#### (HI,xnγ) **1996Pi11**

#### History

Туре	Author	Citation	Literature Cutoff Date
Full Evaluation	T. D. Johnson, D. Symochko(a), M. Fadil(b), and J. K. Tuli	NDS 112, 1949 (2011)	1-Jun-2010

**1996Pi11**: <sup>110</sup>Pd(<sup>37</sup>Cl,5n $\gamma$ ) E=160 MeV. Measured E $\gamma$ , I $\gamma$ ,  $\gamma\gamma$ ,  $\gamma$ (anisotropy) using ESSA 30 array. Includes <sup>114</sup>Cd(<sup>32</sup>S,p3n $\gamma$ ) E=155 MeV (1993Bi13 and 1990Bi07).

The ordering of the following cascades is different in 1990Bi07: 1. 812-908-461-532-820 cascade (1996Pi11) is ordered as 460-532-811-907-820 in 1990Bi07. 2. 127-141-185-219-394-426 cascade (1996Pi11) is ordered as 127-141-185-394-219-426 in 1990Bi07. 3. A 285γ placed from a 3716 level by 1990Bi07 is now assigned (1996Pi11) higher up in the level scheme.

### <sup>142</sup>Eu Levels

E(level) <sup>†</sup>	$J^{\pi}$	T <sub>1/2</sub>	Comments
x 282.60+x 10	8 <sup>-</sup> 8 <sup>+</sup>	6.2 ns 4	Additional information 1. g=0.51 <i>3</i> (1993Bi13) T <sub>1/2</sub> : from 1993Bi13.
			Configuration= $\pi h_{11/2} \nu h_{11/2}^{-1}$ (1993Bi13).
292.70+x 18	9+		/ 11/2
353.20+x <i>19</i>	9-		
376.29+x 20	$10^{+}$		
6/9.4+x 3	(8,10)		
$1000.03 \pm x_{-2}^{-2}$	11-		
$1000.9 \pm x \ 3$ 1066 50 $\pm x \ 25$	11 11 <sup>+</sup>		
1000.30 + x 23 1099.24 + x 22	$12^{+}$		
1281.2 + x 4	(10)		
$1397.4 + x^{\#} 3$	11+		$I^{\pi}$ : 1990Bi07 proposed 12 <sup>+</sup> as the first hand member
1630.64 + x 25	$12^{+}$		a internet and met build method.
1669.11+x 25	13+		
2001.76+x 25	13+		
2034.4+x 3	12		
2046.1+x 3	12-		
2085.3+x 3	13-		
2130.95+x <sup>@</sup> 24	$14^{+}$		
2209.3+x <sup>#</sup> 4	13+		
2231.3+x <i>3</i>	14+		
2283.2+x 3	$12^{(-)}$		
2289.0+x <sup>@</sup> 3	15+	4.6 ps 3	
2359.1+x <i>3</i>	12-		
2442.8+x 3	$13^{(-)}$		
$2483.98 + x^{a} 24$	13-		
2543.7+x <sup>@</sup> 3	16+	1.8 ps 6	
$2610.75 + x^{a} 24$	14-	3.9 ps 7	
$2751.34 + x^{a} 25$	15-	3.1 ps 6	
$2935.9 + x^{\alpha} 3$	16	1.8 ps 3	
3057.6+x <sup>w</sup> 4	17+		
$3116.9 + x^{#} 4$	15+		
3154.5+x <sup><i>a</i></sup> 3	$17^{-}$	1.7 ps 2	
3435.0+x <sup>@</sup> 4	$18^{+}$		
3441.5+x 4	17-		
3548.9+x <sup>4</sup> 4	18-	1.3 ps <i>1</i>	
33/4.8 + x 4	10		
3577.6+x <b>"</b> 5	17+	37 ps 3	
3819.2+x 4	17		

# <sup>142</sup>Eu Levels (continued)

E(level) <sup>†</sup>	$J^{\pi}$	T <sub>1/2</sub>	Comments
3974.5+x 4	19-		
4109.7+x <sup>#</sup> 5	19+	5.8 ps 8	
4114.5+x 6	18	1	
4114.7+x 4	19-		
4186.5+x 5	18		
4218.5+x <sup>w</sup> 4	19+		
4380.3 + x 3 $4515.7 + x^{a} 5$	19		
4650 4+x 6	20 19		
4651.4+x 4	20-		
4803.7+x <sup>@</sup> 5	$20^{+}$		
4909.2+x 5	21		
4928.3+x 7			
$4930.0+x^{\#} 6$	$21^{+}$	<1.4 ps	
$5078.0 + x^{u} 6$	21-		
5105.0+X / 5300 $4+x 6$	20 21 <sup>-</sup>		
5467.1+x 6	21		
5511.6+x 6	22		
5533.5+x <sup>@</sup> 5	$21^{+}$		
5729.6+x 6	22		
5819.4 + x 6	22		
6006.0+X'' 0	231		
6525.4 + x 7	23 24		
6539.1+x 7	24		
7073.8+x <sup>#</sup> 8	$(25^{+})$		
у <b>&amp;</b>	J1		Additional information 2.
			E(level): y > 3 MeV.
8r			$J^{\pi}$ : J1 $\geq$ 18.
602.8+y 3	J1+2		
1211.2+y  5	J1+4	+	
1956.8+y 6	J1+6	$0.49^+$ ps 3	
2875.9+y 8	J1+8	0.21 <sup>+</sup> ps 3	
3996.6+y <sup>&amp;</sup> 9	J1+10	<0.21 <sup>+</sup> ps	
5170.4+y <sup>cc</sup> 11	J1+12		
z	J2		Additional information 3.
			E(level): $Z > 2.0$ MeV. $J^{\pi}$ : $J2 \ge 12$ .
753.6+z <sup>b</sup> 3	J2+2		
1374.3+z <sup>b</sup> 4	J2+4		
2154.9+z <sup>b</sup> 5	J2+6	0.26 <sup>‡</sup> ps 3	
3093.2+z <sup>b</sup> 6	J2+8	0.12 <sup>‡</sup> ps 2	
4011.6+z <sup>b</sup> 8	J2+10	0.08 <sup>‡</sup> ps 6	
5015.8+z <sup>b</sup> 10	J2+12	<0.21 <sup>‡</sup> ps	
6157.0+z <sup>b</sup> 12	J2+14		

