

The Full Bayesian Evaluation Technique

D. Neudecker, LANL, T-2 CSEWG covariance session, 11/08/2012

In collaboration with:

P. Talou, T. Kawano, M. Rising – LANL, T-2 division

F. Tovesson, R.C. Haight, H.Y. Lee – LANL, LANSCE-NS

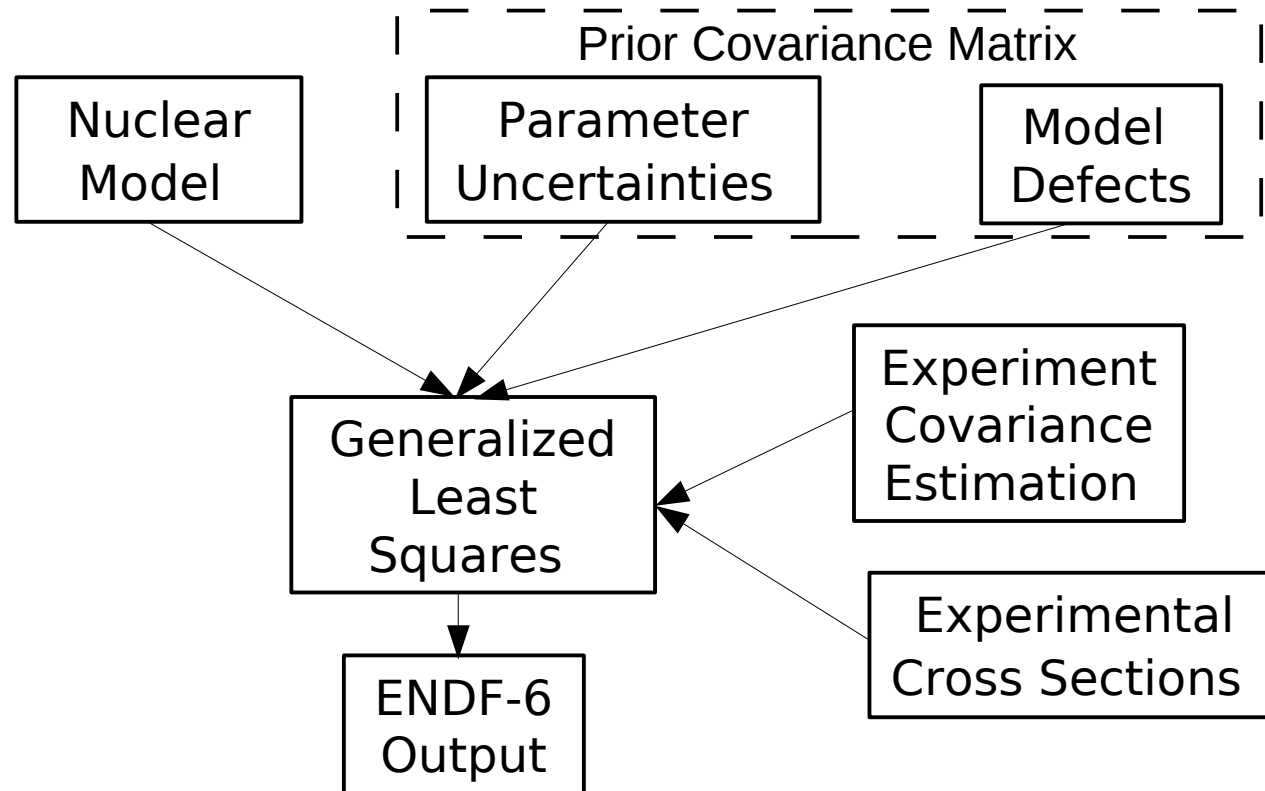
H. Leeb – Vienna Univ. of Technology

St. Gundacker – former Vienna Univ. of Technology, now Cern

R. Capote – IAEA Vienna

LA-UR-12-25848

The Full Bayesian Evaluation Technique provides cross sections and cov. mat. for structural materials.

