History								
Туре	Author	Citation	Literature Cutoff Date					
Full Evaluation	C. W. Reich	NDS 112,2497 (2011)	1-Jun-2011					

#### Additional information 1.

Data are primarily from  $^{150}$ Nd( $^{16}$ O,5n $\gamma$ ) with E( $^{16}$ O)=86 MeV (1982Ga28,2011Ch12) for levels below 6.25 MeV, and from  $^{130}$ Te( $^{36}$ S,5n $\gamma$ ) with E( $^{36}$ S)=170 MeV (1990Ri03, 1990Ri09, 1999LiZW, 2000Si26) for higher-energy levels. In-beam publications include:

1982Ga28: <sup>150</sup>Nd(<sup>16</sup>O,5n $\gamma$ ), E(<sup>16</sup>O)=86 MeV. Measured  $\gamma$  singles,  $\gamma(\theta)$ ,  $\gamma\gamma$  coincidences and conversion coefficients. Only reported data are  $E_{\gamma}$  for 74  $\gamma$ 's placed in bands up to  $J^{\pi}$ 's of 53/2<sup>+</sup>, 49/2<sup>-</sup>, and 29/2<sup>-</sup>.

1990Ri03: <sup>130</sup>Te( $^{36}$ S,5n $\gamma$ ), E( $^{36}$ S)=170 MeV. Measured  $\gamma$ 's with TESSA3 array of 16 Ge and 50 BGO detectors. Only reported data are  $E_{\gamma}$  for  $\gamma'$ s in several bands starting above 6650 keV with two going to  $101/2^+$  and  $101/2^-$ .

1990Ri09: Has same results as 1990Ri03.

1998LiZX: see 1999LiZW.

- 1999LiZW:  $^{130}$ Te( $^{36}$ S, 5n $\gamma$ ), E( $^{36}$ S)=170 MeV.  $\gamma$ 's measured with EUROBALL array. Bands observed to  $109/2^+$ ,  $123/2^-$ , and  $105/2^{-}$ . E<sub>y</sub> and J<sup> $\pi$ </sup> given, but no level energies given. A conference report, this work seems to be based on the same information as that in 2000Si26, which work involves many of the same authors. The evaluator assumes that the information in this work has been superseded by that of 2000Si26 and has used the information in this latter publication here.
- 2000Si26: <sup>130</sup>Te(<sup>36</sup>S, 5n $\gamma$ ), E(<sup>36</sup>S)=170 MeV.  $\gamma$ 's measured in the EUROBALL array, consisting of 14 seven-element Cluster detectors, 26 four-element Clover detectors, and 30 single-crystal Ge detectors. Present data (level energies,  $E\gamma$  values and  $J^{\pi}$ values) on only three bands and only for levels above J=87. Extends this information for levels up to  $J^{\pi}=113/2^+$ ,  $119/2^-$  and 109/2<sup>-</sup>. For earlier related studies by many of these same authors, see 1990Ri03, 1990Ri09, 1998LiZX, 1999LiZW.
- A. Pipidis (Master's Thesis, University of Surrey, 2000 (unpublished)) presents the results of a study of the high-spin states of <sup>161</sup>Er. Those data are part of the same data set and analysis as reported in 2000Si26, but also provide information on lower-spin members of the three bands reported by 2000Si26. These data clarify a number of previously confusing features of the <sup>161</sup>Er level scheme, including a gap in the level sequence in the  $(\pi = -, \alpha = -1/2)$  branch of the 3/2[521] band and extend the levels in this branch up to the  $J^{\pi}=119/2^{-}$  level. They also show more levels and fragments of bands than do 2000Si26. However, the evaluator has chosen not to include this latter information here.
- 2011Ch12: <sup>150</sup>Nd(<sup>16</sup>O,5ny), E(<sup>16</sup>O)=86 MeV. 1.5 mg/cm<sup>2</sup> foil target (94.2% enrichment) on a 10.8-mg/cm<sup>2</sup> Pb backing.  $\gamma$ 's detected in an array of 9 HPGe detectors with BGO anti-Compton shields, two low-energy planar HPGe detectors and one Clover detector. Measured Ey, Iy,  $\gamma\gamma$ , (x-ray) $\gamma$  coin,  $\gamma$ -ray angular distributions from oriented nuclei (R<sub>ADO</sub>).
- 2011Ch26: (many of the same authors as 2011Ch12). Further analysis of the data of 2011Ch12. Infer B(E1) values for the transitions connecting the 3/2[521] and 5/2[642] bands and propose the presence of octupole correlations to explain the deduced enhanced B(E1)'s.

