

$^{92}\text{Zr}(^{90}\text{Zr},2n\gamma)$     **2000Ko48**

Type	Author	History	Citation	Literature Cutoff Date
Full Evaluation	E. A. Mccutchan		NDS 126, 151 (2015)	1-Feb-2015

$^{92}\text{Zr}(^{90}\text{Zr},2n\gamma)$ , E=380 MeV. Includes:  $^{91}\text{Zr}(^{90}\text{Zr},n\gamma)$  at 380 MeV and  $^{90}\text{Zr}(^{90}\text{Zr},\gamma)$  at 369 MeV. Measured  $E\gamma$ ,  $I\gamma$ ,  $\gamma\gamma$ , and  $\gamma(\theta)$  using Gammasphere array consisting of 101 Compton-suppressed HPGe detectors. Channel selection performed with recoil-decay tagging technique using Fragment Mass Analyzer with a PPAC and DSSD at the focal plane. Measured  $E\alpha$ ,  $T_{1/2}$ , recoil- $\gamma\gamma$  and  $\alpha\gamma\gamma$  coincidences.

$\alpha$ : Additional information 1.

 $^{180}\text{Hg}$  Levels

E(level) <sup>†</sup>	J <sup>‡</sup>	T <sub>1/2</sub>	Comments
0.0 <sup>#</sup>	0 <sup>+</sup>	2.59 s 2	T <sub>1/2</sub> : from recoil- $\alpha(t)$ .
434.30 <sup>#</sup> 10	2 <sup>+</sup>		
706.70 <sup>#</sup> 14	4 <sup>+</sup>		
797.2 6	(2 <sup>+</sup> )		E(level): the relative order of the 602 $\gamma$ -797 $\gamma$ cascade is reversed in $^{180}\text{Ti}$ $\varepsilon$ decay (1.09 s), giving a level at 602. The evaluator adopts the $\varepsilon$ decay ordering since $I\gamma(602\gamma) > I\gamma(797\gamma)$ in that decay. The $^{92}\text{Zr}(^{90}\text{Zr},2n\gamma)$ $I\gamma$ data are consistent with this order.
1032.70 <sup>#</sup> 17	6 <sup>+</sup>		
1175.7 8			
1399.5 5	(3 <sup>-</sup> )		
1437.22 <sup>#</sup> 20	8 <sup>+</sup>		
1504.8 4	6 <sup>+</sup>		
1797.8 <sup>@</sup> 3	5 <sup>-</sup>		
1869.8 4	(6 <sup>-</sup> )		
1914.02 <sup>#</sup> 22	10 <sup>+</sup>		
2042.2 <sup>@</sup> 4	7 <sup>-</sup>		
2057.4 5	(6 <sup>+</sup> )		
2069.3 <sup>&amp;</sup> 5	(6 <sup>-</sup> )		
2323.4 6	8 <sup>+</sup>		
2359.4 <sup>@</sup> 4	9 <sup>-</sup>		
2369.3 9	(8 <sup>-</sup> )		
2372.1 <sup>&amp;</sup> 5	(8 <sup>-</sup> )		
2456.32 <sup>#</sup> 25	12 <sup>+</sup>		
2524.0 7	(8 <sup>+</sup> )		
2741.9 <sup>&amp;</sup> 7	(10 <sup>-</sup> )		
2749.1 <sup>@</sup> 5	11 <sup>-</sup>		
3041.2 11	(10 <sup>+</sup> )		
3055.7 <sup>#</sup> 4	14 <sup>+</sup>		
3162.2 <sup>&amp;</sup> 8	(12 <sup>-</sup> )		
3199.9 <sup>@</sup> 5	13 <sup>-</sup>		
3617.1 <sup>&amp;</sup> 9	(14 <sup>-</sup> )		
3688.9 <sup>@</sup> 7	15 <sup>-</sup>		
3704.5 <sup>#</sup> 5	16 <sup>+</sup>		
4107.1 <sup>&amp;</sup> 12	(16 <sup>-</sup> )		
4195.0 <sup>@</sup> 8	17 <sup>-</sup>		
4388.5 <sup>#</sup> 7	18 <sup>+</sup>		
4628.0 <sup>?&amp;</sup> 14	(18 <sup>-</sup> )		
4734.2 <sup>@</sup> 11	(19 <sup>-</sup> )		

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**$^{92}\text{Zr}(^{90}\text{Zr},2n\gamma)$  2000Ko48 (continued)** **$^{180}\text{Hg}$  Levels (continued)**

E(level) <sup>†</sup>	$J^\pi$ <sup>‡</sup>
5091.5 <sup>#</sup> 11	(20 <sup>+</sup> )
5309.9? <sup>@</sup> 14	(21 <sup>-</sup> )
5803.4? <sup>#</sup> 13	(22 <sup>+</sup> )

<sup>†</sup> From a least-squares fit to  $E\gamma$ 's by evaluator.<sup>‡</sup> As proposed by 2000Ko48 based on  $\gamma(\theta)$  measurements, decay patterns and comparisons of population intensities.

