		History	
Туре	Author	Citation	Literature Cutoff Date
Full Evaluation	F. G. Kondev	NDS 187,355 (2023)	20-Sep-2022

 $E(^{14}C)=76$  MeV; Target: <sup>192</sup>Os, enriched to 99% with average thickness of 100 mg/cm<sup>2</sup>; Detectors: 12 Compton suppressed Ge detectors and 48 BGO scintillation counters; Measured: E $\gamma$ , I $\gamma$ ,  $\gamma\gamma$  coin,  $\gamma\gamma(\theta)$ (DCO); Deduced: level scheme,  $J^{\pi}$ .

Other: 1989Su12, 1992Ba39 (superseded by 1995Ba70).

# <sup>201</sup>Pb Levels

E(level) <sup>†</sup>	$J^{\pi \ddagger}$	T <sub>1/2</sub>	Comments
0	5/2-	9.33 h 5	$J^{\pi}$ , $T_{1/2}$ : From Adopted Levels.
629.1 <sup>#</sup> 3	13/2+	60.8 s <i>18</i>	Additional information 1. E(level), $J^{\pi}$ , $T_{1/2}$ : From Adopted Levels.
1542.1 <sup>@</sup> 5 1546.1 5	17/2 <sup>+</sup> 15/2 <sup>+</sup>		
1896.6 <sup>&amp;</sup> 5	$19/2^{+}$		
1902.7 <sup><i>a</i></sup> 6 2069.1 7	21/2+		
2497.2 <sup>b</sup> 6	$21/2^{-}$		
2719.6 <sup>°</sup> 8	$25/2^{-}$	63 ns <i>3</i>	$J^{\pi}, T_{1/2}$ : From Adopted Levels.
2719.6+x <sup>d</sup>	(29/2 <sup>-</sup> )	508 ns 5	Additional information 2. $J^{\pi}$ , $T_{1/2}$ : From Adopted Levels. E(level): Deexcites to the 2719.6-keV level via a low-energy (E $\gamma$ <80 keV) $\gamma$ ray.
2733.3 7			
2/36.77 3510.6+x7	$(31/2^{-})$		
3546.2+x 4	$(31/2^{-})$ $(33/2^{-})$		
3639.1+x 4	(31/2)		
3833.4+x 6	$(35/2^{-})$		
$3933.0+x^{\circ}$ 4	$(33/2^{+})$		
$4060.6 + v^{h}$			Additional information 3
$4169.8 + v^{h}$ 5			Additional monnation 5.
$4351.4 + v^{h} 7$			
4506.2+x 6	(35/2)		
4561.4+x 6	$(37/2^+)$		
4615.2+y <sup>h</sup> 9			
$4640.9 + x^{f}$ 7	$(41/2^+)$	43 ns <i>3</i>	$T_{1/2}$ : From 80.1 $\gamma$ (t) in 1989Su12.
4640.9+z <sup><i>l</i></sup>			Additional information 4. E(level): Decays to levels between 2719+x to 4506+x.
4640.9+u <sup>j</sup>			Additional information 5. E(level): Decays to levels between 2719+x to 4641+x.
4640.9+v <sup>k</sup>			Additional information 6. E(level): Decays to levels above 2719+x.
4648.7+x 6	(35/2)		(,)
$4780.5 + z^{i} 5$			
4793.8+v <sup>k</sup> 5			
4817.4+u <sup>j</sup> 5			
4831.3+x 7	(39/2)		
4956.0+y <sup><i>n</i></sup> 10			
$4956.3 + z^{l}$ 7			
4992.4+v <sup>k</sup> 7			

$^{192}$ Os( $^{14}$ C,5n $\gamma$ ) <b>1995B</b>	a70 (continued)
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E(level) <sup>†</sup>	$J^{\pi \ddagger}$	E(level) <sup>†</sup>	$J^{\pi \ddagger}$	E(level) <sup>†</sup>	$J^{\pi \ddagger}$	E(level) <sup>†</sup>	J <sup>π‡</sup>
5043.1+u <sup>j</sup> 7		5836.7+x 7	(41/2)	6461.1+x 8	(47/2)	7378.5+x 8	(47/2)
5088.2+x 7	(43/2)	5892.2+x 7	(43/2)	6549.1+x <sup>g</sup> 9	(41/2)	7379.9+x <sup>g</sup> 8	(47/2)
5178.6+z <sup>i</sup> 9		5928.8+v <sup>k</sup> 12		6616.7+z <sup>i</sup> 12		7471.4+u <sup>j</sup> 15	
5242.4+v <sup>k</sup> 9		5990.4+x 7	(45/2)	6707.7+x 8	(49/2)	7648.2+z <sup>i</sup> 13	
5321.3+u <sup>j</sup> 9		6028.4+u <sup>j</sup> 12		6769.5+x <sup>g</sup> 8	(43/2)	7760.5+x 8	(49/2)
5359.8+y <sup>h</sup> 10		6146.2+x <mark>8</mark> 7	(35/2)	6858.2+v <sup>k</sup> 14		7773.3+x <mark>8</mark> 8	(49/2)
5390.2+x 8	(45/2)	6175.4+z <sup>i</sup> 12		6883.0+y <sup>h</sup> 12		8004.4+x 10	(53/2)
5455.0+z <sup>i</sup> 10		6247.8+x <mark>8</mark> 8	(37/2)	6911.0+x 8	(47/2)	8019.7+x 8	(51/2)
5554.4+v <sup>k</sup> 10		6324.5+y <sup>h</sup> 11		6941.2+u <sup>j</sup> <i>14</i>		8199.0+x 10	(53/2)
5583.0+x 7	$(39/2^{-})$	6324.8+x 8	$(45/2^+)$	7009.4+x 8	(49/2)	8215.8+x 10	(51/2)
5648.0+u <sup>j</sup> 10		6337.2+y 11		7045.4+x <sup>g</sup> 8	(45/2)	8227.2+x <sup>g</sup> 10	(51/2)
5787.3+z <sup>i</sup> 12		6364.8+v <sup>k</sup> 13		7108.4+z <sup>i</sup> 13		8654.8+x 11	(55/2)
5818.8+y <sup>h</sup> 10		6377.5+x <sup>g</sup> 9	(39/2)	7143.3+x 8	$(49/2^+)$		
5831.0+x 7	$(45/2^+)$	6458.1+u <sup>j</sup> 13		7340.5+x 9	(51/2)		

### <sup>201</sup>Pb Levels (continued)

<sup>†</sup> From a least-squares fit to  $E\gamma$ . Energies are relative to  $E(13/2^+)=629.11$  18 keV. For levels labeled with +x, +y, +z, +u and +v the excitation energies are relative to the 2719.6+y, 4060.6+y, 0+z, 0+u and 0+v states, respectively.

