## $^{120}$ Sn( $^{19}$ F,4n $\gamma$ ) **1986Se07**

	History		
Туре	Author	Citation	Literature Cutoff Date
Full Evaluation	Balraj Singh, Alexander A. Rodionov And Yuri L. Khazov	NDS 109, 517 (2008)	22-Jan-2008

Includes  ${}^{127}I({}^{12}C,4n\gamma)$ .

1986Se07: <sup>120</sup>Sn(<sup>19</sup>F,4n $\gamma$ ) E=91 MeV. Measured E $\gamma$ , I $\gamma$ , excitation functions,  $\gamma\gamma$ ,  $\gamma\gamma(\theta)$  (DCO at 38° vs. 85°) using six Ge

detectors (four with NaI Compton suppression) and 11 NaI detectors as a multiplicity filter. Cranked shell-model calculations. 1998Bo33:  $^{123}$ Sb( $^{16}$ O,4n $\gamma$ ) E=76 MeV. Measured lifetimes by recoil- distance Doppler-shift method.

1987Dr12, 1987Dr14: 72-76 MeV <sup>19</sup>F beams on <sup>118</sup>Sn, <sup>119</sup>Sn, and <sup>120</sup>Sn targets. Measured  $\gamma$ ,  $\gamma\gamma$ ,  $\gamma(\theta)$ , excitation functions. A

negative ( $\Delta J=2$ ) parity band from  $11/2^-$  to  $31/2^-$  (1076-1000-853-660-373 cascade) (1987Dr14) and 10 positive parity levels from  $5/2^+$  to  $15/2^+$  (up to 1500 keV of excitation energy) were discussed (1987Dr12). The details of these studies are not available. 1973Co32:  $^{127}I(^{12}C,4n\gamma)$  E=88 MeV. Four  $\gamma$  rays reported at E $\gamma(I\gamma)$  of 41.5 (37), 112.4 (11), 203.8 (100), 245.6 (<8).

### <sup>135</sup>Pr Levels

E(level) <sup>†</sup>	$J^{\pi \ddagger}$	T <sub>1/2</sub>	Comments
0.0	$3/2^{(+)}$		
41.0 <sup>@</sup> 8	5/2(+)		
245.0 <sup>&amp;</sup> 8	$7/2^{(+)}$		
357.8 <sup>a</sup> 12	$11/2^{(-)}$	105 µs 10	%IT=100
0			$T_{1/2}$ : from $\gamma$ (t) (1973Co32).
517.0 <sup>@</sup> 10	$(9/2^+)$		
730.8 <sup>a</sup> 13	$(15/2^{-})$	22.9 <sup>#</sup> ps <i>14</i>	
777.1 2 10	$(11/2^+)$		
951.8 <mark>0</mark> 13	$(13/2^{-})$		
1231.9 <sup>@</sup> 11	$(13/2^+)$		
1390.7 <sup>a</sup> 13	$(19/2^{-})$	2.4 <sup>#</sup> ps 6	
1433.7 <mark>6</mark> 14	$(17/2^{-})$		
1478.8 14	$(17/2^{-})$		
1505.6 <sup>x</sup> 12	$(15/2^+)$		
1928.8 13	(19/2)		
2115.9° 15	$(1^{-}/2^{+})$		
2158.6° 14	$(21/2^{-})$ $(21/2^{-})$		
2204.914	$(21/2^{-})$	$0.02^{\#}$ ps 5	
2346.8 15	$(23/2^{-})$ $(23/2^{-})$	0.92 ps 5	
2355.7 17			
2372.7 14	$(19/2^+)$		
2395.7 <sup>&amp;</sup> 13	$(19/2^+)$		
2589.7 <sup>@</sup> 13	$(21/2^+)$		
2617.8 14	$(21/2^+)$		
2734.714	$(22/2^{+})$		
2840.7 14	$(23/2^{+})$		
$3001.1^{b}.14$	$(25/2^{-})$		
3123.8 <sup>@</sup> 14	$(25/2^+)$		
3204.7 17	(25/2)		
3244.8 <sup>a</sup> 16	$(27/2^{-})$		
3421.8 <sup>&amp;</sup> 15	$(27/2^+)$		
3488.8 16			
3517.7 16			

1986Se07 (continued)

