

$^{172}\text{Yb}(^{14}\text{N},4n\gamma)$ 1990Kr06

Type	Author	History Citation	Literature Cutoff Date
Full Evaluation	Balraj Singh	NDS 130, 21 (2015)	15-Jul-2015

1990Kr06: E=70-83 MeV. Measured γ , $\gamma\gamma$, $\gamma(\theta)$, $\gamma\gamma(t)$, excitation functions. See also 1986Kr09 from the same group. 2007Ho20 mention (reference 11 in their paper) another high-spin study by H. Somacal, Ph.D. thesis, University of Buenos Aires, Argentina (1996). This work seems to be from the same group as 1990Kr06. Copy of this thesis was not available to the evaluators.

Additional information 1.

 ^{182}Ir Levels

E(level) [†]	J ^π #	T _{1/2} [‡]	Comments
0+x [@]	5 ⁺		E(level): x=25.6 keV based on data from ^{182}Pt ε decay (1995Sa42,1999Sa40, 2007Ho20) and Adopted Levels. J ^π : from systematics of doubly decoupled bands (1990Kr06). Possible configuration= $\pi h_{9/2} \otimes \nu 7/2[514]$ (1990Kr06).
45.3+x ³	5 ⁺	170 ns 40	
84.2+x ^{& 3}	6 ⁺		
126.8+x ^{a 4}	(5) ⁻		
145.5+x ^{@ 3}	7 ⁺		
150.7+x ^{a 4}	(6) ⁻	130 ns 50	
160.0+x ^{& 4}	7 ⁺		
205.9+x ^{a 4}	(7) ⁻		
240.9+x ^{a 5}	(8) ⁻		
266.4+x ^{& 4}	8 ⁺		
321.0+x ^{a 6}	(9) ⁻		
400.1+x ^{& 4}	9 ⁺		
413.6+x ^{@ 4}	9 ⁺		
494.1+x ^{a 6}	(10) ⁻		
564.9+x ^{& 4}	10 ⁺		
606.7+x ^{a 6}	(11) ⁻		
750.5+x ^{& 4}	11 ⁺		
781.1+x ^{@ 4}	11 ⁺		
881.8+x ^{a 6}	(12) ⁻		
959.5+x ^{& 4}	12 ⁺		
1013.3+x ^{a 6}	(13) ⁻		
1186.3+x ^{& 5}	13 ⁺		
1222.5+x ^{@ 5}	13 ⁺		
1382.9+x ^{a 7}	(14) ⁻		
1431.0+x ^{& 5}	14 ⁺		
1528.9+x ^{a 7}	(15) ⁻		
1688.7+x ^{& 6}	15 ⁺		
1704.2+x ^{@ 5}	15 ⁺		
1960.4+x ^{& 6}	16 ⁺		
1969.6+x ^{a 7}	(16) ⁻		
2133.4+x ^{a 8}	(17) ⁻		
2212.0+x ^{@ 6}	17 ⁺		
2241.3+x ^{& 7}	17 ⁺		
2533.9+x ^{& 6}	18 ⁺		
2756.2+x ^{@ 7}	19 ⁺		

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$^{172}\text{Yb}(^{14}\text{N},4n\gamma)$ **1990Kr06** (continued) ^{182}Ir Levels (continued)

E(level) [†]	J ^π #	E(level) [†]	J ^π #	E(level) [†]	J ^π #
2797.6+x ^a 8	(19) ⁻	3146.6+x ^{&} 7	20 ⁺	3466.3+x ^{&} 8	21 ⁺
2834.3+x ^{&} 7	19 ⁺	3362.7+x [@] 7	21 ⁺	3494.7+x ^a 9	(21) ⁻
				3843.6+x ^{&} 8	22 ⁺

[†] From least-squares fit to E_γ data. Add 25.6 keV to obtain absolute excitation energies.

[‡] γγ(t) (1990Kr06).

From 1990Kr06. The assignments are based on systematics of neighboring nuclei and possible band structures. Most of these assignments are the same in Adopted Levels, except that these are given in parentheses there due to lack of strong supporting arguments. For the band based on 126.8+x, spin is less by one unit in Adopted Levels, following the assignment from 2007Ho20 for 152.4 level.

