

(n,x α) Cross-sections with Clustering Pre-equilibrium Model

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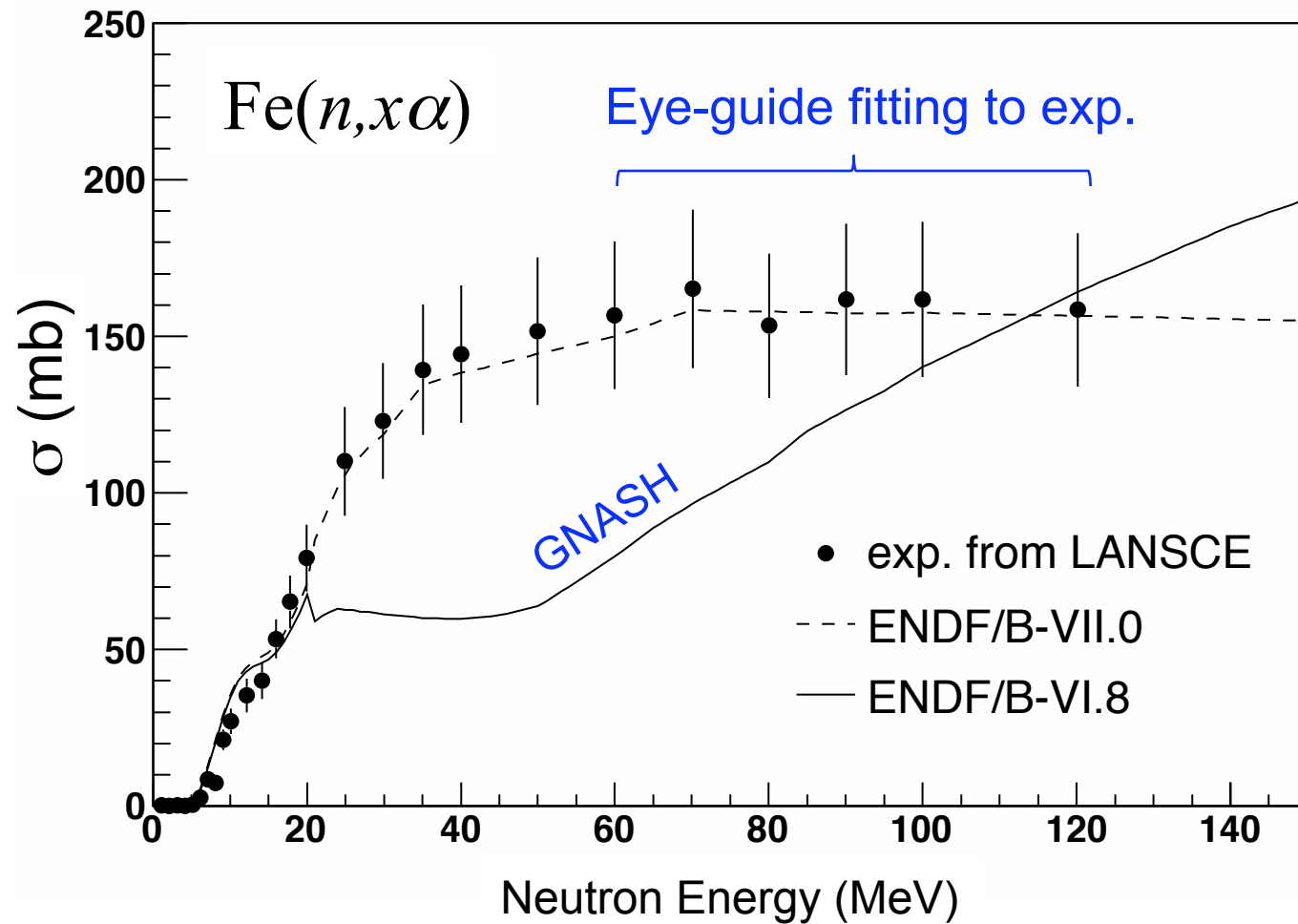
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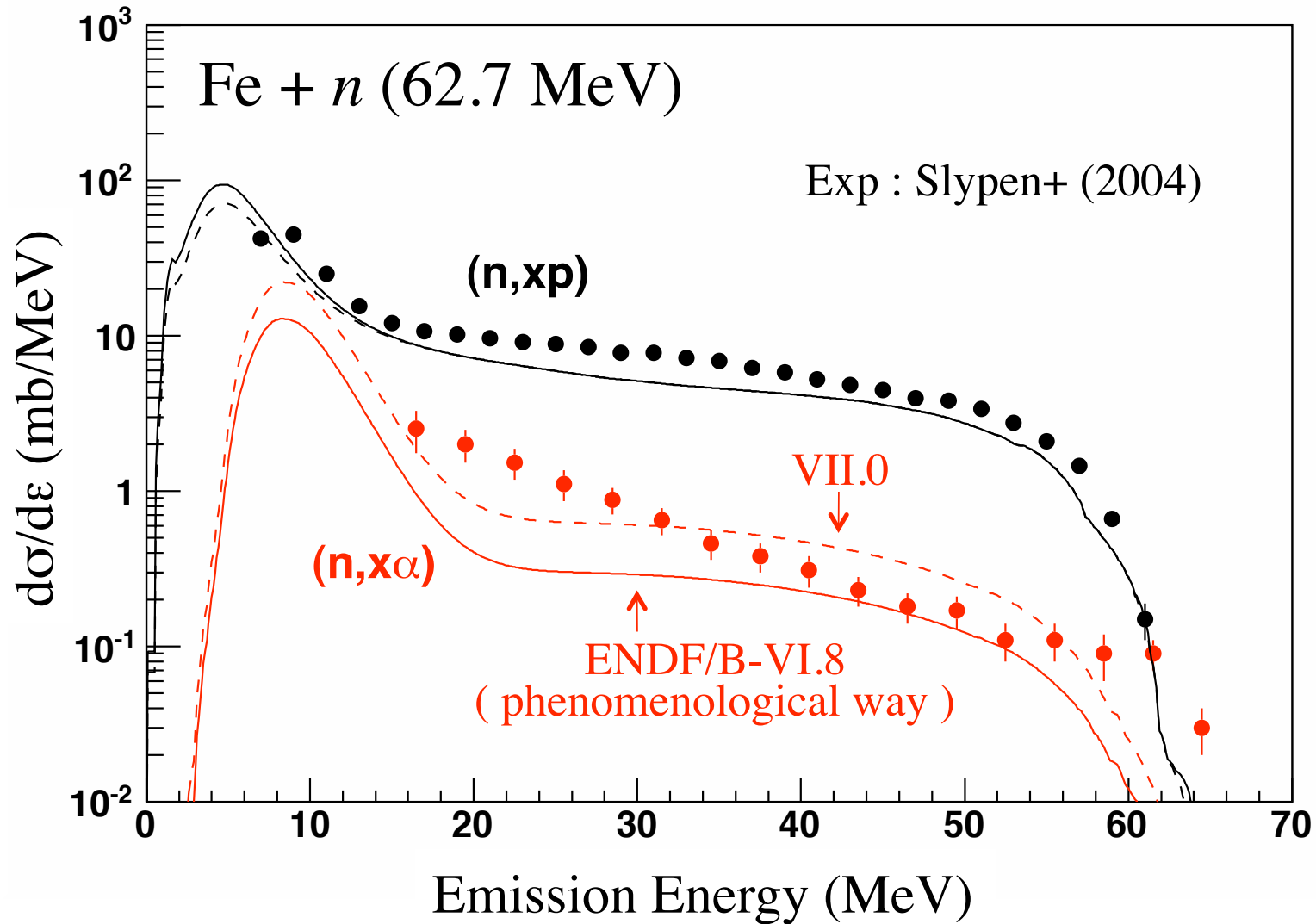
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- Status of eval. & model (>20 MeV)
- Modified Iwamoto-Harada model
- New High-energy evaluations for B-VII.1
($^{50,52,53,54}\text{Cr}$, $^{54,56,57}\text{Fe}$ and $^{58,60}\text{Ni}$)