## <sup>161</sup>Er Levels

E(level) <sup>†</sup>	J <sup>π#</sup>	T <sub>1/2</sub> <sup>@&amp;</sup>	E(level) <sup>†</sup>	Jπ <b>#</b>	E(level) <sup>†</sup>	J <sup>π#</sup>
0.0 <sup><i>a</i></sup>	3/2-		726.2 <sup><i>a</i></sup> 4	15/2-	1727.1 <sup>C</sup> 4	29/2+
59.51 <sup>b</sup> 3	$5/2^{-}$		782.6 <sup>e</sup> 7	$15/2^{-}$	1772.4 <sup>b</sup> 4	$25/2^{-}$
143.91 <sup>a</sup> 5	$7/2^{-}$		783.6 <sup>°</sup> 4	$21/2^+$	1783.7 <mark>°</mark> 8	$23/2^{-}$
189.45 <sup>°</sup> 6	9/2+		848.9 <sup>d</sup> 3	19/2+	1849.9 <sup>d</sup> 4	$27/2^+$
250.0 <sup>b</sup> 3	9/2-		891.6 <sup>b</sup> 4	$17/2^{-}$	2063.2 <sup><i>a</i></sup> 5	$27/2^{-}$
267.5 <sup>°</sup> 3	$13/2^{+}$		1006.9 <sup><i>f</i></sup> 7	$17/2^{-}$	2071.3 <sup>f</sup> 8	$25/2^{-}$
296.6 <sup>d</sup> 3	$11/2^{+}$		1135.7 <sup>a</sup> 5	$19/2^{-}$	2256.7 <mark>b</mark> 5	$29/2^{-}$
388.7 <sup>a</sup> 4	$11/2^{-}$		1208.6 <sup>c</sup> 4	$25/2^+$	2326.0 <sup>°</sup> 4	$33/2^+$
396.6 <sup>e</sup> 6	$11/2^{-}$	7.5 <sup>‡</sup> μs 7	1249.6 <mark>e</mark> 7	19/2-	2369.1 <sup>e</sup> 9	$27/2^{-}$
466.2 <sup>°</sup> 4	$17/2^{+}$		1301.9 <sup>d</sup> 4	$23/2^+$	2477.0 <sup>d</sup> 5	$31/2^+$
508.8 <sup>d</sup> 3	$15/2^{+}$		1312.8 <sup>b</sup> 4	$21/2^{-}$	2548.6 <sup>a</sup> 4	31/2-
531.3 <sup>b</sup> 4	$13/2^{-}$		1509.3 <sup>f</sup> 8	$21/2^{-}$	2674.3 <sup>f</sup> 9	$29/2^{-}$
578.7 <mark>5</mark> 6	$13/2^{-}$		1589.0 <sup>a</sup> 5	$23/2^{-}$	2775.4 <sup>b</sup> 6	33/2-

E(level) <sup>†</sup>	$J^{\pi \#}$	E(level) <sup>†</sup>	$J^{\pi \#}$	E(level) <sup>†</sup>	$J^{\pi \#}$	E(level) <sup>†</sup>	J <sup>π#</sup>
2980.2 <sup>e</sup> 9	$31/2^{-}$	5808.5 <sup>a</sup> 9	$51/2^{-}$	10921 <sup>b</sup>	$(73/2^{-})$	17991 <mark>b</mark>	$(97/2^{-})$
2991.4 <sup>c</sup> 4	37/2+	6076.5 <sup>°</sup> 7	53/2+	11434 <sup>a</sup>	(75/2-)	17995 <sup>c</sup>	$(97/2^+)$
3067.0 <sup>a</sup> 5	35/2-	6243.4 <sup>b</sup> 12	53/2-	11825 <sup>C</sup>	$(77/2^+)$	18522 <sup>a</sup>	$(99/2^{-})$
3169.2 <sup>d</sup> 6	35/2+	6656 <sup>a</sup>	$(55/2^{-})$	11953 <mark>b</mark>	$(77/2^{-})$	19384 <mark>b</mark>	$(101/2^{-})$
3345.6 <sup>b</sup> 7	37/2-	6957 <sup>c</sup>	$(57/2^+)$	12478 <sup>a</sup>	$(79/2^{-})$	19397	$(101/2^{-})$
3565.8 <sup>e</sup> 11	35/2-	7118 <sup>b</sup>	$(57/2^{-})$	12935 <sup>c</sup>	$(81/2^+)$	19416 <sup>c</sup>	$(101/2^+)$
3646.0 <sup>a</sup> 5	39/2-	7557 <mark>a</mark>	$(59/2^{-})$	13039 <sup>b</sup>	$(81/2^{-})$	19916 <sup>a</sup>	$(103/2^{-})$
3708.3 <sup>C</sup> 4	$41/2^{+}$	7873 <sup>c</sup>	$(61/2^+)$	13572 <sup>a</sup>	$(83/2^{-})$	20844 <sup>b</sup>	$(105/2^{-})$
3913.4 <mark>d</mark> 8	39/2+	8039 <mark>b</mark>	$(61/2^{-})$	14105 <sup>c</sup>	$(85/2^+)$	20895 <sup>c</sup>	$(105/2^+)$
3976.4 <mark>b</mark> 8	$41/2^{-}$	8499 <mark>a</mark>	$(63/2^{-})$	14183 <sup>b</sup>	$(85/2^{-})$	21376 <sup>a</sup>	$(107/2^{-})$
4297.8 <sup>a</sup> 6	43/2-	8808 <sup>C</sup>	$(65/2^+)$	14720 <sup>a</sup>	$(87/2^{-})$	22364? <mark>b</mark>	$(109/2^{-})$
4461.5 <sup>C</sup> 4	$45/2^{+}$	8984 <sup>b</sup>	$(65/2^{-})$	15339 <sup>c</sup>	$(89/2^+)$	22407 <sup>C</sup>	$(109/2^+)$
4670.5 <sup>b</sup> 10	$45/2^{-}$	9458 <sup>a</sup>	$(67/2^{-})$	15388 <mark>b</mark>	$(89/2^{-})$	22901 <sup>a</sup>	$(111/2^{-})$
4691.4 <b>d</b> 9	43/2+	9768 <sup>c</sup>	$(69/2^+)$	15925 <sup>a</sup>	(91/2 <sup>-</sup> )	23917? <sup>c</sup>	$(113/2^+)$
5020.5 <sup>a</sup> 8	$47/2^{-}$	9938 <mark>b</mark>	$(69/2^{-})$	16636 <sup>C</sup>	$(93/2^+)$	24487 <sup>a</sup>	$(115/2^{-})$
5246.5 <sup>°</sup> 5	49/2+	10431 <sup><i>a</i></sup>	$(71/2^{-})$	16658 <mark>b</mark>	$(93/2^{-})$	26143? <sup>a</sup>	(119/2 <sup>-</sup> )
5427.8 <sup>b</sup> 11	49/2-	10770 <sup>c</sup>	$(73/2^+)$	17192 <sup>a</sup>	$(95/2^{-})$		