@ Band(A): πh_{9/2}v_{1/2}[521]. Doubly-decoupled band (1990Kr06).

& Band(B): π5/2[402]v_{13/2} or πh_{9/2}v_{7/2}[514].

^a Band(C): πh_{9/2}v_{13/2}. Semi-decoupled band (1990Kr06). According to the work of 2007Ho20 (and work in reference 11 of 2007Ho20), the spin may need to be adjusted by one unit less for each member of this band.

γ(^{182}Ir)

E _γ	I _γ [†]	E _i (level)	J _i ^π	E _f	J _f ^π	Mult. ^{‡&}	^a c	Comments
35.0 3	15 1	240.9+x	(8) ⁻	205.9+x	(7) ⁻	(M1) ^a	23.3 7	α(L)=18.0 6; α(M)=4.14 13 α(N)=1.02 3; α(O)=0.180 6; α(P)=0.0135 4 A ₂ =-0.48 8; A ₄ =+0.21 12
39.0 3	>7	84.2+x	6 ⁺	45.3+x	5 ⁺	(M1) ^b	16.9 5	α(L)=13.0 4; α(M)=3.01 9 α(N)=0.739 20; α(O)=0.131 4; α(P)=0.0098 3 A ₂ =-0.07 8
45.4 3	71 8	45.3+x	5 ⁺	0+x	5 ⁺			
55.2 3	41 6	205.9+x	(7) ⁻	150.7+x	(6) ⁻	(M1) ^a	6.09 13	α(L)=4.69 10; α(M)=1.081 23 α(N)=0.266 6; α(O)=0.0470 10; α(P)=0.00354 8
75.7 3	>14	160.0+x	7 ⁺	84.2+x	6 ⁺			
79.2 3	>25	205.9+x	(7) ⁻	126.8+x	(5) ⁻	(E2) ^a	12.4 3	α(K)=0.775 13; α(L)=8.72 20; α(M)=2.24 6 α(N)=0.542 13; α(O)=0.0823 19; α(P)=0.000165 3
80.2 3	33 4	321.0+x	(9) ⁻	240.9+x	(8) ⁻			
81.5 3	190 20	126.8+x	(5) ⁻	45.3+x	5 ⁺	(E1) ^b	0.666 11	α(K)=0.532 9; α(L)=0.1036 18; α(M)=0.0240 5 α(N)=0.00577 10; α(O)=0.000944 17; α(P)=4.48×10 ⁻⁵ 8
105.4 3	217 [#] 31	150.7+x	(6) ⁻	45.3+x	5 ⁺	(E1) ^b	0.349 6	α(K)=0.282 5; α(L)=0.0514 9; α(M)=0.01188 19 α(N)=0.00287 5; α(O)=0.000475 8; α(P)=2.44×10 ⁻⁵ 4
106.5 3	>17	266.4+x	8 ⁺	160.0+x	7 ⁺			
112.6 3	25 3	606.7+x	(11) ⁻	494.1+x	(10) ⁻	(M1+E2)	3.6 8	α(K)=2.1 15; α(L)=1.1 6; α(M)=0.28 15 α(N)=0.07 4; α(O)=0.011 5; α(P)=0.00026 19 A ₂ =-0.64 7; A ₄ =+0.10 10 A ₂ =-0.29 19
^x 121.2 3	10 1					D		
^x 123.2 3	14 [#] 1							
131.5 3	7 [#] 1	1013.3+x	(13) ⁻	881.8+x	(12) ⁻			

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$^{172}\text{Yb}(^{14}\text{N},4n\gamma)$ **1990Kr06** (continued) $\gamma(^{182}\text{Ir})$ (continued)