<sup>‡</sup> From deduced transition multipolarities and multiple decay branches in 1995Ba70, unless otherwise stated.

# Configuration= $\nu i_{13/2}^{-1}$ .

<sup>(a)</sup> Probably an admixture of configuration= $\nu$  ( $f_{5/2}^{-1}$ , $p_{1/2}^{-1}$ , $i_{13/2}^{-1}$ ) $\otimes 2^+$  and configuration= $\nu$  ( $i_{13/2}^{-1}$ ) $\otimes 2^+$ . <sup>(b)</sup> Probably an admixture of configuration= $\nu$  ( $f_{5/2}^{-1}$ , $p_{1/2}^{-1}$ , $i_{13/2}^{-1}$ ) $\otimes 4^+$  and configuration= $\nu$  ( $i_{13/2}^{-1}$ ) $\otimes 4^+$ .

- <sup>*a*</sup> Configuration= $\nu$  (f<sup>-2</sup><sub>5/2</sub>, i<sup>-1</sup><sub>13/2</sub>).

<sup>b</sup> Configuration= $\nu [p_{3/2}^{-1}, (i_{13/2}^{-2})_{12+}]$ . <sup>c</sup> Probably an admixture of configuration= $\nu [f_{5/2}^{-1}, (i_{13/2}^{-2})_{10+}]$ , configuration= $\nu [p_{3/2}^{-1}, (i_{13/2}^{-2})_{12+}]$  and configuration= $\nu [p_{3/2}^{-1}, (i_{13/2}^{-2})_{12+}]$  $[p_{1/2}^{-1}, (i_{13/2}^{-2})_{12+}].$ <sup>d</sup> Configuration= $\nu$  [ $f_{5/2}^{-1}, (i_{13/2}^{-2})_{12+}$ ].
<sup>e</sup> Configuration= $\nu$  ( $i_{13/2}^{-3}$ ).

<sup>f</sup> Configuration= $\nu$  ( $p_{3/2}^{-1}$ , $f_{5/2}^{-1}$ , $i_{13/2}^{-3}$ ). <sup>g</sup> Band(A): configuration= $\nu$  [ $p_{3/2}^{-1}$ , $(i_{13/2})^{-2}$ )<sub>12+</sub>] $\otimes \pi$  ( $h_{9/2}^{+1}$ , $i_{13/2}^{+1}$ )<sub>11-</sub>. Band 2 in 1995Ba70. <sup>h</sup> Band(B): configuration= $\nu$  ( $i_{13/2}^{-1}$ )  $\otimes \pi$  ( $h_{9/2}^{+1}$ , $i_{13/2}^{+1}$ )<sub>11-</sub>. Band 1 in 1995Ba70.

- <sup>*i*</sup> Band(C): Band 3 in 1995Ba70.
- <sup>j</sup> Band(D): Band 4 in 1995Ba70.
- <sup>k</sup> Band(E): Band 5 in 1995Ba70.