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				<sup>135</sup> Pr Le	vels (contin	nued)	
E(level) <sup>†</sup>	Jπ‡	E(level) <sup>†</sup>	Jπ‡	E(level) <sup>†</sup>	$J^{\pi \ddagger}$	E(level) <sup>†</sup>	J <sup>π</sup> ‡
3530.8 15		4393.8 19		5454.8 23		7802.8 <sup><i>a</i></sup> 25	$(47/2^{-})$
3642.7 20	(27/2)	4464.9 <sup>@</sup> 19	$(33/2^+)$	5953.8 25		7899? <mark>&amp;</mark> <i>3</i>	$(47/2^+)$
3658.9 <sup>@</sup> 16	$(29/2^+)$	4704.8 18		5973.8 <sup>&amp;</sup> 23	$(39/2^+)$	8716? <sup>a</sup> 3	$(51/2^{-})$
3862.8 15		4964.8 <sup>&amp;</sup> 21	$(35/2^+)$	5997.8 <sup>a</sup> 20	(39/2 <sup>-</sup> )	9004? <sup>&amp;</sup> 3	$(51/2^+)$
3957.0 <sup>b</sup> 16	$(29/2^{-})$	5030.8 20		6500.9 <sup>@</sup> 24	$(41/2^+)$	9678? <sup>a</sup> 3	$(55/2^{-})$
4107.8 <sup>&amp;</sup> 18	$(31/2^+)$	5069.0 <sup>b</sup> 19	$(33/2^{-})$	6511 <i>3</i>		10745? <sup>a</sup> 3	$(59/2^{-})$
4219.9 17	(31/2)	5163.8 <sup>a</sup> 18	$(35/2^{-})$	6879.8 <sup>a</sup> 23	$(43/2^{-})$		
4292.8 16		5336.8 19		6978.8 <sup>&amp;</sup> 25	$(43/2^+)$		
4319.8 <sup><i>a</i></sup> 17	$(31/2^{-})$	5420.9 <sup>@</sup> 22	$(37/2^+)$	7515? <sup>@</sup> 3	$(45/2^+)$		

 $^{120}$ Sn( $^{19}$ F,4n $\gamma$ )

<sup>†</sup> From least-squares fit to  $E\gamma's$ .

<sup>‡</sup> From  $\gamma\gamma(\theta)$  (DCO),  $\gamma(\theta)$  and band associations.

<sup>#</sup> From recoil-distance Doppler-shift method (1998Bo33).

<sup>@</sup> Band(A):  $\pi g_{7/2} 5/2[413]$ ,  $\alpha = +1/2$ . The first band crossing is observed at 320 keV interpreted as due to alignment of a pair of  $h_{11/2}$  protons ('ab' crossing) and the second band crossing is observed at 490 keV due possible to a pair of  $h_{11/2}$  neutrons ('AB' crossing). The shape is nearly prolate ( $\gamma \approx 0^{\circ}$ ) before the first crossing but  $\gamma \approx +10^{\circ}$  due to alignment of a pair of  $h_{11/2}$  protons. The 1128 $\gamma$  and 1172 $\gamma$  present in the  $\gamma\gamma$  coin spectrum (figure 5b in 1986Se07) may form a cascade above 1014 $\gamma$  thus extending the band up to 53/2<sup>+</sup>.

& Band(a):  $\pi g_{7/2} 5/2[413]$ ,  $\alpha = -1/2$ . See comment for  $\alpha = +1/2$  signature partner for band crossings and triaxial shape parameter.

<sup>*a*</sup> Band(B):  $\pi h_{11/2}$  3/2[541],  $\alpha = -1/2$ . The first band crossing is observed at 460 keV interpreted as due to alignment of a pair of  $h_{11/2}$  protons ('bc' crossing) and the second band crossing is observed at 480 keV due possible to a pair of  $h_{11/2}$  neutrons ('AB' crossing). The shape is nearly prolate before the first crossing but the alignment of  $h_{11/2}$  protons would result in slightly positive  $\gamma$  deformation.

<sup>b</sup> Band(b):  $\pi h_{11/2}$  3/2[541],  $\alpha = +1/2$ .

## $\gamma(^{135}{\rm Pr})$

R(DCO)(38° vs. 85°) from total projection  $\gamma\gamma$  coin matrix (first quoted value) and gated (with known E2)  $\gamma\gamma$  coin spectrum (second quoted value) is given under comments. In cases where only one value is given it is from the projection method, unless otherwise indicated.