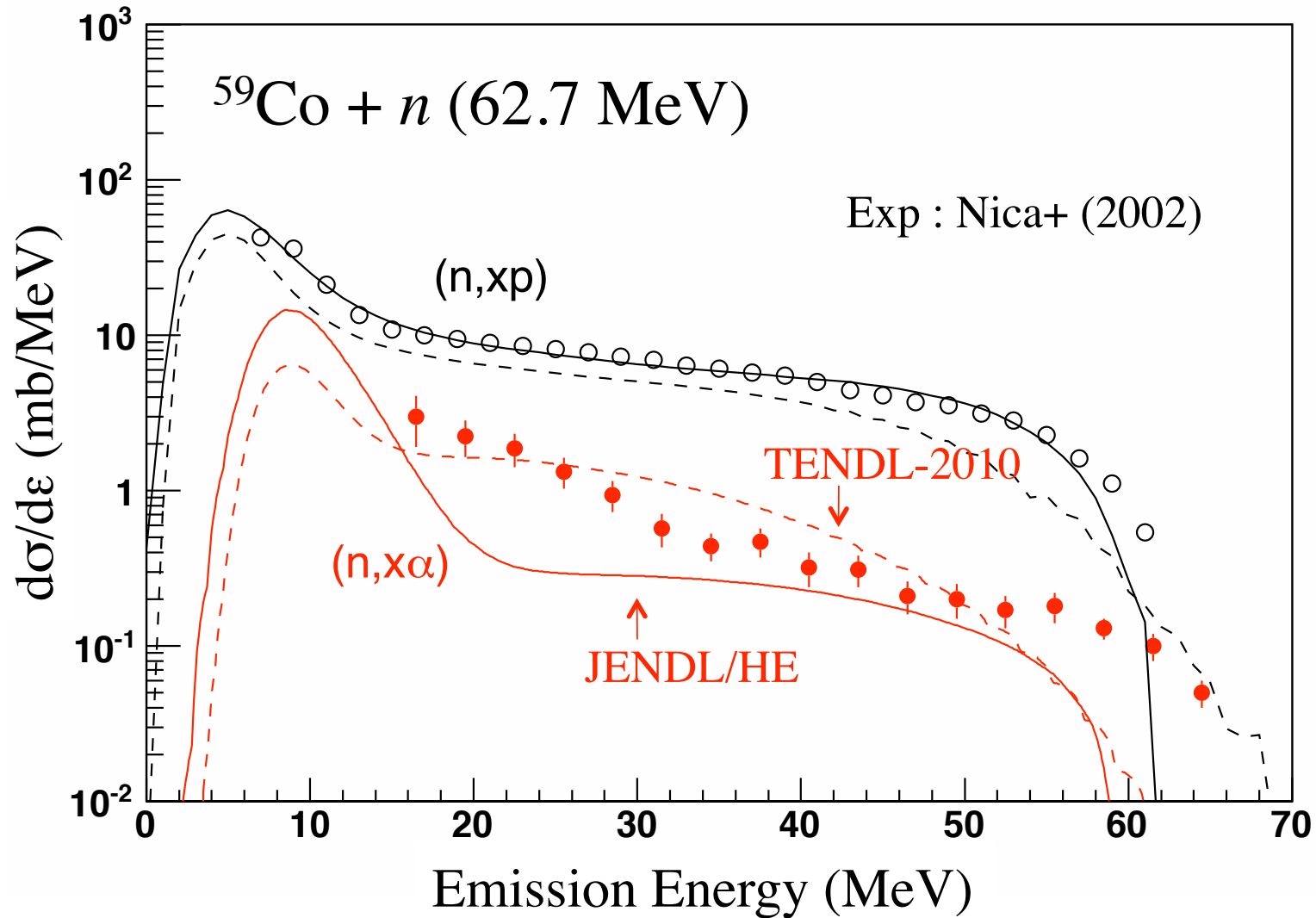
Status of ENDF (>20 MeV)