E_γ	I_γ^\dagger	$E_i(\text{level})$	J_i^π	E_f	J_f^π	Mult. \ddagger &	α^c	Comments
133.6 3	8# 1	400.1+x	9+	266.4+x	8+			
145.4 3	>29#	145.5+x	7+	0+x	5+	(E2) ^b	1.071 18	$\alpha(\text{K})=0.373$ 6; $\alpha(\text{L})=0.526$ 9; $\alpha(\text{M})=0.1346$ 23 $\alpha(\text{N})=0.0326$ 6; $\alpha(\text{O})=0.00502$ 9; $\alpha(\text{P})=3.71\times 10^{-5}$ 6
145.9 ^d 3	2.8# 5	1528.9+x	(15) ⁻	1382.9+x	(14) ⁻			
147.7 3	5# 1	413.6+x	9+	266.4+x	8+			
151.2 3	7# 1	564.9+x	10+	413.6+x	9+			
163.5 ^d 3	@	2133.4+x	(17) ⁻	1969.6+x	(16) ⁻			
165.2 3	8 1	564.9+x	10+	400.1+x	9+	D		$A_2=-0.29$ 8
^x 168.6 3	2.5 8							
173.1 3	100 6	494.1+x	(10) ⁻	321.0+x	(9) ⁻	(M1+E2)	0.9 4	$\alpha(\text{K})=0.7$ 4; $\alpha(\text{L})=0.21$ 4; $\alpha(\text{M})=0.051$ 12 $\alpha(\text{N})=0.012$ 3; $\alpha(\text{O})=0.0020$ 3; $\alpha(\text{P})=8.E-5$ 6 $A_2=-0.70$ 6; $A_4=+0.09$ 9
182.5 3	>14#	266.4+x	8+	84.2+x	6+			
185.7 3	11# 2	750.5+x	11+	564.9+x	10+			
207.8 3	#@	1431.0+x	14+	1222.5+x	13+			
209.0 3	#@	959.5+x	12+	750.5+x	11+			
^x 209.2 3	20# 3							
^x 223.6 3	12# 2					D		$A_2=-0.16$ 4
^x 230.8 3	14 2							$A_2=+0.19$ 9
240.3 3	28 3	400.1+x	9+	160.0+x	7+			
^x 245.3 3	10# 2							
^x 251.8 3	11# 2							
253.0 3	46# 5	494.1+x	(10) ⁻	240.9+x	(8) ⁻	(Q)		$A_2=+0.39$ 7 A_2 for 253.0 γ +253.1 γ .
253.1 3	27# 3	413.6+x	9+	160.0+x	7+	(Q)		$A_2=+0.39$ 7 A_2 for 253.0 γ +253.1 γ .
254.8 3	25 3	400.1+x	9+	145.5+x	7+	(Q)		$A_2=+0.58$ 9
267.8 3	54 15	413.6+x	9+	145.5+x	7+	(Q)		$A_2=+0.13$ 4; $A_4=-0.04$ 6
^x 268.2 3	@							
272.8 3	@	1704.2+x	15+	1431.0+x	14+			
275.2 3	28# 3	881.8+x	(12) ⁻	606.7+x	(11) ⁻			
285.8 3	70 8	606.7+x	(11) ⁻	321.0+x	(9) ⁻			
298.7 3	60 6	564.9+x	10+	266.4+x	8+			$A_2=+0.22$ 6; $A_4=+0.29$ 8 Sign of A_4 is inconsistent with $\Delta J=2$, quadrupole expected from ΔJ^π .
350.1 3	78 9	750.5+x	11+	400.1+x	9+			
367.3 3	79 9	781.1+x	11+	413.6+x	9+	(Q)		$A_2=+0.24$ 5
369.5 3	25 3	1382.9+x	(14) ⁻	1013.3+x	(13) ⁻			
387.7 3	13# 1	881.8+x	(12) ⁻	494.1+x	(10) ⁻			
394.8 3	34 4	959.5+x	12+	564.9+x	10+	(Q)		$A_2=+0.19$ 10
406.5 3	106 14	1013.3+x	(13) ⁻	606.7+x	(11) ⁻	(Q)		$A_2=+0.15$ 3
435.8 3	42 4	1186.3+x	13+	750.5+x	11+	(Q)		$A_2=+0.23$ 9
^x 440.2 3	4.5# 8							
440.8 3	16# 2	1969.6+x	(16) ⁻	1528.9+x	(15) ⁻			
441.1 3	85 11	1222.5+x	13+	781.1+x	11+			
471.7 3	34 2	1431.0+x	14+	959.5+x	12+			$A_2=+0.32$ 14; $A_4=+0.8$ 2 Sign of A_4 is inconsistent with $\Delta J=2$, quadrupole expected from ΔJ^π .