 $^{\dagger}$  From least-squares fit to Ey. X=180 300 (see Adopted Levels).

#### $(HI,xn\gamma)$ 1996Pi11 (continued)

## <sup>142</sup>Eu Levels (continued)

<sup>‡</sup> From DSA line-shape analysis. Uncertainty given is statistical only. <sup>#</sup> Band(A):  $\Delta J=2$  band-1 based on 11<sup>+</sup>.

- <sup>(a)</sup> Band(B):  $\Delta J=1$  band-1 based on 14<sup>+</sup>.
- <sup>&</sup> Band(D):  $\Delta J=2$  band-2. <sup>a</sup> Band(D):  $\Delta J=1$  band-2 based on 13<sup>-</sup>. <sup>b</sup> Band(E):  $\Delta J=2$  band-3.

## $\gamma(^{142}\text{Eu})$

Ratio R=I $\gamma(37^\circ)/I\gamma(79^\circ)$ .

Eγ	$I_{\gamma}^{\ddagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$J_f^{\pi}$	Mult. <sup>#</sup>	$\alpha^{\dagger}$	Comments
83.6 1	159	376.29+x	10+	292.70+x	9+	M1 <sup>@</sup>	3.09	$\alpha(K)=2.61 \ 4; \ \alpha(L)=0.375 \ 6; \ \alpha(M)=0.0810 \ 12; \\ \alpha(N+)=0.0218 \ 4 \\ \alpha(N)=0.0185 \ 3; \ \alpha(O)=0.00294 \ 5; \ \alpha(P)=0.000289 \\ 5 \end{bmatrix}$
								R=0.88 10.
116.2 3	4	1397.4+x	11+	1281.2+x	(10)			R=0.61 20.
125.0 3	6	2483.98+x	13	2359.1+x	12		0.000	R=0.85 20.
126.8 1	87	2610.75+x	14	2483.98+x	13	MI	0.938	B(M1)(W.u.)=1.5 3 $\alpha(K)=0.794 \ 12; \ \alpha(L)=0.1132 \ 16; \ \alpha(M)=0.0245 \ 4; \ \alpha(N+)=0.00658 \ 10 \ \alpha(N)=0.00560 \ 8; \ \alpha(O)=0.000889 \ 13; \ \alpha(P)=8.78\times10^{-5} \ 13 \ R=0.90 \ 10.$
129.2 2	30	2130.95+x	14+	2001.76+x	13+	M1 <sup>@</sup>	0.890	$\begin{aligned} &\alpha(\text{K}) = 0.753 \ 11; \ \alpha(\text{L}) = 0.1073 \ 16; \ \alpha(\text{M}) = 0.0232 \ 4; \\ &\alpha(\text{N}+) = 0.00624 \ 10 \\ &\alpha(\text{N}) = 0.00531 \ 8; \ \alpha(\text{O}) = 0.000842 \ 13; \\ &\alpha(\text{P}) = 8.32 \times 10^{-5} \ 13 \\ &\text{R} = 0.84 \ 12. \end{aligned}$
140.6 <i>1</i>	148	2751.34+x	15-	2610.75+x	14-	M1 <sup>@</sup>	0.701	B(M1)(W.u.)=2.2 5 $\alpha$ (K)=0.593 9; $\alpha$ (L)=0.0845 12; $\alpha$ (M)=0.0182 3; $\alpha$ (N+)=0.00491 7 $\alpha$ (N)=0.00418 6; $\alpha$ (O)=0.000663 10; $\alpha$ (P)=6.56×10 <sup>-5</sup> 10 R=0.89 8.
158.0 <i>I</i>	171	2289.0+x	15+	2130.95+x	14+	M1 <sup>@</sup>	0.505	B(M1)(W.u.)=1.21 8 $\alpha$ (K)=0.428 6; $\alpha$ (L)=0.0608 9; $\alpha$ (M)=0.01313 19; $\alpha$ (N+)=0.00353 5 $\alpha$ (N)=0.00301 5; $\alpha$ (O)=0.000477 7; $\alpha$ (P)=4.72×10 <sup>-5</sup> 7 R=0.84 8.
167.9 2	26	2610.75+x	14-	2442.8+x	13 <sup>(-)</sup>	(M1+E2)	0.408 20	$\begin{aligned} &\alpha(\mathbf{K}) = 0.31 \ 5; \ \alpha(\mathbf{L}) = 0.076 \ 25; \ \alpha(\mathbf{M}) = 0.017 \ 6; \\ &\alpha(\mathbf{N}+) = 0.0044 \ 15 \\ &\alpha(\mathbf{N}) = 0.0038 \ 13; \ \alpha(\mathbf{O}) = 0.00056 \ 16; \\ &\alpha(\mathbf{P}) = 3.1 \times 10^{-5} \ 10 \\ &\mathbf{R} = 0.82 \ 10. \end{aligned}$
184.6 <i>1</i>	203	2935.9+x	16-	2751.34+x	15-	M1 <sup>@</sup>	0.328	B(M1)(W.u.)=1.7 3 $\alpha$ (K)=0.278 4; $\alpha$ (L)=0.0394 6; $\alpha$ (M)=0.00850 12; $\alpha$ (N+)=0.00229 4 $\alpha$ (N)=0.00195 3; $\alpha$ (O)=0.000309 5;

