

$^{181}\text{Ta}(\alpha,6n\gamma)$ **1976RoYE**

Type	Author	History Citation	Literature Cutoff Date
Full Evaluation	Coral M. Baglin	NDS 110, 265 (2009)	15-Nov-2008

1976RoYE: ($\alpha,6n\gamma$), $E\alpha=70$ MeV; target: natural tantalum. Measured $E\gamma$, $I\gamma$ at $\theta=125^\circ$, $Ag(\theta)$ at $\theta=90, 110, 125$, and 150° , $\gamma\gamma$ coin, beam- $\gamma(t)$ (time resolution FWHM=13 ns). Detector:Ge(Li).

 ^{179}Re Levels

E(level) [†]	J π [‡]	T _{1/2} [#]	Comments
0.0@	5/2 ⁺		
0+x ^a	9/2 ⁻		Additional information 1.
65.35& 9	5/2 ⁻		E(level): x=87.54 23 from Adopted Levels. Additional information 2.
65.35+y& 9	9/2 ⁻		from Adopted Levels. Additional information 3.
124.3@ 5	7/2 ⁺		E(level): y=50.24 keV from Adopted Levels.
165.4+x ^a 4	11/2 ⁻		
234.2+y& 5	13/2 ⁻		
280.1@ 7	9/2 ⁺		
359.4+x ^a 4	13/2 ⁻		
466.0@ 8	11/2 ⁺		
519.7+y& 7	17/2 ⁻		
576.9+x ^a 5	15/2 ⁻		
676.8@ 8	13/2 ⁺		
818.3+x ^a 6	17/2 ⁻		
911.3+y& 9	21/2 ⁻		
913.9@ 9	15/2 ⁺		
1076.3+x ^a 6	19/2 ⁻		
1114.2+x 8	(21/2)	≈ 21 ns	
1166.2@ 9	17/2 ⁺		
1351.8+x ^a 7	21/2 ⁻		
1390.6+x 9	(23/2)		
1394.7+y& 10	25/2 ⁻		
1437.1@ 10	19/2 ⁺		
1954.5+y& 12	29/2 ⁻		
2573.3+y& 13	33/2 ⁻		
3239.3+y& 14	37/2 ⁻		
3950.2+y& 15	41/2 ⁻		

[†] From least-squares fit to $E\gamma$, holding the energies of the 0+x, 65.35 and 65.35+Y levels fixed.

[‡] Authors' values (**1976RoYE**), supported by deduced band structure and measured $\gamma(\theta)$.

[#] From beam- $\gamma(t)$ (**1976RoYE**).

@ Band(A): 5/2[402] g.s. band.

& Band(B): 1/2[541] band, $\alpha=+1/2$.

^a Band(C): 9/2[514] band.

$^{181}\text{Ta}(\alpha,6n\gamma)$ **1976RoYE (continued)** $\gamma(^{179}\text{Re})$