### <sup>161</sup>Er Levels (continued)

<sup>†</sup> Level energies computed from a least-squares fit to the listed  $\gamma$  energies.

<sup>‡</sup> From the Adopted Levels.

<sup>#</sup> From <sup>161</sup>Er Adopted Levels. For the high-spin states, they are based on the deduced mults and the customary considerations of rotational-band structure in such studies. <sup>(a)</sup> Value is from in-beam studies only; see <sup>161</sup>Er Adopted Levels for results from other studies.

& Most observed levels have lifetimes of <10 ns (1970Hj02); these limits are not given with the individual levels.

<sup>*a*</sup> Band(A):  $K^{\pi}=3/2^{-}$ , 3/2[521], band;  $\alpha = -1/2$ . 2011Ch12 propose level energies for the  $19/2^{-}$ ,  $23/2^{-}$ , and  $27/2^{-}$  band different from those proposed earlier by 1982Ga28. (The  $\gamma$ 's from those levels were assigned to another nuclide (<sup>152</sup>Sm, see 2011Ch12). In addition, 2011Ch12 associate the 27/2<sup>-</sup> through 51/2<sup>-</sup> levels, previously placed in a " $(\pi = -, \alpha = -1/2^{-})$  band" by Pipidis, with this branch. The evaluator has identified this band as the higher-spin members of the  $\alpha = -1/2$  branch of 3/2[521].

<sup>b</sup> Band(a):  $K^{\pi} = 3/2^{-}$ , 3/2[521], band;  $\alpha = +1/2$ .

<sup>c</sup> Band(B): Coriolis-mixed  $+\pi$  band,  $\alpha = +1/2$ .

<sup>d</sup> Band(b): Coriolis-mixed  $+\pi$  band,  $\alpha = -1/2$ .

<sup>e</sup> Band(C):  $K^{\pi}=11/2^{-}$ , 11/2[505], band,  $\alpha=-1/2$ .

<sup>f</sup> Band(c):  $K^{\pi} = 11/2^{-}$ , 11/2[505], band,  $\alpha = +1/2$ .

$$\gamma(^{161}\text{Er})$$

R<sub>ADO</sub>: anisotropy deduced by 2011Ch12 from  $\gamma\gamma$ -coin matrices at ±42° and 90°. Expected values are 1.4 for  $\Delta J=2$ , quadrupole, and 0.7 for  $\Delta J=1$ , dipole transitions.

$E_{\gamma}^{\dagger\ddagger}$	$I_{\gamma}^{\dagger \& a}$	$E_i$ (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_f^{\pi}$
45.54 <sup>#</sup> 3		189.45	9/2+	143.91	7/2-
59.51 <sup>#</sup> 3		59.51	$5/2^{-}$	0.0	$3/2^{-}$
78.0 5	≥4.2	267.5	$13/2^{+}$	189.45	$9/2^+$
84.40 <sup>#</sup> 3		143.91	$7/2^{-}$	59.51	5/2-