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$^{172}\text{Yb}(^{14}\text{N},4n\gamma)$ **1990Kr06** (continued) $\gamma(^{182}\text{Ir})$ (continued)

E_γ	I_γ^\dagger	$E_i(\text{level})$	J_i^π	E_f	J_f^π	Mult. \ddagger &	Comments
^x 476.4 3	38 4					D	$A_2=-0.55$ 12
482.2 3	58 7	1704.2+x	15 ⁺	1222.5+x	13 ⁺		
^x 482.6 3	9 [#] 2						
501.2 3	26 5	1382.9+x	(14) ⁻	881.8+x	(12) ⁻		
502.4 3	25 [#] 2	1688.7+x	15 ⁺	1186.3+x	13 ⁺		
507.8 3	43 [#] 5	2212.0+x	17 ⁺	1704.2+x	15 ⁺		
515.6 3	45 4	1528.9+x	(15) ⁻	1013.3+x	(13) ⁻	(Q)	$A_2=+0.57$ 15
^x 519.0 3	13 [#] 1						
529.4 3	19 [#] 2	1960.4+x	16 ⁺	1431.0+x	14 ⁺		
544.2 3	16 [#] 2	2756.2+x	19 ⁺	2212.0+x	17 ⁺		
552.6 3	22 [#] 2	2241.3+x	17 ⁺	1688.7+x	15 ⁺		
573.5 3	11 [#] 2	2533.9+x	18 ⁺	1960.4+x	16 ⁺		
586.7 3	@	1969.6+x	(16) ⁻	1382.9+x	(14) ⁻		
593.0 3	7 [#] 1	2834.3+x	19 ⁺	2241.3+x	17 ⁺		
604.5 3	20 [#] 2	2133.4+x	(17) ⁻	1528.9+x	(15) ⁻		
606.5 3	7 [#] 1	3362.7+x	21 ⁺	2756.2+x	19 ⁺		
612.7 3	7 [#] 1	3146.6+x	20 ⁺	2533.9+x	18 ⁺		
632.0 3	3.5 [#] 7	3466.3+x	21 ⁺	2834.3+x	19 ⁺		
664.2 3	9 [#] 2	2797.6+x	(19) ⁻	2133.4+x	(17) ⁻		
697.0 3	3.8 [#] 7	3843.6+x	22 ⁺	3146.6+x	20 ⁺		
697.1 3	9 [#] 2	3494.7+x	(21) ⁻	2797.6+x	(19) ⁻		

[†] From the A_0 coefficient of $\gamma(\theta)$, unless otherwise stated. Based on assumed multiplicities (from the level scheme) **1990Kr06** give transition intensities also.

[‡] **1990Kr06** assume E2 for $\Delta J=2$ transitions and M1 for $\Delta J=1$, $\Delta\pi=\text{no}$ and E1 for $\Delta J=1$, $\Delta\pi=\text{yes}$. Data supporting these assignments are lacking, except for a few transitions.

[#] From $\gamma\gamma$.

@ Weak transition.

& **1990Kr06** assign multiplicities to all the transitions, majority of which are simply inferred from ΔJ^π in the band structures. These assignments are omitted here.

^a From comparison of prompt and delayed coincidence intensities (**1990Kr06**).

^b From intensity balance (**1990Kr06**).

^c Total theoretical internal conversion coefficients, calculated using the BrIcc code (**2008Ki07**) with Frozen orbital approximation based on γ -ray energies, assigned multiplicities, and mixing ratios, unless otherwise specified.

^d Placement of transition in the level scheme is uncertain.

^x γ ray not placed in level scheme.