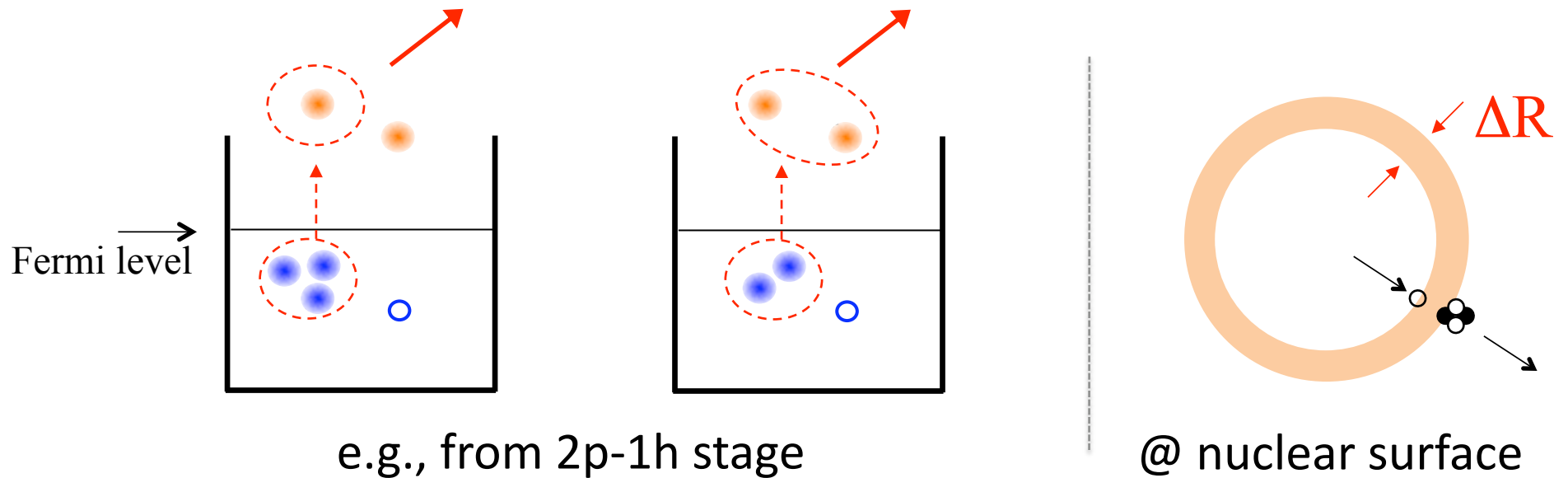
Status of ENDF (>20 MeV)



Status of Other Libraries



Iwamoto-Harada Model



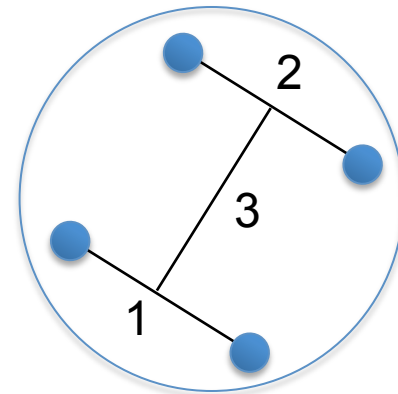
Emission rate

$$W_{\alpha}(p, h, \epsilon_{\alpha}) = \frac{\mu_{\alpha} \epsilon_{\alpha} \sigma_{\alpha}}{\pi^2 \hbar^3} \frac{\sum_{l+m=4} F_{l,m}(\epsilon_{\alpha}) \left[\sum_{j=0}^2 \omega(p-l, h-j, U) + \sum_{j=1}^2 \omega(p-l-j, h, U) \right]}{\sum_{j=0}^2 \omega(p, h-j, E) + \sum_{j=1}^2 \omega(p-j, h, E)}$$

Formation Factors

$$\left| \langle \varphi_\alpha \chi^{(\epsilon_\alpha)}(\mathbf{R}) | \phi_1 \phi_2 \phi_3 \phi_4 \rangle \right|^2$$