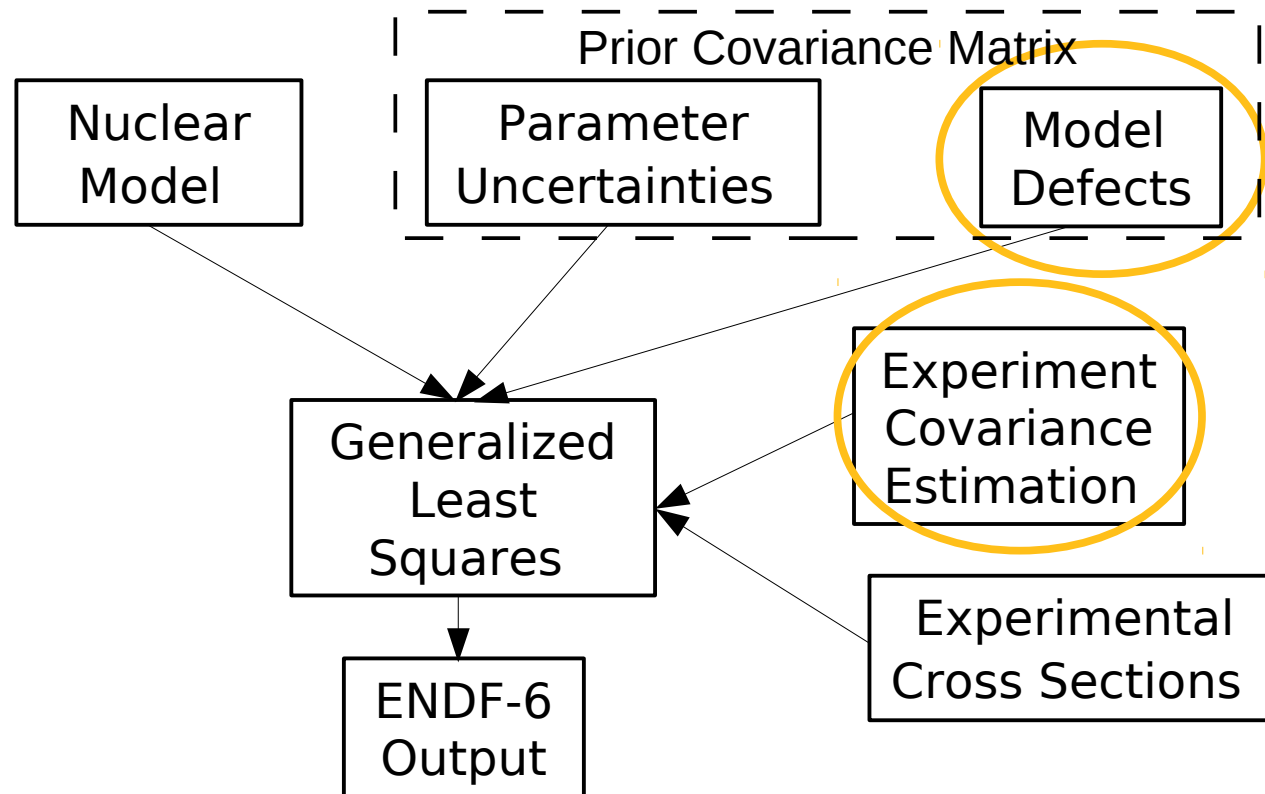


Model Defects

Covariance Matrices of Experiment

Summary/ Outlook

The Full Bayesian Evaluation Technique provides cross sections and cov. mat. for structural materials.



Model Defects

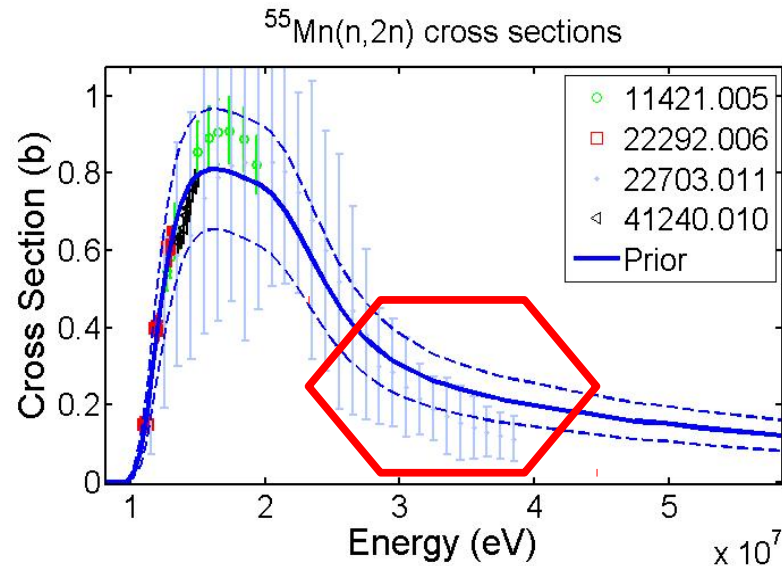
Covariance Matrices of Experiment

Summary/ Outlook

Model defect cov. mat. account for systematic deviations of the model from experimental data.

Model Defect:

A systematic deviation of the model from the experiment which can be observed for several isotopes in a similar energy regime within a selected model space.



Model Defects

Covariance Matrices of Experiment

Summary/ Outlook

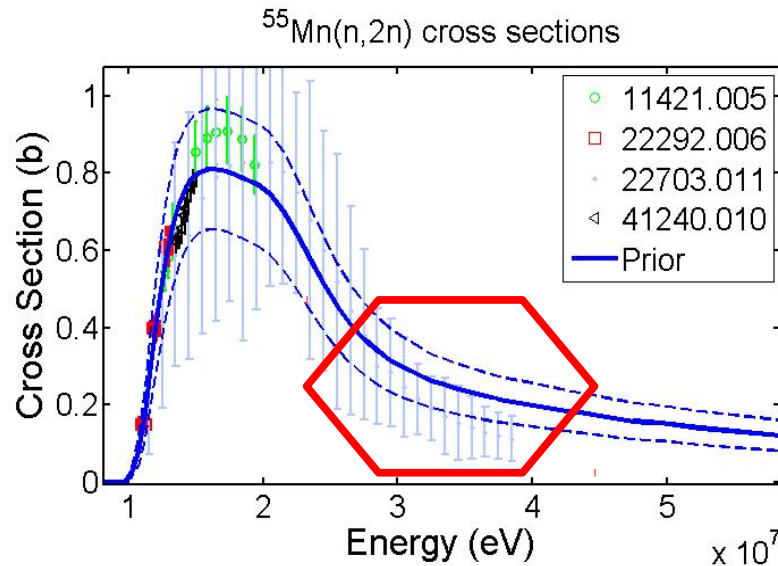
Model defect cov. mat. account for systematic deviations of the model from experimental data.

Model Defect:

A systematic deviation of the model from the experiment which can be observed for several isotopes in a similar energy regime within a selected model space.

Constraints:

- Cannot be described exclusively within the insufficient model space.
- Experimental data employed in the evaluation should not be used.



Model Defects

Covariance Matrices of Experiment

Summary/ Outlook

Model defects are estimated using experimental and model data of similar isotopes.