# $\gamma(^{161}\text{Er})$ (continued)

$E_{\gamma}^{\dagger\ddagger}$	$I_{\gamma}^{\dagger}\&a$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$\mathbf{E}_{f}$	$\mathbf{J}_{f}^{\pi}$	Mult. <mark>b</mark>	Comments
99.7 <sup>@</sup>		396.6	$11/2^{-}$	296.6	$11/2^{+}$		
106.2.5	>0.3	250.0	$9/2^{-}$	143.91	$7/2^{-}$		
107.2 5	>0.7	296.6	$11/2^+$	189.45	$9/2^+$		
129@		396.6	$11/2^{-}$	267.5	13/2+		
138.7.5	>0.5	388.7	$11/2^{-1}$	250.0	$9/2^{-}$		
142.5.5	1.6.5	531.3	$13/2^{-}$	388.7	$11/2^{-}$		
143.9 5	≥1.9	143.91	$7/2^{-}$	0.0	$3/2^{-}$		
146.8 <sup>@</sup>		396.6	$11/2^{-}$	250.0	9/2-		
165.5 5	0.7 2	891.6	$17/2^{-}$	726.2	$15/2^{-}$		
177.0 5	0.5 2	1312.8	$21/2^{-}$	1135.7	$19/2^{-}$		
182.1 <i>3</i>	≈7.8	578.7	$13/2^{-}$	396.6	$11/2^{-}$	D	R <sub>ADO</sub> =0.55 11.
190.6 5	≥2.7	250.0	9/2-	59.51	$5/2^{-}$		R <sub>ADO</sub> =1.8 8.
198.7 <i>1</i>	100 5	466.2	$17/2^{+}$	267.5	$13/2^{+}$	Q	R <sub>ADO</sub> =1.65 22.
204.0 3	5.0 8	782.6	$15/2^{-}$	578.7	13/2-	D	R <sub>ADO</sub> =0.74 13.
212.2 <i>I</i>	21.4 11	508.8	$15/2^{+}$	296.6	$11/2^{+}$	Q	R <sub>ADO</sub> =1.51 24.
224.1 5	3.1 9	1006.9	17/2-	782.6	15/2-	D	R <sub>ADO</sub> =0.75 15.
241.3 3	11.0 17	508.8	15/2+	267.5	13/2+	D	$R_{ADO} = 0.64 \ II.$
242.7 5	2.1 6	1249.6	19/2-	1006.9	$17/2^{-}$	D	$R_{ADO} = 0.4 \ 4.$
244.7 5	≥3.4	388.7	11/2	143.91	1/2	Q	$R_{ADO}=1.5$ 3.
252.7 <sup>w</sup>		396.6	$11/2^{-}$	143.91	7/2-		
259.7 5	0.9 3	1509.3	21/2-	1249.6	19/2-		$R_{ADO}=0.93$ .
2/4.5 5	0.8 2	1/83.7	$\frac{23}{2}^{-}$	1509.3	$21/2^{-}$	0	$R_{ADO} = 0.73 25.$
281.3 3	9.6 14	531.3 2071 2	13/2	250.0	9/2	Q	$R_{ADO} = 1.79 \ 20.$
207.5 5	1.0.5	2071.5	23/2	1/05./	25/2	D	$R_{ADO} = 0.03$ 19.
297.5 J	0.4 1	2509.1	21/2	2071.5	23/2	D	$R_{ADO} = 0.44 \ I4.$
305.04 5	≈0.5	2674.3	29/2	2369.1	27/2	D	$R_{ADO} = 0.83$
306.0 5	≈0.5 07.5	2980.2	$\frac{31}{2}$	26/4.3	29/2	D	$R_{ADO} = 0.8 3.$
317.4 I 337 5 5	975	785.0 726.2	$\frac{21}{2}^{-1}$	400.2	$\frac{1}{2}$	Q	$R_{ADO} = 1.09 IS.$
340 1 1	21 5 11	848 9	$10/2^+$	508.7	11/2 $15/2^+$	Q	$R_{ADO} = 1.7.5$ . $R_{ADO} = 1.49.14$
360 3 3	9815	891.6	$17/2^{-1}$	531.3	$13/2^{-1}$	IE21	$R_{ADO} = 1.47 17$ . $R_{ADO} = 1.57 22$ consistent with mult=O