# $\gamma$ <sup>(142</sup>Eu) (continued)</sup>

Eγ	$I_{\gamma}^{\ddagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_{f}^{\pi}$	Mult. <sup>#</sup>	$\alpha^{\dagger}$	Comments
200.8 2	16	2483.98+x	13-	2283.2+x	12 <sup>(-)</sup>			$\alpha(P)=3.06\times10^{-5} 5$ R=0.81 8. R=0.78 10.
218.6 <i>I</i>	206	3154.5+x	17-	2935.9+x	16-	M1 <sup>@</sup>	0.206	B(M1)(W.u.)=1.24 <i>15</i> $\alpha$ (K)=0.1748 <i>25</i> ; $\alpha$ (L)=0.0247 <i>4</i> ; $\alpha$ (M)=0.00532 <i>8</i> ; $\alpha$ (N+)=0.001432 <i>21</i> $\alpha$ (N)=0.001219 <i>18</i> ; $\alpha$ (O)=0.000194 <i>3</i> ; $\alpha$ (P)=1.92×10 <sup>-5</sup> <i>3</i> R=0.76 <i>7</i>
244.4 2 254.7 <i>1</i>	29 178	3819.2+x 2543.7+x	17 16 <sup>+</sup>	3574.8+x 2289.0+x	16 <sup>+</sup> 15 <sup>+</sup>	M1(+E2)	0.117 20	$R = 0.75 \ 8.$ $\alpha(K) = 0.094 \ 22; \ \alpha(L) = 0.0176 \ 14; \ \alpha(M) = 0.0039 \ 4; \ \alpha(M) = 0.0039 \ 9; \ \alpha(N) = 0.000133 \ 9; \ \alpha(N) = 0.000134 \ 7; \ \alpha(P) = 1.0 \times 10^{-5} \ 3 \ R = 0.72 \ 6.$
257.8 2 271.1 2	31 13	4909.2+x 4651.4+x	21 20 <sup>-</sup>	4651.4+x 4380.3+x	20 <sup>-</sup> 19 <sup>-</sup>			R=0.72 7. R=0.63 8.
282.6 1	944	282.60+x	8+	х	8-	E1&	0.01782	B(E1)(W.u.)=1.78×10 <sup>-6</sup> <i>12</i> $\alpha$ (K)=0.01516 <i>22</i> ; $\alpha$ (L)=0.00209 <i>3</i> ; $\alpha$ (M)=0.000448 <i>7</i> ; $\alpha$ (N+)=0.0001190 <i>17</i> $\alpha$ (N)=0.0001017 <i>15</i> ; $\alpha$ (O)=1.581×10 <sup>-5</sup> <i>23</i> ; $\alpha$ (P)=1.432×10 <sup>-6</sup> <i>20</i> R=1.47 <i>11</i> .
285.9 <i>3</i> 292.7 <i>2</i>	15 56	5819.4+x 292.70+x	22 9 <sup>+</sup>	5533.5+x x	21 <sup>+</sup> 8 <sup>-</sup>	E1 <sup>&amp;</sup>	0.01630	R=0.81 8. $\alpha(K)=0.01387 \ 20; \ \alpha(L)=0.00190 \ 3;$ $\alpha(M)=0.000409 \ 6; \ \alpha(N+)=0.0001087 \ 16$ $\alpha(N)=9.29\times10^{-5} \ 14; \ \alpha(O)=1.446\times10^{-5} \ 21;$ $\alpha(P)=1.314\times10^{-6} \ 19$ R=0.78 6
303.2 <i>I</i> 344.3 <i>3</i> 353.2 <i>2</i> 361.7 <i>3</i> 367.3 <i>2</i> 371.0 <i>3</i> 377.4 <i>2</i> 386.7 <i>3</i>	313 12 56 9 32 17 55 11	1099.24+x 6163.7+x 353.20+x 6525.4+x 4186.5+x 2001.76+x 3435.0+x 679.4+x	12 <sup>+</sup> 23 9 <sup>-</sup> 24 18 13 <sup>+</sup> 18 <sup>+</sup> (8,10)	796.03+x 5819.4+x x 6163.7+x 3819.2+x 1630.64+x 3057.6+x 292.70+x	11 <sup>+</sup> 22 8 <sup>-</sup> 23 17 12 <sup>+</sup> 17 <sup>+</sup> 9 <sup>+</sup>			R = 0.69 4. $R = 0.45 4.$ $R = 0.39 4.$ $R = 0.61 6.$ $R = 0.66 5.$ $R = 0.74 6.$ $R = 0.65 5.$ $R = 0.64 6.$
394.4 2	186	3548.9+x	18-	3154.5+x	17-	M1(+E2)	0.034 9	$\begin{aligned} &\alpha(\mathbf{K}) = 0.029 \ 8; \ \alpha(\mathbf{L}) = 0.0045 \ 6; \ \alpha(\mathbf{M}) = 0.00099 \\ &I0 \ \alpha(\mathbf{N}+) = 0.00026 \ 3 \\ &\alpha(\mathbf{N}) = 0.000226 \ 24; \ \alpha(\mathbf{O}) = 3.5 \times 10^{-5} \ 5; \\ &\alpha(\mathbf{P}) = 3.0 \times 10^{-6} \ I0 \\ &\mathbf{R} = 0.67 \ 4. \end{aligned}$
396.7 2 396.8 4 398.5 4 408.5 4 419.7 2 425.6 2 438.0 2 449.6 3 460.7 2	15 4 8 586 76 25 20 155	2442.8+x 679.4+x 2483.98+x 2442.8+x 796.03+x 3974.5+x 2483.98+x 2483.98+x 3577.6+x	$13^{(-)}$ (8,10) $13^{-}$ $13^{(-)}$ $11^{+}$ $19^{-}$ $13^{-}$ $13^{-}$ $17^{+}$	2046.1+x 282.60+x 2085.3+x 2034.4+x 376.29+x 3548.9+x 2046.1+x 2034.4+x 3116.9+x	$12^{-} \\ 8^{+} \\ 13^{-} \\ 12 \\ 10^{+} \\ 18^{-} \\ 12^{-} \\ 12 \\ 15^{+} \\ 15^{+} \\ 12^{-} \\ 15^{+} \\ 10^{+} \\ 1$	E2	0.01667	$R=0.80 \ 6.$ $R=1.5 \ 3.$ $R=0.68 \ 6.$ $R=0.66 \ 4.$ $R=0.66 \ 4.$ $R=0.65 \ 5.$ $R=0.85 \ 8.$ $B(E2)(W.u.)=16.7 \ 14$ $r(V)=0.01252 \ 101 \ r(V)=0.00246 \ 4.$
								$\alpha$ (K)=0.01353 <i>19</i> ; $\alpha$ (L)=0.00246 <i>4</i> ; $\alpha$ (M)=0.000542 <i>8</i> ; $\alpha$ (N+)=0.0001427 <i>20</i>

