

Coulomb excitation 1968Fr01,1966Ry01

Type	Author	History	Citation	Literature Cutoff Date
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1968Fr01: $^{170}\text{Tm}(d,d')$, E=5.5 MeV; measured B(E2).

1966Ry01: $^{170}\text{Tm}(^{16}\text{O},^{16}\text{O}\gamma)$, E=42 MeV; targets containing 21% to 61% ^{170}Yb impurity, scin; measured $^{16}\text{O}'\gamma$ coin, E γ , I γ .

 ^{170}Tm Levels

E(level) [†]	J π [†]	T _{1/2} [‡]	Comments
0.0	1 ⁻		
39	2 ⁻	1.71 ns 17	B(E2) \uparrow =3.2 3 (1968Fr01)
115	3 ⁻	0.60 ns 3	B(E2) \uparrow =2.38 10 (1968Fr01)
183	4 ⁻		Not observed by 1968Fr01, but possibly obscured by impurity.
220	2 ⁻	0.25 ns 3	B(E2) \uparrow =0.085 10 (1968Fr01)
320	5 ⁻		Out of range of spectrum in 1968Fr01.

[†] From Adopted Levels; energies have been rounded to the nearest keV.

[‡] From measured B(E2) and adopted branching and δ .

 $\gamma(^{170}\text{Tm})$

E γ [†]	I γ [‡]	E _i (level)	J π _i	E _f	J π _f	Mult. [#]	α [@]
115	158.2	115	3 ⁻	0.0	1 ⁻	E2	1.82
144	96.4	183	4 ⁻	39	2 ⁻	(E2)	0.805
181		220	2 ⁻	39	2 ⁻		
205	87.8	320	5 ⁻	115	3 ⁻	(E2)	0.239
220		220	2 ⁻	0.0	1 ⁻		

[†] Rounded-off values from Adopted Gammas for lines observed by 1966Ry01. Additional transitions having E γ ≈39, 68, 76, 137 were expected, but not observed, by 1966Ry01.

[‡] Relative photon intensity from 1966Ry01; contributions from unresolved γ rays may be included (1966Ry01), especially for 144 γ and 205 γ whose measured yields are much greater than expected from authors' Winther and de Boer multiple Coulomb excitation calculation.

[#] Based on comparison of calculated and observed photon yields.

[@] Total theoretical internal conversion coefficients, calculated using the BrIcc code (2008Ki07) with Frozen orbital approximation based on γ -ray energies, assigned multipolarities, and mixing ratios, unless otherwise specified.

Coulomb excitation 1968Fr01,1966Ry01**Level Scheme**Intensities: Relative I_γ

Legend

- $I_\gamma < 2\% \times I_\gamma^{max}$
- $I_\gamma < 10\% \times I_\gamma^{max}$
- $I_\gamma > 10\% \times I_\gamma^{max}$