500.55	2.0 15	071.0	17/2	001.0	10/2	[22]	$I_{ADO} = I_{22} (2000) (1000) (200$
382.5 3	5.5 8	848.9	$19/2^{+}$	466.2	$17/2^{+}$	D	$R_{ADO} = 0.57 \ 11.$
382.8 5	1.3 4	891.6	$17/2^{-}$	508.8	$15/2^{+}$	[E1]	$R_{ADO}=0.8$ 3, consistent with mult=d.
386.0 5	2.0 6	782.6	$15/2^{-}$	396.6	$11/2^{-}$	(Q)	R <sub>ADO</sub> =1.7 7.
406.7 5	2.0 6	2256.7	$29/2^{-}$	1849.9	$27/2^+$	[E1]	R <sub>ADO</sub> =0.79 17, consistent with mult=d.
409.5 5	2.5 8	1135.7	19/2-	726.2	$15/2^{-}$		R <sub>ADO</sub> =1.03 22.
421.2 3	10.5 16	1312.8	$21/2^{-}$	891.6	17/2-	[E2]	$R_{ADO}=1.45$ 17, consistent with mult=Q.
125 0 1	00 1	1200 (	25/2+	702 (	21/2+	0	$1\gamma(421.2\gamma)/1\gamma(464.0\gamma) = 5.85$ 22.
423.01	094	1208.0	17/2-	185.0 578 7	$\frac{21}{2}$	Q	$R_{ADO} = 1.47 14.$
420.2 3	2.3 0	1301.0	$\frac{1}{2}$	3/8./ 8/8 0	$\frac{15}{2}$ $\frac{10}{2}$ +	0	$R_{ADO} = 1.04$ .
454 1 5	25.515	1501.9	23/2-	1135.7	19/2 $19/2^{-}$	Q (F2)	$R_{ADO} = 1.0122$ .
1,1,1,2	1.5 5	1507.0	23/2	1155.7	1)/2	[122]	$I_{ADO} = 1.0.5$ . $I_{V}(454 1_{V})/I_{V}(806 3) = 1.4.4$
459.6 3	8.5 13	1772.4	$25/2^{-}$	1312.8	$21/2^{-}$	[E2]	$R_{ADO} = 1.57$ 18. consistent with mult=O.
			,		,		$I_{\gamma}(459.6\gamma)/I_{\gamma}(470.5\gamma)=5.22$ 11.
464.0 5	3.1 9	1312.8	$21/2^{-}$	848.9	$19/2^{+}$	[E1]	$R_{ADO}=0.61$ 17, consistent with mult=d.
467.1 5	2.9 9	1249.6	$19/2^{-}$	782.6	$15/2^{-}$		R <sub>ADO</sub> =1.2 3.
470.5 5	1.9 6	1772.4	$25/2^{-}$	1301.9	$23/2^{+}$	[E1]	R <sub>ADO</sub> =0.94 17, consistent with mult=d.
473.5 5	2.1 6	2063.2	$27/2^{-}$	1589.0	$23/2^{-}$	[E2]	R <sub>ADO</sub> =1.7 7.
101.1.2	0 1 7 7	2254 -	<b>a</b> o / <b>a</b> -	1.772	05/5-	17.03	$I\gamma(473.5\gamma)/I\gamma(854.5\gamma)=0.63$ 27.
484.4 <i>3</i>	8.4 13	2256.7	29/2-	17/2.4	25/2-	[E2]	$R_{ADO}=1.51$ 21, consistent with mult=Q.
105 2 5	2210	2510 6	21/2-	2062.2	27/2-	1221	$1\gamma(484.4\gamma)/1\gamma(400.1\gamma)=5.1/10.$
403.3 3	5.2 10	2346.0	31/2	2003.2	21/2	[E2]	$\kappa_{ADO} = 1.27/23$ , consistent with mult=Q. $I_{2}(485/3a)/I_{2}(821/5a) = 0.45/22$
							$1 \gamma (703.5 \gamma) / 1 \gamma (021.5 \gamma) - 0.45 22.$