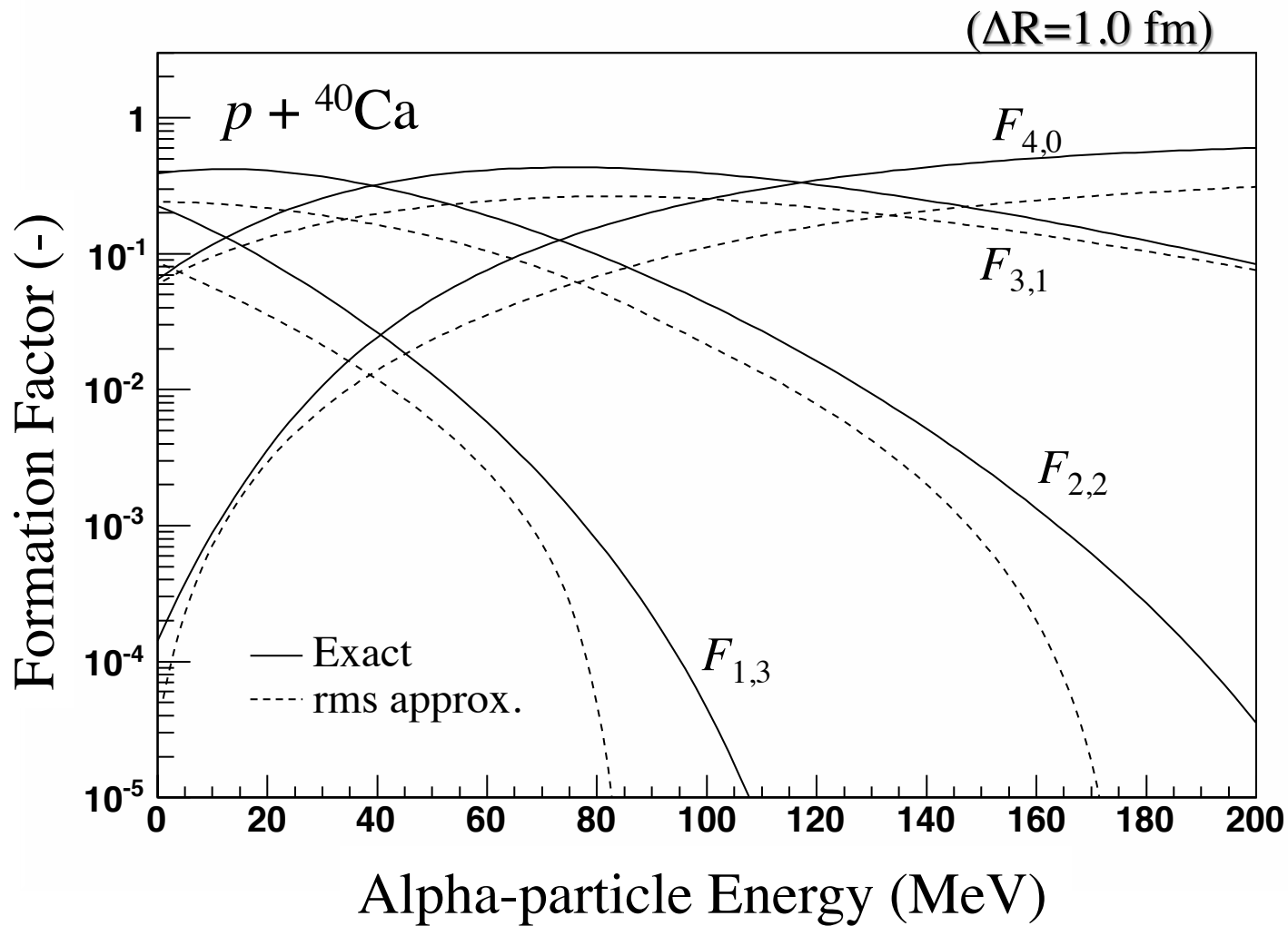
$$F_{l,m}(\epsilon_\alpha) \sim \int_S \prod_{i=1}^3 d\xi_i d\mathbf{p}_{\xi_i}$$



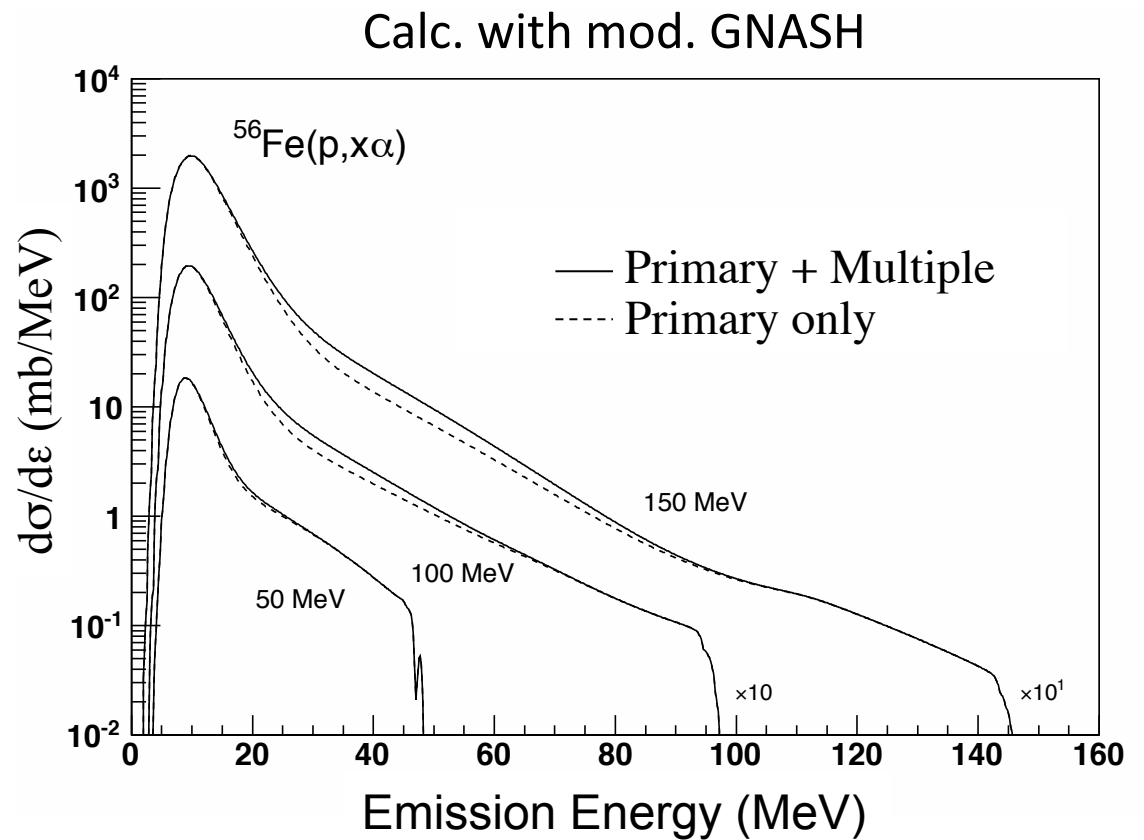
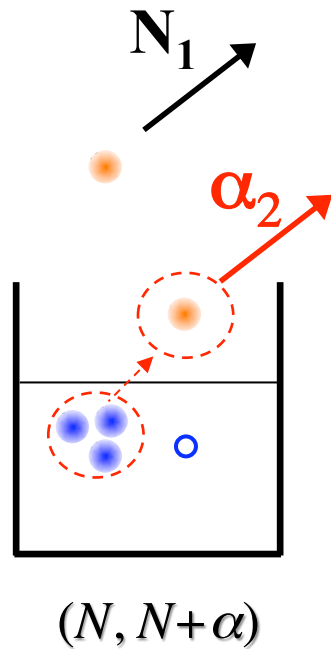
Original : root-mean-square approximation