E_γ	$I_\gamma^\dagger$	$E_i(\text{level})$	J_i^π	E_f	J_f^π	Mult. ‡	Comments
124.3 5	28.8 9	124.3	7/2 ⁺	0.0	5/2 ⁺	D(+Q)	Mult.: $A_2=-0.14$ 6.
155.8 5	31.7 8	280.1	9/2 ⁺	124.3	7/2 ⁺	D(+Q)	Mult.: $A_2=-0.16$ 5.
165.6 5	154.7 12	165.4+x	11/2 ⁻	0+x	9/2 ⁻	D(+Q)	Mult.: $A_2=-0.18$ 2. $T_{1/2}\approx 21.5$ ns.
168.8 5	122.6 11	234.2+y	13/2 ⁻	65.35+y	9/2 ⁻	(Q)	Mult.: $A_2=+0.21$ 2.
185.8 5	32.5 11	466.0	11/2 ⁺	280.1	9/2 ⁺	D+Q	Mult.: $A_2=-0.09$ 6.
194.2 5	149.9 13	359.4+x	13/2 ⁻	165.4+x	11/2 ⁻	D+Q	Mult.: $A_2=-0.12$ 2. $T_{1/2}\approx 22.5$ ns.
211.1 5	36.3 12	676.8	13/2 ⁺	466.0	11/2 ⁺	D	Mult.: $A_2=-0.23$ 8.
217.6 5	118.0 14	576.9+x	15/2 ⁻	359.4+x	13/2 ⁻	D+Q	Mult.: $A_2=-0.11$ 3. $T_{1/2}\approx 20.5$ ns.
237.2 5	36.4 18	913.9	15/2 ⁺	676.8	13/2 ⁺	D+Q	Mult.: $A_2=-0.05$ 4.
241.1 5	86.4 15	818.3+x	17/2 ⁻	576.9+x	15/2 ⁻	(D+Q)	Mult.: $A_2=+0.20$ 4; stretched Q also possible, $T_{1/2}\approx 20.5$ ns.
252.6 5	23.9 11	1166.2	17/2 ⁺	913.9	15/2 ⁺	(D+Q)	Mult.: $A_2=+0.24$ 9; stretched Q also possible.
257.4 5	27.3 11	1076.3+x	19/2 ⁻	818.3+x	17/2 ⁻	D+Q	Mult.: $A_2=+0.10$ 6.
271.3 5	5.6 12	1437.1	19/2 ⁺	1166.2	17/2 ⁺		
275.1 5	20.8 6	1351.8+x	21/2 ⁻	1076.3+x	19/2 ⁻	D	Mult.: $A_2=-0.20$ 7.
276.4 5	58.9 11	1390.6+x	(23/2)	1114.2+x	(21/2)	(D+Q)	Mult.: $A_2=+0.20$ 3; stretched Q also possible.
285.5 5	105.9 24	519.7+y	17/2 ⁻	234.2+y	13/2 ⁻	Q	Mult.: $A_2=+0.38$ 3.
295.9 5	72.4 23	1114.2+x	(21/2)	818.3+x	17/2 ⁻	Q	Mult.: $A_2=+0.33$ 5.
359.2 5	8.0 11	359.4+x	13/2 ⁻	0+x	9/2 ⁻	Q	Mult.: $A_2=+0.27$ 12.
391.6 5	121.9 8	911.3+y	21/2 ⁻	519.7+y	17/2 ⁻	Q	Mult.: $A_2=+0.35$ 2.
396.8 5	21.7 16	676.8	13/2 ⁺	280.1	9/2 ⁺	Q	Mult.: $A_2=+0.38$ 10.
411.4 5	40.7 16	576.9+x	15/2 ⁻	165.4+x	11/2 ⁻	Q	Mult.: $A_2=+0.27$ 6.
447.6 5	33.3 16	913.9	15/2 ⁺	466.0	11/2 ⁺	Q	Mult.: $A_2=+0.33$ 8.
458.9 5	19.0 16	818.3+x	17/2 ⁻	359.4+x	13/2 ⁻	Q	Mult.: $A_2=+0.52$ 13.
483.4 5	96.8 12	1394.7+y	25/2 ⁻	911.3+y	21/2 ⁻	(Q)	Mult.: $A_2=+0.20$ 3.
489.5 5	36.2 10	1166.2	17/2 ⁺	676.8	13/2 ⁺	Q	Mult.: $A_2=+0.28$ 7.
499.7 5	6.2 13	1076.3+x	19/2 ⁻	576.9+x	15/2 ⁻		
522.9 5	16.9 16	1437.1	19/2 ⁺	913.9	15/2 ⁺	Q	Mult.: $A_2=+0.37$ 17.
533.9 5	10.8 14	1351.8+x	21/2 ⁻	818.3+x	17/2 ⁻		
559.8 5	57.1 15	1954.5+y	29/2 ⁻	1394.7+y	25/2 ⁻	(Q)	Mult.: $A_2=+0.60$ 6; unexpectedly large A_2 .
618.8 5	42.0 13	2573.3+y	33/2 ⁻	1954.5+y	29/2 ⁻		
666.0 5	18.1 21	3239.3+y	37/2 ⁻	2573.3+y	33/2 ⁻		
710.9 5	7.2 9	3950.2+y	41/2 ⁻	3239.3+y	37/2 ⁻		

† I_γ at $\theta=125^\circ$ from $(\alpha,6n\gamma)$ for $E_\alpha=70$ MeV (1976RoYE); deduced by evaluator from authors' quoted $I(\gamma+ce)$, assumed mult and stated source of conversion coefficients (Hager-Seltzer).

‡ From $Ag(\theta)$ and rotational band structure. A_2 data from $\gamma(\theta)$ (1976RoYE) are given in comments. Authors assign mult=M1 and E2, respectively, to D or D+Q and Q transitions for the purpose of converting measured I_γ to $I(\gamma+ce)$.