# $\gamma(^{161}\text{Er})$ (continued)

$E_{\gamma}^{\dagger\ddagger}$	$I_{\gamma}^{\dagger \& a}$	$E_i(level)$	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_{f}^{\pi}$	Mult. <mark>b</mark>	Comments
502.3 5	2.5 8	1509.3	$21/2^{-}$	1006.9	$17/2^{-}$		$R_{ADO} = 1.1 4.$
518.5 <i>3</i>	5.5 8	1301.9	$23/2^{+}$	783.6	$21/2^+$		$R_{ADO} = 0.83 \ 16.$
518.5 <i>1</i>	≥82	1727.1	$29/2^+$	1208.6	$25/2^+$	Q	$R_{ADO} = 1.32 \ I3.$
518.5 3	7.0 11	3067.0	35/2-	2548.6	31/2-	[Ē2]	$R_{ADO} = 1.6 \ 3$ , consistent with mult=Q. $I\gamma(518.5\gamma)/I\gamma(740.9\gamma) = 1.05 \ 12.$
518.7 <i>3</i>	6.5 10	2775.4	$33/2^{-}$	2256.7	$29/2^{-}$	Q	$R_{ADO} = 1.4 3.$
534.2 5	1.5 5	1783.7	$23/2^{-}$	1249.6	$19/2^{-}$		$R_{ADO} = 1.3 8.$
548.1 <i>3</i>	11.7 <i>18</i>	1849.9	$27/2^{+}$	1301.9	$23/2^{+}$	Q	R <sub>ADO</sub> =1.55 25.
562.0 5	2.6 8	2071.3	$25/2^{-}$	1509.3	$21/2^{-}$		R <sub>ADO</sub> =1.0 3.
570.2 <i>3</i>	5.3 8	3345.6	$37/2^{-}$	2775.4	$33/2^{-}$	Q	R <sub>ADO</sub> =1.43 22.
579.0 <i>3</i>	9.2 14	3646.0	39/2-	3067.0	35/2-	[E2]	$R_{ADO}=1.7$ 4, consistent with mult=Q. $I\gamma(579.0\gamma)/I\gamma(654.6\gamma)=2.68$ 22.
585.6 <sup>°</sup> 5	≈1.9 <sup>C</sup>	2369.1	$27/2^{-}$	1783.7	$23/2^{-}$		$R_{ADO}=2.05$ (value is for a doublet).
585.6 <sup>c</sup> 5	≤1.9 <sup>C</sup>	3565.8	35/2-	2980.2	31/2-		$R_{ADO}=2.05$ (value is for a doublet).
598.9 <i>1</i>	64 <i>3</i>	2326.0	$33/2^{+}$	1727.1	$29/2^{+}$	Q	R <sub>ADO</sub> =1.27 18.
603.0 5	2.1 6	2674.3	$29/2^{-}$	2071.3	$25/2^{-}$	Q	R <sub>ADO</sub> =2.1 <i>6</i> .
611.0 5	≈0.6	2980.2	$31/2^{-}$	2369.1	$27/2^{-}$		R <sub>ADO</sub> =1.1 4.
627.1 <i>3</i>	7.4 11	2477.0	$31/2^{+}$	1849.9	$27/2^+$	Q	R <sub>ADO</sub> =1.49 22.
630.8 5	3.3 10	3976.4	$41/2^{-}$	3345.6	$37/2^{-}$	Q	R <sub>ADO</sub> =1.5 4.
641.2 5	1.0 3	1849.9	$27/2^{+}$	1208.6	$25/2^+$	D	R <sub>ADO</sub> =0.6 3.
651.8 <i>3</i>	8.6 <i>13</i>	4297.8	$43/2^{-}$	3646.0	39/2-	(Q)	R <sub>ADO</sub> =1.11 25.
654.6 5	2.5 8	3646.0	39/2-	2991.4	$37/2^{+}$	[E1]	$R_{ADO}=0.7$ 3, consistent with mult=d.
665.4 <i>1</i>	34.9 17	2991.4	$37/2^{+}$	2326.0	$33/2^{+}$	Q	R <sub>ADO</sub> =1.35 <i>16</i> .
692.2 <i>3</i>	5.4 8	3169.2	$35/2^+$	2477.0	$31/2^{+}$		R <sub>ADO</sub> =1.3 3.
694.1 5	1.7 5	4670.5	$45/2^{-}$	3976.4	$41/2^{-}$		R <sub>ADO</sub> =1.2 4.
716.9 <i>1</i>	22.0 11	3708.3	$41/2^{+}$	2991.4	$37/2^+$		$R_{ADO} = 1.3 \ 3.$
722.7 5	4.6 14	5020.5	$47/2^{-}$	4297.8	43/2-	Q	R <sub>ADO</sub> =1.13 23.
740.9 <i>3</i>	6.7 10	3067.0	35/2-	2326.0	$33/2^{+}$	[E1]	$R_{ADO} = 0.81$ 14, consistent with mult=d.
744.1 5	3.3 10	3913.4	$39/2^{+}$	3169.2	$35/2^+$		$R_{ADO} = 1.2 \ 3.$
753.2 1	15.6 8	4461.5	$45/2^{+}$	3708.3	$41/2^{+}$	Q	R <sub>ADO</sub> =1.41 24.
757.3 5	0.6 2	5427.8	49/2-	4670.5	45/2-	Q	R <sub>ADO</sub> =1.8 7.
778.0 5	2.9 9	4691.4	43/2+	3913.4	39/2+	Q	$R_{ADO} = 1.97$ .
785.0 <i>3</i>	10.6 16	5246.5	49/2+	4461.5	45/2+	Q	R <sub>ADO</sub> =1.41 24.
788.0 5	2.5 8	5808.5	51/2-	5020.5	47/2-		
806.3 5	0.9 3	1589.0	23/2-	783.6	21/2+	[E1]	$R_{ADO} = 0.6 4$ , consistent with mult=d.
815.6 5	0.3 1	6243.4	53/2-	5427.8	49/2-	CT 1 1	
821.5 3	6.3 9	2548.6	$31/2^{-}$	1727.1	29/2*	[EI]	$R_{ADO} = 0.73$ 19, consistent with mult=d.
830.0 5	3.19	6076.5	53/21	5246.5	49/2		$R_{ADO} = 0.9753.$
848	27.0	6656	(55/2)	5808.5	51/2	<b>FT</b> 11	<b>D</b> 0.0.2
854.5 5	2.7 8	2063.2	21/2	1208.6	25/21	[E1]	$R_{ADO}=0.93$ .
8/5		/118	(57/2)	6243.4	53/2 52/2+		
880		0957	$(57/2^{-})$	00/0.5	$\frac{33}{2}$		
901		1551	(59/2)	0000 6057	(55/2)		
910		/0/3	$(01/2^{+})$ (61/2 <sup>-</sup> )	7110	$(57/2^{-})$		
921		8039	(01/2)	/118	(51/2)		
935		8808	$(03/2^{+})$ $(63/2^{-})$	1813	$(01/2^{+})$ (50/2 <sup>-</sup> )		
942 045		0499 0001	(05/2)	1001	(39/2)		
94J 054		0704 0020	(03/2)	0039 8001	(01/2) (65/2 <sup>-</sup> )		
934 050		7730 0459	(09/2)	0704 0700	(03/2)		
939 060		9438 0769	(0/2)	0499 qqnq	(05/2)		
900 073		9700 10721	$(09/2^{+})$ $(71/2^{-})$	0000	$(05/2^{+})$ $(67/2^{-})$		
083		10431	(71/2) $(73/2^{-})$	94J0 0020	(07/2)		
1002		10721	(73/2)	7730 0760	$(69/2^{+})$		
1002		11434	$(75/2^{-})$	10431	$(71/2^{-})$		