Present : numerical integration

Exact Calculations for $F_{l,m}(\varepsilon_\alpha)$

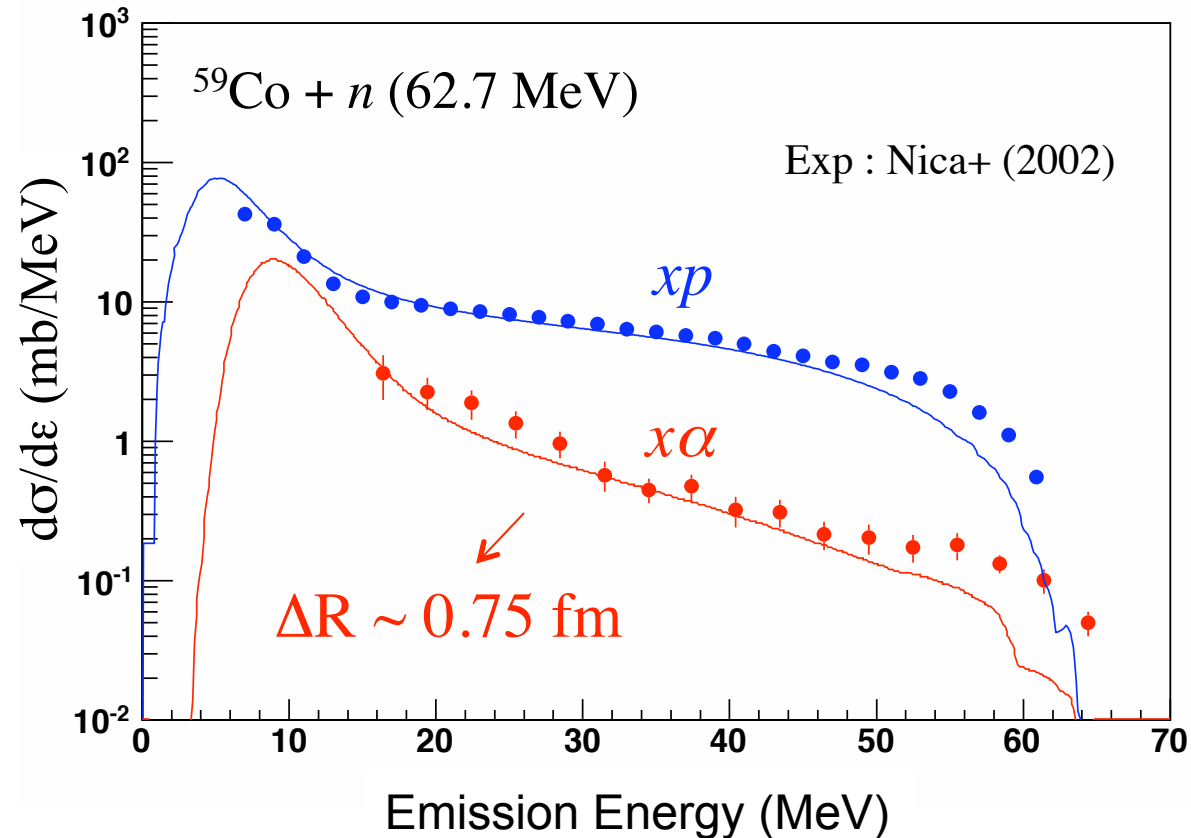


Spectra with Multiple Emission

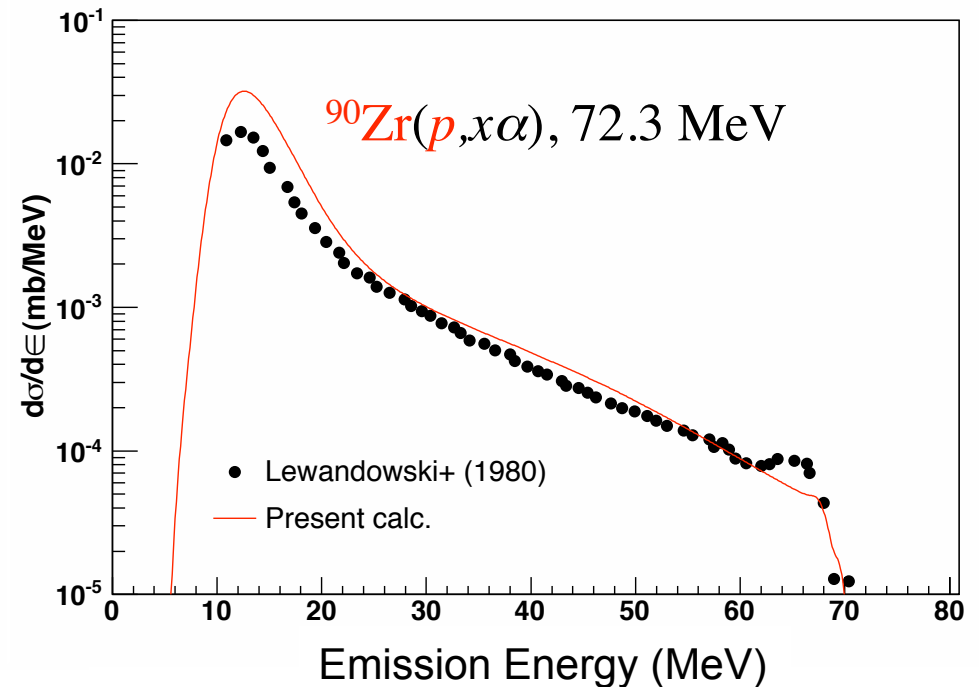
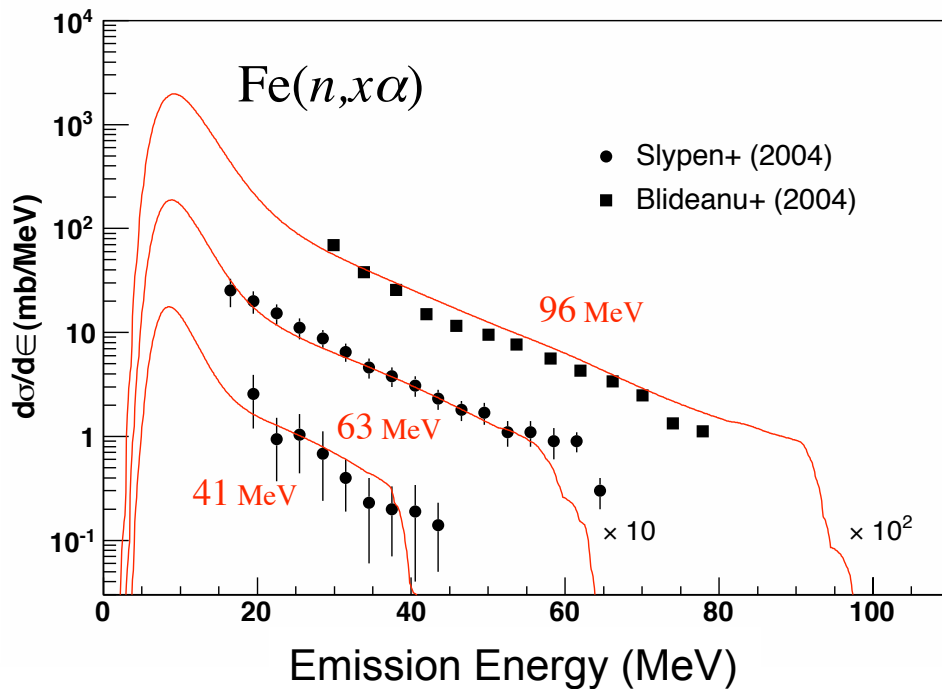


Model Parameters

M^2 : Average Matrix Element $\longrightarrow (n, xp)_{\text{exp.}}$
 ΔR : Clustering Model Parameter $\longrightarrow (n, x\alpha)_{\text{exp.}}$