# $\gamma(^{201}\text{Pb})$

$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$J_f^{\pi}$	Mult. <sup>‡</sup>	α <sup>@</sup>	$I_{(\gamma+ce)}$ #	Comments
79.5 5	10.2 19	4640.9+x	$(41/2^+)$	4561.4+x	$(37/2^+)$	E2	17.1 6		$\alpha(L)=12.84; \alpha(M)=3.3711$
									$\alpha(N)=0.849\ 28;\ \alpha(O)=0.151\ 5;\ \alpha(P)=0.00561\ 18$
									$E_{\gamma}$ : Other: 80.1 keV 5 in 1989Su12.
									Mult.: R(DCO)=1.1 4; L/M in 1989Su12.
98.2 5	0.8 1	5990.4+x	(45/2)	5892.2+x	(43/2)	(D)			Mult.: R(DCO)=0.74 21.
101.7 5		6247.8+x	(37/2)	6146.2+x	(35/2)	D		72 23	Mult.: R(DCO)=0.55 14.
109.2 5		4169.8+y		4060.6+y		D		89 28	Mult.: R(DCO)=0.71 15.
129.7 5		6377.5+x	(39/2)	6247.8+x	(37/2)	D		77 15	Mult.: R(DCO)=0.57 8.
136.2 5	0.6 1	6461.1+x	(47/2)	6324.8+x	$(45/2^+)$	(D)			Mult.: R(DCO)=0.89 28.
139.6 5		4780.5+z		4640.9+z		D		100 18	Mult.: R(DCO)=0.69 17.
142.5 5	1.1 <i>1</i>	4648.7+x	(35/2)	4506.2+x	(35/2)	D,E2			Mult.: $R(DCO)=1.00$ 35, consistent with $\Delta J=0$ transition.
152.9 <i>5</i>		4793.8+v		4640.9+v		D		94 21	Mult.: R(DCO)=0.55 23.
153.7 5	2.0 1	5990.4+x	(45/2)	5836.7+x	(41/2)	E2	1.114 21		$\alpha(K)=0.300$ 5; $\alpha(L)=0.607$ 12; $\alpha(M)=0.1597$ 32
									$\alpha$ (N)=0.0403 8; $\alpha$ (O)=0.00723 15; $\alpha$ (P)=0.000325 6
									Mult.: R(DCO)=1.02 15.
159.4 5	2.3 1	5990.4+x	(45/2)	5831.0+x	$(45/2^+)$	D,E2			Mult.: $R(DCO)=1.06 \ 13, \ \Delta J=0 \ transition.$
166.4 5	3.3 2	2069.1		1902.7	21/2+	D,E2			Mult.: R(DCO)=1.08 9.
171.6 5		6549.1+x	(41/2)	6377.5+x	(39/2)	D		86 12	Mult.: R(DCO)=0.58 6.
175.8 5		4956.3+z		4780.5+z		D		99 28	Mult.: R(DCO)=0.68 19.
176.5 5	< 0 <b>-</b>	4817.4+u	(50.00)	4640.9+u		(D)		93 19	Mult.: R(DCO)=0.83 19.
179.3 5	6.8 7	8199.0+x	(53/2)	8019.7+x	(51/2)	D		100 01	Mult.: $R(DCO)=0.70$ 6.
181.6.5	1.0	4351.4+y	(20/2)	4169.8+y	(41/0+)	D (D)		100 21	Mult.: $R(DCO)=0.66 6.$
190.4 5	<1.0	4831.3+x	(39/2)	4640.9+x	$(41/2^+)$	(D)			Mult.: $R(DCO) = 0.81 \ 18.$
197.2.5	4.1 1	/340.5+x	(51/2)	/143.3+x	(49/2 ' )	D		06.0	Mult.: $R(DCO) = 0.70 II.$
198.6.5		4992.4+V	(12)	4/93.8+V	(41/2)	D		96.9	Mult.: $R(DCO) = 0.63 \ 11.$
220.5 5		6/69.5+X	(43/2)	6549.1+X	(41/2)	D		100 15	Mult.: $R(DCO) = 0.58 \ 3.$
222.5 5	59 0 12	51/8.0+Z	25/2-	4950.5+Z	21/2-	D (E2)	0.200.5	100 15	Mull.: $R(DCO)=0.04 \ IO.$
222.4 3	58.0 12	2/19.0	25/2	2497.2	21/2	(E2)	0.298 3		$\alpha(\mathbf{K}) = 0.1515\ 20;\ \alpha(\mathbf{L}) = 0.1242\ 21;\ \alpha(\mathbf{M}) = 0.0525\ 5$
									$\alpha(N)=0.0081714; \alpha(O)=0.00148225; \alpha(P)=7.82\times10^{-5}13$
22575		5042 1		4917 4		<b>(D)</b>		100 17	Mult.: $R(DCO) = 0.93 \ 10$ .
225.7 5	062	5043.1+u	$(40/2^{+})$	481/.4+u	(17/2)	(D)		100 17	Mult.: $R(DCO) = 0.88 T/.$
252.2.5	0.0 3	/143.3+X	$(49/2^{+})$	0911.0+X	(47/2)	(D) D		100 11	Mult.: $R(DCO)=0.81 23$ .
230.0 3	0.0.1	5242.4+V	(41/2)	4992.4+V	$(20/2^{-})$	D (D)		100 11	Mult.: $R(DCO)=0.08 \ II.$
255.7 5	0.9 I	2830.7+X	(41/2)	5585.0+X	(39/2)	(D) D			Mult.: $R(DCO)=0.78 \ 28.$
259.2 5	1.0 1	$4615.2 \pm w$	(31/2)	1251 4 H	(49/2)	D		00 10	Mult. $R(DCO)=0.05$ 15. Mult. $R(DCO)=0.71$ 6
203.8 5	407	4013.2+y	(20/2)	4551.4+y	$(27/2^{+})$	D		99 10	Mult. $R(DCO) = 0.710$ . Mult. $R(DCO) = 0.64.12$
209.9 5	4.0 /	+0.51.3+X 70/5 / $\downarrow =$	(39/2) (45/2)	4301.4+X	(31/2)	D D		02 10	Mult $\cdot R(DCO) = 0.04 12.$
215.95		5455 04 7	(43/2)	5178 6-1 7	(+3/2)	D		92 10 04 15	Mult $\cdot R(DCO) = 0.50 \ S.$
270.45 278.2.5		5321 3±11		5178.0+2 5043.1+11		(D)		94 1J 01 10	Mult $\cdot R(DCO) = 0.00$ 2.
210.23	1218	3833 / 1 v	$(35/2^{-})$	3546 2.1 v	$(33/2^{-})$	(D) M1	0.481.7	91 10	$\alpha(K) = 0.303 \text{ fr } \alpha(L) = 0.0671 \text{ In } \alpha(M) = 0.01572 \text{ 23}$
201.2 3	42.1 0	J0JJ.4⊤X	(35/2)	5540.2±X	(35/2)	1411	0.401 /		$u(\mathbf{x}) = 0.333, 0, u(\mathbf{L}) = 0.0071, 10, u(\mathbf{w}) = 0.01372, 23$

