

$^{10}\text{C}$   $\beta^+$  decay **1999Fu04,1989Ba28,2004Ti06**

Type	Author	History	Citation	Literature Cutoff Date
Full Evaluation	J. H. Kelley, C. G. Sheu and J. L. Godwin, et al.		NP A745 155 (2004)	31-Mar-2004

Parent:  $^{10}\text{C}$ :  $E=0.0$ ;  $J^\pi=0^+$ ;  $T_{1/2}=19.290$  s 12;  $Q(\beta^+)=3648.0$  6;  $\% \beta^+$  decay=100.0

1989KrZW:  $^{10}\text{C}$ , measured  $\beta$ -decay branching ratio.

1991Kr19:  $^{10}\text{B}(p,p')$   $E=7.8$  MeV, measured  $E_\gamma$ ,  $I_\gamma$ ,  $P_\gamma$ -coin,  $\beta$ -delayed  $\gamma$ -spectra.  $^{10}\text{C}$  deduced superallowed  $\beta$ -decay branching ratio.

1999Fu04:  $^{10}\text{C}(\beta^+)$  [from  $^{10}\text{B}(p,n)$   $E=8$  MeV], measured  $\beta$ -delayed  $E_\gamma$ ,  $I_\gamma$ . Deduced superallowed transition branching ratio.

 $^{10}\text{B}$  Levels

E(level)	$J^\pi$ †	Comments
0.0	$3^+$	
718.380 11	$1^+$	from (1989Ba28); previous value 718.32 keV 9 (1969Fr02).
1740.05 4	$0^+$	from (1989Ba28); previous value 1740.16 keV 17 (1969Fr02).

† From Adopted Levels.

 $\epsilon, \beta^+$  radiations

E(decay)	E(level)	$I\beta^+$ †	$I\epsilon$ †	Log $ft$	$I(\epsilon + \beta^+)$ †	Comments
(1907.9 6)	1740.05	1.4601 19	0.00438 5	3.4829 14	1.4645 19	av $E\beta=353.45$ 26; $\epsilon K=0.002848$ 6; $\epsilon L=0.0001454$ 3
(2929.6 6)	718.380	98.50 2	0.0285 3	3.0426 7	98.53 2	av $E\beta=814.26$ 28; $\epsilon K=0.0002751$ 3; $\epsilon L=1.404 \times 10^{-5}$ 2

† Absolute intensity per 100 decays.

 $\gamma(^{10}\text{B})$ 

$E_\gamma$	$I_\gamma$ †	$E_i(\text{level})$	$J_i^\pi$	$E_f$	$J_f^\pi$	Comments
718.353 19	100	718.380	$1^+$	0.0	$3^+$	from (1989Ba28); previous value 718.29 keV 9 (1969Fr02).
1021.646 14	1.4615 19	1740.05	$0^+$	718.380	$1^+$	from (1989Ba28); previous value 1021.78 keV 14 (1969Fr02).

† Absolute intensity per 100 decays.

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## Decay Scheme

Intensities:  $I_\gamma$  per 100 parent decays

Legend

- $I_\gamma < 2\% \times I_\gamma^{max}$   
 —→  $I_\gamma < 10\% \times I_\gamma^{max}$   
 —→  $I_\gamma > 10\% \times I_\gamma^{max}$