Model Defect:

A **systematic deviation of the model from the experiment** which can be observed **for several isotopes** in a similar energy regime within a selected model space.

Constraints:

- Cannot be described exclusively within model space.
- Experiments employed in the evaluation should not be used.

Experimental data of similar isotopes are compared to model data in order to estimate model defect uncertainties.

(see: H. Leeb, D. Neudecker, Th. Srdinko, Nucl. Data Sheets 109, Issue 12, 2762 (2008).)

Model
Defects

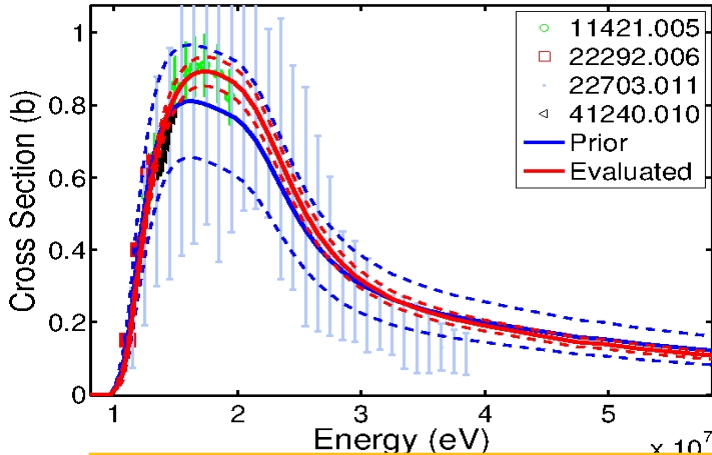
Covariance
Matrices of
Experiment

Summary/
Outlook

Uncertainties due to model defects should be considered if model shows larger deficiencies.

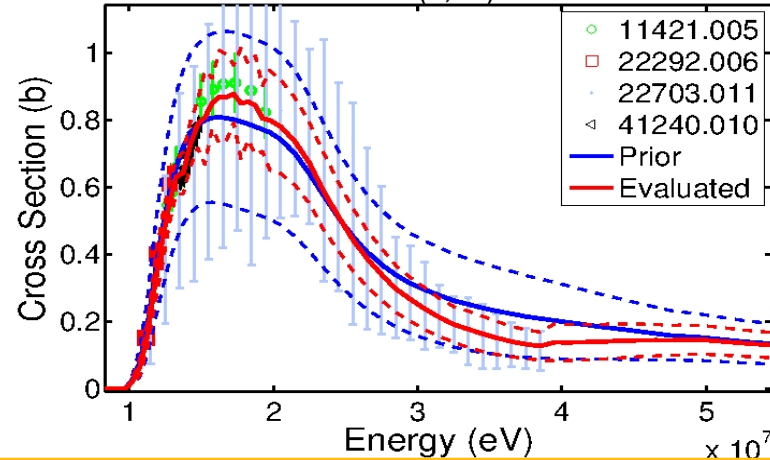
Without model defect unc.

$^{55}\text{Mn}(n,2n)$



With mode defect unc.

$^{55}\text{Mn}(n,2n)$



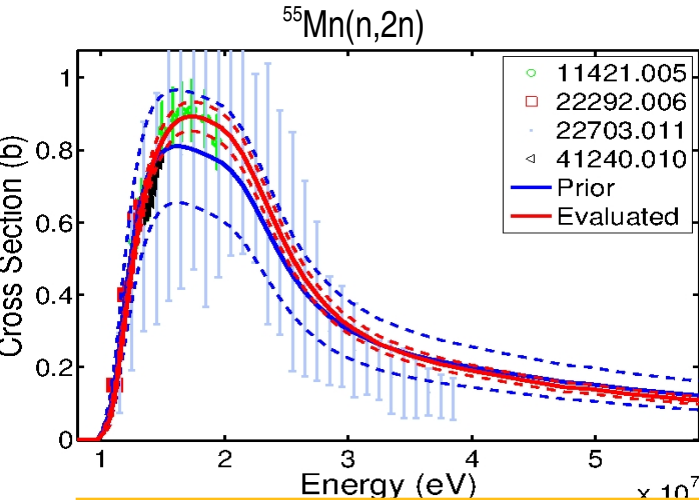
Model Defects

Covariance Matrices of Experiment

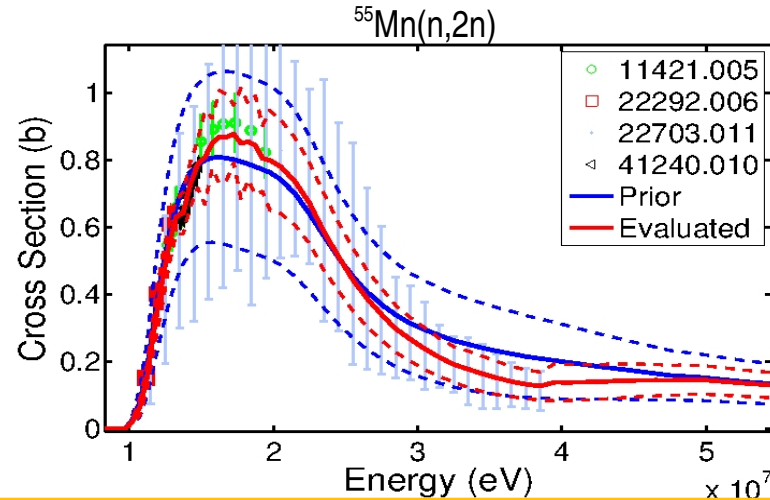
Summary/ Outlook

Uncertainties due to model defects should be considered if model shows larger deficiencies.