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# $\gamma(^{142}\text{Eu})$ (continued)

$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	Eγ	$I_{\gamma}^{\ddagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_f^\pi$	Mult. <sup>#</sup>	$\alpha^{\dagger}$	Comments	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	461.8 2 463.9 <i>3</i> 479.8 <i>4</i>	43 16 10	2130.95+x 4650.4+x 2610.75+x	14 <sup>+</sup> 19 14 <sup>-</sup>	1669.11+x 4186.5+x 2130.95+x	13 <sup>+</sup> 18 14 <sup>+</sup>	E1	0.00495 7	$\begin{aligned} \alpha(N) = 0.0001228 \ 18; \ \alpha(O) = 1.86 \times 10^{-5} \ 3; \\ \alpha(P) = 1.337 \times 10^{-6} \ 19 \\ R = 1.39 \ 10. \\ R = 0.78 \ 6. \\ R = 0.65 \ 6. \\ B(E1)(W.u.) = 3.6 \times 10^{-5} \ 7 \\ \alpha = 0.00495 \ 7; \ \alpha(K) = 0.00423 \ 6; \ \alpha(L) = 0.000567 \\ 8; \ \alpha(M) = 0.0001215 \ 18; \ \alpha(N+) = 3.24 \times 10^{-5} \\ 5 \end{aligned}$	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	505.6 3 513.9 2 515.2 4 525.5 4	25 85 10 11	3441.5+x 3057.6+x 5165.6+x 2610.75+x	17 <sup>-</sup> 17 <sup>+</sup> 20 14 <sup>-</sup>	2935.9+x 2543.7+x 4650.4+x 2085.3+x	16 <sup>-</sup> 16 <sup>+</sup> 19 13 <sup>-</sup>	M1(+E2)	0.016 5	$\alpha(N)=2.77\times10^{-5} 4; \ \alpha(O)=4.35\times10^{-6} 7;  \alpha(P)=4.14\times10^{-7} 6 R=1.47 15. R=0.59 5. R=0.57 4. R=0.50 7. \alpha(K)=0.014 4; \ \alpha(L)=0.0020 4; \ \alpha(M)=0.00044 8; \ \alpha(N+)=0.000118 22 c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.000100 40 (0) = 10 (10^{-5} 4) c) = 0.00010 (0) = 0.00010 (0) (0) (0) (0) (0) (0) (0) (0) (0) (0$	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	532.1 2	151	4109.7+x	19 <sup>+</sup>	3577.6+x	17+	E2	0.01137	$\alpha(N)=0.000100 \ 19; \ \alpha(O)=1.6\times10^{-5} \ 4; \\ \alpha(P)=1.4\times10^{-6} \ 5 \\ R=0.72 \ 10. \\ B(E2)(W.u.)=52 \ 8 $	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$									$\alpha$ (K)=0.00933 13; $\alpha$ (L)=0.001593 23; $\alpha$ (M)=0.000350 5; $\alpha$ (N+)=9.25×10 <sup>-5</sup> 13 $\alpha$ (N)=7.94×10 <sup>-5</sup> 12; $\alpha$ (O)=1.212×10 <sup>-5</sup> 17; $\alpha$ (P)=9.35×10 <sup>-7</sup> 14 P=1.31 10	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	536.6.3	30	4651.4+x	20-	4114.7+x	19-			$R=1.51 \ 10.$ $R=0.61 \ 5.$	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	541.2 3	46	4515.7+x	20-	3974.5+x	19-			R=0.56 5.	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	557.9 4	17	5467.1+x	22	4909.2+x	21			R=0.54 6.	
$ \begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	562.3 <i>3</i>	21	5078.0+x	21-	4515.7+x	$20^{-}$			R=0.63 <i>6</i> .	
569.8 21091669.11+x13 <sup>+</sup> 1099.24+x12 <sup>+</sup> R=0.62 4,585.2 584803.7+x20 <sup>+</sup> 4218.5+x19 <sup>+</sup> R=0.53 15.601.5 41201397.4+x11 <sup>+</sup> 796.03+x11 <sup>+</sup> R=1.47 12.601.8 4171281.2+x(10)679.4+x(8,10)R=1.61 25.602.8 385602.8+yJ1+2yJ1R=1.45 15.608.4 3851211.2+yJ1+4602.8+yJ1+2R=1.33 10.620.3 3232751.34+x15 <sup>-</sup> 2130.95+x14 <sup>+</sup> E10.00281 4B(E1)(Wu.)=4.5×10 <sup>-5</sup> 9620.7 21011374.3+zJ2+4753.6+zJ2+2R=1.43 16.S: $\alpha$ (M)=6.81×10 <sup>-5</sup> 11620.7 21011374.3+zJ2+4753.6+zJ2+2R=1.47 12.646.9 3292935.9+x16 <sup>-</sup> 2289.0+x15 <sup>+</sup> E10.00257 4B(E1)(Wu.)