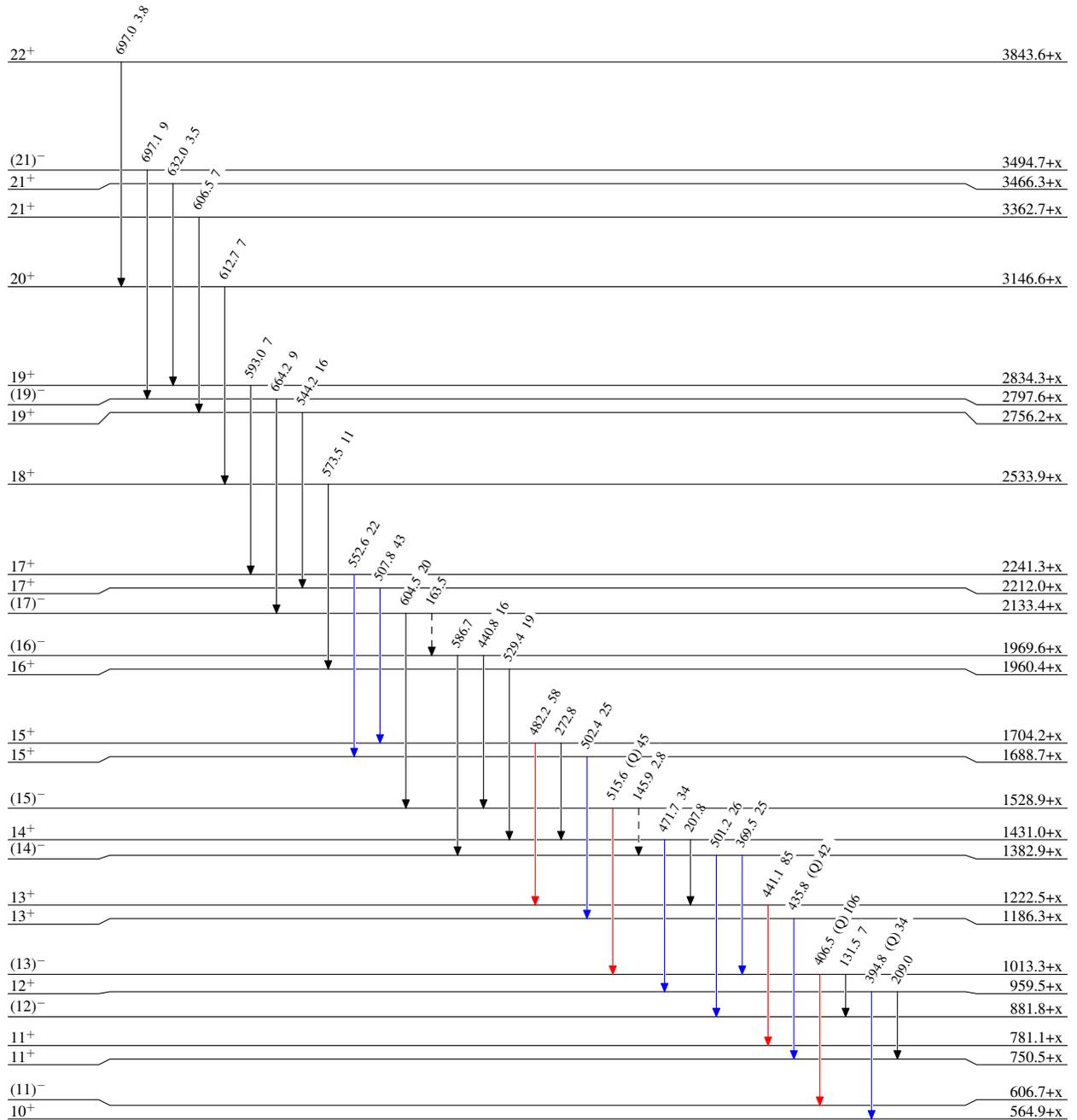
$^{172}\text{Yb}(^{14}\text{N},4n\gamma)$ 1990Kr06

Legend

Level Scheme

Intensities: Relative I_γ

- $I_\gamma < 2\% \times I_\gamma^{\max}$
- $I_\gamma < 10\% \times I_\gamma^{\max}$
- $I_\gamma > 10\% \times I_\gamma^{\max}$
- - - γ Decay (Uncertain)