ω

 $^{201}_{82} \text{Pb}_{119}\text{-}3$ 

From ENSDF

 $^{201}_{82} \mathrm{Pb}_{119}\text{-}3$ 

						$^{192}$ Os( $^{14}$	<b>C,5n</b> γ) <b>19</b>	95Ba70 (co	ontinued)
							$\gamma$ ( <sup>201</sup> Pb) (c	ontinued)	
$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathrm{J}_f^\pi$	Mult. <sup>‡</sup>	α <sup>@</sup>	$I_{(\gamma+ce)}^{\#}$	Comments
									$\alpha$ (N)=0.00399 6; $\alpha$ (O)=0.000796 12; $\alpha$ (P)=8.52×10 <sup>-5</sup> 13
									Mult.: R(DCO)=0.76 5; K/L in 1989Su12.
293.9 5	12.8 8	3933.0+x	$(33/2^+)$	3639.1+x	(31/2)	D			Mult.: R(DCO)=0.78 7.
302.0 5	4.5 1	5390.2+x	(45/2)	5088.2+x	(43/2)	(D)			Mult.: R(DCO)=0.79 13.
312.0 5		5554.4+v		5242.4+v		D		75 10	Mult.: R(DCO)=0.58 11.
326.7 5		5648.0+u		5321.3+u		(D)		64 12	Mult.: R(DCO)=0.79 16.
331.1 5	1.7 2	7340.5+x	(51/2)	7009.4+x	(49/2)	(D)			Mult.: R(DCO)=0.77 18.
332.3 5		5787.3+z		5455.0+z		D		69 11	Mult.: R(DCO)=0.69 13.
333.1 5		7378.5+x	(47/2)	7045.4+x	(45/2)	D		46 9	Mult.: R(DCO)=0.57 5.
334.6 5		7379.9+x	(47/2)	7045.4+x	(45/2)	D		43 11	Mult.: R(DCO)=0.60 5.
340.8 5		4956.0+y		4615.2+y		D		87 8	Mult.: R(DCO)=0.69 5.
350.5 5	34.5 14	1896.6	$19/2^{+}$	1546.1	$15/2^{+}$	E2	0.0738 11		$\alpha$ (K)=0.0454 7; $\alpha$ (L)=0.02131 32; $\alpha$ (M)=0.00542 8
									$\alpha(N)=0.001371\ 20;\ \alpha(O)=0.000254\ 4;\ \alpha(P)=1.681\times10^{-5}\ 25$
									Mult.: R(DCO)=0.95 13.
354.5 5	63.4 19	1896.6	$19/2^{+}$	1542.1	$17/2^{+}$	M1			$\alpha(K)=0.13$ 9; $\alpha(L)=0.029$ 9; $\alpha(M)=0.0070$ 18
			,						$\alpha(N)=0.0018$ 5: $\alpha(O)=3.5\times10^{-4}$ 10: $\alpha(P)=3.2\times10^{-5}$ 16
									Mult.: From adopted gammas, $R(DCO)=1.10$ //.
360.6.5	26.3 11	1902.7	$21/2^{+}$	1542.1	$17/2^{+}$	E2	0.0682 10		$\alpha(K)=0.0425$ 6: $\alpha(L)=0.01925$ 29: $\alpha(M)=0.00489$ 7
			/		. /				$\alpha(N) = 0.001237 \ 18^{\circ} \alpha(O) = 0.0002295 \ 34^{\circ} \alpha(P) = 1.540 \times 10^{-5} \ 23$
									$Mult \cdot R(DCO)=0.96.9$
374 4 5		5928 8+v		5554 4+v		D		57 7	Mult: $R(DCO)=0.68.14$
380.4.5		6028.4+11		5648.0+1		(D)		36.7	Mult.: $R(DCO)=0.89 11$
380.6.5	3.2.3	7760.5 + x	(49/2)	7379.9+x	(47/2)	(D)		207	Mult.: $R(DCO)=0.84/29$
382.0.5	3.8 /	7760.5 + x	(49/2)	7378.5 + x	(47/2)	D			Mult.: $R(DCO)=0.66.15$
387.0.5	3.3 /	3933.0+x	$(33/2^+)$	3546.2+x	$(33/2^{-})$	(D)			Mult: $R(DCO)=0.90$ 15. $\Delta J=0$ transition.
388.1 5		6175.4+z	(==)	5787.3+z	(	D		517	Mult.: R(DCO)=0.59 14.
393.3.5		7773.3+x	(49/2)	7379.9+x	(47/2)	D		28 4	Mult.: R(DCO)=0.64 10.
394.8 5		7773.3+x	(49/2)	7378.5+x	(47/2)	D		31 7	Mult.: R(DCO)=0.60 13.
404.0.5		5359.8+v	( -1 )	4956.0+v		D		75 7	Mult.: R(DCO)=0.70 6.
422.5.5	32.5 16	3933.0+x	$(33/2^+)$	3510.6+x	$(31/2^{-})$	(D)			Mult.: $R(DCO)=0.83 \ 14$
429.7 5	0210 10	6458.1+u	(00/= )	6028.4 + u	(01/2)	(D)		16 7	Mult.: $R(DCO)=0.79$ 30.
436.0 5		6364.8+v		5928.8+v		(D)		39 10	Mult.: $R(DCO)=0.77 21$ .
441.3 5		6616.7+z		6175.4+z		D		39 10	Mult.: R(DCO)=0.64 16.
442.5 5		8215.8+x	(51/2)	7773.3+x	(49/2)	D		9.5	Mult.: R(DCO)=0.68 16.
447.3 5	31.5 6	5088.2 + x	(43/2)	4640.9+x	$(41/2^+)$	D			Mult.: $R(DCO)=0.765$ .
453.9.5		8227.2+x	(51/2)	7773.3+x	(49/2)	D		196	Mult.: R(DCO)=0.62 14.
455.8.5	3.2.2	8654.8+x	(55/2)	8199.0+x	(53/2)	D			Mult.: R(DCO)=0.71 7.
459.0.5		5818.8+v	(201-)	5359.8+v	(30/-)	D		52 6	Mult.: $R(DCO)=0.70$ 6.
470.7.5	7.1 4	6461.1 + x	(47/2)	5990.4 + x	(45/2)	(D)			Mult.: $R(DCO)=0.94$ 12.
483.1 5		6941.2+u	(,=)	6458.1+11	(,=)	$(\tilde{D})$		19 7	Mult.: R(DCO)=0.73 26.
491.7.5		7108.4 + z		6616.7+z		D		26.5	Mult.: $R(DCO)=0.64$ 17.
102 4 5		6050 0		6364 8 L M		(D)		27 7	$M_{\rm m}$ to $D(DCO) = 0.76.20$