=6.4×10 <sup>-5</sup> 11a=0.00257 4; $\alpha$ (K)=0.00220 3; $\alpha$ (L)=0.0002914; $\alpha$ (M)=6.2×10 <sup>-5</sup> 9; $\alpha$ (O)=2.24×10 <sup>-6</sup> 4; $\alpha$ (P)=2.18×10 <sup>-5</sup> 3R=0.73 8.647.7 3561000.9+x11 <sup>-</sup> 353.20+x 9 <sup>-</sup> R=1.43 15.647.7 3561000.9+x11 <sup>-</sup> 353.20+x 9 <sup>-</sup> R=1.43 15.647.7 3561000.9+x11 <sup>+</sup> 375.20+x 9 <sup>-</sup> R=1.43 15.647.7 494114.5+x183441.5+x17 <sup>-</sup> R=0.70 9.690.2 2521066.50+x11 <sup>+</sup> 376.29+x0 <sup>+</sup> R=0.76 5. <td (footnotes="" an="" at="" cobserved="" colume="" en<="" ext="" page="" td="" to=""><td>565.7 <i>3</i></td><td>40</td><td>4114.7+x</td><td>19-</td><td>3548.9+x</td><td>18-</td><td></td><td></td><td>R=0.63 5.</td></td>	<td>565.7 <i>3</i></td> <td>40</td> <td>4114.7+x</td> <td>19-</td> <td>3548.9+x</td> <td>18-</td> <td></td> <td></td> <td>R=0.63 5.</td>	565.7 <i>3</i>	40	4114.7+x	19-	3548.9+x	18-			R=0.63 5.
$\begin{array}{rrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrrr$	569.8 2	109	1669.11+x	13+	1099.24+x	12+			R=0.62 4.	
	585.2 5	8	4803.7+x	$20^{+}$	4218.5+x	19+			R=0.53 15.	
	601.5 4	120	1397.4+x	11+	796.03+x	11+			R=1.47 <i>12</i> .	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	601.8 4	17	1281.2+x	(10)	679.4+x	(8,10)			R=1.61 25.	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	602.4 4	13	5511.6+x	22	4909.2+x	21			R=0.66 8.	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	602.8 3	85	602.8+y	J1+2 J1+4	y	JI 11.2			K=1.45 <i>I</i> 5.	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	6008.4 3	0 <i>3</i>	1211.2+y	JI+4	002.8+y	JI + 2	E1	0.00291 4	$K=1.55 \ IU.$	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	020.3 3	23	2751.54+X	15	2130.95+x	14	EI	0.00281 4	B(E1)(W.U.)=4.3×10 <sup>-5</sup> 9 $\alpha$ =0.00281 4; $\alpha$ (K)=0.00241 4; $\alpha$ (L)=0.000318 5; $\alpha$ (M)=6.81×10 <sup>-5</sup> 10; $\alpha$ (N+)=1.82×10 <sup>-5</sup> 3	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	620.7.2	101	1374 3+z	I2+4	753.6+z	I2+2			$\alpha(N)=1.555\times10^{-5} 22; \ \alpha(O)=2.45\times10^{-6} 4; \\ \alpha(P)=2.38\times10^{-7} 4 \\ R=0.84 8. \\ R=1.47 12. $	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	646.9.3	29	2935.9 + x	16-	2289.0+x	15+	F1	0.00257.4	$B(F1)(Wu) = 6.4 \times 10^{-5} 11$	
$647.7 \ 3$ $56$ $1000.9+x$ $11^ 353.20+x$ $9^ R=1.43 \ 15.$ $673.0 \ 4$ $9$ $4114.5+x$ $18$ $3441.5+x$ $17^ R=0.70 \ 9.$ $690.2 \ 2$ $52$ $1066.50+x$ $11^+$ $376.29+x$ $10^+$ $R=0.76 \ 5.$ Continued on next page (footnotes at end of table)	0+0.7 5	29	2755.977	10	2209.0+X	15	LI	0.00257 4	$\begin{aligned} \alpha &= 0.00257 \ 4; \ \alpha(\text{K}) = 0.00220 \ 3; \ \alpha(\text{L}) = 0.000291 \\ 4; \ \alpha(\text{M}) = 6.22 \times 10^{-5} \ 9; \ \alpha(\text{N}+) = 1.666 \times 10^{-5} \\ 24 \\ \alpha(\text{N}) = 1.420 \times 10^{-5} \ 20; \ \alpha(\text{O}) = 2.24 \times 10^{-6} \ 4; \\ \alpha(\text{P}) = 2.18 \times 10^{-7} \ 3 \\ \text{P} = 0.73 \ 8 \end{aligned}$	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	647.7.3	56	1000.9+x	11-	353.20+x	9-			R=1.43 15.	
$690.2 \ 2 \ 52 \ 1066.50 + x \ 11^{+} \ 376.29 + x \ 10^{+} \ R = 0.76 \ 5.$ Continued on next page (footnotes at end of table)	673.04	9	4114.5 + x	18	3441.5+x	17-			R=0.70 9.	
Continued on next page (footnotes at end of table)	690.2 2	52	1066.50+x	11+	376.29+x	10+			R=0.76 5.	
- STATAGE OF THE COORDED AT VIA OF MOINT					Con	tinued of	n next page (	footnotes at e	end of table)	