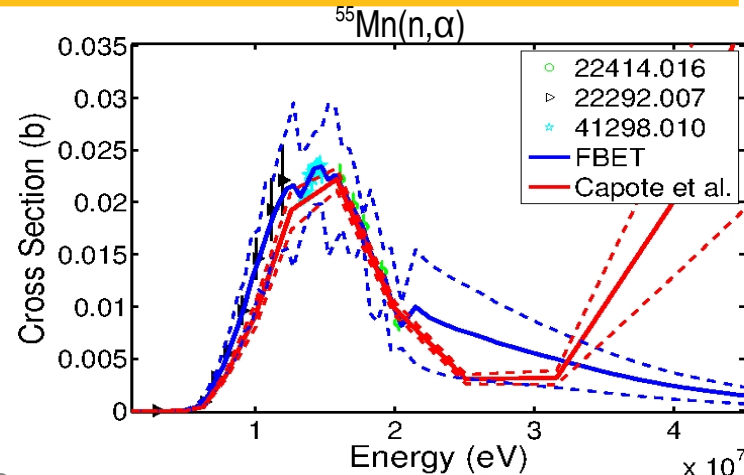
Without model defect unc.



With mode defect unc.



Open issue: Kinks occur in eval. cross sections which do not occur when using approach of Capote et al. (prior from A. Trkov et al., Nucl. Data Sheets 112, Issue 12, 3098 (2011).)



Model Defects

Covariance Matrices of Experiment

Summary/ Outlook

Correlations of systematic unc. of single and between different experiments are considered.

In the Full Bayesian Evaluation Technique, **correlations** of systematic uncertainties were considered for **single and between different experiments** leading to **evaluated uncertainties about the magnitude of the correlated systematic uncertainty.**

exp. 1	cor. (exp. 1, exp. 2)	cor. (exp. 1, exp. 3)
cor. (exp. 1, exp. 2)	exp. 2	cor. (exp. 2, exp. 3)
cor. (exp. 1, exp. 3)	cor. (exp. 2, exp. 3)	exp. 3

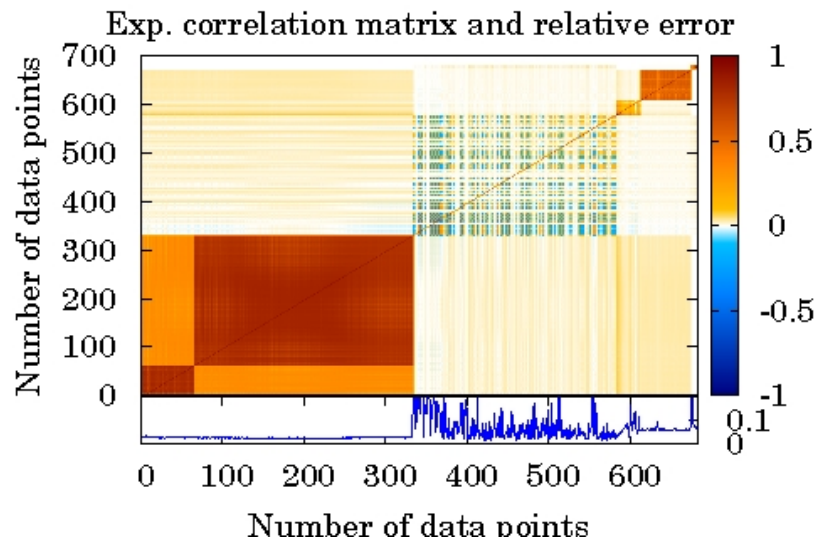
Model
Defects

Covariance
Matrices of
Experiment

Summary/
Outlook

Correlations of systematic unc. of single and between different experiments were considered *roughly*.

In the Full Bayesian Evaluation Technique, **correlations** of systematic uncertainties were considered for **single and between different experiments** leading to **evaluated uncertainties** about the magnitude of the correlated systematic uncertainty.



Model Defects

Covariance Matrices of Experiment

Summary/ Outlook

BUT ONLY VERY ROUGHLY

EXFOR	method	neutron source	detector	monitor
3753.018 [13]	transmission time-of-flight	proton beam on tungsten target	BC404	none
10047.031 [28]	transmission time-of-flight	$Li(d, n)$	liquid scintillator	none
11308.008 [29]	transmission	^{252}Cf	parallel plate ioniz. chamber	none
20169.002	time-of-flight	$(d, n)^3He$	Emmerich det. Dario 5AVP	none
20019.081 [32]	diff. measur. rel. to monitor	$d(d, n)^3He$	NE213 liquid scintillator	none
		$t(p, n)^3He$ (-4.6MeV) $d(d, n)^3He$ (>4.6MeV)	NE102 scinti.	H(n, n)H

UNCLASSIFIED

Work in progress: estimating exp. cov. mat. in a more reproducible and physical manner.

- Estimate covariance matrices for single and between different experiments.
- Store (xml) and use detailed information relevant for uncertainties of specific uncertainty components appearing in different experiments (e.g.: uncertainties due to reference reaction, specific sample)
 - Simplifies estimating uncertainties of experimental data with sparse uncertainty information and correlations between experiments

Model
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Covariance
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Summary/
Outlook

Why storing certain uncertainty components?

Experiment 1

Facility f1

Sample s1

Detector d1

Reference r1

Background b1

...

Experiment 2

Facility f2

Sample s1

Detector d2

Reference r2

Background b2

...