# Band(A): g.s. band.

@ Band(B): 5<sup>-</sup> band.& Band(C): (6<sup>-</sup>) band. **$\gamma(^{180}\text{Hg})$** 

R=angular anisotropy ratio, derived from several angles (see 2000Ko48 for details). R>1 suggests  $\Delta J=2$ , stretched quadrupole or  $\Delta J=1$ , M1+E2 with positive  $\delta$ . R<1 suggests  $\Delta J=1$ , dipole or  $\Delta J=1$ , M1+E2 with negative  $\delta$ .

$E_\gamma$ <sup>†</sup>	$I_\gamma$ <sup>‡</sup>	$E_i$ (level)	$J_i^\pi$	$E_f$	$J_f^\pi$	Mult. <sup>#</sup>	$\alpha$	Comments
244.4 2	10.7 5	2042.2	7 <sup>-</sup>	1797.8	5 <sup>-</sup>	E2	0.201	Mult.: $A_2=+0.31$ 13; R=1.39 25.
272.4 1	72.5 24	706.70	4 <sup>+</sup>	434.30	2 <sup>+</sup>	E2	0.1426	Mult.: $A_2=+0.24$ 6, $A_4=-0.12$ 8; R=1.30 6.
302.4 4	2.4 4	2372.1	(8 <sup>-</sup> )	2069.3	(6 <sup>-</sup> )	E2	0.1040	Mult.: R=1.3 4.
317.2 2	15.4 7	2359.4	9 <sup>-</sup>	2042.2	7 <sup>-</sup>	E2	0.0903	Mult.: $A_2=+0.36$ 9.
326.0 1	67.5 22	1032.70	6 <sup>+</sup>	706.70	4 <sup>+</sup>	E2	0.0835	Mult.: $A_2=+0.29$ 6, $A_4=-0.09$ 6; R=1.28 6.
369.8 4	8.1 6	2741.9	(10 <sup>-</sup> )	2372.1	(8 <sup>-</sup> )	E2	0.0586	Mult.: $A_2=+0.54$ 20; R=1.2 3.
389.7 2	12.0 6	2749.1	11 <sup>-</sup>	2359.4	9 <sup>-</sup>	E2	0.0508	Mult.: $A_2=+0.30$ 11; R=1.26 13.
398.4 4	2.5 5	1797.8	5 <sup>-</sup>	1399.5	(3 <sup>-</sup> )	E2	0.0479	Mult.: R=1.1 5.
404.5 1	50.3 17	1437.22	8 <sup>+</sup>	1032.70	6 <sup>+</sup>	E2	0.0460	Mult.: $A_2=+0.33$ 7, $A_4=-0.03$ 10; R=1.34 8.
420.3 4	5.6 5	3162.2	(12 <sup>-</sup> )	2741.9	(10 <sup>-</sup> )	E2	0.0416	Mult.: R=1.2 3.
434.3 1	100.3	434.30	2 <sup>+</sup>	0.0	0 <sup>+</sup>	E2	0.0383	Mult.: $A_2=+0.28$ 6, $A_4=-0.06$ 8; R=1.22 5.
450.8 2	10.1 5	3199.9	13 <sup>-</sup>	2749.1	11 <sup>-</sup>	E2	0.0348	Mult.: $A_2=+0.53$ 20; R=1.33 22.