# $\gamma(^{142}\text{Eu})$ (continued)

Eγ	$I_{\gamma}^{\ddagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_{f}^{\pi}$	Mult.#	$\alpha^{\dagger}$	Comments
723.0 2 729.8 <i>3</i> 745.6 <i>3</i>	293 25 61	1099.24+x 5533.5+x 1956.8+y	12 <sup>+</sup> 21 <sup>+</sup> J1+6	376.29+x 4803.7+x 1211.2+y	10 <sup>+</sup> 20 <sup>+</sup> J1+4	E2	0.00499 7	R=1.41 8. R=0.65 6. B(E2)(W.u.)=114 7 $\alpha$ =0.00499 7; $\alpha$ (K)=0.00417 6; $\alpha$ (L)=0.000637 9: $\alpha$ (M)=0.0001386 20: $\alpha$ (N+)=3.69×10 <sup>-5</sup> 6
753.6 <i>3</i> 768.6 <i>4</i> 780.6 <i>3</i>	28 18 54	753.6+z 3057.6+x 2154.9+z	J2+2 17 <sup>+</sup> J2+6	z 2289.0+x 1374.3+z	J2 15 <sup>+</sup> J2+4	E2	0.00449 7	$\begin{aligned} \alpha(N) &= 3.16 \times 10^{-5} 5; \ \alpha(O) &= 4.90 \times 10^{-6} 7; \\ \alpha(P) &= 4.26 \times 10^{-7} 6 \\ R &= 1.42 \ I2. \\ R &= 1.51 \ I2. \\ R &= 1.36 \ I5. \\ B(E2)(W.u.) &= 171 \ 20 \\ \alpha &= 0.00449 \ 7; \ \alpha(K) &= 0.00377 \ 6; \ \alpha(L) &= 0.000568 \\ 8; \ \alpha(M) &= 0.0001234 \ I8; \ \alpha(N+) &= 3.29 \times 10^{-5} 5 \\ \alpha(N) &= 2.81 \times 10^{-5} \ 4; \ \alpha(O) &= 4.37 \times 10^{-6} \ 7; \end{aligned}$
783.5 <i>3</i> 799.6 <i>3</i> 809.5 <i>3</i> 811.9 <i>2</i> 813.8 <i>4</i> 820.0 <i>4</i> 820.3 <i>2</i>	31 22 15 151 5 7 90	4218.5+x 5729.6+x 6539.1+x 2209.3+x 4928.3+x 3974.5+x 4930.0+x	19 <sup>+</sup> 22 24 13 <sup>+</sup> 19 <sup>-</sup> 21 <sup>+</sup>	3435.0+x 4930.0+x 5729.6+x 1397.4+x 4114.5+x 3154.5+x 4109.7+x	18 <sup>+</sup> 21 <sup>+</sup> 22 11 <sup>+</sup> 18 17 <sup>-</sup> 19 <sup>+</sup>	E2	0.00402 <i>6</i>	$\alpha(P)=3.85 \times 10^{-7} 6$ R=1.41 12. R=0.56 5. R=0.76 8. R=1.54 15. R=1.40 8. R=1.0 4. R=1.1 4. B(E2)(W.u.)>25 $\alpha=0.00402 6; \alpha(K)=0.00338 5; \alpha(L)=0.000503$ 7: $\alpha(M)=0.0001091 16; \alpha(N+)=2.91 \times 10^{-5} 4$