Eγ	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$\mathbf{E}_f  \mathbf{J}_f^{\pi}$	Mult. <sup>‡</sup>	Comments
41 <i>1</i>	2.8 <sup>#</sup> 8	41.0	5/2(+)	0.0 3/2 <sup>(+)</sup>		
194 <i>1</i>	9.4 19	2589.7	$(21/2^+)$	2395.7 (19/2+	) D	R(DCO)=0.72 5, 0.51 5.
204 <i>I</i>	24.3 <sup>@</sup> 24	245.0	$7/2^{(+)}$	41.0 5/2 <sup>(+)</sup>		R(DCO)=0.92 7.
217 <i>I</i>	3.1 <sup>#</sup> 9	2589.7	$(21/2^+)$	2372.7 (19/2+	) D	R(DCO)=0.74 6, 0.55 8.
221 <i>I</i>	0.8 4	951.8	$(13/2^{-})$	730.8 (15/2-	) D	R(DCO)=0.64 8.
245 1	2.2 <sup>@</sup> 7	245.0	$7/2^{(+)}$	0.0 3/2 <sup>(+)</sup>		
257 1	17.2 <sup>#</sup> 26	2846.7	$(23/2^+)$	2589.7 (21/2+	) D	R(DCO)=0.64 5, 0.46 4.
260 1	1.8 5	777.1	$(11/2^+)$	517.0 (9/2+)		
263 1	1.0 <sup>#</sup> 3	4219.9	(31/2)	3957.0 (29/2-	)	
272 1	1.1 3	517.0	$(9/2^+)$	245.0 7/2 <sup>(+)</sup>	D	R(DCO)=0.44 5.
274 1	1.7 5	1505.6	$(15/2^+)$	1231.9 (13/2+	) D	R(DCO)=0.63 6.
277 1	7.8 16	3123.8	$(25/2^+)$	2846.7 (23/2+	) D	R(DCO)=0.64 5, 0.37 8.
317 <i>I</i>	1.0 <sup>#</sup> 5	357.8	$11/2^{(-)}$	$41.0 \ 5/2^{(+)}$		