 $^{182}_{77}\text{Ir}_{105}$

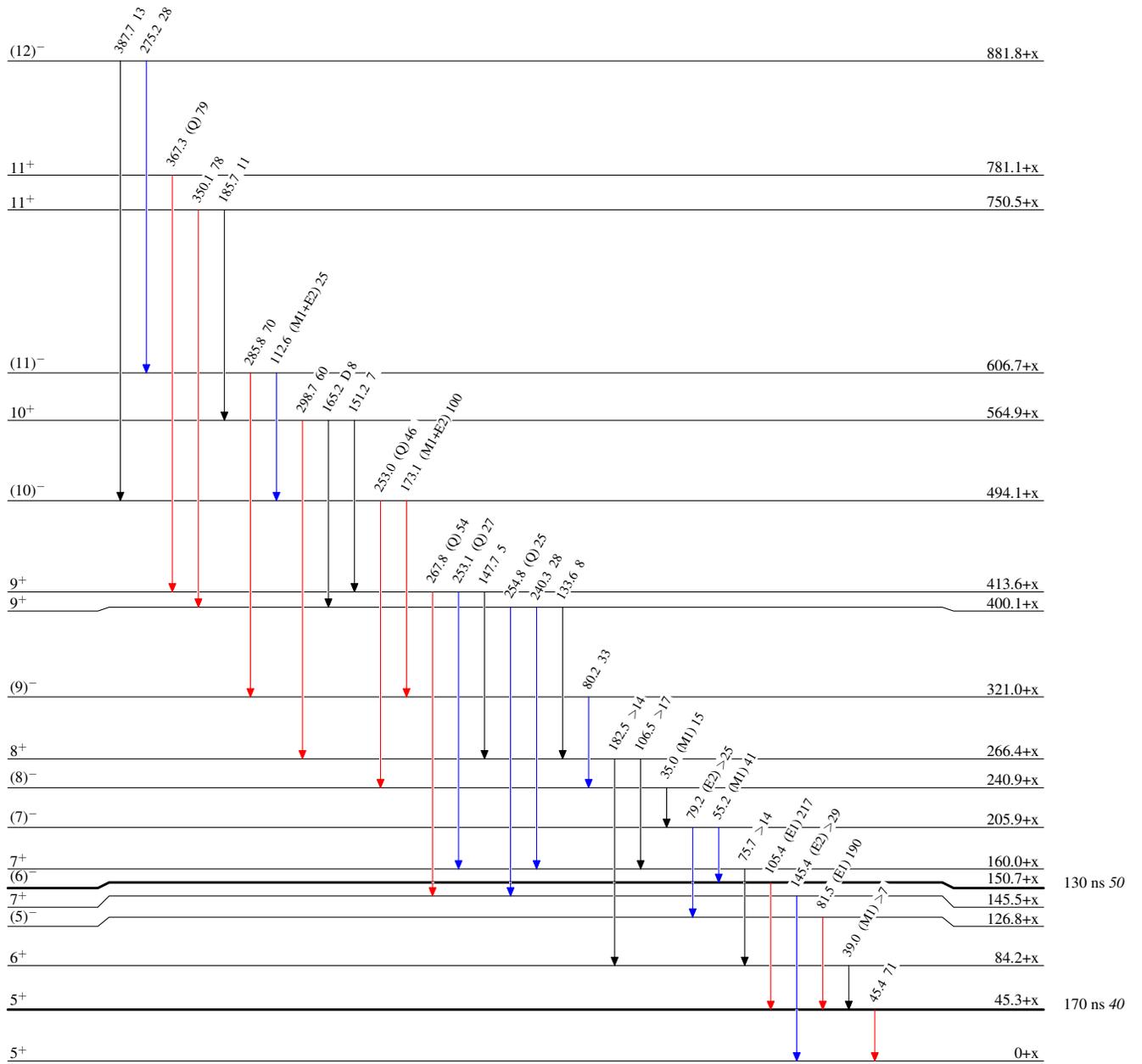
$^{172}\text{Yb}(^{14}\text{N},4n\gamma)$ 1990Kr06