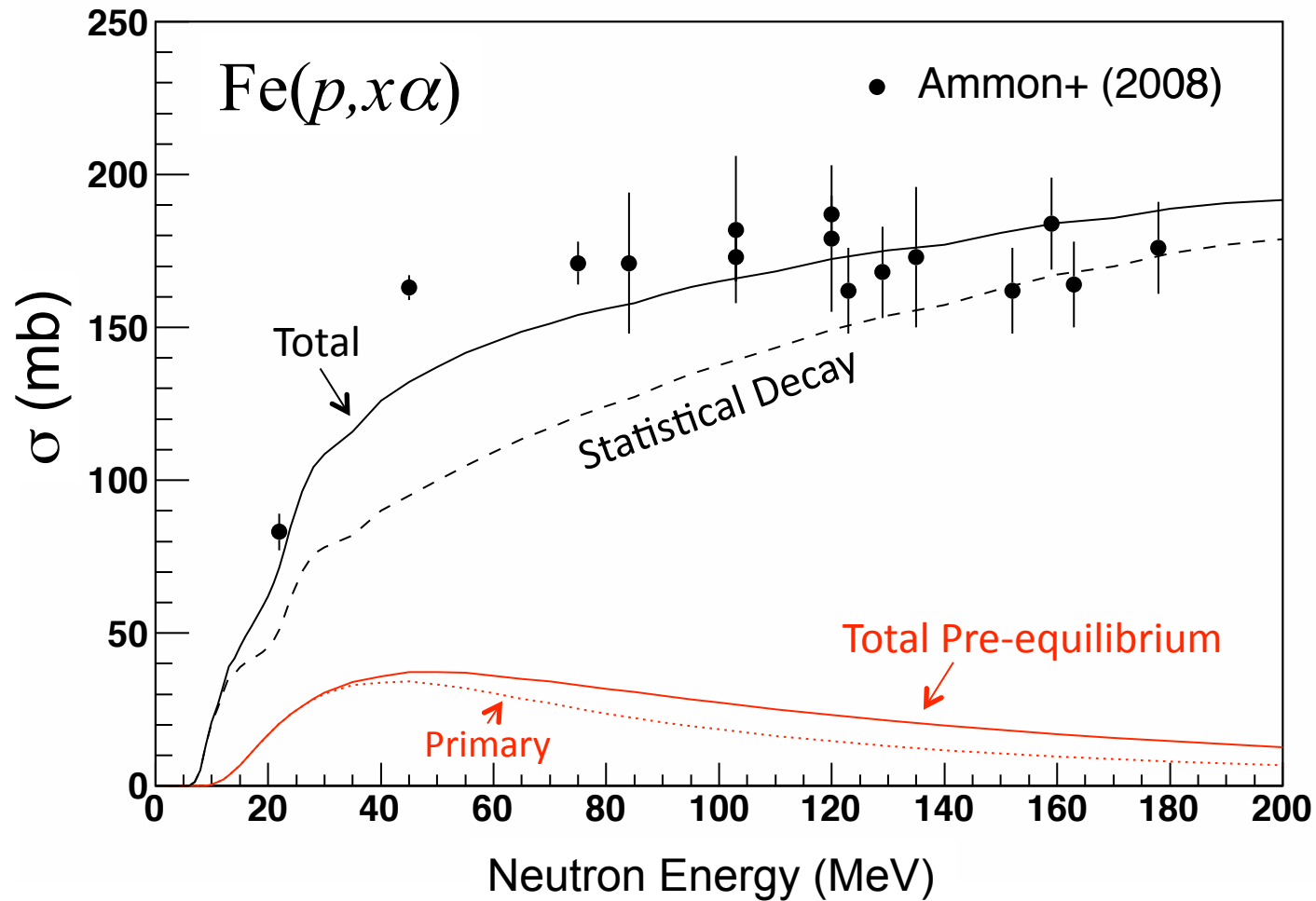
Calculation with $\Delta R=0.75$ fm



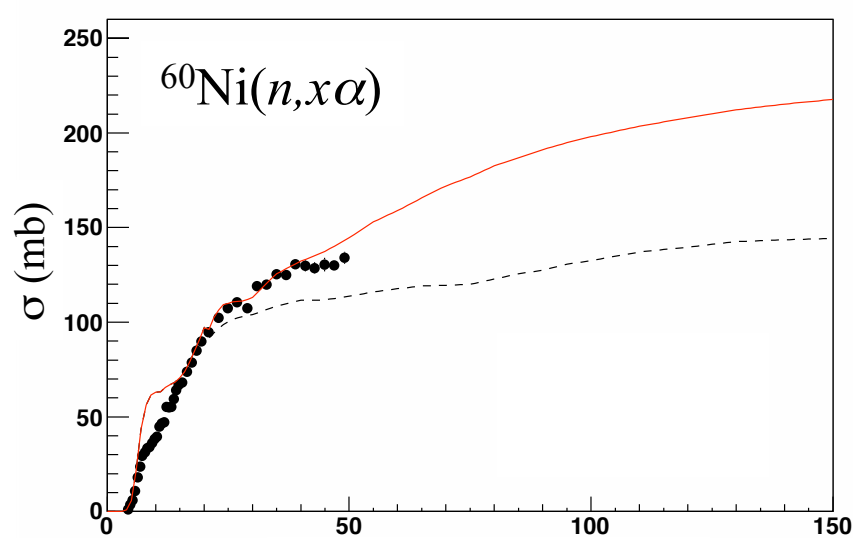