454.9 4	3.4 4	3617.1	(14 <sup>-</sup> )	3162.2	(12 <sup>-</sup> )	E2	0.0340	Mult.: R=1.3 3.
466.4 8	2.0 7	2524.0	(8 <sup>+</sup> )	2057.4	(6 <sup>+</sup> )			
476.8 1	28.2 12	1914.02	10 <sup>+</sup>	1437.22	8 <sup>+</sup>	E2	0.0303	Mult.: $A_2=+0.46$ 12, $A_4=-0.03$ 16; R=1.33 15.
489.0 4	5.0 7	3688.9	15 <sup>-</sup>	3199.9	13 <sup>-</sup>	E2	0.0284	Mult.: R=1.6 5.
490.0 8	1.3 3	4107.1	(16 <sup>-</sup> )	3617.1	(14 <sup>-</sup> )			
499.5 8	1.3 4	2369.3	(8 <sup>-</sup> )	1869.8	(6 <sup>-</sup> )			
502.6 4	2.9 5	2372.1	(8 <sup>-</sup> )	1869.8	(6 <sup>-</sup> )			
506.1 4	3.2 6	4195.0	17 <sup>-</sup>	3688.9	15 <sup>-</sup>	E2	0.0262	Mult.: R=1.5 5.
517.2 8	1.9 3	3041.2	(10 <sup>+</sup> )	2524.0	(8 <sup>+</sup> )			
520.9? <sup>@</sup> 8	<1.0	4628.0?	(18 <sup>-</sup> )	4107.1	(16 <sup>-</sup> )			
539.2 8	1.8 5	4734.2	(19 <sup>-</sup> )	4195.0	17 <sup>-</sup>			
542.3 1	21.5 10	2456.32	12 <sup>+</sup>	1914.02	10 <sup>+</sup>	E2	0.0222	Mult.: $A_2=+0.37$ 17, $A_4=+0.03$ 22; R=1.72 23.
563.6 8	1.5 4	2069.3	(6 <sup>-</sup> )	1504.8	6 <sup>+</sup>			
575.7? <sup>@</sup> 8	<1.0	5309.9?	(21 <sup>-</sup> )	4734.2	(19 <sup>-</sup> )			
599.4 2	13.5 8	3055.7	14 <sup>+</sup>	2456.32	12 <sup>+</sup>	E2	0.01762	Mult.: $A_2=+0.43$ 19; R=1.10 25.
602.3 8	<2.0	1399.5	(3 <sup>-</sup> )	797.2	(2 <sup>+</sup> )			
604.7 4	8.7 7	2042.2	7 <sup>-</sup>	1437.22	8 <sup>+</sup>	D		Mult.: $A_2=-0.6$ 3; R=0.54 17.
610.2 8	1.5 3	2524.0	(8 <sup>+</sup> )	1914.02	10 <sup>+</sup>			
620.1 4	5.0 5	2057.4	(6 <sup>+</sup> )	1437.22	8 <sup>+</sup>	E2	0.01633	Mult.: $A_2=+0.50$ 11; R=1.29 16.
648.8 4	8.1 5	3704.5	16 <sup>+</sup>	3055.7	14 <sup>+</sup>	E2	0.01477	Mult.: R=1.28 21.