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	$192$ Os( $14$ C,5n $\gamma$ ) 1995Ba70 (continued)										
$\gamma$ <sup>(201</sup> Pb) (continued)											
$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_{f}^{\pi}$	Mult. <sup>‡</sup>	α <sup>@</sup>	$I_{(\gamma+ce)}^{\#}$	Comments		
505.7 5		6324.5+y		5818.8+y		D		17 6	Mult.: R(DCO)=0.67 11.		
518.4 5		6337.2+y		5818.8+y		D		10 2	Mult.: R(DCO)=0.69 10.		
530.2 5		7471.4+u		6941.2+u		(D)		15 <i>3</i>	Mult.: R(DCO)=0.85 20.		
539.8 5		7648.2+z		7108.4+z		(D)		12 3	Mult.: R(DCO)=0.66 26.		
548.3 5	2.7 1	7009.4+x	(49/2)	6461.1+x	(47/2)	D			Mult.: R(DCO)=0.67 9.		
558.5 <i>5</i>		6883.0+y		6324.5+y		D		71	Mult.: R(DCO)=0.65 18.		
573.2 5	9.0 8	4506.2+x	(35/2)	3933.0+x	$(33/2^+)$	D			Mult.: R(DCO)=0.63 11.		
586.1 <i>5</i>	1.8 3	6911.0+x	(47/2)	6324.8+x	$(45/2^+)$	D			Mult.: R(DCO)=0.76 13.		
594.5 <i>5</i>	3.0 3	2497.2	$21/2^{-}$	1902.7	$21/2^{+}$	(D)			Mult.: R(DCO)=0.73 21; $\Delta$ J=0 transition;		
600.2 5	2.9 4	5990.4+x	(45/2)	5390.2+x	(45/2)	D,E2			Mult.: R(DCO)=0.98 16, $\Delta$ J=0 transition.		
600.5 5	70.9 14	2497.2	$21/2^{-}$	1896.6	19/2+	D			Mult.: R(DCO)=0.80 8.		
^610	36 4								$E_{\gamma}$ : Depopulates band 1 in 1995Ba70, but the exact placement is not known.		
670 1 5	27.0.14	4561 4	$(27/2^{+})$	2022 0 + #	$(22/2^{+})$	E2	0.01726.24		$I_{\gamma}$ : % branching of the total population of band 1 in 1995Ba/0.		
028.4 3	27.0 14	4301.4+X	$(31/2^{+})$	3933.0+X	$(33/2^{+})$	E2	0.01/30/24		$\alpha(\mathbf{K}) = 0.01298 \ 18; \ \alpha(\mathbf{L}) = 0.00332 \ 3; \ \alpha(\mathbf{M}) = 0.000812 \ 12$		
									$\alpha(N)=0.0002057/29; \alpha(O)=3.94\times10^{-5}0; \alpha(P)=3.36\times10^{-5}5$		
662 0 5	212	2004 4 L m	(52/2)	7240 5	(51/2)	(D)			Mult.: $R(DCO)=1.00$ 9. Mult.: $R(DCO)=0.80$ 12. Note, that the authors give		
003.9 5	5.1 2	0004.4+X	(33/2)	7340.3+X	(31/2)	(D)			P(DCO)=0.8.12 that is probably a type		
664.1.5	131	2733 3		2060-1		D F2			R(DCO)=0.872 that is probably a typo. Mult : $R(DCO)=1.08.25$		
667.6.5	282	2736.7		2069.1		D, E2 D F2			Mult: $R(DCO) = 1.03.25$ . Mult: $R(DCO) = 1.03.16$		
682 3 5	101	7143.3 + x	$(49/2^+)$	6461 1 + x	(47/2)	(D)			Mult: $R(DCO) = 0.73 \ 18$		
715.7.5	5.5.8	4648.7 + x	(35/2)	3933.0+x	$(33/2^+)$	D			Mult: $R(DCO) = 0.66 12$		
717.3 5	27.7 6	6707.7 + x	(49/2)	5990.4 + x	(45/2)	E2	0.01305 18		$\alpha(K) = 0.00999 \ 14; \ \alpha(L) = 0.002324 \ 33; \ \alpha(M) = 0.000564 \ 8$		
			()		(,=)				$\alpha(N) = 0.0001428 \ 20^{\circ} \alpha(O) = 2.75 \times 10^{-5} \ 4^{\circ} \alpha(P) = 2.446 \times 10^{-6} \ 34$		
									Mult $\cdot$ B(DCO)=1.05.6		
728.0.5	61.5 18	4561.4 + x	$(37/2^+)$	3833.4+x	$(35/2^{-})$	(D)			Mult.: $R(DCO) = 0.89.4$		
744.6.5	0110 10	5359.8+v	(0,1/2))	4615.2+v	(00/2 )	E2	0.01206 17	11 4	$ce(K)/(\gamma+ce)=0.00918$ 13: $ce(L)/(\gamma+ce)=0.002084$ 29:		
									$ce(M)/(\gamma+ce)=0.0005047$ $ce(M)/(\gamma+ce)=0.0001277$ 18: $ce(Q)/(\gamma+ce)=2.466\times 10^{-5}$ 35:		
									$\frac{(e(N)/(\gamma+ce)-0.000127778, ce(O)/(\gamma+ce)-2.400\times10^{-5}35, ce(P)/(\gamma+ce)=2.217\times10^{-6}31}{(V)}$		
									$\alpha(\mathbf{K}) = 0.00929 \ 13; \ \alpha(\mathbf{L}) = 0.002109 \ 30; \ \alpha(\mathbf{M}) = 0.000510 \ 7$		
									$\alpha$ (N)=0.0001293 18; $\alpha$ (O)=2.496×10 <sup>-5</sup> 35; $\alpha$ (P)=2.244×10 <sup>-6</sup> 32		
701.0.5	22 0 11	2510 ( )	(21/2-)	2710 (	(20/2-)	D			Mult.: $R(DCO) = 1.1.3$ .		
/91.0.5	22.8 11	3510.6+x	$(31/2^{-})$	2/19.6+x	$(29/2^{-})$	D E2	0.00072.14		Mult.: $K(DCU)=0.61.4$ .		
826.6 5	89.4 18	3546.2+x	(33/2)	2/19.6+x	(29/2)	E2	0.009/3 14		$\alpha(\mathbf{K})=0.00759711; \alpha(\mathbf{L})=0.001621723; \alpha(\mathbf{M})=0.0003905$		
									$\alpha(N) = 9.88 \times 10^{-5} \ 14; \ \alpha(O) = 1.916 \times 10^{-5} \ 27; \ \alpha(P) = 1.771 \times 10^{-6} \ 25$		
000 4 5		((1(7)		5707.2		<b>F</b> 0	0.00066.14	10.5	Mult.: $K(DCU)=1.00$ 14.		
829.4 5		6616./+z		5/8/.3+z		E2	0.00966 14	12.5	$ce(K)/(\gamma+ce)=0.00/4/10; ce(L)/(\gamma+ce)=0.00159322;$ $ce(M)/(\gamma+ce)=0.0003835$		