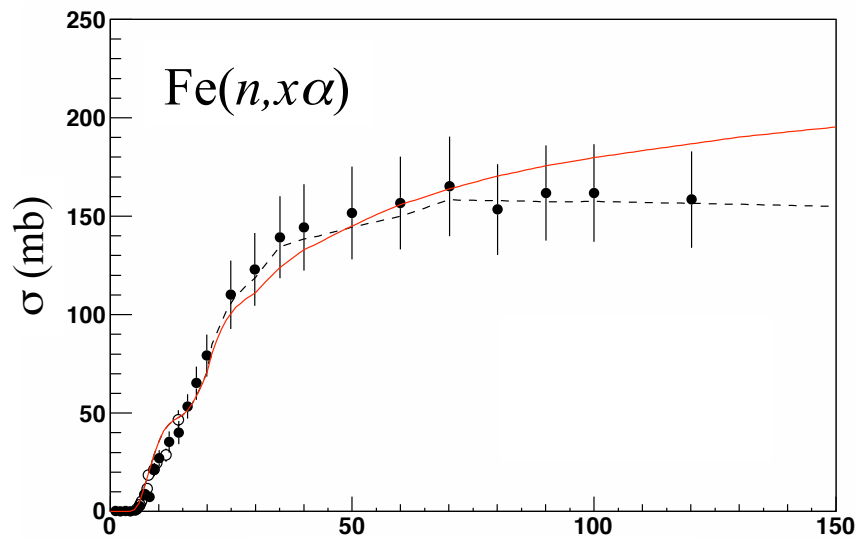
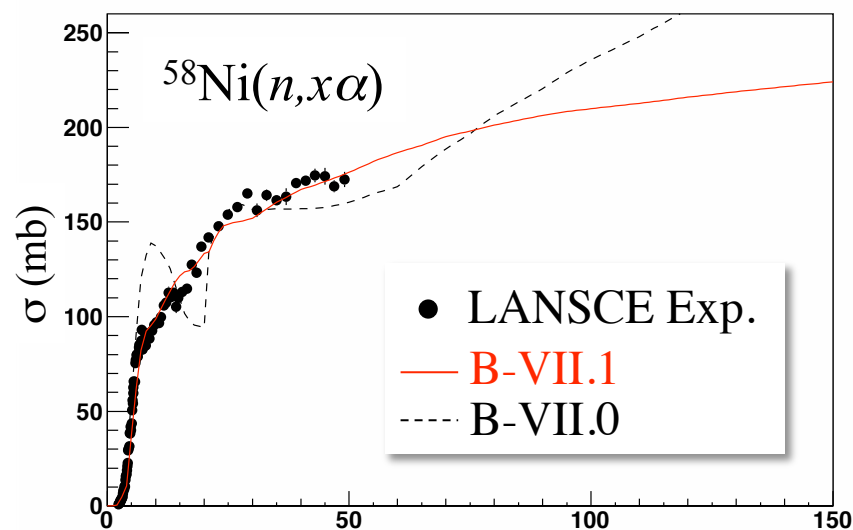
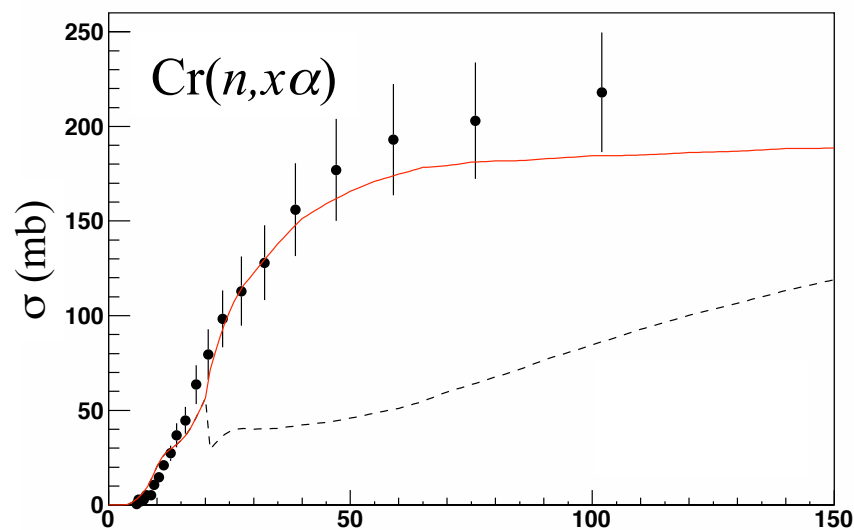
ΔR is less energy-dependent