					$\gamma(^{161}\text{Er})$	(continued)		
$E_{\gamma}^{\dagger\ddagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$\mathbf{E}_f = \mathbf{J}_f^{\pi}$	$E_{\gamma}^{\dagger\ddagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathrm{J}_f^\pi$
1032	11953	$(77/2^{-})$	10921 (73/2-	1333	17991	$(97/2^{-})$	16658	(93/2 <sup>-</sup> )
1044	12478	$(79/2^{-})$	11434 (75/2-	) 1359	17995	$(97/2^+)$	16636	$(93/2^+)$
1055	11825	$(77/2^+)$	10770 (73/2+	1393	19384	$(101/2^{-})$	17991	$(97/2^{-})$
1086	13039	$(81/2^{-})$	11953 (77/2-	) 1394	19916	$(103/2^{-})$	18522	$(99/2^{-})$
1094	13572	$(83/2^{-})$	12478 (79/2-	) 1405	19397	$(101/2^{-})$	17991	$(97/2^{-})$
1110	12935	$(81/2^+)$	11825 (77/2+	) 1421	19416	$(101/2^+)$	17995	$(97/2^+)$
1144	14183	$(85/2^{-})$	13039 (81/2-	) 1447	20844	$(105/2^{-})$	19397	$(101/2^{-})$
1148	14720	$(87/2^{-})$	13572 (83/2-	) 1460	20844	$(105/2^{-})$	19384	$(101/2^{-})$
1170	14105	$(85/2^+)$	12935 (81/2+	) 1460	21376	$(107/2^{-})$	19916	$(103/2^{-})$
1205	15388	$(89/2^{-})$	14183 (85/2-	) 1479	20895	$(105/2^+)$	19416	$(101/2^+)$
1205	15925	$(91/2^{-})$	14720 (87/2-	) 1510 <sup>d</sup>	23917?	$(113/2^+)$	22407	$(109/2^+)$
1234	15339	$(89/2^+)$	14105 (85/2+	) 1512	22407	$(109/2^+)$	20895	$(105/2^+)$
1267	17192	$(95/2^{-})$	15925 (91/2-	) 1521 <sup>d</sup>	22364?	$(109/2^{-})$	20844	$(105/2^{-})$
1270	16658	$(93/2^{-})$	15388 (89/2-	) 1525	22901	$(111/2^{-})$	21376	$(107/2^{-})$
1297	16636	$(93/2^+)$	15339 (89/2+	) 1586	24487	$(115/2^{-})$	22901	$(111/2^{-})$
1330	18522	(99/2 <sup>-</sup> )	17192 (95/2-	) 1657 <sup>d</sup>	26143?	(119/2 <sup>-</sup> )	24487	(115/2-)

1205	13923	(91/2)	14/20(0/2)	1310	239174	(113/2)	22407 (109/2)
1234	15339	$(89/2^+)$	14105 (85/2+)	1512	22407	$(109/2^+)$	20895 (105/2+)
1267	17192	$(95/2^{-})$	15925 (91/2-)	1521 <sup>d</sup>	22364?	$(109/2^{-})$	20844 (105/2 <sup>-</sup> )
1270	16658	$(93/2^{-})$	15388 (89/2-)	1525	22901	$(111/2^{-})$	21376 (107/2-)
1297	16636	$(93/2^+)$	15339 (89/2+)	1586	24487	$(115/2^{-})$	22901 (111/2 <sup>-</sup> )
1330	18522	$(99/2^{-})$	17192 (95/2-)	1657 <mark>d</mark>	26143?	$(119/2^{-})$	24487 (115/2-)
				•			

<sup>†</sup> For levels below 6.25 MeV, the data are those reported by 2011Ch12, unless noted otherwise. Above this, these data are from 2000Si26 and the thesis of A. Pipidis.

<sup> $\pm$ </sup> 2011Ch12 state that the uncertainties in Ey range from 0.1 to 0.5 keV. The listed values were assigned as follows: for Iy>20, 0.1 keV; for I $\gamma$  between 5 and 20, 0.3 keV; and for I $\gamma$ <5, 0.5 keV.

<sup>#</sup> Value from the Adopted Gammas.

<sup>@</sup> Value from 1982Ga28.

& Relative I $\gamma$ , divided by 10, from 2011Ch12.

<sup>*a*</sup> 2011Ch12 state that the uncertainties in the I $\gamma$  values range from 5% to 30%. The values listed here were chosen as follows: 5%, for I $\gamma$ >20; 15%, for I $\gamma$  between 5 and 20; and 30%, for I $\gamma$ <5. The E1/E2 branching ratios were determined in a separate sorting of coincidence matrices and are indicated in separate comments. These are generally used in the computing the adopted  $\gamma$ branching from the respective levels.

<sup>b</sup> Values are for selected  $\gamma'$ s and are based on the R<sub>ADO</sub> data from 2011Ch12. In some cases, values derived from  $\Delta J^{\pi}$ assignments are listed.

<sup>c</sup> Multiply placed with intensity suitably divided.

<sup>d</sup> Placement of transition in the level scheme is uncertain.