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 $^{201}_{82} \mathrm{Pb}_{119}\text{-}5$ 

						<sup>192</sup> <b>Os</b> ( <sup>14</sup> <b>C</b>	C <b>,5n</b> γ) <b>1995</b>	Ba70 (con	tinued)
							$\gamma(^{201}\text{Pb})$ (con	tinued)	
${\rm E_{\gamma}}^{\dagger}$	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$\mathrm{E}_{f}$	$\mathbf{J}_f^{\pi}$	Mult. <sup>‡</sup>	α <sup>@</sup>	$I_{(\gamma+ce)}^{\#}$	Comments
830.7 <i>5</i> 834.0 <i>5</i>	2.7 <i>3</i> 3.8 <i>3</i>	2733.3 2736.7		1902.7 1902.7	21/2 <sup>+</sup> 21/2 <sup>+</sup>	D,E2 D,E2			ce(N)/( $\gamma$ +ce)=9.70×10 <sup>-5</sup> 14; ce(O)/( $\gamma$ +ce)=1.882×10 <sup>-5</sup> 26; ce(P)/( $\gamma$ +ce)=1.741×10 <sup>-6</sup> 24 $\alpha$ (K)=0.00755 11; $\alpha$ (L)=0.001608 23; $\alpha$ (M)=0.000387 5 $\alpha$ (N)=9.80×10 <sup>-5</sup> 14; $\alpha$ (O)=1.900×10 <sup>-5</sup> 27; $\alpha$ (P)=1.758×10 <sup>-6</sup> 25 Mult.: R(DCO)=1.2 7. Mult.: R(DCO)=1.13 16. Mult.: R(DCO)= 0.94 11.
862.8 <i>5</i>		5818.8+y		4956.0+y		E2	0.00892 13	10 4	$\begin{aligned} & \operatorname{ce}(\mathbf{K})/(\gamma+\operatorname{ce}) = 0.00694 \ 10; \ \operatorname{ce}(\mathbf{L})/(\gamma+\operatorname{ce}) = 0.001448 \ 20; \\ & \operatorname{ce}(\mathbf{M})/(\gamma+\operatorname{ce}) = 0.000347 \ 5 \\ & \operatorname{ce}(\mathbf{N})/(\gamma+\operatorname{ce}) = 8.80 \times 10^{-5} \ 12; \ \operatorname{ce}(\mathbf{O})/(\gamma+\operatorname{ce}) = 1.710 \times 10^{-5} \ 24; \\ & \operatorname{ce}(\mathbf{P})/(\gamma+\operatorname{ce}) = 1.597 \times 10^{-6} \ 22 \\ & \alpha(\mathbf{K}) = 0.00700 \ 10; \ \alpha(\mathbf{L}) = 0.001460 \ 21; \ \alpha(\mathbf{M}) = 0.000350 \ 5 \\ & \alpha(\mathbf{N}) = 8.88 \times 10^{-5} \ 12; \ \alpha(\mathbf{O}) = 1.725 \times 10^{-5} \ 24; \ \alpha(\mathbf{P}) = 1.611 \times 10^{-6} \ 23 \\ & \operatorname{Mult.:} \ \operatorname{R}(\mathbf{DCO}) = 0.92 \ 34. \end{aligned}$
902.2 5 913.0 5	23.9 2 100.0 20	5990.4+x 1542.1	(45/2) 17/2 <sup>+</sup>	5088.2+x 629.1	(43/2) 13/2 <sup>+</sup>	D E2	0.00797 11		Mult.: R(DCO)=0.55 5. $\alpha$ (K)=0.00629 9; $\alpha$ (L)=0.001276 18; $\alpha$ (M)=0.000305 4 $\alpha$ (N)=7.73×10 <sup>-5</sup> 11; $\alpha$ (O)=1.506×10 <sup>-5</sup> 21; $\alpha$ (P)=1.425×10 <sup>-6</sup> 20 Mult : R(DCO)=1.08 8
917.0 5 919.4 5	37.0 <i>15</i> 8.8 <i>25</i>	1546.1 3639.1+x	$\frac{15/2^{+}}{(31/2)}$	629.1 2719.6+x	$\frac{13}{2^+}$ (29/2 <sup>-</sup> )	(D) (D)			Mult.: R(DCO)=0.81 11. Mult.: R(DCO)=0.87 12.
933.1 5		7108.4+z	(0-1)	6175.4+z		E2	0.00763 11	10 4	ce(K)/( $\gamma$ +ce)=0.00599 8; ce(L)/( $\gamma$ +ce)=0.001203 17; ce(M)/( $\gamma$ +ce)=0.000287 4 ce(N)/( $\gamma$ +ce)=7.28×10 <sup>-5</sup> 10; ce(O)/( $\gamma$ +ce)=1.419×10 <sup>-5</sup> 20; ce(P)/( $\gamma$ +ce)=1.349×10 <sup>-6</sup> 19 $\alpha$ (K)=0.00604 8; $\alpha$ (L)=0.001212 17; $\alpha$ (M)=0.000289 4 $\alpha$ (N)=7.34×10 <sup>-5</sup> 10; $\alpha$ (O)=1.430×10 <sup>-5</sup> 20; $\alpha$ (P)=1.360×10 <sup>-6</sup> 19 Mult.: R(DCO)=0.8 3.
964.7 <i>5</i>		6324.5+y		5359.8+y		(E2)	0.00714 <i>10</i>	10 3	ce(K)/( $\gamma$ +ce)=0.00563 8; ce(L)/( $\gamma$ +ce)=0.001113 16; ce(M)/( $\gamma$ +ce)=0.00266 4 ce(N)/( $\gamma$ +ce)=6.73×10 <sup>-5</sup> 9; ce(O)/( $\gamma$ +ce)=1.313×10 <sup>-5</sup> 18; ce(P)/( $\gamma$ +ce)=1.257×10 <sup>-6</sup> 18 $\alpha$ (K)=0.00567 8; $\alpha$ (L)=0.001121 16; $\alpha$ (M)=0.000267 4 $\alpha$ (N)=6.78×10 <sup>-5</sup> 10; $\alpha$ (O)=1.323×10 <sup>-5</sup> 19; $\alpha$ (P)=1.266×10 <sup>-6</sup> 18 Mult.: R(DCO)=0.77 18.
1005.5 <i>5</i> 1031.4 <i>5</i>	1.9 <i>1</i>	5836.7+x 7648.2+z	(41/2)	4831.3+x 6616.7+z	(39/2)	(D) E2	0.00627 9	12 4	Mult.: R(DCO)=0.76 20. ce(K)/( $\gamma$ +ce)=0.00498 7; ce(L)/( $\gamma$ +ce)=0.000956 13; ce(M)/( $\gamma$ +ce)=0.0002273 32 ce(N)/( $\gamma$ +ce)=5.76×10 <sup>-5</sup> 8; ce(O)/( $\gamma$ +ce)=1.127×10 <sup>-5</sup> 16; ce(P)/( $\gamma$ +ce)=1.093×10 <sup>-6</sup> 15 $\alpha$ (K)=0.00501 7; $\alpha$ (L)=0.000962 14; $\alpha$ (M)=0.0002287 32 $\alpha$ (N)=5.80×10 <sup>-5</sup> 8; $\alpha$ (O)=1.134×10 <sup>-5</sup> 16; $\alpha$ (P)=1.100×10 <sup>-6</sup> 15 Mult.: R(DCO)=1.2 5.

