sup>#</sup>	3841.93	$(21/2^+)$
4698.2		369.4 <sup>#</sup> 2	100 <sup>#</sup>	4328.83	$(23/2^+)$
4755.7		172.2 <sup>#</sup> 3	100 <sup>#</sup>	4583.54	
5873.8		1118.1 <mark>#</mark> 2	100 <mark>#</mark>	4755.7	
6099.3		225.5 <sup>#</sup> 2	100 <sup>#</sup>	5873.8	

<sup>†</sup> From <sup>209</sup>Tl  $\beta$ -decay, unless otherwise noted.

<sup>‡</sup> From  $(d,p\gamma)$ .

<sup>#</sup> From (HI,xn $\gamma$ ).

<sup>(a)</sup> Based on conversion coefficients deduced from relative intensities of K x-rays or K-conversion lines and  $\gamma$ -rays in <sup>209</sup>Tl  $\beta^$ decay (2000Gr35).

<sup>&</sup> Additional information 34. <sup>*a*</sup> Placement of transition in the level scheme is uncertain.

## Adopted Levels, Gammas

## Level Scheme

Intensities: Relative photon branching from each level



#### Adopted Levels, Gammas

Level Scheme (continued)

Intensities: Relative photon branching from each level



 $^{209}_{\ 82} \mathrm{Pb}_{127}$ 

Legend

## Adopted Levels, Gammas

## Level Scheme (continued)



 $^{209}_{\ 82} \mathrm{Pb}_{127}$ 

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