## Level Scheme Intensities: Relative Ι<sub>γ</sub>

Legend

 $--- \blacktriangleright \gamma$  Decay (Uncertain)



<sup>161</sup><sub>68</sub>Er<sub>93</sub>





<sup>161</sup><sub>68</sub>Er<sub>93</sub>



<sup>161</sup><sub>68</sub>Er<sub>93</sub>

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# (HI,xnγ)

Band(A): K <sup>π</sup> 3/2[521], band	$\alpha = 3/2^{-},$ ; $\alpha = -1/2$					
(119/2-)	26143					
1657 (115/2 <sup>-</sup> )	24487		Band(B): Coriolis-mixed + $\pi$ band, $\alpha$ =+1/2			
1586		Band(a): $K^{\pi}=3/2^{-}$ ,	$\underbrace{(113/2^+)}_{$			
(111/2 <sup>-</sup> )	22901	$(109/2^{-})$ 22364	$(109/2^+)$ $\underbrace{1510}_{\bullet}$ 22407			
(107/2 <sup>-</sup> )	21376	1521	1512			
1460 (103/2-)	10017					
1394	19910	$(101/2^{-}) + 19384$	$(101/2^+) + 19416$			
(99/2 <sup>-</sup> )	18522	1393 (97/2 <sup>-</sup> ) 17991	(97/2 <sup>+</sup> ) 17995			
(95/2 <sup>-</sup> )	17192	1333 (93/2 <sup>-</sup> ) 16659	1359 (93/2 <sup>+</sup> ) 16626			
(91/2 <sup>-</sup> )	15925	1270	1297			
(87/2 <sup>-</sup> )	14720	(89/2 <sup>-</sup> ) 15388	(89/2+) 15339			
(83/2 <sup>-</sup> ) 1148	13572	(85/2 <sup>-</sup> ) 14183				
(79/2 <sup>-</sup> ) 1094	12478	(81/2 <sup>-</sup> ) 13039	$(81/2^+) + 12935$			
(75/2 <sup>-</sup> ) 1044	11434	(77/2 <sup>-</sup> ) 11953	$(77/2^+)$ 1110 11825			
(71/2 <sup>-</sup> ) 1002	10431	$\frac{(73/2^{-})}{(60/2^{-})} \xrightarrow{983} 20220$	$\frac{(73/2^+)}{1002} + \frac{1055}{10770}$			
(67/2 <sup>-</sup> ) 973	9458	$(65/2^-)$ 954 8984	(69/2 <sup>+</sup> ) 9768			
(63/2 <sup>-</sup> ) 959	8499	(61/2 <sup>-</sup> ) <sup>945</sup> 8039	$(61/2^+)$ $935$ $7873$			
$(59/2^-)$ 901 $(55/2^-)$ 901	7557	(57/2 <sup>-</sup> ) <sup>921</sup> 7118	(57/2 <sup>+</sup> ) 916 6957			
51/2 <sup>-</sup> 848	5808.5	53/2 <sup>-</sup> 875 6243.4	<u>53/2+</u> 880 6076.5	Band(b): Coriolis-mixed $\pm \pi$ band $\alpha = -1/2$		
47/2- 788	5020.5	$\frac{49/2}{45/2} \xrightarrow{757} 46705$	<u>49/2+</u> 830 5246.5	43/2 <sup>+</sup> 4691.4	Band(C): $K^{\pi} = 11/2^{-}$ ,	
$\frac{43/2^{-}}{39/2^{-}}$ 723	4297.8 3646.0	$\frac{10}{41/2^{-}} \frac{694}{3976.4}$	$45/2^+$ $753$ $4461.5$	<u>39/2+</u> 778 3913.4	11/2[505], band, $\alpha = -1/2$	Band(c): K <sup><i>π</i></sup> =11/2 <sup>-</sup> ,
$35/2^{-1}$	$\sqrt{\frac{3067.0}{2548.6}}$	<u>37/2</u> 631 <u>3345.6</u>	$\frac{41/2}{37/2^+}$ 3708.3 37/2 <sup>+</sup> 2991.4	35/2+ 744 3160.2	35/2- 3565.8	11/2[505], band, α=+1/2
27/2 519	2063.2	$\frac{33/2}{29/2}$ $570$ $2775.4$ $2256.7$	33/2+ 2326.0	$31/2^+$ 692 2477.0	<u>31/2- 586 2980.2</u>	29/2- 2674.3
23/2 485	1589.0	$\frac{25/2}{25/2}$ $\frac{519}{1772.4}$	$29/2^+$ 665 / 1727.1	27/2+ 1849.9	27/2- 611 2369.1	$25/2^{-}$ 603 2071 3
19/2 474	1135.7		$\frac{25/2}{21/2^+}$ 599 1208.6	23/2+ 1301.9	23/2-586 1783.7	$21/2^{-}$ 562 1509.3
	726.2	$17/2^{-}$ 460 891.6 12/2 421 531.3			$\frac{19/2^{-}}{15/2^{-}} \frac{534}{467} \frac{1249.6}{782.6}$	17/2 502 1006.9
$\frac{11/2}{7/2^-}$ 410		$\frac{13/2}{9/2^-}$ $\frac{721}{360}$ $\frac{531.3}{250.0}$	$13/2^+ - \frac{425}{317} - 267.5$	$\frac{15/2^+ \frac{433}{340}}{11/2^+ \frac{340}{206.6}}$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	13/2 428 578.7
3/2- 245	0.0	$5/2^{-}$ $281$ $59.51$	9/2+ 189.45	212 270.0		

<sup>161</sup><sub>68</sub>Er<sub>93</sub>