ΔR is independent of inc. n/p
(& nuc ?)

Absolute C. S. - example



New Evaluations for B-VII.1



Neutron Energy (MeV)

Neutron Energy (MeV)

Summary & Conclusion

- Iwamoto-Harada model with exact overlap-integration for alpha-particle
- Multiple emission (alpha-particle) is calculated with I-H model
- ΔR may be less dependent on nucleus (Constraint to the level density parameter)
- New evaluations with those findings for $^{50,52,53,54}\text{Cr}$, $^{54,56,57}\text{Fe}$ and $^{58,60}\text{Ni}$

Backups

Status of Pre-equilibrium Model

Kalbach's works

☺ **Exciton model** → nucleons

☹ **Phenomenological (exciton) model**

→ Composite particles (d , t , ${}^3\text{He}$, α)

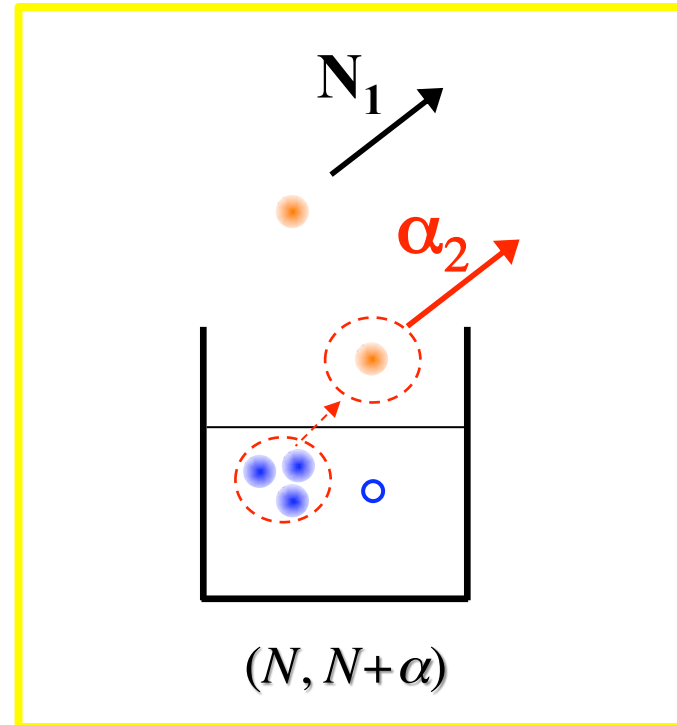
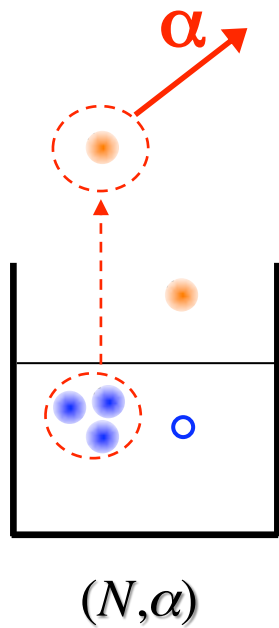
Overlap Integral

Original : root-mean-square approximation

$$\int_S \xi^2 P_\xi^2 \mathcal{I}(\mathbf{p}_\xi, \xi) d\xi d\Omega_\xi dP_\xi d\Omega_{P_\xi}$$
$$\longrightarrow \sim \int_S \delta(\xi - \bar{\xi}) \delta(p_\xi - \bar{p}_\xi) \mathcal{I}(\mathbf{p}_\xi, \xi) d\xi d\Omega_\xi dP_\xi d\Omega_{P_\xi}$$

Present : numerical integration

Multiple Emission



$$\left(\frac{d\sigma}{d\epsilon_\alpha} \right)_{p,h} = \sum_{i=\pi,\nu} \int_{\epsilon_\alpha+B}^{U_{max}} \left(\frac{d\sigma}{dU} \right)_i T_\alpha(\epsilon_\alpha) \sum_{l+m=4} F_{l,m}(\epsilon_\alpha) \frac{g \omega(p-l, h, U - \epsilon_\alpha - B)}{p \omega(p, h, U)} dU$$

Model Parameters

Optical Potential (OMP)

N : Kunieda+ (2007)

α : Avrigeanu+ (2009)

Single-particle State Density

$\omega(p, h, E, \infty) f(p, h, E, V)$ Beták & Dobeš (1976)

V : Koning & Duijvestijn (2004)

$$g = 6a/\pi^2$$

Deuteron Spectra