Experiment 3

Facility f3

Sample s3

Detector d3

Reference r1

Background b3

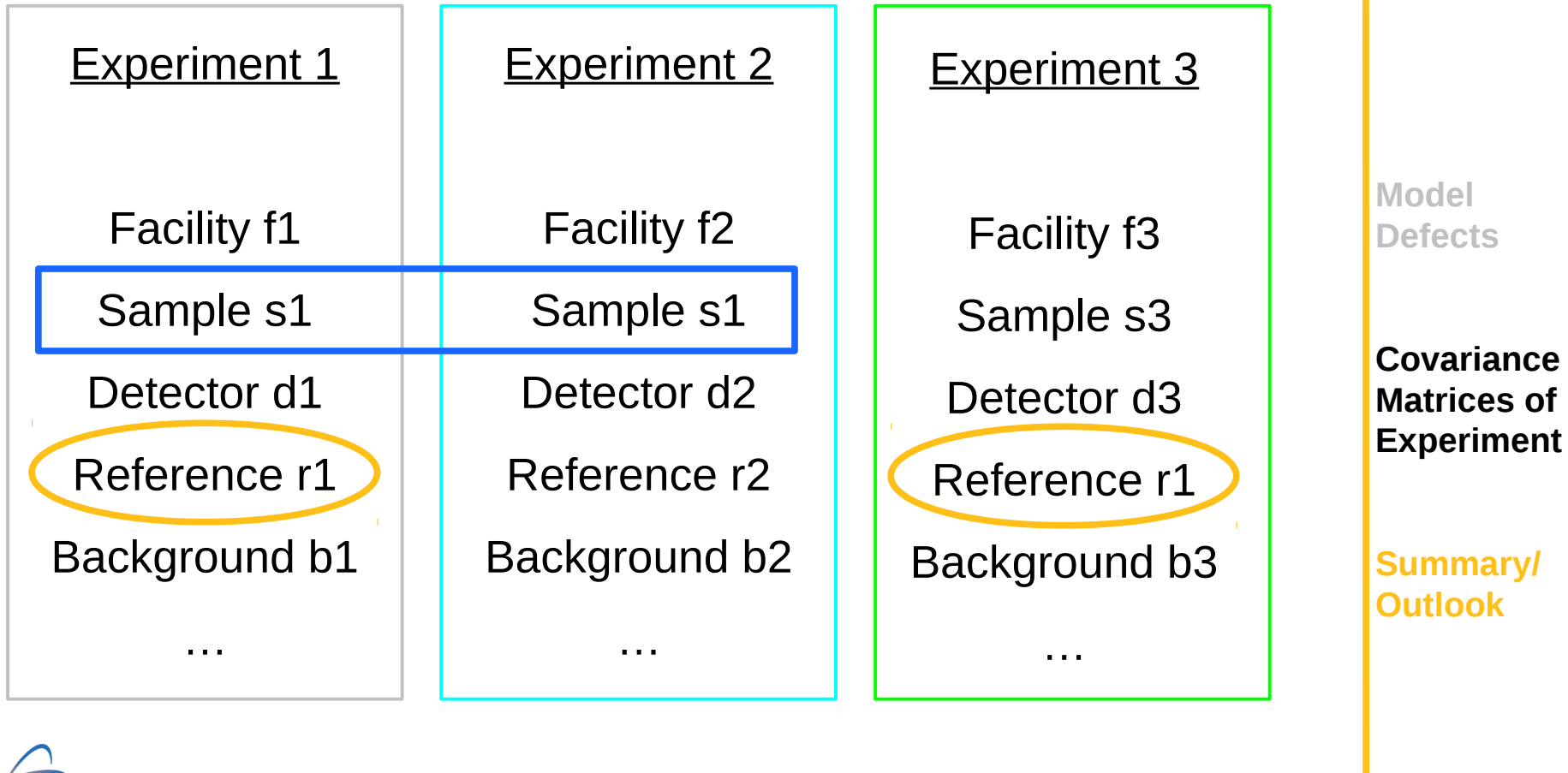
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Model
Defects