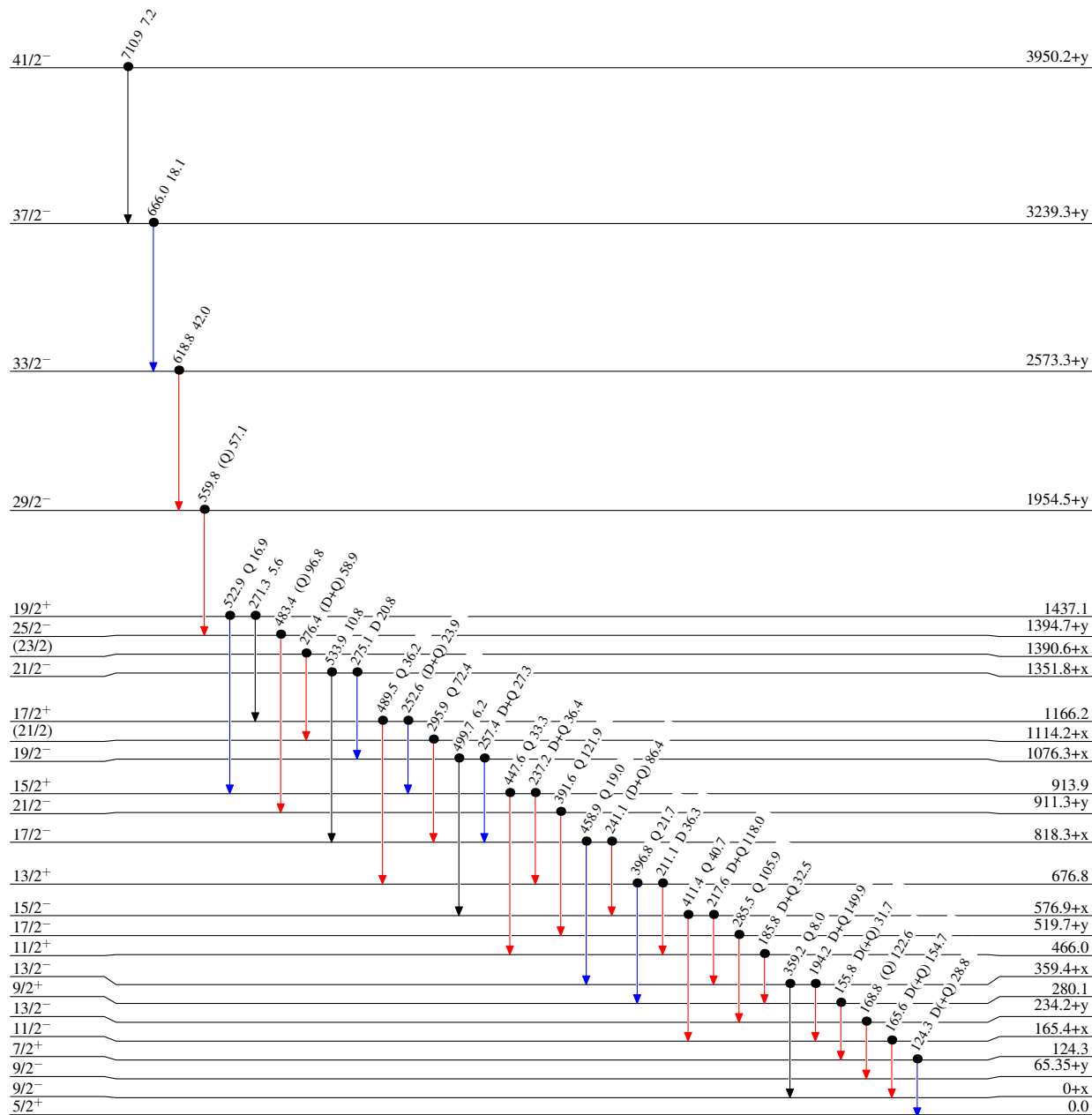
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Level Scheme

Intensities: Relative I_γ

Legend

- $I_\gamma < 2\% \times I_\gamma^{\max}$
- $I_\gamma < 10\% \times I_\gamma^{\max}$
- $I_\gamma > 10\% \times I_\gamma^{\max}$
- Coincidence



≈21 ns

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Band(B): 1/2[541] band,
 $\alpha=+1/2$