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				120	<b>Sn</b> ( <sup>19</sup> <b>F,4</b> n	ιγ) <b>198</b>	6Se07 (cont	inued)		
$\gamma$ <sup>(135</sup> Pr) (continued)										
Eγ	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_{f}^{\pi}$	Mult. <sup>‡</sup>	α <b>&amp;</b>	Comments		
326 1	7.8 16	5030.8		4704.8						
332 1	3.7 <sup>#</sup> 11	3862.8		3530.8						
345 1	1.5 5	3862.8		3517.7						
358 1	10.6 16	3204.7	(25/2)	2846.7	$(23/2^+)$	D		R(DCO)=0.60 5, 0.25 4.		
373 1	100 5	730.8	(15/2 <sup>-</sup> )	357.8	11/2(-)	(E2)	0.0259 5	$\alpha(\mathbf{K})=0.0211 \ 4; \ \alpha(\mathbf{L})=0.00379 \ 7; \\ \alpha(\mathbf{M})=0.000817 \ 14; \ \alpha(\mathbf{N}+)=0.000209 \ 4 \\ \alpha(\mathbf{N})=0.000180 \ 3; \ \alpha(\mathbf{O})=2.75\times10^{-5} \ 5; \\ \alpha(\mathbf{P})=1.424\times10^{-6} \ 23 \\ \mathbf{R}(\mathbf{DCO})=1.41 \ 10. $		
374 <i>1</i>	5.4 11	3862.8		3488.8						
385 1	1.9 <sup>@</sup> 6	4704.8		4319.8	$(31/2^{-})$					
412 <i>I</i>	5.9 <sup>@</sup> 12	4704.8		4292.8						
424 1	$4.0^{\textcircled{0}}$ 12	5454.8		5030.8						
430 /	8.0 <sup>#</sup> 16	4292.8		3862.8						
438 1	$27^{\#}8$	3642.7	(27/2)	3204.7	(25/2)	D		R(DCO)=0.42.4, 0.33.11		
450 1	$4.0^{\#}$ 12	1028.8	(27/2) $(10/2^{-})$	1/78.8	(23/2) $(17/2^{-})$	D		R(DCO) = 0.64, 5, 0.40, 11		
450 1	$0.6^{@}$ 3	2846.7	(1)/2 ) $(23/2^+)$	2305 7	(17/2) $(10/2^+)$	D		R(DCO)=0.04 5, 0.40 11.		
455 1	$0.0^{\circ}$ 3	1231.0	$(23/2^{+})$ $(13/2^{+})$	2373.1	(1)/2 ) $(11/2^+)$					
476 1	6112	517.0	(13/2) $(9/2^+)$	41.0	(11/2) $5/2^{(+)}$					
182 1	$22^{\#}7$	1/33 7	$(17/2^{-})$	051.8	$(13/2^{-})$					
402 1	$1.0^{@}3$	1028.8	$(17/2^{-})$	1/33 7	$(15/2^{-})$					
499 1	2.0.6	5953.8	(19/2)	5454.8	(17/2)					
506 1	3.3 10	3123.8	$(25/2^+)$	2617.8	$(21/2^+)$	(Q)		R(DCO)=1.27 13.		
521 <i>I</i>	6.4 13	3421.8	$(27/2^+)$	2900.8	$(23/2^+)$	Q		R(DCO)=1.89 18, 0.94 14.		
527 1	$0.6^{@}$ 3	1478.8	$(17/2^{-})$	951.8	$(13/2^{-})$					
532 <i>1</i>	23.2 23	777.1	$(11/2^+)$	245.0	$7/2^{(+)}$	(Q)		R(DCO)=1.25 11.		
535 1	18.4 28	3658.9	$(29/2^+)$	3123.8	$(25/2^+)$	(Q)		R(DCO) = 1.4 4.		
554 1	4.0 12	2900.8	(23/21)	2346.8	(23/2)	(D)		$R(DCO)=1.4$ 4 (E2 gated) indicates $\Delta J=0$ , dipole.		
557 1	1.1 3	6511	(21/2)	5953.8	(20/2+)	D				
501 I 575 I	7.1 <i>14</i> 3 3 <i>10</i>	4219.9	(31/2) $(27/2^+)$	3658.9	$(29/2^+)$ $(23/2^+)$	D (0)		R(DCO)=0.4/4. R(DCO)=1.41.15		
504 1	3.510	051.0	(27/2)	2040.7	(23/2)	(Q)		R(DCO) = 1.41 15.		
506 1	$2.6 \ 6$	2754.7	(13/2)	2158.6	$(21/2^{-})$					
656 <i>1</i>	6.6 <i>13</i>	2900.8	$(23/2^+)$	2138.0	$(21/2^{-})$ $(23/2^{-})$	(D)		R(DCO)=1.56 25 (E2 gated) indicates $\Delta J=0$ , dipole		
660 1	86 4	1390.7	(19/2 <sup>-</sup> )	730.8	(15/2 <sup>-</sup> )	(E2)	0.00550	$\alpha(K)=0.00464 \ 7; \ \alpha(L)=0.000684 \ 10; \\ \alpha(M)=0.0001451 \ 22; \ \alpha(N+)=3.76\times10^{-5} \ 6 \\ \alpha(N)=3.22\times10^{-5} \ 5; \ \alpha(O)=5.08\times10^{-6} \ 8; \\ \alpha(P)=3.29\times10^{-7} \ 5 $		
								R(DCO)=1.41 10, 1.05 07.		
686 1	12.0 18	4107.8	$(31/2^+)$	3421.8	$(27/2^+)$	(Q)		R(DCO)=1.53 12.		
689 <i>I</i>	9.6 <i>19</i>	2617.8	$(21/2^+)$	1928.8	$(19/2^{-})$					
703 1	$1.4^{\pi} 4$	1433.7	$(17/2^{-})$	730.8	$(15/2^{-})$					
715 1	2.6 8	1231.9	$(13/2^+)$	517.0	$(9/2^+)$	(Q)		R(DCO)=1.62 17.		
/25 1	1.1 3	2158.6	$(21/2^{-})$	1433.7	$(17/2^{-})$					
726 1	2.3 7	2204.9	$(21/2^{-})$	1478.8	$(17/2^{-})$	$(\mathbf{O})$				
128 I 748 I	19.729 10275	1505.6 1478 8	$(15/2^+)$ $(17/2^-)$	730.9	$(11/2^+)$ $(15/2^-)$	(Q) D		$K(DCO)=1.40 \ II.$ $R(DCO)=0.42 \ 3 \ 0.10 \ A$		
756 1	2.3 7	3001.1	(17/2) $(25/2^{-})$	2244.8	$(13/2^{-})$ $(23/2^{-})$	D		R(DCO)=0.42 3, 0.19 4. R(DCO)=0.93 10, 0.27 19		
763 1	$2.0^{@} 6$	3517.7	()	2754.7	()	~				

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## <sup>120</sup>Sn(<sup>19</sup>F,4nγ) **1986Se07** (continued)