6

L

						$^{192}$ <b>Os</b> ( $^{14}$ <b>C</b>	<b>2,5n</b> γ) <b>1995B</b>	a70 (continued)				
	$\gamma(^{201}\text{Pb})$ (continued)											
$E_{\gamma}^{\dagger}$	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_{f}^{\pi}$	Mult. <sup>‡</sup>	α@	Comments				
1190.1 5	13.6 4	5831.0+x	(45/2+)	4640.9+x	(41/2+)	E2	0.00477 7	$\begin{aligned} \alpha(\mathbf{K}) &= 0.00385 \ 5; \ \alpha(\mathbf{L}) &= 0.000701 \ 10; \ \alpha(\mathbf{M}) &= 0.0001657 \ 23 \\ \alpha(\mathbf{N}) &= 4.20 \times 10^{-5} \ 6; \ \alpha(\mathbf{O}) &= 8.25 \times 10^{-6} \ 12; \ \alpha(\mathbf{P}) &= 8.20 \times 10^{-7} \ 11; \\ \alpha(\mathbf{IPF}) &= 3.08 \times 10^{-6} \ 6 \\ \text{Mult: } \mathbf{P}(\mathbf{DCO}) &= 1.07 \ 12 \end{aligned}$				
1251.3.5	3.5 1	5892.2+x	(43/2)	4640.9 + x	$(41/2^+)$	(D)		Mult.: $R(DCO)=1.0715$ . Mult.: $R(DCO)=0.74.17$ .				
1312.0.5	19.6.12	8019.7 + x	(51/2)	6707.7 + x	(49/2)	D		Mult: $R(DCO)=0.73/3$				
1312.3 5	5.8 4	7143.3+x	$(49/2^+)$	5831.0+x	$(45/2^+)$	E2	0.00398 6	$\begin{aligned} \alpha(\mathbf{K}) = 0.00322 \ 5; \ \alpha(\mathbf{L}) = 0.000569 \ 8; \ \alpha(\mathbf{M}) = 0.0001340 \ 19 \\ \alpha(\mathbf{N}) = 3.40 \times 10^{-5} \ 5; \ \alpha(\mathbf{O}) = 6.69 \times 10^{-6} \ 9; \ \alpha(\mathbf{P}) = 6.74 \times 10^{-7} \ 9; \\ \alpha(\mathbf{IPF}) = 1.758 \times 10^{-5} \ 26 \end{aligned}$				
1341.0.5	341	4060.6		2719.6	25/2-	D F2		Mult: $R(DCO) = 0.97717$ . Mult: $R(DCO) = 0.8976$				
1388 1 5	191	7378 5+x	(47/2)	5990.4 + x	(45/2)	(D)		Mult: $R(DCO)=0.072.29$				
1389.4.5	1.4 1	7379.9 + x	(47/2)	5990.4 + x	(45/2)	(D)		Mult: $R(DCO)=0.64$ 37.				
1640.0.5	1.7 1	6146.2 + x	(35/2)	4506.2 + x	(35/2)	D.E2		Mult.: $R(DCO)=1.13$ 26. $AJ=0$ transition.				
1683.8 5	3.8 2	6324.8+x	(45/2 <sup>+</sup> )	4640.9+x	$(41/2^+)$	E2	0.00263 4	$\begin{aligned} \alpha(\mathbf{K}) = 0.002053 \ 29; \ \alpha(\mathbf{L}) = 0.000342 \ 5; \ \alpha(\mathbf{M}) = 8.00 \times 10^{-5} \ 11 \\ \alpha(\mathbf{N}) = 2.027 \times 10^{-5} \ 28; \ \alpha(\mathbf{O}) = 4.01 \times 10^{-6} \ 6; \ \alpha(\mathbf{P}) = 4.15 \times 10^{-7} \ 6; \\ \alpha(\mathbf{IPF}) = 0.0001288 \ 18 \\ \text{Mult} : \ \mathbf{R}(\mathbf{DCO}) = 1.01 \ 17. \end{aligned}$				
1749.5 5	1.9 <i>1</i>	5583.0+x	(39/2 <sup>-</sup> )	3833.4+x	(35/2 <sup>-</sup> )	E2	2.48×10 <sup>-3</sup> 4	$\alpha(K)=0.001916\ 27;\ \alpha(L)=0.000317\ 4;\ \alpha(M)=7.40\times10^{-5}\ 10$ $\alpha(N)=1.877\times10^{-5}\ 26;\ \alpha(O)=3.72\times10^{-6}\ 5;\ \alpha(P)=3.86\times10^{-7}\ 5;$ $\alpha(IPF)=0.0001548\ 22$ Mult.: R(DCO)=0.93\ 19.				