Level Scheme (continued)

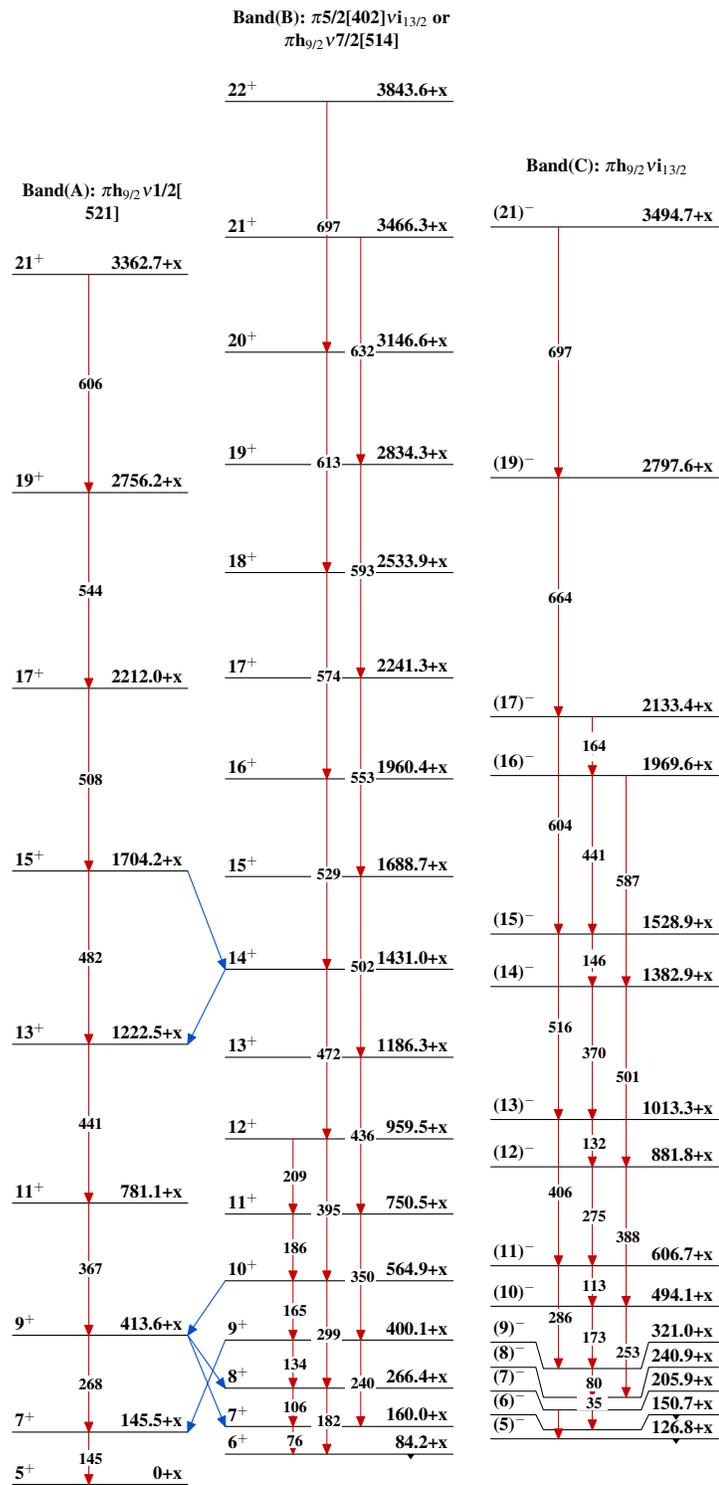
Intensities: Relative I_γ

Legend

- $I_\gamma < 2\% \times I_\gamma^{\text{max}}$
- $I_\gamma < 10\% \times I_\gamma^{\text{max}}$
- $I_\gamma > 10\% \times I_\gamma^{\text{max}}$



$^{182}_{77}\text{Ir}_{105}$

$^{172}\text{Yb}(^{14}\text{N},4\text{n}\gamma)$ 1990Kr06 $^{182}_{77}\text{Ir}_{105}$