

¹⁷¹Os ε decay 1995Hi02

Type	Author	History	Citation	Literature Cutoff Date
Full Evaluation	Coral M. Baglin, E. A. Mccutchan		NDS 151, 334 (2018)	30-Jun-2018

Parent: ¹⁷¹Os: E=0.0; J^π=(5/2⁻); T_{1/2}=8.3 s 2; Q(ε)=6950 30; %ε+%β⁺ decay=98.20 21

¹⁷¹Os-%ε+%β⁺ decay: From [100%-%α(¹⁷¹Os)] where %α=1.80 21.

Sources from ¹⁴⁰Ce(³⁶Ar,xn), E=194 and 203 MeV, 99.3% ¹⁴⁰Ce target.

α: [Additional information 1.](#)

¹⁷¹Re Levels

E(level) [†]	J ^π [‡]
0.0	(9/2 ⁻)
189.8 4	(5/2 ⁻)
515.8 11	(3/2 ⁻)
894.8 6	(7/2 ⁻)

[†] From E_γ.

[‡] From Adopted Levels.

ε,β⁺ radiations

E(decay)	E(level)	Iβ ⁺ [‡]	Iε [‡]	Log ft [†]	I(ε+β ⁺) [‡]	Comments
(6.06×10 ³ 3)	894.8	≈8.5	≈3.5	≈5.3	≈12	av Eβ=2291 14; εK=0.240 3; εL=0.0392 5; εM+=0.01217 15
(6.43×10 ³ 3)	515.8	≈7	≈2	≈5.5	≈9	av Eβ=2468 14; εK=0.2061 25; εL=0.0337 4; εM+=0.01046 13
(6.76×10 ³ 3)	189.8	≈60	≈17	≈4.7	≈77	av Eβ=2621 14; εK=0.1815 21; εL=0.0297 4; εM+=0.00920 11

[†] Values are shown As approximate because decay scheme may be very incomplete. If correct, these values indicate that ε decay from probable 5/2[523] parent ([1995Hi02](#)) to 190, 516 and 895 levels is allowed.

[‡] Absolute intensity per 100 decays.

γ(¹⁷¹Re)

I_γ normalization: from Σ (I(γ+ce) to g.s.)=100; significant feeding of g.s. not expected (ΔJ=(2), Δπ=(No) transition). However, Q=6957 and highest level energy fed In decay is 895 keV, so decay scheme may be very incomplete.

E _γ	I _γ [†]	E _i (level)	J _i ^π	E _f	J _f ^π	Mult.	α	Comments
189.8 4	100	189.8	(5/2 ⁻)	0.0	(9/2 ⁻)	[E2]	0.382	α(K)=0.194 3; α(L)=0.1421 24; α(M)=0.0357 6; α(N)=0.00850 15; α(O)=0.001240 21 α(P)=1.666×10 ⁻⁵ 25
326 1	11 3	515.8	(3/2 ⁻)	189.8	(5/2 ⁻)	[M1]	0.190	%I _γ ≈ 71 assuming adopted normalization. α(K)=0.158 3; α(L)=0.0249 4; α(M)=0.00568 10; α(N)=0.001378 23; α(O)=0.000232 4 α(P)=1.70×10 ⁻⁵ 3
705.0 5	17 3	894.8	(7/2 ⁻)	189.8	(5/2 ⁻)			

[†] For absolute intensity per 100 decays, multiply by ≈0.71.

^{171}Os ϵ decay 1995Hi02

Decay Scheme

Intensities: $I_{(\gamma+ce)}$ per 100 parent decays

Legend

- $I_{\gamma} < 2\% \times I_{\gamma}^{max}$

 $I_{\gamma} < 10\% \times I_{\gamma}^{max}$

 $I_{\gamma} > 10\% \times I_{\gamma}^{max}$