# $\gamma(^{135}\text{Pr})$ (continued)

Eγ	$I_{\gamma}^{\dagger}$	E <sub>i</sub> (level)	$\mathbf{J}_i^{\pi}$	$E_f$	$\mathbf{J}_{f}^{\pi}$	Mult. <sup>‡</sup>	α <b>&amp;</b>	Comments
768 <i>1</i>	3.4 <sup>@</sup> 10	2158.6	$(21/2^{-})$	1390.7	(19/2-)			
776 <i>1</i>	3.6 <sup>#</sup> 11	3530.8		2754.7				
796 <i>1</i>	5.5 11	3001.1	$(25/2^{-})$	2204.9	$(21/2^{-})$	(Q)		R(DCO)=1.39 12, 0.85 30.
806 1	8.5 17	4464.9	$(33/2^+)$	3658.9	$(29/2^+)$	(Q)		R(DCO)=1.42 <i>12</i> .
814 <i>1</i> 826 <i>1</i>	3.2 <sup><sup>w</sup></sup> 10 2.4 7	2204.9 2754.7	$(21/2^{-})$	1390.7 1928.8	$(19/2^{-})$ $(19/2^{-})$	D		R(DCO)=0.25 7 (E2 gated).
834 <i>1</i>	6.4 <sup>#</sup> 13	5997.8	$(39/2^{-})$	5163.8	$(35/2^{-})$	(0)		R(DCO)=1.09 9, 0.98 24.
843 <i>1</i>	$1.0^{\textcircled{0}}{3}$	3001.1	$(25/2^{-})$	2158.6	$(21/2^{-})$			
844 <i>1</i> 854 <i>1</i>	8.5 <sup>#</sup> 17 43 4	5163.8 2244.8	$(35/2^{-})$ $(23/2^{-})$	4319.8 1390.7	(31/2 <sup>-</sup> ) (19/2 <sup>-</sup> )	(Q) (E2)	0.00301	R(DCO)=0.91 15 (E2 gated). $\alpha$ (K)=0.00255 4; $\alpha$ (L)=0.000356 5; $\alpha$ (M)=7.52×10 <sup>-5</sup> 11; $\alpha$ (N+)=1.96×10 <sup>-5</sup> 3
								$\alpha$ (N)=1.674×10 <sup>-5</sup> 24; $\alpha$ (O)=2.66×10 <sup>-6</sup> 4; $\alpha$ (P)=1.83×10 <sup>-7</sup> 3 R(DCO)=1.40 11, 0.99 6.
857 <i>1</i>	5.4 <sup>#</sup> 11	4964.8	$(35/2^+)$	4107.8	$(31/2^+)$	(Q)		R(DCO)=1.44 12, 0.94 21.
867 1	4.8 14	2372.7	$(19/2^+)$	1505.6	$(15/2^+)$	(Q)		R(DCO)=1.46 <i>13</i> .
871 <i>I</i>	7.1 <sup>#</sup> 14	3488.8		2617.8	$(21/2^+)$			
871 <i>I</i>	1.2 <sup>#</sup> 4	5163.8	$(35/2^{-})$	4292.8				
879 1	7.7 15	3123.8	$(25/2^+)$	2244.8	$(23/2^{-})$	D		R(DCO)=0.83 7, 0.45 7.
882 1	1.90	68/9.8	(43/2)	5997.8	(39/2)	(Q)		$R(DCO)=0.91\ 23\ (E2\ gated).$
884 I 890 I	0.8 - 4 13.6.20	2115.9	$(1/2^+)$ $(19/2^+)$	1231.9	$(13/2^+)$ $(15/2^+)$	( <b>0</b> )		R(DCO) = 1.44.12
$013^{a}$ 1	$10^{0}$ 5	87162	$(19/2^{-})$ $(51/2^{-})$	7802.8	$(15/2^{-})$	(Q)		$R(DCO) = 1.44 \ 12.$
$020^{a}$ 1	$0.8^{@}$ /	78002	$(31/2^{+})$	6078.8	$(47/2^+)$			
920 I 923 I	1.2 4	7802.8	$(47/2^{-})$	6879.8	$(43/2^{-})$			
956 <i>1</i>	7.7 <sup>#</sup> 15	2346.8	$(23/2^{-})$	1390.7	$(19/2^{-})$	0		$R(DCO)=1.03 \ 13 \ (E2 \ gated).$
956 <i>1</i>	2.0 <sup>#</sup> 6	3957.0	$(29/2^{-})$	3001.1	$(25/2^{-})$			
956 <i>1</i>	5.2 <sup>#</sup> 10	5420.9	$(37/2^+)$	4464.9	$(33/2^+)$	(O)		R(DCO)=1.05 (E2 gated).
962 <sup>a</sup> 1	$1.0^{@} 5$	9678?	$(55/2^{-})$	8716?	$(51/2^{-})$	(0)		R(DCO)=1.23 18.
965 1	3.2 <sup>#</sup> 10	2355.7		1390.7	$(19/2^{-})$			
1000 1	14.2 21	3244.8	$(27/2^{-})$	2244.8	$(23/2^{-})$	Q		R(DCO)=1.31 11, 1.00 10.
1005 1	0.8 4	6978.8	$(43/2^+)$	5973.8	$(39/2^+)$	(Q)		R(DCO)=1.7 4.
1009 1	1.3 4	5973.8	$(39/2^+)$	4964.8	$(35/2^+)$	(Q)		$R(DCO)=3.6\ 10.$
1014" 1	1.7° 5	7515?	(45/2+)	6500.9	(41/2')			
1044 1	1.9" 6	5336.8		4292.8	$(27/2^{-})$			
1040 I $1067^{a} I$	$0.6^{@}$ 3	10745?	$(59/2^{-})$	9678?	(27/2)	( <b>0</b> )		B(DCO) = 1.5.5
1075 1	9.9 20	4319.8	$(3)/2^{-})$ $(31/2^{-})$	3244.8	$(33/2^{-})$ $(27/2^{-})$	$(\mathbf{Q})$		$R(DCO)=1.41 \ 15.$
1080 <i>1</i>	2.8 8	6500.9	$(41/2^+)$	5420.9	$(37/2^+)$	(Q)		R(DCO)=1.55 24.
1105 <sup>a</sup> 1	0.8 4	9004?	$(51/2^+)$	7899?	$(47/2^+)$	(Q)		R(DCO)=1.1 3.
1112 1	1.8 5	5069.0	$(33/2^{-})$	3957.0	$(29/2^{-})$	(Q)		R(DCO)=1.06 <i>15</i> .
1149 1	1.95	4393.8	(10/2-)	3244.8	(21/2)	$\langle \mathbf{O} \rangle$		
1198 1	$4.0^{-1}$ 14 7.1 <sup>#</sup> 14	1928.8	(19/2)	/ 30.8	(15/2)	(Q) D		K(DCO)=0.99 IJ (E2 galed).
1227 1	7.1" 14	2389.7 2617.8	$(21/2^+)$ $(21/2^+)$	1390.7	(19/2) $(19/2^{-})$	D		K(DCO)=0.43 12 (E2 galed).
1286 1	3.2 10	3530.8	(21/2)	2244.8	$(23/2^{-})$			
1364 <i>1</i>	5.7 11	2754.7		1390.7	$(19/2^{-})$			