Covariance
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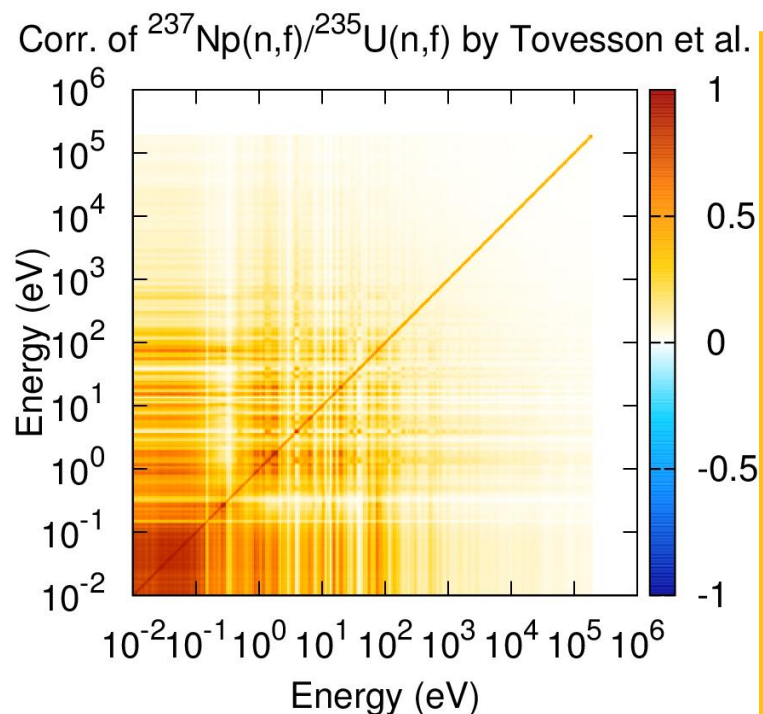
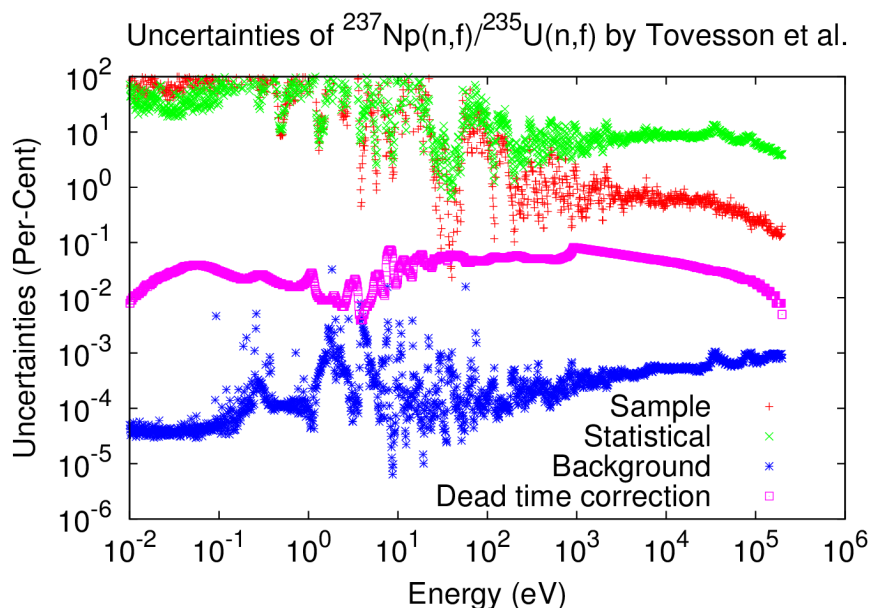
Summary/
Outlook

Why storing certain uncertainty components?



First steps: Reproducing a covariance matrix using detailed uncertainty information.

First application: reproducing an experimental covariance matrix of F. Tovesson, T.S. Hill, K.M. Hanson, P. Talou, T. Kawano, R.C. Haight, L. Bonneau, Internal Report LA-UR-06-7318 (2006).

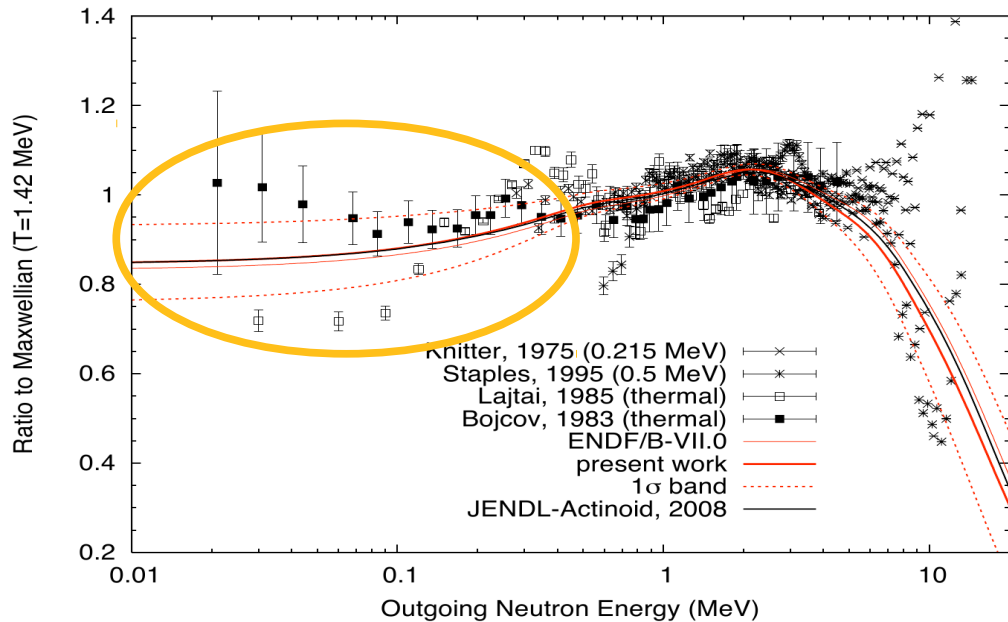


Model
Defects

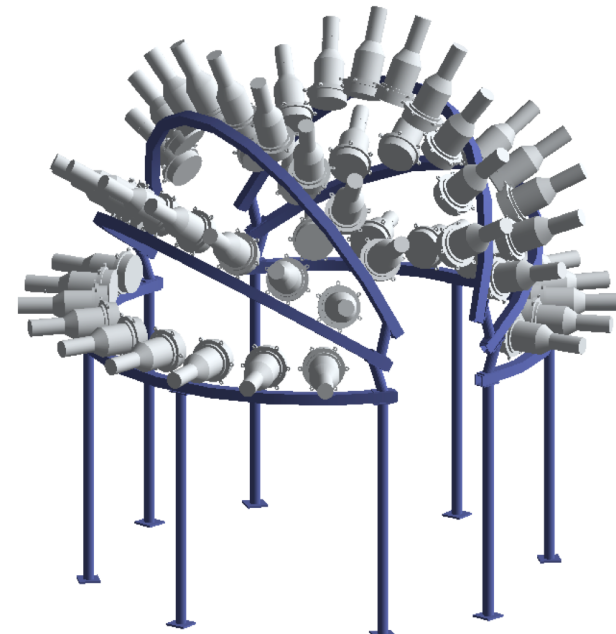
Covariance
Matrices of
Experiment

Summary/
Outlook

Outlook



New ^{239}Pu PFNS data will be coming from Chi-Nu at LANSCE.