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**$^{92}\text{Zr}(^{90}\text{Zr},2n\gamma)$  2000Ko48 (continued)** **$\gamma(^{180}\text{Hg})$  (continued)**

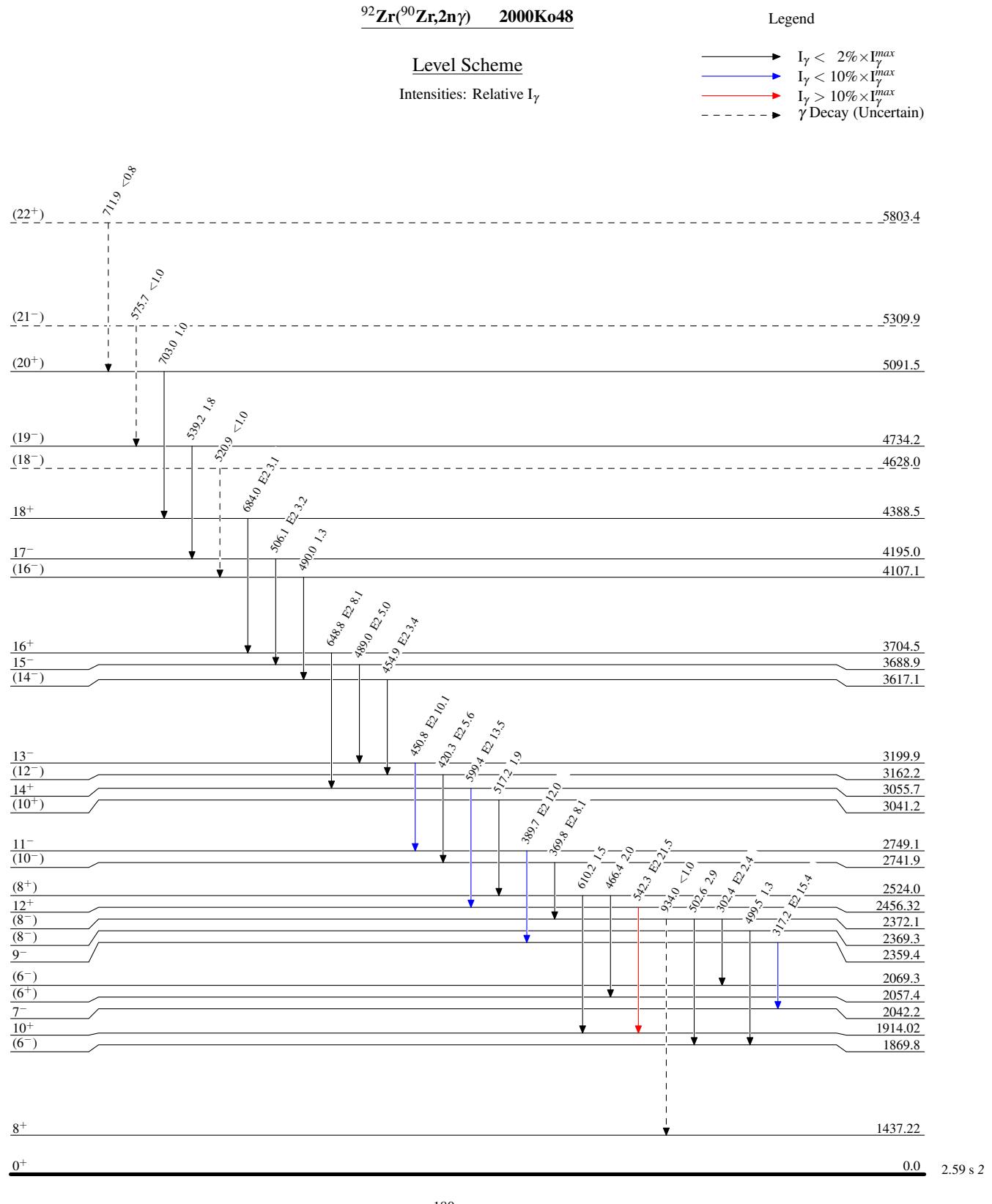
$E_\gamma^\dagger$	$I_\gamma^\ddagger$	$E_i(\text{level})$	$J_i^\pi$	$E_f$	$J_f^\pi$	Mult. <sup>#</sup>	$\alpha$	Comments
684.0 4	3.1 4	4388.5	18 <sup>+</sup>	3704.5	16 <sup>+</sup>	E2	0.01316	Mult.: R=1.21 25.
692.9 8	<2.0	1399.5	(3 <sup>-</sup> )	706.70	4 <sup>+</sup>			
703.0 8	1.0 2	5091.5	(20 <sup>+</sup> )	4388.5	18 <sup>+</sup>			
711.9 <sup>@</sup> 8	<0.8	5803.4?	(22 <sup>+</sup> )	5091.5	(20 <sup>+</sup> )			
741.4 8	<1.0	1175.7		434.30	2 <sup>+</sup>			
765.2 8	1.7 4	1797.8	5 <sup>-</sup>	1032.70	6 <sup>+</sup>	D		Mult.: R=0.65 19.
797.3 8	<2.0	797.2	(2 <sup>+</sup> )	0.0	0 <sup>+</sup>			
797.9 4	3.9 5	1504.8	6 <sup>+</sup>	706.70	4 <sup>+</sup>	E2	0.00950 14	Mult.: R=1.11 13.
818.6 4	2.1 6	2323.4	8 <sup>+</sup>	1504.8	6 <sup>+</sup>	E2	0.00902 13	Mult.: R=1.37 22.
837.5 4	2.8 4	1869.8	(6 <sup>-</sup> )	1032.70	6 <sup>+</sup>	(D)		Mult.: R=1.13 19.
934.0 <sup>@</sup> 8	<1.0	2372.1	(8 <sup>-</sup> )	1437.22	8 <sup>+</sup>			
1010 <sup>@</sup> 1	<3.0	2042.2	7 <sup>-</sup>	1032.70	6 <sup>+</sup>			
1036.0 8	1.8 4	2069.3	(6 <sup>-</sup> )	1032.70	6 <sup>+</sup>	(D)		Mult.: R=1.9 3.
1091.3 4	4.6 5	1797.8	5 <sup>-</sup>	706.70	4 <sup>+</sup>	D		Mult.: R=0.73 14.