831.4 4 834.5 2 853.3 3 873.1 4 891.4 3 902.6 4 907.6 2	13 70 37 20 40 18 131	4380.3+x 1630.64+x 2483.98+x 1669.11+x 3435.0+x 2001.76+x 3116.9+x	$19^{-} \\ 12^{+} \\ 13^{-} \\ 13^{+} \\ 18^{+} \\ 13^{+} \\ 15^{+} \\ 1$	3548.9+x 796.03+x 1630.64+x 796.03+x 2543.7+x 1099.24+x 2209.3+x	18 <sup>-</sup> 11 <sup>+</sup> 12 <sup>+</sup> 11 <sup>+</sup> 16 <sup>+</sup> 12 <sup>+</sup> 13 <sup>+</sup>			$\alpha(N)=2.49\times10^{-5} 4; \ \alpha(O)=3.88\times10^{-6} 6; \\ \alpha(P)=3.46\times10^{-7} 5 \\ R=0.51 5. \\ R=0.56 4. \\ R=0.84 7. \\ R=1.46 12. \\ R=1.24 15. \\ R=0.79 8. \\ R=1.41 8. \\ \alpha(P)=2.51\times10^{-6} 6; \\ \alpha(P)=2.51\times10^{-6} 6; \\ \alpha(P)=3.46\times10^{-7} 5 \\ R=0.51\times10^{-6} 6; \\ \alpha(P)=3.46\times10^{-7} 5 \\ R=0.51\times10^{-7} 5 \\ $
918.4 5	20	4011.6+z	J2+10	3093.2+z	J2+8	E2	0.00314 5	B(E2)(W.u.)=2.5×10 <sup>2</sup> 19 $\alpha$ =0.00314 5; $\alpha$ (K)=0.00265 4; $\alpha$ (L)=0.000384 6; $\alpha$ (M)=8.32×10 <sup>-5</sup> 12; $\alpha$ (N+)=2.22×10 <sup>-5</sup> 4 $\alpha$ (N)=1.90×10 <sup>-5</sup> 3; $\alpha$ (O)=2.97×10 <sup>-6</sup> 5; $\alpha$ (P)=2.72×10 <sup>-7</sup> 4 R=1 38 20
919.1 5	48	2875.9+y	J1+8	1956.8+y	J1+6	E2	0.00313 5	B(E2)(W.u.)=93 <i>14</i> $\alpha$ =0.00313 <i>5</i> ; $\alpha$ (K)=0.00264 <i>4</i> ; $\alpha$ (L)=0.000384 <i>6</i> ; $\alpha$ (M)=8.30×10 <sup>-5</sup> <i>12</i> ; $\alpha$ (N+)=2.22×10 <sup>-5</sup> <i>4</i> $\alpha$ (N)=1.89×10 <sup>-5</sup> <i>3</i> ; $\alpha$ (O)=2.96×10 <sup>-6</sup> <i>5</i> ; $\alpha$ (P)=2.71×10 <sup>-7</sup> <i>4</i> R=1.34 <i>20</i> .
935.2 <i>3</i> 938.3 <i>3</i>	21 38	2001.76+x 3093.2+z	13 <sup>+</sup> J2+8	1066.50+x 2154.9+z	11 <sup>+</sup> J2+6	E2	0.00300 5	R=1.38 12. B(E2)(W.u.)=147 25 $\alpha$ =0.00300 5; $\alpha$ (K)=0.00253 4; $\alpha$ (L)=0.000366 6; $\alpha$ (M)=7.91×10 <sup>-5</sup> 11; $\alpha$ (N+)=2.11×10 <sup>-5</sup> 3 $\alpha$ (N)=1.80×10 <sup>-5</sup> 3; $\alpha$ (O)=2.83×10 <sup>-6</sup> 4; $\alpha$ (P)=2.60×10 <sup>-7</sup> 4 R=1.35 15.

Continued on next page (footnotes at end of table)