Model Defects

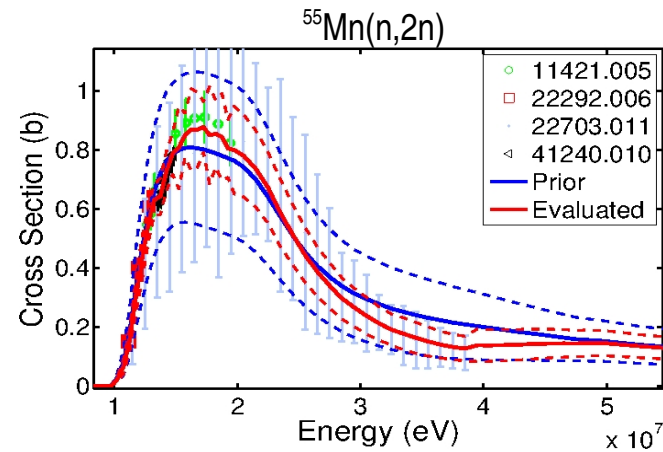
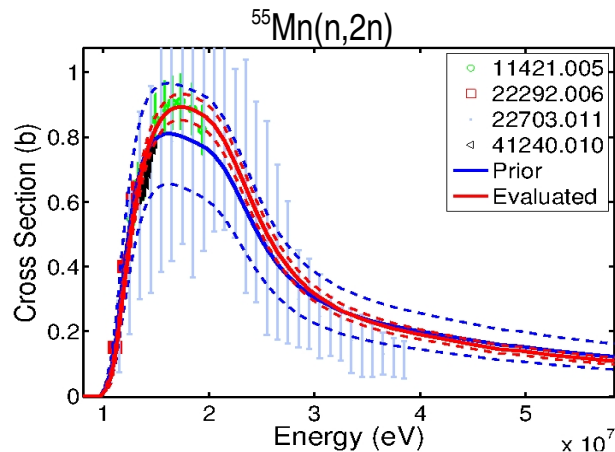
Covariance Matrices of Experiment

Summary/ Outlook

Does Los Alamos model describe low energy range of PFNS?
 —————> model defect uncertainties?

... and summary

- Considering model defect uncertainties is important if model deviates significantly from experimental data



- A new program is in development at LANL which estimates experimental covariance matrices in a more physical and reproducible manner and stores the underlying information in XML.

Model Defects

Covariance Matrices of Experiment

Summary/ Outlook

Selected literature

H. Leeb, D. Neudecker, Th. Srdinko, Nucl. Data Sheets 109, Issue 12, 2762 (2008).

F. Tovesson, T.S. Hill, K.M. Hanson, P. Talou, T. Kawano, R.C. Haight, L. Bonneau, Internal Report, LA-UR-06-7318 (2006).

A. Trkov, R. Capote, E.Sh. Soukhovitskii, L.C. Leal, M. Son, I. Kodeli, D.W. Muir, Nucl. Data Sheets 112, Issue 12, 3098 (2011).

P. Talou, P.G. Young, T. Kawano, M. Rising, M.B. Chadwick, Nucl. Data Sheets 112, Issue 12, 3054 (2011).

Model
Defects

Covariance
Matrices of
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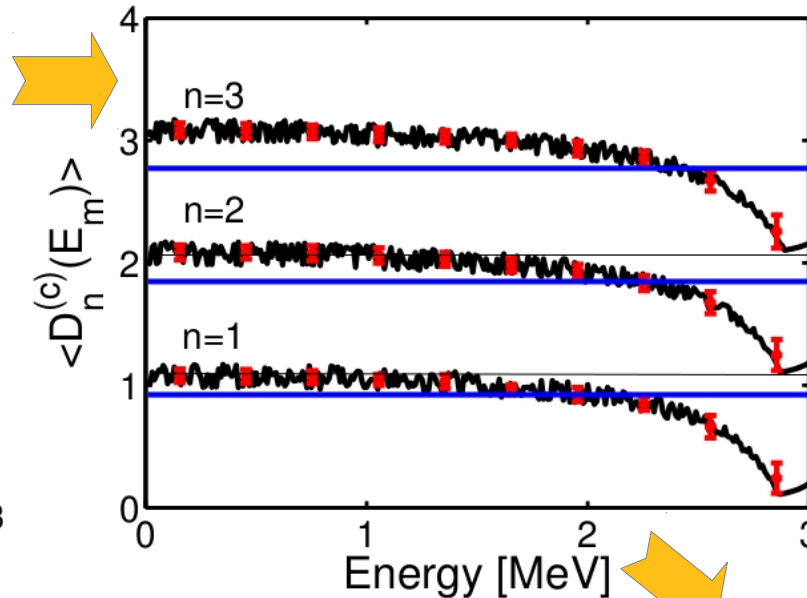
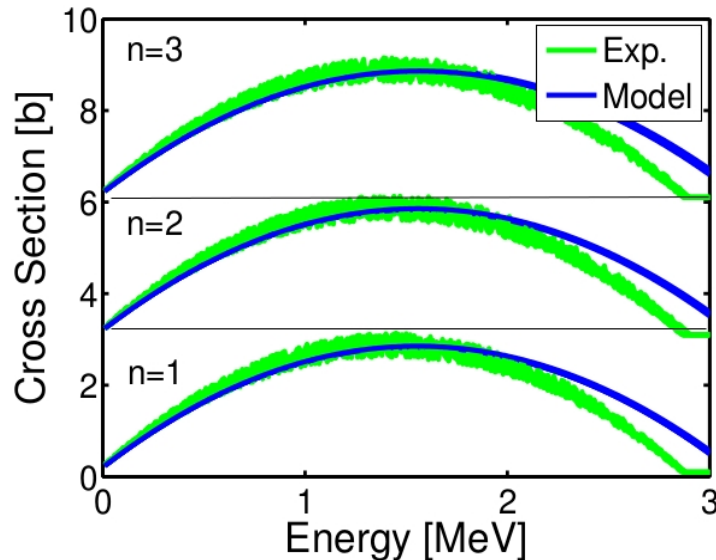
Summary/
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Thank you for your attention!