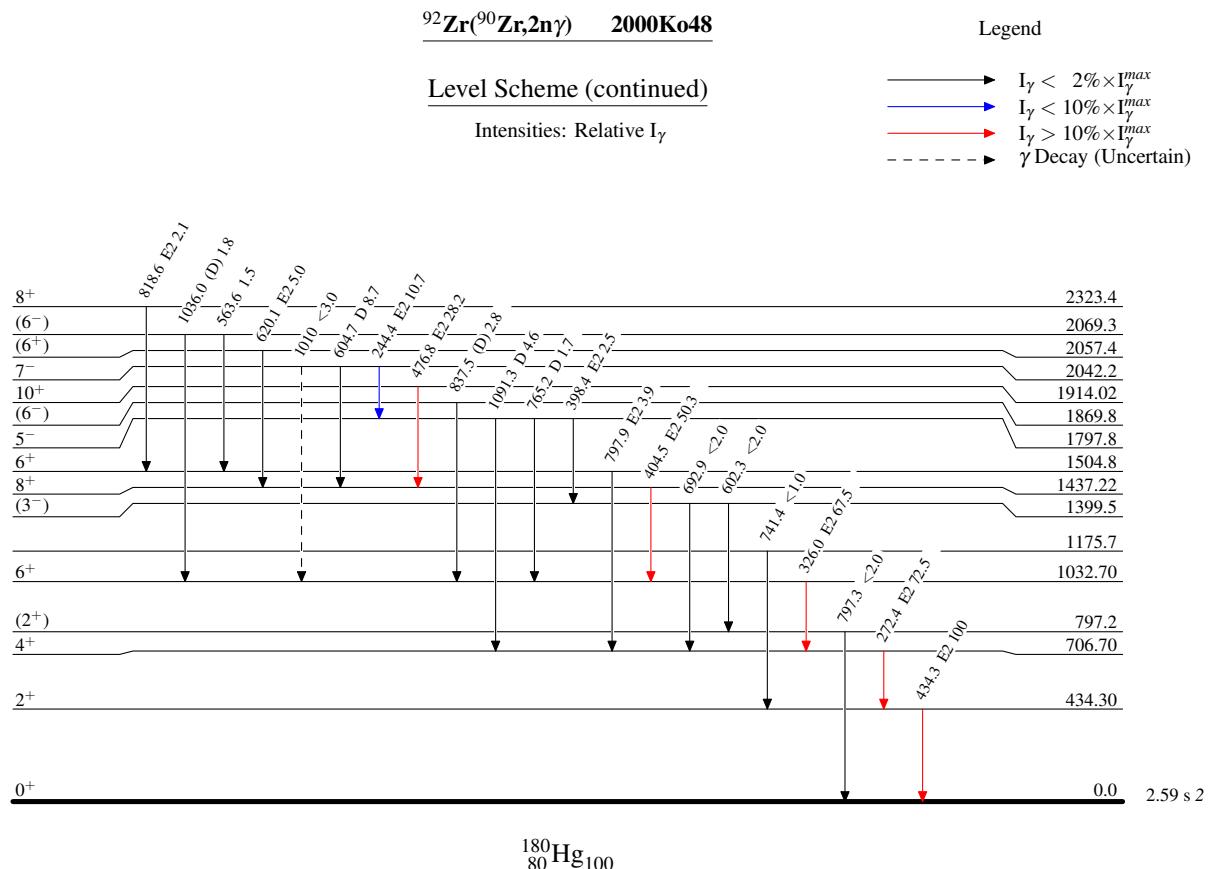
<sup>†</sup>  $\Delta E\gamma=0.1$  keV for  $I\gamma>20$ , 0.2 keV for  $10<I\gamma<20$ , 0.4 keV for  $2<I\gamma<10$ , and 0.8 keV for  $I\gamma<2$ , based on a general statement by 2000Ko48.

<sup>‡</sup> Intensity relative to  $I\gamma(434\gamma)=100$ .

<sup>#</sup> From angular distribution coefficients and/or angular anisotropy ratios. Stretched Q transitions are assumed to be E2.

<sup>@</sup> Placement of transition in the level scheme is uncertain.





$^{92}\text{Zr}(\text{(^{90}\text{Zr},2n\gamma)}$     2000Ko48

Band(A): g.s. band