<sup>†</sup> From 1995Ba70, unless otherwise stated.  $\Delta E\gamma = 0.5$  keV estimated by the evaluator.

<sup>‡</sup> From DCO ratios, multiple decay branches and proposed spin differences in 1995Ba70, unless otherwise stated. Some of the transitions assigned as dipole may have quadrupole admixtures.

<sup>#</sup> Relative total intensity within each band from 1995Ba70. Values were corrected in 1995Ba70 for internal electron conversion by assuming pure M1 and E2 characters for the  $\Delta J=1$  and  $\Delta J=2$  transitions, respectively.

<sup>@</sup> Additional information 7.

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<sup>*x*</sup>  $\gamma$  ray not placed in level scheme.



 $^{201}_{\ 82} \mathrm{Pb}_{119}$ 







 $^{201}_{\ 82} \mathrm{Pb}_{119}$ 

### <sup>192</sup>**Os**(<sup>14</sup>**C**,**5** $n\gamma$ ) 1995Ba70 Legend Level Scheme (continued) $\begin{array}{l} \bullet \quad I_{\gamma} < \ 2\% \times I_{\gamma}^{max} \\ \bullet \quad I_{\gamma} < 10\% \times I_{\gamma}^{max} \\ \bullet \quad I_{\gamma} > 10\% \times I_{\gamma}^{max} \end{array}$ Intensities: Relative I<sub>γ</sub> $= \begin{bmatrix} 1 \\ -\frac{1}{280} \\ -\frac{1}{28$ + 263.8 D 0.60 461<u>5.2+y</u> $(37/2^+)$ 4561.4+x 4506.2+x 4351.4+y (35/2) 2 ŝ 00 4169.8+y Ģ <u>ð</u> 0 ŧ 4060.<u>6+y</u> 189 189 4060.6 $\frac{(33/2^+)}{(35/2^-)}$ $\frac{(31/2)}{(31/2)}$ 3933.0+x -2 <sup>6</sup>26.6 3 3833.4+x $\left\| \prod_{\substack{0,y,c \in J_{k_{2},j_{k_{1}}} \\ 0, 0 \le J_{k_{2},j_{k_{1}}} \\ 0 \le J_{k_{2},j_{k_{1}}} \\ 0 \le J_{k_{2},j_{k_{1}}} \right\|$ 0 3639.1+x $(33/2^{-})$ 3546.2+x (31/2-) 3510.6+x (E).58.0 2736.7 2733.3 2719.6+x (29/2-) ã 508 ns 5 ¥ 25/2 ط لاقو<sub>ظ ل</sub>کرایا عناق ا 2719.6 000 | 63 ns 3 20 21/2 1 <sup>3</sup>6.6 22 26.3 2497.2 1 351 41 534 | 2069.1 $\frac{21/2^+}{19/2^+}$ ¥ 1902.7 1896.6 8 0 + <sup>9</sup>13.0 E 10:16 1546.1 15/2+ $17/2^{+}$ 1542.1 <u>629.1</u> 60.8 s 18 13/2+ 5/2-0 9.33 h 5

 $^{201}_{82}{\rm Pb}_{119}$ 

Band(A): Configuration=v				
$[\mathbf{p}_{3/2}^{-1}, (\mathbf{i}_{13/2})^{-2})_{12+}]\otimes$				
$\pi(\mathbf{h}_{9/2}^{+1},$				
1 <sub>13/2</sub> )11-				
(51/2) 8227.2+x				
454				
(49/2) 7773.3+x		Band(C): Band 3 in 1995Ba70		
· ·		7648.2+z	Band(D): Band 4 in	
393			1995Ba70	
			7471.4+u	
(47/2) 7379.9+x		540		
335	Band(B): Configuration= $v$ ( $\mathbf{i}_{12/2}^{-1}$ ) $\otimes \pi$ ( $\mathbf{h}_{0/2}^{+1}$ ,	10317108.4+z	530	Band(E): Band 5 in
(45/2) 7045.4+x	$\mathbf{i}_{13/2}^{+1}$ $\mathbf{i}_{13/2}^{+1}$ $\mathbf{i}_{1-}^{+1}$			1995Ba70
276	6883.0+y		<u>6941.2+u</u>	(070.0.
(43/2) 6769 5+x		492		<u> </u>
010201			483	
220 (41/2) 6549 1+x	558	933 <b>• 6616.7+z</b>		493
172			6458.1+u	
$(39/2)  \begin{array}{c} 1/2 \\ 6377.5 + x \end{array}$	6324.5+v	441		6364.8+v
(37/2) <sup>130</sup> 6247.8+x				
(35/2) <sup>102</sup> 6146.2+x		829 6175.4+z	430	136
•	506		6028.4+u	-50
		388		5928.8+v
	965 5818.8+y	5787 3+7	380	
		0101012		374
		332	<u> </u>	5554.4
	459	5455 0±7	327	5554.4+V
	863 5359.8+y	5455.012	521	312
		276	<u>5321.3+u</u>	5242.4+v
	404	5178.6+z	278	
		222	<b>5043.1+u</b>	250
	7454956.0+y	4956.3+z		4992.4+v
		176	4817.4+u	199 4793 8±v
	341	4/80.5+2	176	153
	4615.2+y	4640.9+z	<b>4640.9+u</b>	¥ 4640.9+v
	204 4351.4+v			
	4169.8+y			
	109 4060.6+y			

 $^{201}_{82}{\rm Pb}_{119}$