Model defects are estimated using experimental and model data of similar isotopes.

H. Leeb, D. Neudecker, Th. Srdinko, Nucl. Data Sheets 109, Issue 12, 2762 (2008).

$$\begin{aligned}
 D^c &= \sum_{n=1}^{N^c} W^{c,n} \sum_{m=1}^M W_m^{c,n} \sum_{j \in Ebin} W_j^{c,m,n} \frac{\sigma_{ex}^{c,n}(E_j)}{\sigma_{th}^{c,n}(E_j)} \\
 &= \sum_{n=1}^{N^c} W^{c,n} \sum_{m=1}^M W_m^{c,n} \langle D_n^c(E_m) \rangle
 \end{aligned}$$



$$D^{(c)} = 0.902$$

Model Defects

Covariance Matrices of Experiment

Summary/ Outlook

Backup

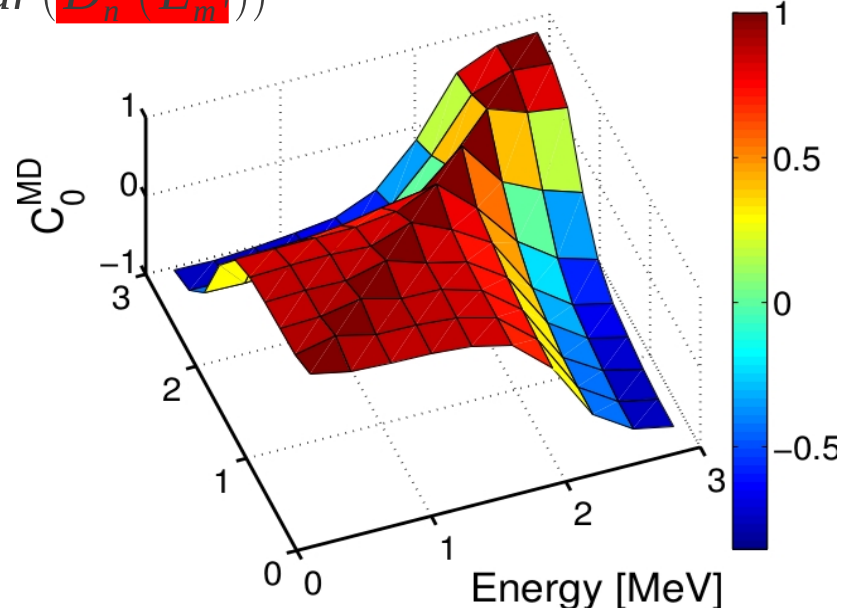
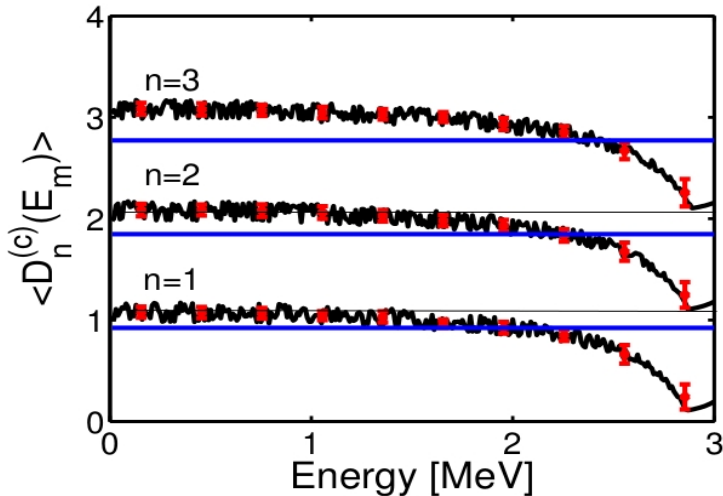
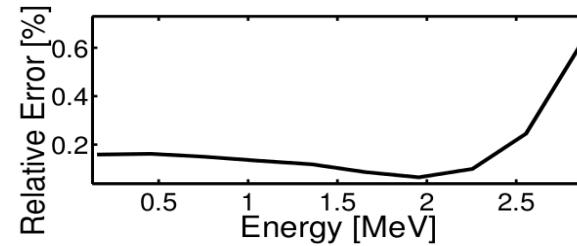
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$$Cov^{cc'}(E_m, E_{m'}) = \frac{\sigma_{th}^c(E_m) \sigma_{th}^{c'}(E_{m'})}{\sqrt{N^c(E_m)} \sqrt{N^{c'}(E_{m'})}}$$

$$\times \sum_{n=1}^{N^c} \left[\langle D_n^c(E_m) \rangle - D^c \right] \left[\langle D_n^{c'}(E_{m'}) \rangle - D^{c'} \right]$$

$$+ \sum_{n=1}^{N^c} \delta_{cc'} g_{mm'} \sqrt{\text{var}(D_n^c(E_m)) \text{var}(D_n^{c'}(E_{m'}))}$$



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