#### $(HI,xn\gamma)$ 1996Pi11 (continued)

# $\gamma(^{142}\text{Eu})$ (continued)

$E_{\gamma}$	$I_{\gamma}^{\ddagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_f^{\pi}$	Mult. <sup>#</sup>	$\alpha^{\dagger}$	Comments
941.6 3	26	2610.75+x	14-	1669.11+x	13+	E1	0.001213 17	B(E1)(W.u.)=1.24×10 <sup>-5</sup> 23 $\alpha$ =0.001213 17; $\alpha$ (K)=0.001041 15; $\alpha$ (L)=0.0001352 19; $\alpha$ (M)=2.89×10 <sup>-5</sup> 4; $\alpha$ (N+)=7.75×10 <sup>-6</sup> $\alpha$ (N)=6.60×10 <sup>-6</sup> 10; $\alpha$ (O)=1.045×10 <sup>-6</sup> 15; $\alpha$ (P)=1.041×10 <sup>-7</sup> 15
960.2.4	7	4114.7+x	19-	3154.5+x	17-			R=0.74 6. R=1.25 20.
966.7 5	5	4515.7+x	20-	3548.9+x	18-			R=1.4 3.
1004.2 6	11	5015.8+z	J2+12	4011.6+z	J2+10	E2	0.00259 4	B(E2)(W.u.)>60 $\alpha$ =0.00259 4; $\alpha$ (K)=0.00219 3; $\alpha$ (L)=0.000313 5; $\alpha$ (M)=6.77×10 <sup>-5</sup> 10; $\alpha$ (N+)=1.81×10 <sup>-5</sup> 3 $\alpha$ (N)=1.544×10 <sup>-5</sup> 22; $\alpha$ (O)=2.42×10 <sup>-6</sup> 4;
								$\alpha(P)=2.26\times10^{-7} 4$
								R=1.37 25.
1021.0 4	16	1397.4+x	$11^{+}$	376.29+x	$10^{+}$			R=0.35 4.
1031.7 2	269	2130.95+x	14+	1099.24+x	12+			R=1.41 8.
1067.8 4	8	7073.8+x	$(25^+)$	6006.0+x	23+			R=1.16 20.
1076.0 3	22	6006.0+x	23+	4930.0+x	21+			R=1.26 <i>15</i> .
1084.2 3	43	2085.3+x	13	1000.9 + x	10-			R=1.3/15.
1102.5 4	12	4051.4 + x 1207.4 + x	20 11+	3548.9+X	18			K=1.1.3.
1104.3 <i>4</i> 1120.7 <i>5</i>	23	3996.6+y	J1+10	292.70+x 2875.9+y	J1+8	E2	0.00207 3	$ \begin{array}{l} R = 1.48 \ 15. \\ B(E2)(W.u.) > 35 \\ \alpha = 0.00207 \ 3; \ \alpha(K) = 0.001754 \ 25; \end{array} $
								$\alpha(L)=0.000246 \ 4; \ \alpha(M)=5.30\times10^{-5} \ 8; \ \alpha(N+)=1.484\times10^{-5} \ 21 \ \alpha(N)=1.200\times10^{-5} \ 17; \ \alpha(O)=1.00\times10^{-6} \ 3;$
								$\alpha(\text{N})=1.209\times10^{-7} \text{ J}; \ \alpha(\text{O})=1.90\times10^{-7} \text{ J};$ $\alpha(\text{P})=1.81\times10^{-7} \text{ J}; \ \alpha(\text{IPF})=6.64\times10^{-7} \text{ I}5$ P=1.62.25
1132.0.2	79	2231 3+x	14+	$1099.24 \pm x$	12+			R = 1.02 25. R = 1.39 8
1132.0 2	9	6157.0+z	J2+14	5015.8+z	J2+12			R=1.4 3.
1160.8 4	7	4218.5+x	19+	3057.6+x	$17^{+}$			R=1.3 3.
1173.8 6	11	5170.4+y	J1+12	3996.6+y	J1+10			R=1.3 3.
1205.9 3	32	2001.76+x	13+	796.03+x	$11^{+}$			R=1.30 <i>12</i> .
1216.8 4	8	2283.2+x	$12^{(-)}$	1066.50+x	$11^{+}$			R=0.78 9.
1238.3 <i>3</i>	29	2034.4+x	12	796.03+x	$11^{+}$			R=0.88 9.
1250.0 3	38	2046.1+x	12-	796.03+x	11+			R=0.80 9.
1254.5 4	10	1630.64+x	12+	376.29+x	10+			R=1.32 15.
1315.0 5	6	5533.5+x	21+	4218.5+x	19+			R=1.6 3.
1325.9 4	6	5300.4+x	21-	39/4.5+x	19-			$R=1.41\ 20.$
1345.5 3	19	35/4.8+X	10'	2231.3+X	14'			K=1.41 13.
1343.73	23	2442.8+x	13 /	1099.24+x	12			$K=0.75 \delta.$
1330.3 3	20	2339.1+X	$\frac{12}{20^{+}}$	1000.9+X	11 19 <sup>+</sup>			$R = 0.38 \ IU.$ $P = 1.46 \ I2$
1300.7 3	52 61	$4003.7 \pm X$ $2483.98 \pm v$	20 13 <sup>-</sup>	$1099.74 \pm v$	$10^{10}$			$R = 1.40 \ 12.$ $R = 0.79 \ 7$
1444 0 4	5	3574 8+x	16+	2130.95 + x	$14^{+}$			R=0.797
1487.3 4	9	2283.2+x	$12^{(-)}$	796.03+x	$11^{+}$			R=0.86 10.

<sup>†</sup> Additional information 4.
<sup>‡</sup> Relative intensity. Uncertainty is 5%, larger for weak and complex peaks.
<sup>#</sup> From R and level scheme placement, unless given otherwise.

#### $(HI,xn\gamma)$ 1996Pi11 (continued)

 $\gamma(^{142}\text{Eu})$  (continued)

<sup>@</sup> From intensity balance. <sup>&</sup> From ce and linear polarization (1990Bi07).



<sup>142</sup><sub>63</sub>Eu<sub>79</sub>

9



<sup>142</sup><sub>63</sub>Eu<sub>79</sub>



### (HI,xnγ) 1996Pi11





### (HI,xnγ) 1996Pi11



Band(C):  $\Delta J=2$  band-2



Band(A):  $\Delta J=2$  band-1 based on  $11^+$ 



Band(D): △J=1 band-2 based on 13 <sup>-</sup>							
21-	5078.0+x						
20- 5	<sup>62</sup> 4515.7+x						
	•						

. . . .

18- 9	67	3548.9+x
17-		3154.5+x
16-		2935.9+x
15-	94	2751.34+x
14- 2	19	2610.75+x
13-	/	2483.98+x

<sup>142</sup><sub>63</sub>Eu<sub>79</sub>