## <sup>120</sup>Sn(<sup>19</sup>F,4nγ) **1986Se07** (continued)

#### $\gamma(^{135}\text{Pr})$ (continued)

 $^{\dagger}$  From total projection of  $\gamma\gamma$  coin matrix, unless otherwise stated.

<sup>‡</sup> From  $\gamma\gamma(\theta)$  (DCO) data. In the geometry used in this experiment for E2 gated spectra, R(DCO)=1.0 indicates  $\Delta J=2$ , quadrupole (E2); R(DCO) $\leq 0.69$  indicates  $\Delta J=1$ , dipole; and R(DCO) $\geq 1.14$  for rare cases of  $\Delta J=0$ , dipole. For projection spectra, R(DCO)>1 for  $\Delta J=2$ , quadrupole (E2) and R(DCO)<1 for  $\Delta J=1$ , dipole (1986Se07).

<sup>#</sup> Subtracted component from an unresolved doublet.

<sup>@</sup> From  $\gamma\gamma$  coin (gated) spectrum.

& Total theoretical internal conversion coefficients, calculated using the BrIcc code (2008Ki07) with Frozen orbital approximation based on  $\gamma$ -ray energies, assigned multipolarities, and mixing ratios, unless otherwise specified.

<sup>a</sup> Placement of transition in the level scheme is uncertain.



<sup>135</sup><sub>59</sub>Pr<sub>76</sub>



<sup>135</sup><sub>59</sub>Pr<sub>76</sub>







<sup>135</sup><sub>59</sub>Pr<sub>76</sub>



<sup>135</sup><sub>59</sub>Pr<sub>76</sub>